# Rotational Spectroscopic and Ab initio Studies on the Weakly Bound Complexes Containing $\mathrm{O}-\mathrm{H} \bullet \bullet \bullet \pi$ and $\mathrm{S}-\mathrm{H} \bullet \bullet \bullet \pi$ Interactions 

A Thesis<br>Submitted for the Degree of<br>Doctor of Philosophy<br>in the Faculty of Science<br>by<br>Mausumi Goswami<br>

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## Dedicated to my dear parents \& <br> Bani

## DECLARATION

I hereby declare that the work presented in this thesis entitled "Rotational Spectroscopic and $A b$ initio Studies on the Weakly Bound Complexes containing $\mathrm{O}-\mathrm{H} \cdot \bullet \pi$ and S H••• $\boldsymbol{\pi}$ Interactions" has been carried out by me at the Department of Inorganic and Physical Chemistry, Indian Institute of Science, Bangalore, India under the supervision of Professor E. Arunan.

Date:

## CERTIFICATE

I hereby certify that the work presented in this thesis entitled "Rotational Spectroscopic and $A b$ initio Studies on the Weakly Bound Complexes containing $\mathrm{O}-\mathrm{H} \cdot \bullet \pi$ and S H••• $\boldsymbol{\pi}$ Interactions" has been carried out by Ms. Mausumi Goswami at the Department of Inorganic and Physical Chemistry, Indian Institute of Science, Bangalore, India under my supervision.

Date:
Professor E. Arunan
(Research Supervisor)

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## Preface

FTMW (Fourier Transform Microwave) spectroscopy in the supersonic beam provides accurate structural information about the 'near-equilibrium' geometry of small dimers and trimers in isolation. Spectroscopy in this isolated condition is the stepping stone towards a molecular level understanding of the intermolecular interaction. The data from high-resolution spectroscopy are useful when one wants to testify the accuracy of a model intermolecular potential energy hyper-surface. The spectroscopy of weakly bound complexes of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ are of fundamental interest as one can gain insight about the nature of intermolecular interaction present in them from these studies. The work in this thesis mainly comprises of a) rebuilding the complete software for the PNFTMW (Pulsed Nozzle Fourier Transform Microwave) spectrometer in Labview 7.1 and b) rotational spectroscopic studies of the structure and dynamics of few weakly bound complexes of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ with $\pi$ systems like ethylene and phenylacetylene. The home-built Pulsed Nozzle Fourier Transform Microwave Spectrometer, having a spectral range of 2-26.5 GHz , built in our laboratory has been used to record the microwave spectrum of these complexes. The spectrometer consists of a Fabry-Perot cavity which is the interaction zone of the molecules and the radiation, the electronic circuit for the detection and the polarization of the signal, the mechanical and diffusion pumps which are used to maintain the vacuum inside the cavity. The gas molecules of interest are then mixed with a carrier gas and pulsed supersonically inside the cavity through a nozzle of 0.8 mm diameter. The emission from the complexes formed during the expansion is detected by superheterodyne detection technique and then Fourier transformed.

The first chapter of the thesis gives a brief introduction to intermolecular interaction and hydrogen bonding. It also gives a brief introduction to the weakly bound complexes of aromatic/aliphatic $\pi$ systems with $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$. The chapter also includes a brief introduction to rotational spectroscopy.

The second chapter of the thesis discusses the experimental and theoretical methods. It also includes a detailed discussion of the software. The earlier version of the software which was being used in the laboratory was built in CVI Labwindows
environment. The complete software has been rebuilt in Labview 7.1. This software includes 1) GPIB interfacing of the frequency synthesizer and the two delay generators which control the delay and width of the gas pulse and microwave pulses 2 ) software control of the stepper motor driver for moving the mirror 3) programming the NI-scope digitizer card for the data acquisition using its multiple acquisition capabilities 4) Transferring the FIDs (Free Induction Decay) from the card to the computer and saving and displaying the time domain and the frequency domain data for the user. Further, the scanning mode of the spectrometer is also fully automated as it used to be in the earlier version.

The third chapter of the thesis discusses the rotational spectroscopy of weakly bound complex $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ and its isotopologues. In this complex, $\mathrm{H}_{2} \mathrm{~S}$ has been found to act as hydrogen bond donor to the $\pi$ system of ethylene. The spectra reveal the complex to be a nearly prolate asymmetric top with $\kappa=-0.9912$. Though, the structure of the complex is very similar to its $\mathrm{H}_{2} \mathrm{O}$ counterpart, the floppier potential in case of $\mathrm{H}_{2} \mathrm{~S}$ complex is directly reflected in the observed microwave spectrum. Each of the transitions for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{D}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2}{ }^{34} \mathrm{~S}, \mathrm{C}_{2} \mathrm{D}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{D}_{4} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$ and ${ }^{13} \mathrm{CCH}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ is split into four components, whereas $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{HDS}$ and $\mathrm{C}_{2} \mathrm{D}_{4} \bullet \cdots \mathrm{HDS}$ show only doubling of each transition. The smaller splitting is 0.14 MHz and the higher splitting is 1.67 MHz in $(\mathrm{B}+\mathrm{C}) / 2$ for the parent isotopologue. The splitting observed in the spectra indicates the degree of floppiness of the complex. Each series has been fitted separately using Watson's S-reduction Hamiltonian. The splitting pattern of the parent and all the isotopologues indicate that the smaller splitting is arising due to the rotation of ethylene about its C-C bond axis along with the contraction of S-H bond whereas the larger motion arises due to the interchange of equivalent hydrogens of $\mathrm{H}_{2} \mathrm{~S}$ in the complex. Molecular symmetry group analysis for this complex and all the mentioned isotopologues has been performed and it shows a good agreement with the intensity pattern observed for all the states. Geometry optimizations with various basis sets were performed for the complex at MP2(full) level of theory and the intermolecular interaction energies have been obtained. $\operatorname{CCSD}(\mathrm{T})$ single point calculations have also been done for some of the basis sets. The potential energy curves for different motions of $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$ in the complex have been calculated at MP2(full)/aug-cc-pVDZ and MP2(full)/aug-
cc-pVTZ level and the ab initio barrier heights for these one dimensional motions have been obtained. The details of the experimental and theoretical results are discussed in this chapter.

The fourth chapter contains the microwave spectroscopic studies of phenylacetylene $\bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and their isotopologues. Phenylacetylene is an interesting system having different potential sites, which can participate in hydrogen-bond formation. Hence, it is not straightforward to conclude about the orientation of the monomers in the complex formed by phenylacetylene with a second molecule like $\mathrm{H}_{2} \mathrm{O}$. The spectra of the parent complex $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ resembles an asymmetric top with $\kappa=-0.73$. Both $a$ and $b$ dipole transitions have been observed. The rotational spectra of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \bullet \mathrm{HOD}$, $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{O}, \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2}{ }^{18} \mathrm{O}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ have also been measured. The rotational spectra reveal that $\mathrm{H}_{2} \mathrm{O}$ is bound to phenylacetylene by forming a C-H $\bullet \bullet \mathrm{O}$ bond (ortho C-H group of phenylacetylene donating hydrogen to the oxygen of $\mathrm{H}_{2} \mathrm{O}$ ) and O-H $\bullet \bullet \pi$ bond ( $\pi$ cloud of acetylene moiety acting as hydrogen bond acceptor). All the transitions of the parent complex and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \cdot \mathrm{D}_{2} \mathrm{O}, \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \quad \bullet \bullet \mathrm{H}_{2}{ }^{18} \mathrm{O}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ complexes are split into two resulting from a possible internal rotation of $\mathrm{H}_{2} \mathrm{O}$ whereas $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{HOD}$ shows no doubling of the transitions. The details of the structure of the complex determined by microwave spectroscopy are discussed in this chapter.

The fifth chapter of the thesis comprises of the rotational spectroscopic studies of phenylacetylene $\bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex and its isotopologues. The rotational spectra of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}, \quad \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \bullet \mathrm{H}_{2}{ }^{34} \mathrm{~S}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \bullet \mathrm{HDS}, \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complexes have been obtained. The spectra of the parent complex is that of an asymmetric top with $\kappa=0.69$. The rotational spectra indicate that $\mathrm{H}_{2} \mathrm{~S}$ is located on the top of the phenyl ring. $\mathrm{H}_{2} \mathrm{~S}$ is shifted from the phenyl ring center towards the acetylenic group. Further, each of the transition frequencies for all the isotopes except $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \bullet \mathrm{HDS} / \mathrm{D}_{2} \mathrm{~S}$ are split into two resulting from the interchange of equivalent hydrogens of $\mathrm{H}_{2} \mathrm{~S}$. Ab initio calculations have been performed for all the possible orientations of phenylacetylene $\bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex at the MP2/aug-cc-pVDZ level of theory to find out the structure of the global minima. The $a b$ initio calculations show
the experimentally observed structure to be the global minima. The details of the experimental results and the theoretical calculations are discussed in this chapter.

The sixth chapter of the thesis proposes a criterion for calling a complex to be hydrogen bonded based on the dynamic structure rather than the static structure of the complex. The question asked is if the anisotropy of the interaction is strong enough to hold the 'hydrogen bond' when one takes dynamics into account. The proposed criterion is that the zero point energy of the motion which takes the hydrogen away from the acceptor should be much less than the barrier height of the respective motion supporting at least one bound level below the barrier. The complexes $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}, \mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ have been taken as model systems to test and emphasize this criterion. Ab initio calculations at MP2(full)/aug-cc-pVTZ level have been done to generate the potential energy curves for different motions of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ in these complexes. The barrier heights of these motions have been compared to the zero point energy of the respective modes. This test shows that $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ are not hydrogen bonded even at zero Kelvin whereas $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ are hydrogen bonded. These results support the experimental findings on these complexes and also the recent findings on $\mathrm{H}_{2} \mathrm{~S}$ crystal and $\mathrm{Ar} \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ scattering experiments. The details of these results are discussed in this chapter.

## List of Abbreviations

| AIM | Atoms in Molcecules |
| :--- | :--- |
| BCP | Bond Critical Points |
| BSSE | Basis Set Superposition Error |
| c.m. | Center of mass |
| CVI | C for virtual Instruments |
| DIB | Diffuse Interstellar Bands |
| FID | Free Induction Decay |
| Freq. | Frequency |
| HBCP | Hydrogen Bond Critical Point |
| H-bond | Hydrogen bond |
| MO | Master Oscillator |
| MS group | Molecular Symmetry group |
| PAH | Polycyclic Aromatic Hydrocarbons |
| PI | Permutation Inversion |
| PNFTMW | Pulsed Nozzle Fourier Transform Microwave |
| Res. | Residue |
| RF | Radio Frequency |
| SCCM | Standard Cubic Centimeter per minute |
| SLM | Standard Litre per Minute |
| SPDT | Single Pole Double Throw |
| SSBM | Single Side Band Mixer |
| UIR | Unidentified Infrared Bands |
|  |  |

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## Chapter I

## Introduction

## I.A. Intermolecular Interactions

Nature, as we know of it exists because of intermolecular interaction. The vast importance of intermolecular interaction has brought about a wide research activity in this field. ${ }^{1-3}$ Intermolecular interaction plays an essential role in every form of matter be it solid, liquid or gas. Strength of the intermolecular interaction determines the state of matter under ambient conditions. Water, the essential component for all forms of life on the earth has intermolecular hydrogen bonds (one of the several types of intermolecular interactions). In ice, each water molecule is hydrogen bonded to four other water molecules in a tetrahedral arrangement. ${ }^{4}$ At room temperature, $\mathrm{H}_{2} \mathrm{O}$ is a liquid whereas $\mathrm{H}_{2} \mathrm{~S}$ is a gas. This is because the hydrogen bonds are stronger in $\mathrm{H}_{2} \mathrm{O}$ than in $\mathrm{H}_{2} \mathrm{~S}$. The physical properties both at the molecular and bulk level are enormously influenced by these interactions. Even in the biological systems, non-covalent bonds play crucial roles. The complex molecule DNA which is the very basic of life, holds up it double stranded structure with the help of $\pi-\pi$ stacking and intermolecular hydrogen bonds formed between the Adenine-Thymine(AT) and Guanine-Cytosine (GC) base pair. Interaction of nearby $\mathrm{C}=\mathrm{O}$ and $\mathrm{N}-\mathrm{H}$ groups in the polypeptides facilitates the twisting into $\alpha$ helixes. ${ }^{5}$ The three dimensional structure of protein which governs its function is influenced by intermolecular interactions. The biological specificity which is at the heart of the functioning of life depends on the specificity of the intermolecular interaction. ${ }^{6-8}$ The recognition of a given antigen with its relevant antibody is the result of many local interactions. ${ }^{6}$ These highlighted examples are just a glimpse of the importance of the intermolecular interaction. The existence of intermolecular interaction was proposed by Clapeyron in $1834 .{ }^{9}$ The first realization that molecules attract each other goes back to $1867^{10}$ when van der Waals proposed the equation of state given below:

$$
\begin{equation*}
\left(P+\frac{a}{n^{2} V^{2}}\right)(V-n b)=n R T \tag{1}
\end{equation*}
$$

$\mathrm{P}, \mathrm{V}, \mathrm{T}$ and n are pressure, volume, temperature and number of moles of a gas and R is the gas constant. The constant ' $a$ ' depends on the intermolecular interaction. This equation tells us that the actual pressure exerted by the gas molecules on the container would be less than what would be predicted if the gases were ideal. However, this equation does not shed light on the nature of intermolecular interaction. The nature of
interaction among different molecules is still not well understood yet. A correct description of the forces between two molecules is necessary to develop exact potential energy function. ${ }^{11,12}$ The total intermolecular interaction energy can be decomposed into four terms as given below:

$$
\begin{equation*}
E^{\text {total }}=E^{e l e}+E^{i n d}+E^{e r e}+E^{\text {disp }} \tag{2}
\end{equation*}
$$

$E^{\text {ele }}$ is the electrostatic energy, $E^{\text {ind }}$ is the induction energy, $E^{\text {ere }}$ is the exchangerepulsion energy and $E^{\text {disp }}$ is the dispersion energy contribution to intermolecular interaction energy. The subtle balance of the different interaction energy components vary depending on the interacting partners. An understanding of the relative role of these interactions in the molecular complexes is the ultimate goal of research on intermolecular interaction. Electrostatic forces result from the interaction of permanent electric multipole moments of the monomers. The electrostatics plays a major role in determining the structure of complexes like $\mathrm{FH} \bullet \bullet \mathrm{FH}$. Induction plays a dominant role in case of complexes such as the Ar $\cdot \bullet H F$. Here it can be thought of as the dipole-induced dipole interaction. In general, the interaction of the permanent electric multipole moments of one monomer with induced multipole moment in the other monomer is known as induction. The dispersion can be thought of as the interaction which arises due to the instantaneous fluctuation of the electron density of the molecule. Dispersion is the dominating force in the complexes where two rare gas atoms interact with each other such as in Ar•••Ar. The interaction can be called as instantaneous dipole-induced dipole interaction and result from the mutual polarization of the two interacting monomers. The exchange energy is a repulsive term and arises due to Pauli Exclusion Principle which prevents the electrons from one monomer from penetrating the space of the other monomer. Understanding the relative contributions of different components need highly accurate potential energy surfaces and the high resolution spectroscopic and scattering data are inevitable tools in this field of research.

## I.B. The Hydrogen Bonding

'Hydrogen-bonding' is the interaction where two atoms which are not bound by a conventional chemical covalent bond are linked by a H atom forming a $\mathrm{X}-\mathrm{H} \cdot \cdots \mathrm{Y}$ type of
bond. The hydrogen bonding can be of two types: intermolecular and intramolecular hydrogen bonds. Although, the hydrogen bonding is known for long now, the precise definition of hydrogen bonding is not yet available. ${ }^{13}$ In past, the concept of hydrogen bonding was limited and it was thought that only electronegative atoms like $\mathrm{F}, \mathrm{O}$ and N participate in hydrogen bond formation. However, there are many examples in the literature now, where less electronegative atoms like C and S atoms act as hydrogen bond acceptor ${ }^{14,15}$. Moreover, even the lone pair, $\pi$ pair, unpaired electron, sigma bonding electrons, hydride ions and in principle any electron-rich region in the molecule can accept as hydrogen bond acceptor. ${ }^{16-19}$ Similarly, apart from the conventional donors such as O-H and F-H groups, C-H, S-H and N-H can also act as hydrogen bond donors. ${ }^{20-22}$ Thus, the concept of 'hydrogen bonding' is evolving and it is still a growing field. ${ }^{14,23-25}$

In general the intermolecular interactions are usually classified as the van der Waals and hydrogen bonding interactions. However, the nature of physical forces are same in both the cases and in a broader perspective, hydrogen bonding is more specific case of the van der Waals interaction. Is there anything that sets apart the hydrogen bonding from other interaction? Umayema and Morokuma ${ }^{26}$ in their paper showed that the decomposed energy components for $\mathrm{FH} \cdots \cdot \mathrm{FCl}$ and $\mathrm{HF} \cdots \cdot \mathrm{ClF}$ are similar. As Jeffrey points out in his book, the term 'hydrogen bond' refers to a wide range of interaction and understanding the nature of the hydrogen bond appears to be elusive. ${ }^{23}$ Very strong hydrogen bonds resemble covalent bonds whereas a very weak hydrogen bond resembles van der Waals interaction. This is the reason for having a wide range of hydrogen bond energy. The typical energy range of hydrogen-bonding is $3-40 \mathrm{kcal} / \mathrm{mol}$, whereas typical chemical bond energy is in the range $50-100 \mathrm{kcal} / \mathrm{mol}$. The vast range of interaction makes defining the hydrogen bond comparatively difficult as the contribution of different forces may be different as we go to different hydrogen-bonding systems. A complete knowledge of the nature of hydrogen bonding interaction would help us to predict how the nature of the interaction changes when we change the interacting partner. However, it is difficult to extract information about the nature of interaction from the condensed phase data because of many body effects. The spectroscopy in the isolated condition in the gas phase provides information about the structure and dynamics of the molecular pairs in isolation. This thesis employs the tool of Fourier Transform Microwave

Spectroscopy (FTMW) to study hydrogen bonded dimers in supersonic beam and the focus is on the interaction of hydrogen bonded complexes of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ with $\pi$ system. The next section gives a very brief introduction to the molecular clusters of $\pi$ system and it also touches on the interaction of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ with the aromatic and aliphatic $\pi$ electron density.

## I.C. Molecular clusters of $\boldsymbol{\pi}$ system

Molecular clusters of $\pi$ systems find their applications in many diverse fields. These are encountered in many chemical systems and chemical reactions. ${ }^{27}$ They occur in many biological systems, in aerosols ${ }^{28}$ etc. Many binding motif such as cation- $\pi^{29}$, aminoaromatic $^{30}$ and polar- $\pi$ interactions ${ }^{31}$ are crucial in molecular recognition and conformational folding dynamics etc. The fundamental questions of interests are a) which components of the interaction energy are most dominating in these complexes? b) How does the nature of the substituents vary the interaction energy components? c) Is there any difference between the aliphatic and aromatic $\pi$ cloud as a hydrogen bond acceptor? The nature of the interaction varies depending on the interacting partner. Thus, the major component of the interaction energy in case of the complexes where a nonpolar molecule interacts with the $\pi$ cloud is dispersive. In case of the complexes of Ar with benzene system, the Symmetry Adapted Perturbation Theory (SAPT) calculations of the angular dependence of the interaction energy term showed that the exchange repulsion is the smallest at the center of the ring where the dispersion effect is larger over the carbon sites. ${ }^{27}$ In fact the geometry of Ar $\bullet \bullet \mathrm{C}_{6} \mathrm{H}_{6}$ indicates that argon sits just on top of the ring center. ${ }^{31,32}$ Thus though the main stabilizing component of the complex is dispersion and induction, the repulsive exchange repulsion term directs the argon towards the center of the ring. In case of the fluorobenzene $\cdot \cdots \mathrm{Ar}$ and difluorobenzene•••Ar dimers, the argon atom is located on the top of the ring. ${ }^{33}$ It has been found that that dispersion is maximized on the top of the ring and it is the dominating force in the interaction energy. Thus, the interplay of dispersion and the exchange repulsion determines the geometry of the complexes of the rare gas with the aromatic $\pi$ clouds. On the other hand, the geometry of ethylene $\cdots \cdot \mathrm{Ar}$ systems is the one where the

Ar atom is in the plane of ethylene and is was concluded by these authors that the rare gas atoms favor to go to the sites of the lowest electron density in the molecule. ${ }^{34}$

Kim, Tarakeshwar and Lee suggests that, Dewar was the first to suggest that $\pi$ complexes can act as a proton acceptor in $1946 .{ }^{27}$ However, Jatkar and co-workers presented the evidence of hydrogen bonding in benzene in $1943 .{ }^{35}$ The earliest theoretical calculation involving a ' $\pi$ hydrogen bond' in water-formaldehyde system was carried out by Morokuma. ${ }^{36}$ It is to be noted that in case of the molecules which have polar $\pi$-cloud, the interaction often happens through the lone pair electrons whereas the molecules which have nonpolar $\pi$ cloud like ethylene and benzene, the interaction of the hydrogen happens through the $\pi$ cloud. Dispersion also plays a major role in case of the complexes of benzene with methane which possesses $\mathrm{C}-\mathrm{H} \cdots \cdot \pi$ hydrogen bond. ${ }^{27,37}$ Benzene forms a similar $\pi$ hydrogen bonded complex with polar molecule like HF, however there is a substantial increase in the electrostatic contribution and there is a decrease in the dispersive contribution. ${ }^{27,38}$ This variation of the nature of the dominating forces is essential to the understanding of the structure and binding a priori.

The interaction of $\mathrm{H}_{2} \mathrm{O}$ with the $\pi$ system can act as a model of hydrophobic interaction. The binding with $\mathrm{H}_{2} \mathrm{O}$ can be more complex when the substituents on the benzene ring are changed. The role of water may be as a donor in some cases and it may act as an acceptor in some cases. A simple example is that benzene forms a $\pi$ hydrogen bonded complex with $\mathrm{H}_{2} \mathrm{O} .{ }^{39,40}$ However the hexafluorobenzene forms a complex where the oxygen atom is facing the $\pi$ cloud in benzene. ${ }^{41,42}$ Investigation on the water complexes of fluorobenzene and difluorobenzene showed that water resides in the plane donating its hydrogen atom to the fluorine atom..$^{43,44}$ A number of complexes of water with aromatic systems have been studied such as benzene $\cdot \bullet \cdot \mathrm{H}_{2} \mathrm{O},{ }^{39,40}$ phenol $\cdot \bullet \cdot \mathrm{H}_{2} \mathrm{O}^{45,46}$, catechol $\bullet \bullet \mathrm{H}_{2} \mathrm{O}^{47}$, benzylalcohol $\bullet \bullet \mathrm{H}_{2} \mathrm{O}^{48}$, benzonitrile $\cdots \cdot \mathrm{H}_{2} \mathrm{O}^{49-51}$, pyridine $\cdots \cdot \mathrm{H}_{2} \mathrm{O}^{52}$, fluorobenzene $\cdots \cdot \mathrm{H}_{2} \mathrm{O}^{44}$, difluorobenzene $\cdot \cdots \mathrm{H}_{2} \mathrm{O}^{44}$, aniline $\cdot \cdots \mathrm{H}_{2} \mathrm{O}^{53}$, anisole $\cdot \cdots \cdot \mathrm{H}_{2} \mathrm{O}^{54,55}$, indole $\cdot \bullet \mathrm{H}_{2} \mathrm{O}^{56}$ etc. and very recently the Infrared-UV double resonance studies on phenylacetylene $\bullet \bullet \mathrm{H}_{2} \mathrm{O}^{57}$ and fluorophenylacetylene $\bullet \bullet \mathrm{H}_{2} \mathrm{O}^{58}$ complexes. Most of them have been subjected to the microwave investigations and their structures are known without any ambiguity. ${ }^{39,40,44,45,46,49-51,53,55,56}$ The interactions of the $\mathrm{H}_{2} \mathrm{O}$ molecules with these $\pi$ systems are diverse as indicated by these studies. Substituted benzene rings
provide many possibilities to the incoming water molecule. An important question to ask is whether the $\mathrm{H}_{2} \mathrm{O}$ binds to the phenyl $\pi$ cloud or the interaction is through the substituent. In most of the cited complexes above, the interaction is through the substituents except benzylalcohol $\cdot \cdots \mathrm{H}_{2} \mathrm{O}$ (the microwave spectroscopic studies are not yet known). Among the complexes of aliphatic $\pi$ cloud with $\mathrm{H}_{2} \mathrm{O}, \mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{O}{ }^{59,60}$ and $\mathrm{HCCH} \cdot \cdots \mathrm{H}_{2} \mathrm{O}^{61,62}$ are known and have been subjected to microwave investigation. ${ }^{59,60,61}$ In case of $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$, water forms $\pi$ bond with ethylene whereas in $\mathrm{HCCH} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$, water acts as a hydrogen bond acceptor. These investigations on the water complexes with $\pi$ system help to understand the interaction of water with the organic compound and hence, the phenomenon of hydrophobic interaction which is essential to the understanding of many biological phenomena that take place in water.

Compared to the water complexes of $\pi$ system, the complexes of $\mathrm{H}_{2} \mathrm{~S}$ with $\pi$ system are scarce. The only microwave investigation where $\mathrm{H}_{2} \mathrm{~S}$ has been known to interact with $\pi$ electron system is benzene $\cdots \cdot \mathrm{H}_{2} \mathrm{~S}^{63}$ Its structure is similar to the benzene $\cdot \bullet \mathrm{H}_{2} \mathrm{O}$ complex. However, there is no experimental data available on the interaction of the $\mathrm{H}_{2} \mathrm{~S}$ with aliphatic $\pi$ cloud. The complexes of $\mathrm{H}_{2} \mathrm{~S}$ with the $\pi$ cloud can be interesting as here in case of the second row hydrides, the dispersion may come into play whereas in case of $\mathrm{H}_{2} \mathrm{O}$ complexes, the electrostatics play the main role. Some recent theoretical studies have probed into this. ${ }^{64,65}$ Thus the change from $\mathrm{H}_{2} \mathrm{O}$ to $\mathrm{H}_{2} \mathrm{~S}$ may change the type of interaction leading to different structure and dynamics. Hence, a detailed structural and dynamical probing of these complexes by experimental means is a prerequisite to the understanding of the forces acting in these complexes.

## I.D. Microwave Spectroscopy

Microwave Spectroscopy can give enormous wealth of information about the molecular structures. The rotational constants which have inverse dependent on the moment of inertia can be determined with very high accuracy with this technique. The moments of inertia depend on the mass and the distance of each of the atom from the axes of rotation. Thus by extracting highly accurate rotational constants one can get highly accurate structure. The pattern of the observed spectrum is different depending on the symmetry of the moment of inertia ellipsoid for that molecule. Depending on the symmetry of the
moment of inertia the molecules are divided into four classes: 1) Linear 2) Symmetric Top 3) Asymmetric Top and 4) Spherical Top. In general, rotational spectra can be seen only for the first three types as the spherical top does not have a permanent dipole moment. The detailed theory of the rotational spectra for these different classes is not discussed here and can be found elsewhere. ${ }^{66,67}$ This section gives a very brief summary of the information that we can gain from the microwave spectra.

Very accurate structural information can be extracted from the microwave spectra if a large set of isotopic data are available. The accuracy of the extracted parameters may be limited due to the vibrational effects. There are several procedures to fit the structural parameters to the moment of inertia of all the isotopes. All of these procedures give different structural parameters. Thus, the equilibrium bond lengths $\left(r_{e}\right)$ may be deduced by the correction for the effects of vibrations including the zero point vibrations. The effective bond lengths ( $r_{0}$ ) can be calculated from fitting the vibrationally averaged rotational constants to an effective structure. The substitution bond lengths ( $r_{s}$ ) can be derived from isotopic substitution method. The mass dependent bond lengths ( $\mathrm{r}_{\mathrm{m}}$ ) can be derived from a large number of isotopic species by a first-order treatment of isotopic effects. When a large set of isotopic data are available, the iterative least-squares fit of the inertial moments is the preferred method.

The substitution method would be a preferred one when only limited set of isotopic data are available. By the help of the Kraitchman's equations, ${ }^{68}$ one can calculate the position of the substituted atom from the center of mass. For a linear molecule and for a symmetric top molecule with a substitution on the symmetry axis, the distance of the particular atom from the center of mass is given by:

$$
\begin{equation*}
|z|=\left[\frac{1}{\mu}\left(I_{x}^{\prime}-I_{x}\right)\right]^{1 / 2}=\left[\frac{1}{\mu}\left(I_{y}^{\prime}-I_{y}\right]^{1 / 2}\right. \tag{3}
\end{equation*}
$$

Here, $I_{x}{ }^{\prime}$ and $I_{x}$ are the moment of inertia of the substituted species and the parent species respectively. $\mu$ is the reduced mass of the molecule and $|Z|$ is the distance of the substituted atom from the center of mass of the molecular system in question.

For a symmetric top molecule, an off axis substitution converts the molecule to an asymmetric top. Let $Z$ be the symmetry axis and the atom is in the $Y Z$ plane. The

Kraitchman equations to find out the co-ordinates for the substituted atom from the center of mass are given by:

$$
\begin{align*}
& |y|=\left[\left[\frac{\Delta I}{\mu}\right]\left(1+\frac{\Delta I_{y}}{I_{y}-I_{z}}\right)\right]^{1 / 2}  \tag{4}\\
& |z|=\left[\left[\frac{\Delta I_{y}}{\mu}\right]\left(1+\frac{\Delta I_{z}}{I_{z}-I_{y}}\right)\right]^{1 / 2} \tag{5}
\end{align*}
$$

Here, $\Delta \mathrm{I}_{\mathrm{x}}, \Delta \mathrm{I}_{\mathrm{y}}$ and $\Delta \mathrm{I}_{\mathrm{z}}$ are the changes in moment of inertia after substitution, $\mu$ is the reduced mass for the isotopic substitution.

For a planar asymmetric top molecule, the co-ordinates for the substituted atoms from the center of mass can be found by

$$
\begin{align*}
|x|= & {\left[\left[\frac{\Delta I}{\mu}\right]\left(1+\frac{\Delta I_{x}}{I_{x}-I_{y}}\right)\right]^{1 / 2} }  \tag{6}\\
|y|= & {\left[\left[\frac{\Delta I_{x}}{\mu}\right]\left(1+\frac{\Delta I_{y}}{I_{y}-I_{x}}\right)\right]^{1 / 2} }  \tag{7}\\
& |z|=0 \tag{8}
\end{align*}
$$

For a general asymmetric rotor, it is convenient to use the planar moments of inertia rather than the moments of inertia. The planar moments of inertia and the moments of inertia are related to each other by the following relation:

$$
\begin{equation*}
P_{x}=\frac{1}{2}\left(-I_{x}+I_{y}+I_{z}\right) \tag{9}
\end{equation*}
$$

and so on. The co-ordinates of the substituted atom from the center of mass is given by:

$$
\begin{equation*}
|x|=\left[\frac{\Delta P_{x}}{\mu}\left(1+\frac{\Delta P_{y}}{I_{x}-I_{y}}\right)\left(1+\frac{\Delta P_{z}}{I_{x}-I_{z}}\right)\right]^{1 / 2} \tag{10}
\end{equation*}
$$

$$
\begin{align*}
& |y|=\left[\frac{\Delta P_{y}}{\mu}\left(1+\frac{\Delta P_{z}}{I_{y}-I_{z}}\right)\left(1+\frac{\Delta P_{x}}{I_{y}-I_{x}}\right)\right]^{1 / 2}  \tag{11}\\
& |z|=\left[\frac{\Delta P_{z}}{\mu}\left(1+\frac{\Delta P_{x}}{I_{z}-I_{x}}\right)\left(1+\frac{\Delta P_{y}}{I_{z}-I_{y}}\right)\right]^{1 / 2} \tag{12}
\end{align*}
$$

Here, $\Delta P_{x}=\frac{1}{2}\left(-\Delta I_{x}+\Delta I_{y}+\Delta I_{z}\right)$ and $\Delta \mathrm{I}_{\mathrm{x}}=\mathrm{I}_{\mathrm{x}}{ }^{\prime}-\mathrm{I}_{\mathrm{x}}$ is the change in the principal moment of inertia due to isotopic substitution. Distance of the substituted atom from the center of mass is given by:

$$
\begin{equation*}
|r|=\left[\left(\frac{1}{2 \mu}\right)\left(\Delta I_{x}+\Delta I_{y}+\Delta I_{z}\right)\right]^{1 / 2} \tag{13}
\end{equation*}
$$

For the substitution of an atom on a symmetry plane which is a principal inertial plane (may be taken as the $x y$ plane), $\quad \Delta \mathrm{P}_{z}=\left(\Delta \mathrm{I}_{x}+\Delta \mathrm{I}_{y}-\Delta \mathrm{I}_{z}\right) / 2=0$ and

$$
\begin{align*}
& |x|=\left[\frac{\Delta P_{x}}{\mu}\left(1+\frac{\Delta P_{y}}{P_{y}-P_{x}}\right)\right]^{1 / 2}  \tag{14}\\
& |y|=\left[\frac{\Delta P_{y}}{\mu}\left(1+\frac{\Delta P_{x}}{P_{x}-P_{y}}\right)\right]^{1 / 2} \tag{15}
\end{align*}
$$

Nuclear hyperfine coupling such as quadrupole coupling produced by $\mathrm{D}, \mathrm{Cl}$ and N nuclei and spin-spin coupling produced by $\mathrm{H}, \mathrm{F}$ etc. provide the information regarding the orientation of two monomers with respect to each other in the complexes.

If one or more number of nuclei in the molecule have nuclear spin, $\mathrm{I} \geq 1$ nuclear hyperfine structure is observed in the rotational spectrum. The non-spherical distribution of nuclear charge gives rise to nuclear quadrupole moment. The non-spherical distribution of electronic charge about the nucleus gives rise to an electric field gradient at the nucleus. The quadrupole moment of the nucleus interacts with the electric field gradient at the nucleus. No such interaction will be observed if either the nuclear charge distribution or the electric field distribution around the nucleus is spherical. The
quadrupole coupling produced by $\mathrm{D},{ }^{35} \mathrm{Cl},{ }^{37} \mathrm{Cl}$ and N nuclei provide the information regarding the orientation of two monomers with respect to the principal inertial axes system of the complex. There can be other kinds of coupling between the spins such as the coupling of spins of H and F (both have $\mathrm{I}=1 / 2$ ). This kind of coupling is known as spin-spin coupling and gives rise to splitting in the spectra.

Apart from the highly accurate rotational constants, distortion constants can also be extracted from the spectra. The distortion constant $D_{J}$ can give information about the binding strength in these complexes. The Stark effect measurement can give accurate dipole moments of these complexes. The information obtained from the rotational spectroscopy is not only limited to structure. The information about the ground state dynamics can also be gained from the spectrum. The molecules often exhibit large amplitude motions such as in ethane $\left(\mathrm{H}_{3} \mathrm{C}-\mathrm{CH}_{3}\right)$, one $\mathrm{CH}_{3}$ group rotates with respect to the other about the $\mathrm{C}-\mathrm{C}$ bond. This kind of motion typically converts one configuration to other energetically equivalent minima. The presence of such kind of motion can cause splitting in the spectra. In case of weakly bound complexes which have floppy potentials, there are large amplitude motions which can cause splitting. The barrier heights for these motions can be extracted from the spectra if the direction of the dipole moment changes during the motion. However, if the direction of the dipole moment does not change during the motion, barrier height cannot be extracted directly from the spectra. Further, the intensities of the observed transitions can differ depending on which rotationaltorsional state it arises from. This depends on the nuclear spin statistical weights of that particular level. Molecular Symmetry Group analysis for different motions can be performed to match experimental intensity pattern with the calculated statistical weights. ${ }^{69,70}$ These dynamical informations help to understand the shape of the bottom of the potential energy surface.

## I.E. Pulsed Nozzle Fourier Transform Microwave Spectrometer

It has been emphasized in last sections that the accurate structural determination of the van der Waals and hydrogen bonded complexes are essential to the understanding of the fundamentals of the intermolecular forces. The technique of microwave spectroscopy in the supersonic beam is the best in terms of an unambiguous structural determination of
these complexes. Balle and Flygare were the first to make these studies feasible by combining the technique of Fourier Transform Microwave Spectroscopy with the supersonic molecular beam technique. ${ }^{71}$ The supersonic expansion helped in the formation and stabilization of these weakly bound complexes. Further, it also helped to avoid the spectral congestion as in general only the ground vibrational state and lower rotational states are occupied in the expansion. Both sensitivity and resolution are attained by the combination of Fourier Transform Microwave Spectroscopy with the supersonic beam technique. The very first weakly bound complex that was observed by this technique was $\mathrm{Ar} \cdots \mathrm{HCl}$, which had previously been studied by Molecular beam Electric Resonance technique. ${ }^{72}$ Since then, this technique has found wide applications to study the structure and dynamics of many interesting classes of molecules. In our laboratory, a Pulsed Nozzle Fourier Transform Microwave Spectrometer has been fabricated and has been used to record the spectra of the complexes described in this thesis. ${ }^{73}$ The technique is described in detail in Chapter II.

## I.F. Present Investigations

In this thesis, the rotational spectra of three weakly bound complexes $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, phenylacetylene $\cdot \cdot \mathrm{H}_{2} \mathrm{O}$ and phenylacetylene $\cdot \cdot \mathrm{H}_{2} \mathrm{~S}$ and their isotopologues have been recorded using the Pulsed Nozzle Fourier Transform Microwave Spectrometer (PNFTMW). The observed rotational spectra have been assigned. The structural and dynamical information on these complexes have been analysed in detail. Supportive $a b$ initio calculations have been done on these complexes to corroborate the experimental data. Chapter II briefly discusses the experimental and theoretical techniques. Chapter III discusses the rotational spectra, structure, dynamics of eight isotopologues of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ complex. The rotational spectra and structure of phenylacetylene $\cdots \cdot \mathrm{H}_{2} \mathrm{O}$ complex have been discussed in chapter IV. Chapter V of this thesis discusses the rotational spectra and structure of phenylacetylene $\cdot \cdots \mathrm{H}_{2} \mathrm{~S}$ complex. Apart from these, a dynamical criterion to call a weakly bound complex as 'hydrogen bonded' has been proposed based on the calculations for four model systems $\mathrm{Ar}_{2} \cdot \bullet \mathrm{H}_{2} \mathrm{O}, \mathrm{Ar}_{2} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$, $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{H}_{2} \mathrm{~S}$. This criterion has been discussed in chapter VI of this thesis.

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## Chapter II

## Experimental and Theoretical Methods

## II. A. Introduction

Pulsed Nozzle Fourier Transform Microwave Spectroscopic (PNFTMW) technique was developed by Flygare and co-workers in 1979. ${ }^{1}$ Traditionally, the spectroscopy in the Microwave region is inherently less sensitive compared to other regions such as Infrared or UV-visible. This is because the population difference between the ground and excited state is very small. However, invention of PNFTMW technique enhanced the sensitivity and resolution both ${ }^{2}$ which made the detection of the complexes having very low dipole moment such as Ar $\bullet \bullet N e$ possible. ${ }^{3}$ With time, there are many modifications which have been introduced into the technique which has increased the range of the molecular systems which can be studied by this technique. ${ }^{3,4}$ In our laboratory, a Balle-Flygare type spectrometer has been set up and its details and performance can be found elsewhere. ${ }^{5,6}$ However, some description of the components has been given in this chapter.

## II. B. Design of PNFTMW Spectrometer

## II. B.1. Mechanical design

The mechanical design of the Fourier Transform Microwave spectrometer is shown in Figure II.1. The spectrometer consists of a Fabry-Perot cavity which is housed by a vacuum chamber. This vacuum chamber is cylindrical in shape and made of stainless steel, SS 304. The length of the vacuum chamber is 1000 mm long whereas the diameter is 850 mm . The chamber is directly seated on top of the 20 " diffusion pump (Vacuum Techniques, Bangalore, India). The pumping speed of the diffusion pump is $10,0001 \mathrm{~s}^{-1}$ and it is backed by a roots blower (Boc Edward, EH 250) and a belt-less rotary mechanical pump (Boc Edward, E2M80). The combined pumping speed of the backing pumping system is $\sim 40001 \mathrm{~min}^{-1}$. The chamber can be evacuated to $10^{-6}$ Torr. The diffusion pump is water-cooled and a closed circuit water circulation facility includes a water circulation pump, a cooling tower cum water reservoir to keep the water at room temperature. Inside the chamber, two spherical Aluminium mirrors are mounted coaxially on 3 SS guide rods. The mirrors were made from 65 mm thick Aluminium disks with a diameter of 500 mm . The radius of curvature of both the mirrors is 800 mm and the surface roughness and the radius were good to 1 micron. The distance between the
mirrors could be varied in steps of microns between 630 and 730 mm . The low frequency cut-off for the spectrometer is about 3.8 GHz which is determined by the radius of the mirror (a) and its radius of curvature (R). The low frequency limit of the spectrometer is the one at which the Fresnel number is unity: ${ }^{7}$

$$
\begin{equation*}
\mathrm{a}^{2} / \mathrm{R} \lambda=1 \tag{1}
\end{equation*}
$$



Figure II.1. Mechanical design of the PNFTMW spectrometer

However the spectrometer operates well within the range $2-26 \mathrm{GHz}$ and the spectrum of $\mathrm{Ar}_{2} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{~S}^{6}$ complex has been collected at 2447.8427 MHz in our laboratory. The movable mirror is fixed with a micrometer controlled fine pitch screw rod and it is driven
by a synchronized stepper motor (103H8221-5041, Sanyo Denki, Japan). The linear screw rod has a pitch of 5 mm i.e. the linear distance covered by the mirror for a $360^{\circ}$ rotation is 5 mm . The stepper motor, in high-resolution mode, takes 4000 steps for a complete rotation and thus the mirror moves in steps of $1.25 \mu \mathrm{~m}$. The original design used the stepper motor driver (PMM-BA-4803). However, during this thesis work, we used a stepper motor driver from MicroLogix, embedded systems Ltd (MSB-403) for some part of the work.

The movable mirror has a 10 mm hole at the center. A pulsed nozzle (General Valve, USA, Series 9) of 0.8 mm diameter is connected with a stainless steel tube of $1 / 4$ inch OD and is placed at the movable mirror. The trigger to open and close the nozzle is fed through a pin connector, which is sealed with a ' O ' ring and a clamp. A coaxial cable runs through the supporting tube with an SMA female connector at the mirror end. This cable has a hermetically sealed SMA connector at the other end so that the microwave power can be coupled in and out of the cavity at vacuum. The SMA connector goes through a small hole at the center of the mirror and an antenna (L-shaped bent wire made from the central wire of the coaxial cable) can be placed at the connector. Antennas of different lengths are used for different frequency range. The length ( L ) of the antenna and the wavelength $(\lambda)$ of the radiation are related as

$$
\begin{equation*}
L \approx \lambda / 4 \tag{2}
\end{equation*}
$$

This is a good enough approximation to make antenna for a particular frequency region having the range extended by few GHz on both side of central frequency corresponding to $\lambda$. Using 3-4 antennas of different lengths one could cover the entire range of the spectrometer, 2-26.5 GHz.

## II. B.2. Electrical design

The electrical design of the spectrometer which is used for the polarization and detection of molecular signal is shown in Figure II.2. The microwave source is a frequency synthesizer (\#1 in Figure II.2, HP 83630L, 13 dBm power), which can generate any frequency between 10 MHz and 26.5 GHz to 1 Hz accuracy. The output from the synthesizer (at $v$ ) is routed to a single pole double throw (SPDT) switch (\#7, Sierra Microwave Technology, SFD0526-001, Isolation 60 dB ), from which the output either
goes through a single side band generator (\#5 Miteq, SM-0226-LC1A) or an image rejection mixer (\#11 Miteq, IR-0226-LC1A). The SSBM mixes the synthesizer output at $v$ with a synchronous 30 MHz signal (Stanford Research Systems DS345) and generates $v+30 \mathrm{MHz}$ signal. This signal is amplified by a medium power amplifier (\#6, Miteq, JS3-02002600-5-7A) with a gain of 24 dB . The amplified signal goes through another SPDT switch (similar to \#7). Both switches work synchronously connecting the polarization and detection parts (top and bottom of the SPDT switches in the Figure II.2), alternatively. During the polarisation, the SPDT output goes through a directional coupler (\#8, Narda, 4227-16) and a DC block (\#18, HP 11742 A) to the antenna inside the chamber. The antenna couples radiation inside the cavity. The microwave pulse has a bandwidth associated with it (typically 1 MHz for $1 \mu \mathrm{~s}$ pulse). If there is any molecular transition within this bandwidth, the molecules will absorb this frequency and will emit $v+30 \pm \Delta$. The same antenna couples the molecular signal out of the cavity to the detection circuit. The molecular signal is detected by double super heterodyne detection scheme. This signal is amplified by a low noise amplifier (\#10, Miteq JS4-02002600-3-5P, noise 2.8 dB , gain 28 dB ) and mixed with the synthesizer signal at $v$ in an image rejection mixer (\#11, Miteq, IRO-0226-LC1A). The IRM gives only the $30 \pm \Delta$ signal, which passes through a band pass filter (\#12, Minicircuits BBP 30) and a low noise amplifier (\#13, Minicircuits, ZFL-500LN). The $30 \pm \Delta$ signal is down converted to $\Delta$ by the RF mixer (\#14, Minicircuits ZAD-1) and a low pass filter (\#15, Minicircuits, BLP-5). This signal $(\Delta)$, generally in kHz range, is amplified and digitized by the virtual scope card (National Instrument, PCI 5112) and transferred to the computer for further processing. Thus digitising the $<1 \mathrm{MHz}$ signal is much easier as it does not need a high speed digitiser and does not need storage of large amount of data. The typical sampling speed that we use is 5 MHz .

During the polarization pulse, if the Fabry-Perot cavity is not tuned to the particular frequency $v+30 \mathrm{MHz}$, most of the mw power is reflected. The directional coupler routes $2.5 \%$ of this reflected signal to the oscilloscope (\#27, Tektronix, TDS 2022) via a diode detector (\#9, Narda, 4507). The moving mirror is moved in steps of
micron until the reflected power shows a dip in the scope. The resonant frequencies, $\nu$, of Fabry-Perot resonator for the $\mathrm{TEM}_{\mathrm{mnq}}$ modes are: ${ }^{3}$

$$
\begin{equation*}
v=\mathrm{c} / 2 \mathrm{~d}\left[(\mathrm{q}+1)+(1 / \pi)(\mathrm{m}+\mathrm{n}+1) \cos ^{-1}(\mathrm{~d} / \mathrm{R})\right] \tag{3}
\end{equation*}
$$

Here, d is the distance between the mirrors and R is the radius of curvature; $\mathrm{m}, \mathrm{n}$ and q are the number of nodes in the three perpendicular axes. Thus, within the maximum variation of the distance between the mirrors ( 100 mm ), several resonances can be observed for a given frequency. As the mirror moves the reflected signal is monitored in the oscilloscope. It is preferable to do the experiment with the cavity tuned to the $\mathrm{TEM}_{00 \mathrm{q}}$ mode at a particular frequency. All the components in our spectrometer are ultra wide-band and the experiment can be performed from 2 GHz to 26.5 GHz without changing any component. The signals from the spectrometer appear as a doublet due to Doppler splitting. As the radiation travels back and forth, the molecular beam faces two relative velocities of the radiation which causes this Doppler splitting of the transitions. The typical resolution of the spectrometer is in sub kHz .

## II. B. 3. Time sequence of the pulses

At the beginning of each cycle, a MW pulse of $0.3-3 \mu$ s is sent to polarize the gas pulse. The microwave pulse forms a standing wave inside the cavity and the decay time for this pulse is typically a few microseconds. There are instances where this delay can go to $40 \mu \mathrm{~s}$ as well. The molecular emission lasts for hundred of microseconds. A delay called 'record delay' is introduced before the digitizing process starts so that the polarizing pulse dies down. The peak to peak amplitude of the standing wave formed by the microwave pulse is $6-8 \mathrm{~V}$ and to digitize a mV amplitude signal in presence of such a high background is not feasible. This is the reason to introduce the delay. After the digitization process is over, the data is stored as noise. Then, the gas pulse of typically 1 ms duration is pulsed within the cavity. The microwave pulse of typically 0.3-3 $\mu \mathrm{s}$ follows this. There is typically a delay of few microseconds before we send the microwave pulse so that the gas molecule comes within the interaction zone of the cavity. However, this delay is taken care of by the processing time of the programme. After sending the microwave pulse, the process of digitization starts again. However, the gas

Figure II.2. Electrical design of the spectrometer. [(1) Frequency Synthesizer (Hewlett Packard, HP83630L); (2) \& (3) Delay generator; (4) Microwave Attenuator (HP, 8493C, 3dB); (5) SSB Mixer (Miteq, SMO-226LC1A); (6) Medium Power Amplifier (Miteq, JS3-02002600-5-7A); (7) MW SPDT Switch (Siarra MW, 0.5-26.5 SFD0526-000); (8)Direction Coupler (Narda, 1.7-26.5--4227-16); (9) Diode Ditector (Narda, 0.01-26.5-4507); (10) Low noise Amplifier (Miteq, JS4-02002600-35P); (11) Image Rejection Mixer (Miteq, IRO-0226LC1A); (12) Band Pass Filter (Mini Circuits, BBP-30); (13) RF Amplifier (Mini Circuits, ZFL-500LN); (14) RF Mixer (Mini Circuits, ZAD-1); (15) Low Pass Filter (Mini Circuits, BLP-5); (16) RF Amplifier (HD Communications Corp., HD 17153BB); (17) Attenuator (Mini Circuits, ZAFT-51020); (18) Blocking Capacitor (HP, 11742A); (19) Stepper motor; (20) Motor Driver; (21) Diffusion Pump, (22) Rotory Pump, (23) 30 MHz. Function Generator (Stanford Research Sustem. D.S345). (24) Distribution Am力lifier (Stanford Research Svistem. F.S710): (25) Antenna: (26) Fxhaust.
pulse resides within the cavity for 2 ms , whereas typical time of acquisition is $100 \mu \mathrm{~s}$. Hence, multiple radiation pulses can be sent for a single gas pulse. This process can be repeated for the desired number of times. Each record collected before sending the gas pulse is subtracted from the corresponding record after sending the gas pulse and is called signal and this signal is stored for further processing.


Figure II.3. The MW pulse and gas pulse sequences of PNFTMW spectrometer

## II.C. Software for the PNFTMW Spectrometer

Earlier the PNFTMW spectrometer in our laboratory was using a code which was based on CVI Lab Windows platform from National Instruments. This code is not compatible with the latest versions of Windows. Hence, an up-gradation of the code was an obvious need to keep up-to-date with the recent developments of the hard-wares which were
incompatible with the previous version of the windows. We chose Lab View 7.1 from National Instruments considering its user friendly environment. The new code which is being used in our laboratory has been fully developed using Lab view 7.1. The main functionalities of the codes are: A. GPIB control of two SRS delay generators and the frequency synthesiser B. Controlling the stepper motor driver via the parallel port of the PC to automate the mirror movement. C. Programming the NI PCI-5112 card for multiple record acquisition and D. Processing and presenting the data for the user. Each of these will be discussed in the next section after a brief introduction of the Labview

Labview is a graphical development programme provided by the National Instruments. It provides built-in functions which can be used to create different applications depending on the needs. Labview programs are called virtual instruments (VIs). The VI has three main parts 1. Front Panel 2. Block diagram and 3.Connectors. The design of Front panel determines how the user interacts with the VI. Front panel displays the inputs and outputs. Through Front Panel, the user can provide inputs to the programmes. The terminology for the inputs and outputs in Labview are 'controls' and 'indicators' respectively. Every control and indicator has a corresponding terminal in the Block Diagram. Block Diagram contains the graphical source code that controls the programme. The synonym of the subroutine in Labview is SubVI. When a VI is run, the values from controls flow through the Block Diagram. These values are used by the functions and the results are passed onto other functions or indicators. The Block diagram contains different nodes e.g. control and indicator terminals, functions, SubVIs, structures etc. Data flow through the wires, which connect these nodes in the Block Diagram and determines the direction of data flow. The nodes will execute when data is available to all the input terminals and it supplies data to the outputs when done. The details of the Labview development software can be found at the National Instruments website and the help manual which comes with the package.

## II.C.1. Parts of the programme

The software which is in current use for the PNFTMW spectrometer has been named as FTMW_final.vi. The front panel of this programme is shown in Figure II.4. The
§ FTMW_Final.vi Front Panel
包
programme mainly uses five other subVIs apart from the Lab view inbuilt VIs. The flat sequence structure of the Labview has been used in the main programme and in all the subVIs. This sequence structure ensures that the sub-diagrams execute sequentially. These subVIs perform several tasks. Functioning of each of the subVI is discussed below.

## II.C.1.a. frequencygpib.vi

This VI is used to write the value to the frequency synthesiser. The frequency synthesiser (HP 83630L) is interfaced via GPIB (General Purpose Interface Bus). The block diagram has two frames in sequence. The function 'GPIB Write' provided by the Lab view is used to write the value to the synthesiser. This function has five input terminals. Four of the inputs are wired. The specified inputs are -1 ) timeout in milliseconds for the write, 2) the GPIB address which is ' 1 ' for this device, 3 ) the data to be written to the device and 4 ) the mode of ending the GPIB write. The data to be written is sent as a string. The input value for the frequency is appended to "FREQ" and the data is fed to the 'GPIB write' function. After the execution of the first frame of the sequence, the 'EnableLocal' function placed in the second frame is executed. This function takes the synthesiser back into the 'local' mode from the 'remote' mode which enables the user to enter data from the keys if needed.

## II.C.1.b. mwpulsegpib.vi

This VI is used to communicate with the delay generator which is used to send the radiation pulse. The communication is via GPIB. This delay generator can generate nine outputs $T_{0}, A, B, C, D, A B,-A B, C D$ and $-C D$, five delays and four pulses. $T_{0}$ defines the start of the timing cycle. The delay generator can be triggered internally or externally. Once triggered, the timing cycle starts according to the delays set in different channels. AB and -AB are two pulses of opposite polarity and are generated as specified by the intervals between delays of two channels A and B. Similarly, the delays set for C and D define the pulse duration of $C D$. The outputs $A B$ and $A B-$ from the delay generator is connected to two SPDT switches which open for the specified amount of time to allow the signal to pass into the polarising circuit or the detection circuit. This VI sets the delay value for the channel A to the desired value. The same function 'GPIB write' is again
used with its four inputs wired as described for the previous VI. The address for this delay-generator is ' 3 '. The value to be written is sent as a string in the form of command DT $\mathrm{i}\{, \mathrm{j}, \mathrm{t}\}$. This command sets the delay of channel i to t seconds relative to channel j . The value assigned to all the channels can be found in the manual for the delay generator. This VI sets the delay of channel A with respect to $T_{0}$. The delay of channel $B$ is preset as "zero" with respect to $\mathrm{T}_{0}$. Thus the delay set to the channel A defines the duration of the microwave pulse. After the execution of the 'GPIB Write' function, the 'EnableLocal' function takes the delay generator back to the local mode.

## II.C.1.c. record-delaygpib.vi

This VI is used to set the delay of channel C of the first delay generator with respect to the channel A via GPIB communication. The same command DT $\mathrm{i}\{, \mathrm{j}, \mathrm{t}\}$ is used to introduce the delay thorough 'GPIB write' function. This delay is called record delay. The output C from the delay-generator is used to trigger the digitizer card. The digitisation starts only after the card receives the trigger from the channel C. Output D triggers the oscilloscope to monitor the reflected signal. This external trigger occurs via the parallel port of the computer and is done by the software. The values for the delays can be set from the Front Panel.

## II.C.1.d. gaspulsegpib.vi

This VI is used to communicate with the delay generator which is used to send the gas pulse. The GPIB address of the device is ' 4 '. The output AB from the second delay generator goes to the pulse driver which drives the nozzle. The VI writes the value of the delays of channels A with respect to $T_{0}$. B is preset as 'zero' with respect to $T_{0}$. This VI is similar to mwpulsegpib.vi.

## II.C.1.e. freqdom.vi

This subVI is used to open an existing data file. It displays the existing time-domain plot and performs Fourier Transform to read and display the frequency domain information. It also displays the frequency at which the spectrum was collected, duration of gas pulse and microwave pulse, record delay, start delay, number of shots averaged, number of
points and the sampling rate of the acquisition in their respective text boxes. When the VI is run, the first frame executes first. The 'File Dialog' function executes and it opens a dialog box where we can specify the path to a file or directory. The file path information selected by the user flows to the next function 'Open datalog', which enables the user to open an existing file. The reference number information of the opened file is passed onto the next function 'Read datalog' which reads the records. The output from this function is returned as a cluster and then split into different elements. These elements have all the information about the frequency, gas pulse, microwave pulse etc. and the values are fed into the text box indicators to display for the user. It also returns the points collected during the acquisition which goes as an input to the 'Power Spectrum.vi' and the averaged auto power spectrum is returned. The magnitude of the auto power spectrum is plotted along the $y$-axis. The frequency scale is plotted along the $x$-axis. For the $x$-axis, the start frequency $f_{0}$ is 'zero' and the resolution of the spectrum (df) is in kHz , which can be calculated based on the number of points and the sampling frequency. These informations are plotted and displayed for the user. The time-domain points are also fed into the 'Plot Waveform.vi' and the FID is plotted as such. Then the second frame starts executing. This frame has an event structure inside a while loop. The event is specified as the release of the mouse on the button labelled as 'OPEN FILE'. When the event loop is executed a similar sequence as described in the first frame is executed and the loop continues and the programme again waits for the event to occur. This VI can be stopped by pressing the 'abort execution' button directly.

## II.C.2. Main programme: FTMW_final.vi

The main body of the current programme FTMW_final.vi uses all the five sub VI s described above. Apart from these, it also has different subparts which can execute in parallel. These subparts involve the programming which controls the mirror movements, data acquisition by NI scope digitizer card (PCI 5112). All of these parts use several subVIs provided by the Lab View. These different parts are described one by one. Each of different sub parts are kept within a while loop and can be executed multiple times in a single session without restarting the programme.

## II.C.2.a. Mirror Movement Control

The mirror distance can be varied from 63 to 73 cm in order to tune the cavity for a particular frequency. The movement of the mirror is controlled by the stepper motor driver. The stepper motor driver is controlled by the software through the parallel port. The whole programme is within a while loop structure. The while loop structure has two sequential frame structures inside. The first frame has an event structure. The event structure executes whenever the user changes the value of the Boolean control 'move mirror outside/inside'. If the value of the boolean control is changed from false to true, the mirror moves inside whereas if the value of the control is changed from true to false, the mirror moves outside. The event has a case structure within it. If the value of the boolean control is read as 'true' after the user click, the programme checks if the value read at the "mirror position" control is less than 63.5 cm . If this is true, the programme does not execute. If this is false, a while loop structure executes which uses the outport.vi to send write bytes to the parallel port. The bytes written to the parallel port for moving the mirror inside (Sanyo driver, PMM-BA-4803) is 00001000 . After writing this value, the function rewrites 00000000 again. This completes one trigger event. At each trigger, the distance between the mirrors deceases by 0.00125 cm . At each step, the "mirror position" controls is updated by the programme. The rate of writing bytes to parallel port has been kept as 10 ms in the programme. At the beginning of each step, the programme checks if the value of the boolean control "move mirror" is changed to true or if the "Mirror Stop" button has been clicked by the user. If either of this is true, the execution stops. On the other hand, if the value of the boolean control "Move mirror" is read false after the user click, the mirror moves outside and for moving mirror outside, the bytes written are 00000100 . After writing this value, the function rewrites 00000000 again and thus completes one trigger event. Here, the mirror will not move if the distance between the mirror is more than 72.5 cm . The algorithms for moving mirror in both directions are the same. There is a provision in the software where we can move the mirror in steps. When the user presses the up and down cursor keys, the mirror moves inside or outside step by step. This is helpful to move the mirror slowly near the resonance.

The bytes written to the parallel port are different for MSB-403 stepper motor driver as the pin configuration is very different than the Sanyo driver. The bytes written to the parallel port for moving the mirror inside are 00001100 and 00001000 sequentially. For moving the mirror outside, the values 000001000 and 00000000 are written sequentially.

## II.C.2.b. Data acquisition

The programme can acquire data in two modes 1) average and 2 ) autoscan. In average mode, the programme is used to average the FID at a particular frequency. In the 'autoscan' mode, the frequencies are scanned over a range. Thus, the entire data acquisition part is within a case structure. When the user clicks on the START button, the event structure executes. Now depending on whether the selected mode is autoscan or average, either of the case (Case 0 for autoscan or Case 1 for average) gets executed.

1. Average: At first, the 'niScope Initialize.vi' opens a new session to the digitiser and returns an instrument handle. This handle is specific to the digitiser card. The next function 'niScope Configure Acquisition.vi' defines the type of acquisition for the digitiser whether normal or flexible. Parameters such as number of points, number of records, maximum sampling rate, reference point (the position of the reference event as a percentage of the acquired waveform) are configured via 'niScope Configure Horizontal Timing.vi'. The function 'niScope Configure Chan characteristics' configures the channel and the electric properties of the signal such as 'input impedance' and maximum input frequency etc. 'niScope configure vertical' function chooses whether the coupling is $\mathrm{AC}, \mathrm{DC}$ or ground. The function 'niScope Configure Trigger Digital.vi' sets the trigger source and the trigger slope etc. Then the programme enters the main while loop (may be called as the data acquisition loop) structure for the acquisition which continues till the user specified 'number of shots' are exhausted or until the user clicks the Boolean button labelled as 'STOP'. This main 'while loop' structure contains 'flat sequence' structure, where the frames are executed sequentially. The first frame executes 'niScope Initiate Acquistion.vi' which makes the digitiser ready to receive the trigger. The second frame does the job of sending triggers to the first delay generator. This frame basically
does the job of multiple-acquisition. This frame contains a loop structure which executes as many number of times as specified by the number of records. What it does basically is triggering the delay generator for MW pulse multiple times. Each time the delay generator is triggered, its timing cycle is executed and the digitiser receives a trigger. Triggering the delay generator is done via the parallel port. The function 'outport.vi' does this job. This function writes bytes to the pin which is connected to the first delay generator. Here, the value to be written is ' 00000001 '. The next step for this function is to clear all the values. Then the programme waits for some time. An artificial delay is created before the loop starts again. The purpose is to wait for the acquisition by the card to be completed. The problem is that the delay functions provided by the Labview cannot create delay $<1 \mathrm{~ms}$. This is of no use to us as this will negate the usefulness of the multiple -acquisition for a single gas pulse as the gas pulse would escape the cavity by 2 ms . This creation of the artificial delay basically involves a while loop. This delay depends on the sampling frequency and the number of points for the acquisition. Suppose, we are using 5 MHz sampling rate and 512 points for the acquisition, then this loop should create a delay which should be more the $102.4 \mu$ s. Different delay-time can be created entering different values to textbox control specified as 'multidelay'. This is basically related to the number of times the while loop executes. In a test with a 1.8 GHz Pentium IV PC, it was noted that this value is 1 for 256 points and 5 MHz sampling rate, 2 for 512 points and 5 MHz sampling rate, 4 for 1024 points and 5 MHz sampling rate. This value will change as we move to a faster processor and should be confirmed by the user before running the experiment. As the required number of records are acquired the function executes the while loop where the function 'niScope Acquisition Status.vi' is placed. This function returns a value of 1 if the acquisition is complete and the programme leaves the loop and goes to the third frame.

It is to be noted that if the value of 'multi delay' entered by the user creates a delay time which is less than the required time of acquisition, this function 'niScope Acquisition Status.vi' returns a value of zero and the loop keeps on running infinitely and the programmes does not proceed further. Once, the acquisition status returns a value of ' 1 ', the programme leaves this loop and the data is fetched to the computer. Fetching the data is done by 'niScope Fetch.vi'. This function returns a 2-dimesional array of binary
voltages, where the records are indexed at $0,1, \ldots . . \mathrm{n}-1$. The 'wfm info' output from this function is wired into a 'for' loop and the auto-indexing is enabled. The 'wfm info' returns an array of cluster. Each element of the array is a cluster of eight elements which give information about different parameters of the waveform. The auto-indexing allows processing of each element (here, the elements are clusters) of the array individually. Thus, the parameters for a single record are passed into the loop at a time. These data is converted into scaled voltages using the formula scaled voltage $=($ binary data*gain $)+$ offset. This operation is done for each record and the array of scaled voltages is returned as an output from the loop. This set of data is stored and called 'noise'. Next frame in sequence executes 'niScope Initiate Acquistion.vi' and makes the digitiser ready for the next acquisition. Next, the 'outport.vi' function writes data to the $2^{\text {nd }}$ pin of the parallel port, which is connected to the second delay generator. After receiving the trigger it executes its delay cycle and the AB pulse output from the generator goes to the pulse driver which drives the nozzle. Next frame in the sequence structure executes the while loop for the multiple radiation pulse as was described previously. The same sequence of events as was described during the collection of the noise executes and the data is fetched and stored as an array of scaled voltages as signal. The array of noise is subtracted from the array of signal and is stored. This stored data is fed into the 'Index array' function, This function takes an n-dimensional array and then returns an element or subarray depending on the 'index' input which takes value from 0 to $\mathrm{n}-1$. Here, the 'Index array' function takes the 2-dimensional waveform and returns a record as indicated by the user on the textbox labelled 'DISPLAY FID', which is basically indicating the index of the desired subarray. The returned waveform is displayed in the graph labelled 'Single shot'. The next frame in sequence has a case structure. The case structure has two subdiagrams. Either of them executes at a given time depending on the value wired to the selector terminal is true or false. The value read at the terminator is false if the execution is going on for the first shot and it returns a true value if the value indicated in the textbox labelled 'number of shots over' is more than one. If the selector reads true value, the waveform arrays acquired during the current shot is added to the waveform arrays acquired during the earlier ones and the averaging is performed and the averaged waveform is saved as a two-dimensional array of scaled voltages. This saved waveform
is fed into a 'while loop' in the next sequence. This loop contains a flat sequence structure. First, the 'Index array' function executes. It takes two inputs-1) the averaged waveform array returned from the previous frame and 2) is from the 'shift register'. This 'shift register' is initialised with a value indicated by the user on the textbox control labelled 'Save_start'. The value of this control indicates the index of the subarray returned by the function 'Index Array'. A 'shift register' passes value from iteration to the next iteration. A shift register appears as a pair of terminals, one on the left hand side as a down arrow and the other on the right hand side as an up arrow. After the completion of iteration, the data is stored on the terminal on the right hand side. Labview transfers the data from the right hand terminal to the terminal on the left hand side. The loop then uses the data from the left terminal as the initial values for the next iteration. Thus, here the value of the index keeps on changing from one iteration to the next iteration and the values differ by one unit as the left terminal and the right terminal is wired via an 'Increment' function. During each iteration, the next frame in the sequence structure of this loop adds the current sub-array to the sub-array returned during the previous iteration. Thus finally, the sum of all the FIDs starting from the number indicated in the text box 'Save_start' to the number indicated in the text box control 'Save_end' is performed. This loop stops when the addition of all the FIDs indicated by the user is complete. The sum is saved as a one-dimensional array of voltages. The next frame in the sequence structure of while loop is related to the display options of the graph labelled as 'average'. This frame has a case structure. The selector terminal is connected to a ring control which either reads 0 or 1 . Either of two sub-diagrams is executed depending on whether the value read at the selector is 0 or 1 . This value is controlled by the user. The user can select either of these two options: 1. the average for all the FIDs which can be selected by choosing 'average_all' option. This is assigned to a value of ' 0 ' for the ring control. This option lets the user view the saved one dimensional array obtained by averaging all the FIDs returned from the previous frame 2 . The user can view the average for the nth FIDs of all the gas pulses. n is the selected record acquired for a gas pulse. This option is selected by entering the option 'average_gas' in the ring control. This has been assigned a value of ' 1 '. If user selects the 'average_gas' option the graph displays four waveforms for record number $n$ to $n+4$ averaged over the gas
pulses. The two-dimensional array of scaled voltages is passed onto a while loop as input to the "index array" function. The input "DISPLAY FID" is entered by the user depending on which FID the user would like the programme to display and this value is fed into while loop through the 'shift register'. This is the $2^{\text {nd }}$ input to the "Index Array" function. The "Index array" function returns the selected FID and saves it as "array 1 ". This while loop gets executed a total of four times. At each step the value of the "DISPLAY FID" is increased by one unit and so the next arrays will be saved as "array 2 ", "array 3 " and "array 4 ". Further, the records averaged over the gas pulses can also been seen afterwards if one wishes to. This can be done by clicking on 'VIEW FIDS' button. This executes a subVI which does the function as has been described just now. In the next frame, the "Build array" function appends this four arrays and displays in the 'average' graph as one array. Thus, four consecutive arrays for the gas pulses can be seen in one screen and at times it helps to choose the user to save the FIDs which contain signals and the rest may not be saved. Thus accordingly, the values can be entered in 'Save_start' and 'Save_end' boxes. The next part of the programme saves the two dimensional array of voltages (averaged for the gas pulses) in a new file so that any FID can be viewed later if desired by the user. After the acquisition is over, the delay function 'Time delay' introduces a delay before staring the while loop all over again. This while loop stops if the 'number of shots' are over. After the acquisition is over, the programme displays a dialogue box which prompts the user to create a new file to save the FIDs. As the required number of shots gets over, the programme leaves this loop and the niScope.vi function executes which closes this session for this digitiser. Once, the session is over, all the parameters of the experiment are assembled as a cluster and saved as new file for future reference. This file has been named as 'ram'. The user then saves the data by clicking 'save data' in a new file. This data contains frequency, start delay, MW pulse, gas pulse, record delay, sampling frequency, number of shots, number of points and the 1-D array of saved averages which can later be read and processed by the freqdom.vi.
2. Autoscan: The algorithm of the data acquisition is the same as the 'average mode'. However, there are added features. The other desired inputs the programme would look
for are "frequency step" and the "search length" which is not required during the 'average' mode. As soon as the user clicks on the start button, the information about the previous acquisition is read back in their respective text boxes. The information are frequency, start delay, MW pulse, gas pulse, record delay, number of points and number of shots etc. Next, the programme prompts the user to provide the path for a new file where the data will be saved. The path of the first file is entered by the user. Then the programme enters into a while loop structure which stops when the search length is over. The number of times this loop is executed depends on the search length and the stepsize. The other added features are autosaving of the data and then auto-tuning of the cavity by moving mirror at each step. After entering the main while loop structure, the increment or decrement in the mirror position is calculated by the formula

$$
\begin{equation*}
\Delta \mathrm{d}=-\left(\frac{\mathrm{d}}{v_{0}}\right) \Delta v \tag{4}
\end{equation*}
$$

where d is the current mirror position, $v_{0}$ is the current frequency, $\Delta v$ is the step frequency. Thus the required number of triggers to move the mirror is calculated and the programme sends the triggers to the stepper motor driver. If the mirror distance is less than 63.5 cm or 72.5 cm , this part does not execute. Then, in the loop a new file is created in the location as indicted by the user. As the frequency is changed depending on the step frequency, the file name also changes. Basically the file name has been linked to the index of the while loop. The functions which have been used to give a filename are 'Path to String' function, 'Concatenate string' and 'string to path functions. Thus, the 'path to string' function converts the pathname given by the user to string format. The index of the while loop is also written as a string. Then both of these are combined into one string by the 'Concatenate string' function and then converted back to the path information by the 'string to path' function. At each step of this loop, a new file name is saved as the index of the while loop changes. Then, the programme enters into the 'data acquisition' loop which stops when the number of shots gets over. At each frequency, the data containing all the informations are saved in the new file which has been crated previously. After the search length is over, the information from the last file is saved in a
file which can be read back later whenever the user clicks the 'START' button keeping the mode as 'autoscan'.

## II.D. Sample preparation

The typical carrier gases used in the experiment are argon or helium. Typically 1-3\% of the monomers are mixed with the carrier gas. The ratio would vary depending on the size of cluster. To maintain the flow of the gases, four mass flow controllers (MKS, 1179A) are used. The unit to measure the flow rate is Standard Cubic Centimeter per Minute (SCCM) or Standard Litter per Minute (SLM). Two numbers of 2 channel mass flow meters are used for setting and reading the input flow rate. The samples are mixed with argon or helium in a four-way junction and are expanded from a pressure $0.5-1$ bar to $10^{-6}$ mbar through the nozzle of 0.8 mm diameter to undergo supersonic expansion. Before the expansion, the gas may be described as having a Maxwellian velocity distribution. After the expansion, there is a highly directional mass flow. During the expansion, in the nozzle, lots of binary and ternary collisions take place which cools the internal degrees of freedom of the seeded molecules. As a result of these collisions, the translational, rotational and vibrational degrees of freedom of the molecules get cooled. The translational energy equilibrates at a faster rate than do the rotational and the vibrational energies. Thus, the typical translational temperature attained during this expansion is $0.02-0.03 \mathrm{~K}$ whereas the rotational and the vibrational temperatures are $2-3 \mathrm{~K}$ and $50-100$ K respectively. The random translational energy of the molecules are converted to directional mass flow, which means the velocity distribution narrows and the central peak of the distribution moves towards right. Thus, when the molecules emerge from the nozzle, they are effectively in the collisionless expansion and the weakly bound complexes which are formed during the expansion stabilise in that condition and can be studied. Typically to study samples which are liquids, argon or helium is flown over the sample to carry the gas molecules through the nozzle.

## II.E. $A b$ initio calculations

Ab initio ${ }^{8-11}$ calculations have been done for the complexes studied by PNFTMW spectrometer. These calculations were done to get the optimized geometries, frequencies,
rotational constants and the interaction energies. The relative stability of different minimum on the potential energy surfaces can also be estimated which helped a lot in the search. Most of the calculations have been done using MP2 method while some of the calculations involved CCSD methods as well. The potential energy surface calculations have been done to explore the dynamics on the potential energy surfaces wherever necessary. All the calculations have been done using Gaussian $98^{12}$ and Gaussian $03^{13}$ suites of programmes.

The intermolecular energies for the complexes have been calculated using supermolecular ${ }^{14}$ approach. In this approach, the interaction energy is given by

$$
\begin{equation*}
\Delta \mathrm{E}_{\mathrm{c}}=\mathrm{E}_{\mathrm{c}}-\sum\left(\mathrm{E}_{\mathrm{M}}\right) \tag{5}
\end{equation*}
$$

Here, $E_{c}$ is the absolute energy of the complex and $E_{M}$ are the constituent monomers energies in the complex. However the interaction energy calculated in this manner can have contaminations from the Basis Set Superposition Error (BSSE). ${ }^{15-17}$ The BSSE corrections were done by using the 'counterpoise $=n$ ' key words of the Gaussian. Here n indicates the number of monomer constituents in the complex. This uses the counterpoise method of Boys and Bernardi. ${ }^{18,19}$ Using this keyword also takes care of the monomer distortion in the complex. Thus, the BSSE for a complex where A $\bullet \bullet \bullet$ B can be evaluated from the following equation:

$$
\begin{equation*}
\mathrm{BSSE}=\left[\mathrm{E}_{\mathrm{A}}{ }^{*\{\mathrm{~A}\}}-\mathrm{E}_{\mathrm{A}}{ }^{*\{\mathrm{AB}\}}\right]+\left[\mathrm{E}_{\mathrm{B}}{ }^{*\{\mathrm{~B}\}}-\mathrm{E}_{\mathrm{B}}{ }^{*\{\mathrm{AB}\}}\right], \tag{6}
\end{equation*}
$$

$\mathrm{A}, \mathrm{B}$ are the constituent monomers of the complex. $\mathrm{E}_{\mathrm{A}}{ }^{*}\{\mathrm{~A}\}, \mathrm{E}_{\mathrm{B}}{ }^{*}{ }^{\{\mathrm{B}\}}$ denote the energy of the distorted monomer calculated in the monomer basis set whereas $\mathrm{E}_{\mathrm{A}}{ }^{*}\{\mathrm{AB}\}, \mathrm{E}_{\mathrm{B}}{ }^{*}\{\mathrm{AB}\}$ denote the energy of the distorted monomer in the complex basis set. The CP corrected interaction energy is calculated by:

$$
\begin{equation*}
\Delta \mathrm{E}_{\mathrm{AB}}{ }^{\mathrm{CP}}=\Delta \mathrm{E}_{\mathrm{AB}}+\mathrm{BSSE} \tag{7}
\end{equation*}
$$

## II.E. Atoms in Molecules calculations

$\mathrm{AIM}^{20}$ theoretical calculations have been done on the complexes to characterise the bond critical points and to find out the electron density at the bond critical points (BCP) and the Laplacian of the electron densities at the BCP. Based on AIM theory, Koch and Popelier have given eight criteria to detect hydrogen bonds which were used to
characterise the $\mathrm{C}-\mathrm{H} \bullet \bullet \mathrm{O}$ contacts. ${ }^{21}$ The first two of these criteria are about the electron density at BCP and the Laplacian of the electron density at BCP. According to Koch and Popelier, The $\rho$ value at BCP should lie within the range [0.002, 0.035] au and the Laplacian of the electron density at BCP should lie within the range [0.024, 0.139] au for the hydrogen bonding interaction. Both of these criteria have been used for the complexes studied in this thesis.

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## Chapter III

## Structure and Dynamics of $\mathrm{C}_{\mathbf{2}} \mathrm{H}_{\mathbf{4} 000 \mathrm{H}_{2} \mathrm{~S} \text { Complex }}$

## (Preliminary results from this work have been published as a communication in

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## III.A. Introduction

It has been recognized for long that different physical properties of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ under ambient conditions are a result of their very different 'hydrogen-bonding' capabilities. ${ }^{1}$ $\mathrm{H}_{2} \mathrm{~S}$ has always been regarded as a weaker donor and acceptor of hydrogen bonds compared to $\mathrm{H}_{2} \mathrm{O}$. In order to know these differences, one has to have a microscopic understanding of the origin of these differences. Thus, there are studies which seek to understand these differences via theoretical and experimental means. ${ }^{2,3}$ Of course, one needs to obtain a large set of experimental data which explores different regions of the potential energy surfaces of these complexes to understand them better. Microwave spectroscopic studies can give valuable information about the near-equilibrium structure as well as the dynamics of these $\mathrm{H}_{2} \mathrm{~S}$ complexes in the supersonic beam. Further, it provides a ground for the direct comparison of the $\mathrm{H}_{2} \mathrm{~S}$ complexes with their $\mathrm{H}_{2} \mathrm{O}$ counterpart in an isolated environment and establishes the first step to know and understand the differences or similarities between them. For example, microwave spectroscopic study of $\mathrm{Ar} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}^{4}$ and $\mathrm{Ne} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}^{5}$ complexes exhibit an unusual isotopic effect due to the effect of large amplitude motions. This is because Ar $\bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ is floppier compared to Ar $\cdots \bullet \mathrm{H}_{2} \mathrm{O}^{6}$. The microwave spectrum of $\mathrm{Ne} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ has not been assigned yet and hence, is not available for a direct comparion. ${ }^{5}$

However, relative to the weakly bound complexes of $\mathrm{H}_{2} \mathrm{O}$, the data on $\mathrm{H}_{2} \mathrm{~S}$ complexes are rare. The data on the weakly bound complexes where $\mathrm{H}_{2} \mathrm{~S}$ acts as a hydrogen bond donor is further scarce. As far as our knowledge goes, $\mathrm{C}_{6} \mathrm{H}_{6} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ is the only example to have the $\mathrm{H}_{2} \mathrm{~S}$ act as a hydrogen-bond donor. ${ }^{7}$ Experimental data on these complexes are also essential for the semi-empirical evaluation of the 'hydrogen bond radii' for $\mathrm{H}_{2} \mathrm{~S}$, which has been determined for other $\mathrm{HX}(\mathrm{X}=\mathrm{F}, \mathrm{Cl}, \mathrm{Br}, \mathrm{OH})$, for which extensive data are available. ${ }^{8,9}$ The microwave investigation of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ could be important in this aspect if it has a S-H••• $\pi$ bonded geometry. Moreover, S-H group as hydrogen-bond donor is important in amino acid cysteine and its derivatives. ${ }^{10}$

There exists an earlier theoretical report of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ complex which talked about the $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{S}$ interaction but did not mention anything about the existence of the S$H \bullet \cdots \pi$ bonded geometry. ${ }^{11}$ Several complexes of $\mathrm{C}_{2} \mathrm{H}_{4}$ with the first row and second row hydrides such as $\mathrm{H}_{2} \mathrm{O}, \mathrm{HF}, \mathrm{HCl}$ have been studied in literature. ${ }^{12-15}$ All of them have a $\pi$ -
bonded geometry with one of the hydrogen bonded to the ethylene $\pi$ cloud. $\mathrm{C}_{6} \mathrm{H}_{6} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ has a $\pi$-bonded geometry similar to $\mathrm{C}_{6} \mathrm{H}_{6} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O} .{ }^{16,17}$ However, depending on the geometries of these first row hydride complexes, it is not straightforward to draw any conclusions regarding the geometry of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complex. The first reason being the ethylene $\pi$ cloud is electron poor than the benzene $\pi$ cloud and the second reason is that the proton donating abilities of the first row and second row hydrides go as $\mathrm{HF}>\mathrm{HCl}$ and $\mathrm{H}_{2} \mathrm{O}>\mathrm{H}_{2} \mathrm{~S}$. Thus, one would wonder if $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\circ} \mathrm{H}_{2} \mathrm{~S}$ would have $\mathrm{S}-\mathrm{H} \cdots \cdot \pi$ or $\mathrm{C}-\mathrm{H} \bullet \cdots \mathrm{S}$ geometry. Moreover, the weakly bound complexes of ethylene have also been interesting from a dynamical point of view as the potential energy surfaces are quite shallow. Almost all the complexes of $\mathrm{C}_{2} \mathrm{H}_{4}$ except the $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \cdots \mathrm{HF}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{HCl}$ complexes show the splitting in their spectra due to some internal rotation of one of the subunit. To mention a few among them, $\mathrm{Ne} \cdots \bullet \mathrm{C}_{2} \mathrm{H}_{4}{ }^{18}$ and $\mathrm{Ar} \cdots{ }^{\circ} \mathrm{C}_{2} \mathrm{H}_{4}{ }^{18}$ exhibit internal rotations of $\mathrm{C}_{2} \mathrm{H}_{4}$ subunits, whereas $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{H}_{2} \mathrm{O}^{12}$ exhibits internal rotation of the $\mathrm{H}_{2} \mathrm{O}$ sub-unit in the complex and complexes like $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\bullet} \mathrm{CO}_{2}{ }^{19}$ are double rotors. The potential energy surfaces of $\mathrm{H}_{2} \mathrm{~S}$ complexes are expected to be floppier than their $\mathrm{H}_{2} \mathrm{O}$ counterpart and it is of interest to see the effects of these dynamics in the spectra. These splitting patterns of course tell us a lot of about the strength of the interaction between the two monomers. Here, in this part of the work, rotational spectra for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\bullet} \mathrm{H}_{2} \mathrm{~S}$ and its isotopologues have been studied. The structure and dynamics obtained from the experiments and $a b$ initio theory have been presented and discussed.

## III.B. Experimental details

All the spectra were recorded with the PNFTMW Spectrometer built here in IISc and is described in detail in chapter II and references therein. 1-2 \% of $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$ were seeded into argon and the mixture was expanded from a backing pressure of 0.5 bar to undergo supersonic expansion. The sample was polarized using a microwave pulse of $0.5 \mu \mathrm{~s}$ duration. The signals could be observed in a single shot. The signals were checked for the component dependence by running the experiments in the absence of $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$ and the signals didn't appear in absence of either. Further, the signal could be observed by using helium as a carrier gas. Higher back pressure ( $\sim 1$ bar) was needed
to see the signal in helium. $\mathrm{HDS} / \mathrm{D}_{2} \mathrm{~S}$ signals were observed by passing $\mathrm{H}_{2} \mathrm{~S}$ through $\mathrm{HDO} / \mathrm{D}_{2} \mathrm{O}$. The identity of the $\mathrm{D}_{2} \mathrm{~S}$ signals were confirmed by passing $\mathrm{H}_{2} \mathrm{~S}$ through a mixture of $50 \% \mathrm{H}_{2} \mathrm{O} / \mathrm{D}_{2} \mathrm{O}$, which diminished the $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{D}_{2} \mathrm{~S} / \mathrm{C}_{2} \mathrm{D}_{4} \cdots{ }^{2} \mathrm{D}_{2} \mathrm{~S}$ signals significantly because of the relative higher concentration of HDS in the expansion. The relative increase in HDS concentration was confirmed by monitoring the Ar $\cdot \bullet \mathrm{HDS}$ and Ar $\cdots \cdot D_{2}$ S signals. The samples e.g. $\operatorname{Ar}(99.999 \%), \mathrm{C}_{2} \mathrm{H}_{4}$ (99.9\%) and $\mathrm{H}_{2} \mathrm{~S}$ (99.5\%) were obtained from Bhuruka Gases Ltd. and were used without any further purification. The spectra for ${ }^{13} \mathrm{CCH}_{4} \cdots{ }^{\bullet} \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2}{ }^{34} \mathrm{~S}$ were observed in natural abundances. Isotopically enriched samples were used for $\mathrm{C}_{2} \mathrm{D}_{4}$ ( 99 atom $\% \mathrm{D}$, Aldrich) and $\mathrm{D}_{2} \mathrm{O}$ (99.95 atom \% D, Aldrich).

## III.C. Results and Discussion

## III.C.1. Search and assignment

A $\pi$-bonded structure very similar to that of other hydride complexes such as $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{HF},{ }^{14} \mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{HCl}^{15}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{O}^{12,13}$, was assumed for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$. A preliminary $a b$ initio geometry optimization at MP2/6-31G* predicted a geometry having S-H $\cdot \cdots \pi$ interaction. The details of the calculations are discussed later. The initial search for the transitions of the complex was based on the comparison of the rotational constants for several $\mathrm{B} \cdots \cdot \mathrm{HCl}$ and $\mathrm{B} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ (where $\mathrm{B}=\mathrm{Ar}, \mathrm{C}_{6} \mathrm{H}_{6}$ and $\mathrm{C}_{2} \mathrm{H}_{4}$ ) complexes. The rotational constants have inverse dependence on the intermolecular distances and the masses. HF and $\mathrm{H}_{2} \mathrm{O}$ have similar masses. Thus, for the complexes of HF and $\mathrm{H}_{2} \mathrm{O}$ with the same acceptor, the rotational constants will be a function of the intermolecular distances, which indeed depends on the strength of the interaction. The benzene $\pi$ cloud being a strong acceptor of hydrogen bonds binds with equal strength to both HF and $\mathrm{H}_{2} \mathrm{O}$. Hence, both $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \cdot \mathrm{HF}^{20,21}$ and $\mathrm{C}_{6} \mathrm{H}_{6} \cdot \cdots \cdot \mathrm{H}_{2} \mathrm{O}^{16,17}$ have very similar values for the rotational constants. The rotational constant of $\mathrm{C}_{6} \mathrm{H}_{6}-\mathrm{HF}$ is 2048.5 MHz and that of $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \mathrm{H}_{2} \mathrm{O}$ is 1994.8 MHz . Both HCl and $\mathrm{H}_{2} \mathrm{~S}$ have similar masses and the same is the situation with $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \cdot \mathrm{HCl}^{22,23}$ and $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}^{2}$ complexes. The $B$ rotational constants for $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \mathrm{HCl}$ and $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \mathrm{H}_{2} \mathrm{~S}$ are 1237.7 MHz and 1168.5 MHz respectively. On the other hand, argon being a weaker acceptor of hydrogen bonds cannot distinguish the
better hydrogen bond donors such as $\mathrm{HF} / \mathrm{HCl}$ than $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ and exhibit similar intermolecular distances. Thus, the $B$ rotational constant of $\mathrm{Ar} \cdots \cdot \mathrm{HCl}^{24}$ and $\mathrm{Ar} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}^{25}$ are 1678.5 MHz and 1681.4 MHz respectively. $\mathrm{C}_{2} \mathrm{H}_{4}$ seems to be the intermediate of these two extreme cases. $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \cdot \mathrm{HF}$ has higher values of the rotational constants than $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{O}$. The rotational constants for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{HF}^{14}$ are $A=24122 \mathrm{MHz}, B=4368.0$ MHZ, $C=3898.7 \mathrm{MHz}$ whereas the rotational constants for $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \cdot \mathrm{H}_{2} \mathrm{O}^{12,13}$ are $A=$ $25960 \mathrm{MHz}, B=3823.6 \mathrm{MHz}$ and $C=3452.1 \mathrm{MHz}$. Based on these observations, it was expected that for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\bullet} \mathrm{H}_{2} \mathrm{~S}$, the rotational constants would be close to those of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{HCl}$ but on the lower side. The higher value of the $A$ rotational constant for the rigid structure excluded the possibility of seeing the $b$ and $c$ dipole transitions in our spectrometer range. A search for $1_{01} \rightarrow 2_{02}$ transition was started at 8950 MHz as the same transition for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{HCl}$ occurs at 8951.366 MHz . The first transitions for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ were observed as a doublet at 7788.9219 MHz and 7788.0750 MHz . One more doublet was located at 7780.7434 MHz and 7779.9832 MHz . These four transitions were assigned to be the $1_{10} \rightarrow 2_{11}$ quartet later. An immediate search near 100 MHz down these frequencies located one more quartet which was tentatively assigned as the $1_{01} \rightarrow 2_{02}$ quartet (very close to $1_{01} \rightarrow 2$ transition for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{Ar}^{18}$ at 7655.7 MHz ). Having this in mind, search was performed for $1_{11} \rightarrow 2_{12}$ transitions at 100 MHz down the $1_{01} \rightarrow 2_{02}$ quartet. The quartet could be located immediately. After having these sets of transitions, other transitions could be located within $1-2 \mathrm{MHz}$ of the predictions as the spectrum turned out to be that of a nearly prolate asymmetric top. Each of the rotational transitions is split into four lines -two sets of doublets separated by several MHz which is designated as L-U splitting. The smaller splitting is less than 1 MHz and denoted by L1-L2/U1-U2 splitting. A schematic of the four line pattern observed for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ is shown in Figure III.1. A total of 68 transitions were measured. The transitions are listed in Table III.1. The lines were fitted into $a$ dipole transitions in four independent series using Watson's S-reduction Hamiltonian. The fitted parameters are shown in Table III.9. Four of the distortion constants were varied during the fitting. Inclusion of $\mathrm{D}_{\mathrm{K}}$ worsens the fitting and this behaviour is consistent for all the isotopes. Some more transitions which are dependent on $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$ but could not be assigned are listed in the appendix at the end of this chapter. These transitions may arise from some other
structure of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$. The rotational constants for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2}{ }^{34} \mathrm{~S}, \mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{HDS}$, $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{D}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdot \mathrm{HDS}, \mathrm{C}_{2} \mathrm{D}_{4} \cdots{ }^{2} \mathrm{D}_{2} \mathrm{~S},{ }^{13} \mathrm{CCH}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ were predicted from the rotational constants of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$. The lines could be observed readily. The transitions are listed from Table III.2-III.8. The $2_{02} \rightarrow 3_{03}$ transitions for $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ are shown in Figure III. 2


Figure III. 1. A schematic of the four line pattern observed for $C_{2} H_{4} \cdots H_{2} S$ complex. $(B+C) / 2$ for each series is plotted in the diagram.

Like the parent isotopologue, all the lines were split into four for $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \cdot \mathrm{H}_{2}{ }^{34} \mathrm{~S}$, $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot D_{2} \mathrm{~S}$. The lines appeared as a doublet for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{HDS}$. In case of $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$, $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdots \mathrm{HDS}, \mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdots \mathrm{D}_{2} \mathrm{~S}$ complexes, all the transitions could not be resolved at the lower J s as the splitting was very small. At higher J, the transitions could be resolved and as it can be seen from the tables that the lines are split into four for $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{D}_{4} \cdot \cdots \mathrm{D}_{2} \mathrm{~S}$ whereas the lines are observed as doublets for $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdot \mathrm{HDS}$. For ${ }^{13} \mathrm{CCH}_{4} \cdot \cdots \cdot \mathrm{H}_{2}$ S, all the transitions could not be observed. The strongest $2_{02} \rightarrow 3_{03}$ transition for ${ }^{13} \mathrm{CCH}_{4} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$ is shown in Figure III.3. The intensities of the $\mathrm{K}=1$ lines were less compared to the $\mathrm{K}=0$ lines. Hence, the $\mathrm{K}=1$ transitions needed averaging of 1000015000 gas pulses in our spectrometer to achieve a good $\mathrm{S} / \mathrm{N}$ ratio. The transitions for ${ }^{13} \mathrm{CCH}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ are listed in Table III.5. In Table III.5., some of the transitions have been measured at the University of Virginia. The residues and the standard deviations of the
fittings are quite high and it is mainly because of the inclusion of the lines from the broad-band measurements which have a resolution of 100 kHz . For ${ }^{13} \mathrm{CCH}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the value of $A$ was fixed at the calculated value of $C$ rotational constant for ${ }^{13} \mathrm{CCH}_{4}$ during the fitting of both the series. The fitted parameters for the isotopes of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ are listed in Table III.10-Table III.16. For $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2}^{34} \mathrm{~S}, \mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{HDS}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{D}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdots \mathrm{HDS}$ only three distortion constants $\mathrm{D}_{\mathrm{J}}, \mathrm{D}_{\mathrm{JK}}, \mathrm{d}_{1}$ were fitted. For $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{D}_{2} \mathrm{~S}$, values of $\mathrm{d}_{1}$ and $\mathrm{d}_{2}$ constants were fixed at the values for the parent isotopologues and only $\mathrm{D}_{\mathrm{J}}$ and $\mathrm{D}_{\mathrm{JK}}$ were varied. The hyperfine structure arising due to the quadrupole coupling of the deuterium nucleus was resolved for the $\mathrm{J}=0 \rightarrow \mathrm{~J}=1$ transitions of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \cdots \mathrm{HDS}$ complex and are shown in Figure III.4. Each of the doublets is split into three hyperfine components. The fitting of the hyperfine structures for both the series is shown in Table III.17. However, no hyperfine structures could be observed and resolved for the $\mathrm{C}_{2} \mathrm{D}_{4}$ complexes.


Figure III.2. Time domain and corresponding frequency domain spectrum of $2_{02} \rightarrow 3_{03}$ transition of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} S$ complex at 11515.0758 and 11515.8051 MHz. The MO frequency was 11515.2 MHz .200 gas pulses (13 FIDs for each gas pulse) have been averaged for this signal.

Table III.1. Experimentally observed rotational transitions, assignments and their residues for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2}$ S complex.

| Transitions ${ }^{\text {a }}$ | L1 |  | L2 |  | U1 |  | U2 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Freq/MHz | $\begin{aligned} & \hline \text { Res./ } \\ & \text { kHz } \end{aligned}$ | Freq/MHz | $\begin{aligned} & \text { Res./ } \\ & \text { kHz } \end{aligned}$ | Freq / MHz | $\begin{aligned} & \hline \text { Res./ } \\ & \text { kHz } \end{aligned}$ | Freq/MHz | $\begin{aligned} & \hline \text { Res./ } \\ & \text { kHz } \end{aligned}$ |
| $0_{00}-101$ | 3839.2887 | 6.6 | 3839.5289 | 3.3 | 3842.5789 | 9.1 | 3842.8441 | 3.9 |
| $1_{11}-2_{12}$ | 7567.9895 | 2.0 | 7568.2071 | -5.6 | 7573.8046 | -5.1 | 7574.0447 | -4.7 |
| $1_{01}-2_{02}$ | 7677.8746 | 4.2 | 7678.3620 | 6.5 | 7684.4786 | 12.1 | 7685.0082 | 3.1 |
| $1_{10-2}{ }_{11}$ | 7779.9832 | -1.5 | 7780.7434 | 0.8 | 7788.0750 | -5.5 | 7788.9219 | -5.1 |
| $2_{12}-3_{13}$ | 11350.9490 | -3.6 | 11351.2883 | -1.5 | 11359.7351 | -6.7 | 11360.0947 | -5.6 |
| $221-32$ | 11491.0770 | -7.6 | 11491.8364 | -7.1 | 11503.1952 | -6.8 | 11504.0171 | -10.2 |
| $220-321$ | 11492.4402 | -5.8 | 11493.2019 | -8.2 | 11504.5662 | -9.1 | 11505.4004 | -8.0 |
| $202-303$ | 11515.0758 | 4.4 | 11515.8051 | 10.9 | 11525.0275 | 10.1 | 11525.8346 | 15.0 |
| $22_{11}-3_{12}$ | 11668.8501 | -1.7 | 11669.9797 | -6.2 | 11681.0539 | -5.2 | 11682.3206 | -4.6 |
| $3_{13}-4_{14}$ | 15132.6796 | -4.8 | 15133.1301 | -2.6 | 15144.5033 | -4.3 | 15144.9772 | -6.4 |
| $3_{22}-423$ | 15319.6033 | 7.2 | 15320.6143 | 7.9 | 15335.8775 | 8.9 | 15336.9759 | 10.9 |
| $3_{21}-4_{22}$ | 15323.0052 | 6.4 | 15324.0305 | 8.4 | 15339.3111 | 9.8 | 15340.4269 | 10.0 |
| $3_{03}-4_{04}$ | 15350.1954 | 3.5 | 15351.1487 | 1.8 | 15363.5568 | 6.8 | 15364.6246 | 15.6 |
| $3_{12}-4_{13}$ | 15556.3646 | -3.1 | 15557.8716 | -3.5 | 15572.7576 | -5.4 | 15574.4373 | -6.9 |
| $4_{14}{ }^{-5}$ | 18912.7730 | -0.5 | 18913.3293 | -2.5 | 18927.7185 | -1.5 | 18928.3108 | -1.1 |
| $4045_{05}$ | 19182.5398 | 0.1 | 19183.7196 | 0.2 | 19199.3912 | -1.7 | 19200.6394 | -6.2 |
| $4_{13^{-}} 5_{14}$ | 19442.0792 | -1.6 | 19443.9559 | -1.4 | 19462.7645 | -1.3 | 19464.8552 | -1.2 |

[^0]Table III.2. Experimentally observed rotational transitions, assignments and their residues for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2}{ }^{34} \mathrm{~S}$ complex.

| Transitions ${ }^{\text {a }}$ | L1 | L2 |  |  | U1 |  |  | U2 <br> Res. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Freq. | Res. | Freq. | Res. | Freq. | Res. | Freq. |  |
|  | (MHz) | (kHz) | (MHz) | (kHz) | (MHz) | (kHz) | (MHz) | (kHz) |
| $1_{11}-2_{12}$ | 7384.5013 | 0.4 | 7384.7179 | 0.8 | 7389.1277 | 0.3 | 7389.3592 | 0.2 |
| $1_{01}-2_{02}$ | 7489.0897 | -0.3 | 7489.5513 | -0.2 | 7494.4374 | -1.0 | - | - |
| $1_{10}-2_{11}$ | 7586.2239 | 0.4 | 7586.9425 | 1.0 | 7592.9745 | 1.9 | 7593.7722 | 0.5 |
| $2{ }_{12}-3_{13}$ | 11075.7750 | -0.4 | 11076.0982 | -1.0 | 11082.7733 | -0.3 | 11083.1158 | -0.2 |
| $202-303$ | 11232.0186 | 0.3 | 11232.7072 | 0.2 | 11240.0919 | 1.2 | 11240.8492 | 0.0 |
| $2_{11}-3_{12}$ | 11378.2675 | -0.4 | 11379.3426 | -1.1 | 11388.4563 | -2.2 | 11389.6529 | -0.6 |
| $3_{13}-4_{14}$ | 14765.8778 | 0.1 | 14766.3108 | 0.3 | 14775.3199 | 0.1 | 14775.7672 | 0.07 |
| $3_{03}-4_{04}$ | 14973.0072 | -0.1 | 14973.9187 | -0.1 | 14983.8630 | -0.4 | 14984.8636 | 0.0 |
| $3_{12}-4_{13}$ | 15169.0329 | 0.1 | 15170.4634 | 0.4 | 15182.7437 | 0.7 | 15184.3299 | 0.2 |

[^1]Table III.3. Experimentally observed rotational transitions, assignments and their residues for $C_{2} H_{4} \cdots D_{2} S$ complex.

| Transitions ${ }^{\text {a }}$ | L1 |  | L2 |  | U1 |  | U2 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Freq(MHz) | $\begin{gathered} \hline \text { Res./ } \\ \mathrm{kHz} \end{gathered}$ | Freq(MHz) | $\begin{gathered} \hline \text { Res. } \\ /(\mathrm{kHz}) \end{gathered}$ | Freq(MHz) | $\begin{gathered} \text { Res. } \\ /(\mathrm{kHz}) \end{gathered}$ | Freq(MHz) | $\begin{aligned} & \text { Res. } \\ & / \mathrm{kHz} \end{aligned}$ |
| $0_{00}-101$ | - |  | - |  | - |  | - |  |
| $1_{11}-2_{12}$ | 7414.4024 | 6.0 | 7414.4349 | -4.9 | 7425.2728 | 5.3 | 7425.3197 | -1.5 |
| $1_{01}-2_{02}$ | 7515.1408 | -1.1 | 7515.2731 | -1.3 | 7527.5600 | -2.6 | 7527.7034 | -2.1 |
| $1_{10}-2_{11}$ | 7609.0975 | 7.0 | 7609.3036 | -2.0 | 7623.2463 | 4.4 | 7623.4775 | 1.9 |
| $2{ }_{12}-3_{13}$ | 11120.7259 | -3.6 | 11120.8037 | 4.2 | 11137.0203 | -3.9 | 11137.1130 | 2.3 |
| $2{ }_{02}-3_{03}$ | 11271.2567 | 2.4 | 11271.4535 | 1.6 | 11289.8530 | 2.4 | 11290.0654 | 1.4 |
| $2_{11}-3_{12}$ | 11412.6988 | -5.1 | 11413.0257 | -0.1 | 11433.9095 | -2.7 | 11434.2546 | -2.8 |
| $3_{13}-4_{14}$ | 14826.0215 | -2.2 | 14826.1240 | 0.0 | 14847.7288 | -1.0 | 14847.8497 | -1.4 |
| $3_{03}-404$ | 15025.6148 | -1.9 | 15025.8773 | -0.7 | 15050.3471 | -0.2 | 15050.6304 | 0.6 |
| $3_{12}-4_{13}$ | 15215.1990 | -1.4 | 15215.6323 | 2.4 | 15243.4388 | -1.5 | 15243.8974 | 1.5 |
| $4_{14} 5_{15}$ | 18529.9327 | 1.5 | 18530.0625 | -0.6 | 18557.0376 | 1.0 | 18557.1868 | 0.3 |
| $4045_{05}$ | 18777.6469 | 0.5 | 18777.9694 | 0.07 | 18808.4560 | -2.6 | 18808.8058 | -0.5 |
| $4_{13} 5_{14}$ | 19016.2105 | 1.4 | 19016.7501 | -1.1 | 19051.4442 | 1.1 | 19052.0163 | -0.3 |

[^2]Table III.4. Experimentally observed rotational transitions, assignments and their residues for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{HDS}$ complex.

| Transitions $^{a}$ | L1 |  | L2 |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Freq(MHz) | Res. <br> $(\mathrm{kHz})$ | Freq(MHz) | Res. <br> $(\mathrm{kHz})$ |
| $0_{00}-1_{01}$ | 3824.0561 | 2.0 | 3824.1348 | 0.2 |
| $1_{11}-2_{12}$ | 11307.8889 | -2.2 | 11307.9794 | -1.3 |
| $1_{01}-2_{02}$ | 11469.7124 | -1.4 | 11469.9463 | -0.7 |
| $1_{10}-2_{11}$ | 11623.2862 | -1.2 | 11623.6691 | -1.4 |
| $2_{12}-3_{13}$ | 15075.6076 | 2.9 | 15075.7267 | 1.7 |
| $2_{02}-3_{03}$ | 15290.0909 | 1.7 | 15290.3977 | 0.8 |
| $2_{11}-3_{12}$ | 15495.9988 | 1.6 | 15496.5075 | 1.8 |
| $3_{13}-4_{14}$ | 18841.9624 | -1.0 | 18842.1144 | -0.6 |
| $3_{03}-4_{04}$ | 19108.0116 | -0.6 | 19108.3915 | -0.2 |
| $3_{12}-4_{13}$ | 19367.2306 | -0.6 | 19367.8625 | -0.6 |

[^3]Table III.5. Experimentally observed rotational transitions, assignments and their residues for ${ }^{13} \mathrm{CCH}_{4} \cdots \mathrm{H}_{2}$ S complex. The fitting was not performed for the U1 and U2 series as the number of lines observed were not enough for fitting three rotational constants.

| Transitions ${ }^{\text {a }}$ | L1 L2 |  |  |  | U1 | U2 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Freq(MHz) | $\begin{gathered} \hline \text { Res. } \\ (\mathrm{kHz}) \end{gathered}$ | Freq(MHz) | $\begin{gathered} \hline \text { Res. } \\ (\mathrm{kHz}) \end{gathered}$ | Freq(MHz) | Freq(MHz) |
| $1_{01}-2_{02}$ | 7535.2388 | -139.0 | 7535.5622 | -198.0 | - | 7541.4822 |
| $1_{10} 2^{11}$ | $7637.92^{b}$ | 34.4 | $7638.72^{\mathrm{b}}$ | 238.0 | - | - |
| $2{ }_{12}-3_{13}$ | 11138.7560 | -0.0 | 11139.0810 | -0.0 | 11146.9192 | 11146.5721 |
| $202-303$ | 11301.6351 | 158.0 | 11302.3314 | 224.4 | 11310.5567 | 11311.3354 |
| $21_{11} 3_{12}$ | $11455.26^{\text {b }}$ | -38.1 | $11456.44^{b}$ | -25.3 | $11466.94^{b}$ | $11468.04^{b}$ |
| $3_{03}-404$ | 15065.6428 | -48.8 | 15066.5730 | -69.2 | 15077.6346 | 15078.6548 |
| $3_{12}-4_{13}$ | 15270.8905 | 11.3 | 15272.3525 | 7.1 |  | 15287.3703 |

${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{\prime}{ }^{\prime} \sim J^{\prime}{ }^{\prime}{ }^{\prime K}{ }^{\prime}{ }^{\prime}$
${ }^{b}$ These transitions were observed at the broadband MW spectrometer at the University of Virginia at Brooks Pate's laboratory. The resolution of the spectrometer is 100 kHz .

Table III. 6. Experimentally observed rotational transitions, assignments and their residues for $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{H}_{2}$ S complex

| Transitions ${ }^{\text {a }}$ | L1 |  | L2 |  | U1 |  | U2 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Freq(MHz) | $\begin{aligned} & \text { Res. } \\ & \text { /kHz } \end{aligned}$ | Freq(MHz) | $\begin{aligned} & \text { Res. } \\ & / \mathrm{kHz} \end{aligned}$ | Freq(MHz) | $\begin{gathered} \hline \text { Res. } \\ (\mathrm{kHz}) \end{gathered}$ | Freq(MHz) | $\begin{aligned} & \hline \text { Res. } \\ & (\mathrm{kHz}) \end{aligned}$ |
| $1_{11}-2_{12}$ | 6964.9014 | -14.2 | 6964.9622 | 2.7 | 6966.0674 | -12.0 | 6966.1397 | 8.2 |
| $1_{01}-2_{02}$ | 7075.1265 | 2.1 | 7075.1852 | -0.9 | 7076.6290 | -3.5 | 7076.7149 | -2.1 |
| $1_{10}-2_{11}$ | 7177.1473 | -0.2 | 7177.2496 | -11.3 | 7180.2634 | 3.3 | 7180.4022 | -2.5 |
| $22_{12}-3_{13}$ | 10446.3604 | 7.7 | 10446.4181 | 7.0 | 10448.1661 | 7.5 | 10448.2290 | -3.8 |
| $202-303$ | 10610.6054 | $-2.5$ | 10610.7029 | 1.0 | 10612.9260 | 4.0 | 10613.0525 | 2.4 |
| $2{ }_{11}-3_{12}$ | 10764.6117 | 8.8 | 10764.7662 | 2.8 | 10769.3418 | 2.5 | 10769.5471 | -2.7 |
| $3_{13}-4_{14}$ | 13926.5682 | 1.3 | 13926.6245 | -6.6 | 13929.0878 | 0.4 | 13929.1776 | -1.2 |
| $3_{03}-4_{04}$ | 14143.5976 | 0.8 | 14143.7247 | -0.4 | 14146.7785 | -1.2 | 14146.9518 | -0.8 |
| $3_{12}-4_{13}$ | 14350.7076 | -6.4 | 14350.9134 | 3.5 | 14357.1515 | -3.6 | 14357.4272 | 3.3 |

${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{\prime} c^{\prime} \not J^{\prime}{ }_{K a K c}{ }^{\prime}$

Table III. 7. Experimentally observed rotational transitions, assignments and their residues for $C_{2} D_{4} \cdots D_{2} S$ complex.

| Transitions ${ }^{\text {a }}$ | L1 |  | L2 |  | U1 |  | U2 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Freq(MHz) | $\begin{aligned} & \text { Res. } \\ & (\mathrm{kHz}) \end{aligned}$ | Freq(MHz) | $\begin{aligned} & \text { Res. } \\ & (\mathrm{kHz}) \end{aligned}$ | Freq(MHz) | $\begin{gathered} \hline \text { Res. } \\ (\mathrm{kHz}) \end{gathered}$ | Freq(MHz) | $\begin{gathered} \hline \text { Res. } \\ (\mathrm{kHz}) \end{gathered}$ |
| $1_{11}-2_{12}$ | 6819.7157 | 15.9 | 6819.7157 | 20.6 | 6826.8591 | -6.5 | 6826.8591 | -3.7 |
| $1_{01}-2_{02}$ | 6921.0702 | -1.3 | 6921.0702 | 1.6 | 6929.2683 | -7.2 | 6929.2683 | -3.8 |
| $1_{10}-2_{11}$ | 7015.1638 | 8.0 | 7015.1638 | -6.6 | 7024.8113 | 5.4 | 7024.8113 | -0.0 |
| $22_{12} 3_{13}$ | 10228.6835 | -5.6 | 10228.6835 | -2.9 | 10239.4417 | 6.2 | 10239.4417 | -4.6 |
| $202-303$ | 10379.8404 | 1.5 | 10379.8404 | -1.7 | 10392.1300 | 8.2 | 10392.1300 | 4.3 |
| $2_{11}-3_{12}$ | 10521.7540 | -21.9 | 10521.7866 | -13.2 | 10536.2510 | -4.9 | 10536.2856 | 8.9 |
| $3_{13}-4_{14}$ | 13636.6438 | -3.8 | 13636.6438 | -8.1 | 13650.9701 | -1.4 | 13651.0196 | 5.3 |
| $3_{03}-4_{04}$ | 13836.4842 | -0.5 | 13836.5034 | 0.5 | 13852.8163 | -2.6 | 13852.8393 | -1.3 |
| $3_{12}-4_{13}$ | 14027.2575 | 12.4 | 14027.2936 | 12.0 | 14046.5613 | 1.0 | 14046.6052 | -6.6 |

[^4]Table III. 8. Experimentally observed rotational transitions, assignments and their residues for $C_{2} D_{4} \cdots H D S$ complex.

| Transitions $^{a}$ | L1 |  | $L 2$ |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Observed freq. <br> $(\mathrm{MHz})$ | Res. (kHz) | Observed freq. <br> $(\mathrm{MHz})$ | Res. (kHz) |
| $1_{11}-2_{12}$ | 6932.7465 | 0.1 | 6932.7465 | 0.2 |
| $1_{01}-2_{02}$ | 7040.9638 | 4.8 | 7040.9638 | 9.7 |
| $1_{10}-2_{11}$ | 7143.1787 | 4.5 | 7143.1787 | 10.2 |
| $2_{12}-3_{13}$ | 10398.2692 | -0.1 | 10398.2692 | -0.1 |
| $2_{02}-3_{03}$ | 10559.5620 | -5.5 | 10559.5620 | -11.1 |
| $2_{11}-3_{12}$ | 10713.8302 | -5.2 | 10713.8302 | -11.8 |
| $3_{03}-4_{04}$ | 14075.9326 | 1.7 | 14075.9656 | 3.5 |
| $3_{12}-4_{13}$ | 14283.3848 | 1.6 | 14283.4239 | 3.7 |

${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime} К c^{\prime} \star J^{\prime}{ }_{К а}{ }^{\prime}{ }^{\prime}{ }^{\prime}$


Figure III.3. The $2_{02} \rightarrow 3_{03}$ transition of ${ }^{13} \mathrm{CCH}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ collected in $1 \%$ natural abundance. The molecular frequencies are 11301.6351 MHz and 11302.3311 MHz . These signals were averaged for 400 gas pulses. A total of thirteen FIDs were collected for each single gas pulse. Collection time was around 1 minute 20 seconds.

Table III.9. Fitted rotational constants, centrifugal distortion constants and standard deviation of the fits for all the four series of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \cdots \mathrm{H}_{2}$ S complex.

| Parameters | L1 | L2 | U1 | U2 |
| :--- | :--- | :--- | :--- | :--- |
| A (MHz) | $25961(34)$ | $25968(42)$ | $26189(55)$ | $26204(61)$ |
| B (MHz) | $1972.682(2)$ | $1972.937(2)$ | $1974.891(3)$ | $1975.178(3)$ |
| $\mathrm{C}(\mathrm{MHz})$ | $1866.658(2)$ | $1866.646(2)$ | $1867.732(3)$ | $1867.715(3)$ |
| $\mathrm{d}_{1}(\mathrm{kHz})$ | $-0.80(2)$ | $-0.82(2)$ | $-0.74(3)$ | $-0.76(4)$ |
| $\mathrm{d}_{2}(\mathrm{kHz})$ | $-0.21(2)$ | $-0.22(2)$ | $-0.24(3)$ | $-0.24(3)$ |
| $\mathrm{D}_{\mathrm{J}}(\mathrm{kHz})$ | $14.30(2)$ | $14.31(2)$ | $13.26(3)$ | $13.28(3)$ |
| $\mathrm{D}_{\mathrm{JK}}(\mathrm{MHz})$ | $1.0587(2)$ | $1.0575(3)$ | $0.9691(4)$ | $0.9684(4)$ |
| $\mathrm{Sd}(\mathrm{kHz})$ | 4.4 | 5.6 | 7.1 | 8.1 |

Table III. 10. Fitted rotational constants, centrifugal distortion constants and standard deviation of the fits for all the four series of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{H}_{2}{ }^{34}$ S complex

| Parameters | L1 | L2 | U1 | U2 |
| :--- | :--- | :--- | :--- | :--- |
| A (MHz) | $25920(19)$ | $25924(36)$ | $25907(58)$ | $25907^{\mathrm{a}}$ |
| B (MHz) | $1922.905(6)$ | $1923.146(5)$ | $1924.764(9)$ | $1925.0341(5)$ |
| C (MHz) | $1822.019(6)$ | $1822.009(5)$ | $1822.819(9)$ | $1822.8062(5)$ |
| $\mathrm{d}_{1}(\mathrm{kHz})$ | $-0.77(2)$ | $-0.76(2)$ | $-0.69(1)$ | $-0.674(8)$ |
| D $_{\mathrm{J}}(\mathrm{kHz})$ | $13.722(7)$ | $13.72(1)$ | $12.60(2)$ | $12.652(7)$ |
| $\mathrm{D}_{\mathrm{JK}}(\mathrm{MHz})$ | $1.0112(2)$ | $1.0102(4)$ | $0.9282(6)$ | $0.9277(1)$ |
| Sd (kHz) | 0.3 | 0.6 | 1.1 | 0.6 |

${ }^{a}$ The A rotational constant has been fixed at the value obtained from the fitting of the U1 series.

Table III.11. Fitted rotational constants, centrifugal distortion constants and standard deviation of the fits for all the four series of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots D_{2}$ S complex.

| Parameters | L1 | L2 | U1 | U2 |
| :--- | :--- | :--- | :--- | :--- |
| A (MHz) | $25674(74)$ | $25580(54)$ | $25671(54)$ | $25653(48)$ |
| B (MHz) | $1927.636(2)$ | $1927.712(1)$ | $1931.568(1)$ | $1931.647(1)$ |
| $\mathrm{C}(\mathrm{MHz})$ | $1830.274(2)$ | $1830.264(1)$ | $1832.560(1)$ | $1832.524(1)$ |
| $\mathrm{d}_{1}(\mathrm{kHz})$ | -0.52 | $-0.54(1)$ | $-0.62(1)$ | $-0.63(1)$ |
| $\mathrm{D}_{\mathrm{J}}(\mathrm{kHz})$ | $11.86(2)$ | $11.81(2)$ | $12.01(2)$ | $11.99(2)$ |
| $\mathrm{D}_{\mathrm{JK}}(\mathrm{MHz})$ | $0.924(1)$ | $0.925(8)$ | $0.904(9)$ | $0.904(8)$ |
| $\mathrm{Sd}(\mathrm{kHz})$ | 3.6 | 2.6 | 2.7 | 2.3 |

Table III. 12. Fitted rotational constants, centrifugal distortion constants and standard deviation of the fits for two series for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{HDS}$ complex

| Parameters | L1 | L2 |
| :--- | :--- | :--- |
| A (MHz) | $25877(36)$ | $25872(25)$ |
| B (MHz) | $1964.638(9)$ | $1964.726(7)$ |
| C (MHz) | $1859.463(9)$ | $1859.453(7)$ |
| $\mathrm{d}_{1}(\mathrm{kHz})$ | $-0.592(9)$ | $-0.606(7)$ |
| $\mathrm{D}_{\mathrm{J}}(\mathrm{kHz})$ | $11.14(1)$ | $11.138(9)$ |
| $\mathrm{D}_{\mathrm{JK}}(\mathrm{MHz})$ | $0.8821(6)$ | $0.8820(5)$ |
| $\mathrm{Sd}(\mathrm{kHz})$ | 1.5 | 1.1 |

Table III. 13. Fitted rotational constants, centrifugal distortion constants and standard deviation of the fits for the two series (stronger set) for ${ }^{13} \mathrm{CCH}_{4} \cdots H_{2}$ S complex

| Parameters | L1 | L2 |
| :--- | :--- | :--- |
| A (MHz) | 24287 | 24287 |
| B (MHz) | $1937.16(8)$ | $1937.5(1)$ |
| C (MHz) | $1830.9(1)$ | $1830.8(2)$ |
| $\mathrm{d}_{1}(\mathrm{kHz})$ | $-11(2)$ | $-12(3)$ |
| $\mathrm{D}_{\mathrm{J}}(\mathrm{kHz})$ | $11(1)$ | $9(2)$ |
| $\mathrm{D}_{\mathrm{JK}}(\mathrm{MHz})$ | $0.95(2)$ | $0.93(3)$ |
| $\mathrm{Sd}(\mathrm{kHz})$ | 84 | 117.0 |

Table III.14. Fitted rotational constants, centrifugal distortion constants and standard deviation of the fits for all the four series for $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{H}_{2}$ S complex

| Parameters | L1 | L2 | U1 | U2 |
| :--- | :--- | :--- | :--- | :--- |
| A (MHz) | $17470(12)$ | $17638(95)$ | $17572(94)$ | $17685(64)$ |
| B (MHz) | $1822.084(3)$ | $1822.118(2)$ | $1822.940(2)$ | $1822.985(2)$ |
| C (MHz) | $1715.943(3)$ | $1715.941(2)$ | $1715.826(2)$ | $1715.824(1)$ |
| $\mathrm{d}_{1}(\mathrm{kHz})$ | -0.80 | -0.82 | -0.74 | -0.76 |
| $\mathrm{~d}_{2}(\mathrm{kHz})$ | -0.21 | -0.22 | -0.24 | -0.24 |
| $\mathrm{D}_{\mathrm{J}}(\mathrm{kHz})$ | $12.2(1)$ | $12.42(8)$ | $11.09(8)$ | $11.21(6)$ |
| $\mathrm{D}_{\mathrm{JK}}(\mathrm{MHz})$ | $11.578(3)$ | $1.152(3)$ | $1.002(3)$ | $0.998(2)$ |
| $\mathrm{Sd}(\mathrm{kHz})$ | 4.6 | 5.3 | 5.3 | 3.6 |

Table III. 15. Fitted rotational constants, centrifugal distortion constants and standard deviation of the fits for all the four series of $C_{2} D_{4} \cdots D_{2} S$ complex.

| Parameters | L1 | L2 | U1 | U2 |
| :--- | :--- | :--- | :--- | :--- |
| A (GHz) | $17.3(2)$ | $17.5(2)$ | $17.3(1)$ | $17.2(1)$ |
| B (MHz) | $1779.342(4)$ | $1779.345(4)$ | $1782.015(2)$ | $1782.016(1)$ |
| $\mathrm{C}(\mathrm{MHz})$ | $1681.589(4)$ | $1681.583(4)$ | $1683.022(1)$ | $1683.017(2)$ |
| $\mathrm{d}_{1}(\mathrm{kHz})$ | -0.80 | -0.82 | -0.74 | -0.76 |
| $\mathrm{~d}_{2}(\mathrm{kHz})$ | -0.21 | -0.22 | -0.24 | -0.24 |
| $\mathrm{D}_{\mathrm{J}}(\mathrm{kHz})$ | $10.4(2)$ | $10.4(1)$ | $10.2(8)$ | $9.96(8)$ |
| $\mathrm{D}_{\mathrm{JK}}(\mathrm{MHz})$ | $1.025(5)$ | $1.023(5)$ | $0.978(3)$ | $0.977(2)$ |
| $\mathrm{Sd}(\mathrm{kHz})$ | 10.5 | 9.2 | 5.3 | 4.9 |

Table III. 16. Fitted rotational constants, centrifugal distortion constants and standard deviation of the fits for all the two series of $C_{2} D_{4} \cdots H D S$ complex.

| Parameters | L1 | L2 |
| :--- | :--- | :--- |
| A (GHz) | $17.6(1)$ | $17.7(2)$ |
| $\mathrm{B}(\mathrm{MHz})$ | $1813.062(4)$ | $1813.056(9)$ |
| $\mathrm{C}(\mathrm{MHz})$ | $1707.829(4)$ | $1707.83(1)$ |
| $\mathrm{d}_{2}(\mathrm{kHz})$ | $0.6(1)$ | $0.4(2)$ |
| $\mathrm{D}_{\mathrm{J}}(\mathrm{kHz})$ | $9.3(2)$ | $9.2(3)$ |
| $\mathrm{D}_{\mathrm{JK}}(\mathrm{MHz})$ | $0.881(3)$ | $0.879(6)$ |
| $\mathrm{Sd}(\mathrm{kHz})$ | 3.6 | 7.8 |

Figure III.4. $J=0 \rightarrow 1$ spectrum of $C_{2} H_{4} \cdots H D S$ showing $D$ quadrupole coupling and the tunnelling doublets. Each component of the doublet is split into three hyperfine components. The spectrum was collected for 2000 gas pulses. Single FID was collected for each gas pulse. Total of 2048 points were collected at a sampling frequency of 5 MHz .


Table III.17. Fitted hyperfine components of $J=0 \rightarrow J=1$ transition of $C_{2} H_{4} \cdots \cdot H D S$

| $\mathrm{F}^{\prime}$ | F | Observed <br> $(\mathrm{MHz})$ | Res.(kHz) | Observed(MHz) | Res. (kHz) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 0 | 3824.0851 | 0.4 | 3824.1640 | 0.3 |
| 1 | 2 | 3824.0497 | -0.7 | 3824.1286 | -0.5 |
| 1 | 1 | 3823.9993 | 0.3 | 3824.0773 | 0.2 |

## III.C.2. Structural analysis

Table III.9. lists the rotational constants for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex. The differences in $B$ and $C$ rotational constants of the four states are very small. Though, the error in the $A$ rotational constant is quite large, these constants were used to get an approximate zero point energy averaged structure of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$. The $B$ and C rotational constants of the ethylene monomer were determined to be 29990 MHz and 24860 MHz from an Infrared study. ${ }^{26}$ From Table III.9., it is apparent that the $A$ rotational constant of the complex is close to the $C$ rotational constant of ethylene ( $c$-axis of the ethylene monomer is perpendicular to the molecular plane of $\mathrm{C}_{2} \mathrm{H}_{4}$ ) which indicates that $\mathrm{H}_{2} \mathrm{~S}$ is lying on an axis perpendicular to the plane of $\mathrm{C}_{2} \mathrm{H}_{4}$ (the $c$ principal axis of ethylene is perpendicular to it) and does not contribute much to the moment of inertia about this axis. Further, the differences in the $A$ rotational constants of $\mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{H}_{2}{ }^{34} \mathrm{~S}$ isotopologues are less than the uncertainties for all the four states, which indicates that the S atom is located on the dimer $a$ principal axis.

The distance of the substituted atoms from the center of mass is given by Kraitchman's equation:

$$
\begin{equation*}
|r|=\left[\left(\frac{1}{2 \mu}\right)\left(\Delta I_{x}+\Delta I_{y}+\Delta I_{z}\right)\right]^{1 / 2} \tag{1}
\end{equation*}
$$

Here, $\mu$ is the reduced mass of the substitution and $\Delta I$ is the change in moment of inertia upon substitution. From the rotational constants of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \cdots \mathrm{H}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{H}_{2}{ }^{34} \mathrm{~S}$, $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{HDS}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{D}_{2} \mathrm{~S}$ and ${ }^{13} \mathrm{CCH}_{4} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$, the distances of the substituted atoms from the center of mass were calculated by using the above equation. The distance of the S from the center of mass was found to be $1.852 \AA$ and the distances of the two H atoms from the center of mass is $1.034 \AA$ and $2.163 \AA$. The unequal distances of the two hydrogen atoms from the center of mass indicate that only one H is bonded to the $\pi$ center of ethylene. Using the rotational constants of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ and ${ }^{13} \mathrm{CCH}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$, the distance of the carbon atom from the center of mass of the complex has been calculated to be $2.395 \AA$. Using the planar moments of inertia relations,

$$
|x|=\left[\frac{\Delta P_{x}}{\mu}\left(1+\frac{\Delta P_{y}}{I_{x}-I_{y}}\right)\left(1+\frac{\Delta P_{z}}{I_{x}-I_{z}}\right)\right]^{1 / 2} \text { and so on, the } \mathrm{x}, \mathrm{y} \text { and } \mathrm{z}
$$

c-ordinates of the carbon atom can be found as $|a|=2.086 \AA,|b|=0.993 \AA,|c|=0.634 \AA$. The $|c|$ co-ordinate is close to the $|a|$ co-ordinate of the free ethylene monomer which is $0.6685 \AA$ (the C-C bond length determined in reference 26 is $1.337 \AA$ ). The $a$ co-ordinate for the substituted carbon is also reasonable and closer to the $a b$ initio optimized value of $2.088 \AA$ and $2.083 \AA$. However, the value of the $b$ co-ordinate derived from these equations is rather surprising. From the derived value of the $|a|$ and $|c|$ co-ordinates, if one assumes that the $a c$ inertial plane is passing through the C-C bond of ethylene, the $|\mathrm{b}|$ co-ordinate should be close to zero. However, this inconsistency may arise due to the poorly determined values of the rotational constants of ${ }^{13} \mathrm{CCH}_{4} \bullet \cdots \mathrm{H}_{2} \mathrm{~S}$ complex. As was mentioned previously, the fit used a fixed value for the $A$ rotational constant of the complex. The value of the $A$ rotational constant was put equal to the $C$ rotational constant of the ${ }^{13} \mathrm{C}$ ethylene monomer while fitting. Further, the situations may be more complex, as a nearly free rotation of the non-bonded hydrogen in the complex will result in the interchange of the $b$ and $c$ principal axes of the complex, which can result in the poorly determined values of the $b$ and $c$ co-ordinate of the carbon atoms.

In order to calculate the intermolecular distance, it was assumed that both the hydrogens are symmetrically bonded to ethylene $\pi$ cloud. The moment of inertia about the $b$ and $c$ principal axes of the complex can be written as:

$$
\begin{align*}
& \mathrm{I}_{b}(\text { complex })=\mathrm{I}_{a}\left(\mathrm{C}_{2} \mathrm{H}_{4}\right)+\mathrm{I}_{a}\left(\mathrm{H}_{2} \mathrm{~S}\right)+\mu \mathrm{R}^{2}  \tag{2}\\
& \mathrm{I}_{c}(\text { complex })=\mathrm{I}_{b}\left(\mathrm{C}_{2} \mathrm{H}_{4}\right)+\mathrm{I}_{c}\left(\mathrm{H}_{2} \mathrm{~S}\right)+\mu \mathrm{R}^{2} \tag{3}
\end{align*}
$$

The rotational constants of the strongest series of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ were used to find out the c.m.-c.m distance. The intermolecular distance (c.m-c.m separation) was determined by using the equations 2 and 3 . The c.m-c.m. separation determined from the equations are 4.041(1) and 4.037(1) Å respectively. An assumption of $\mathrm{H}_{2} \mathrm{~S}$ to be spherical changed the c.m-c.m separation only by $0.01 \AA$. Hence, the orientation of $\mathrm{H}_{2} \mathrm{~S}$ has very little effect on the moment of inertia of the complex. The assumption of $\mathrm{H}_{2} \mathrm{~S}$ being symmetrically bonded is not a very gross approximation here.

The hyperfine structure arising due to the quadrupole coupling of the deuterium nucleus was analysed to find out the average angle $\theta$ of the S-D bond with the dimer $a$ axis. For free HDS, the diagonal components of the D quadrupole interaction are 153.7 $\mathrm{kHz},-65.3 \mathrm{kHz}$ and -88.4 kHz for $\chi_{\mathrm{xx}}, \chi_{\mathrm{yy}}$ and $\chi_{\mathrm{zz}}$ respectively. The three hyperfine transitions were fitted to a line-center to find out $\chi_{a a}(D)$, which is the projection of the $D$ quadrupole interaction tensor on the dimer's inetial $a$ axis. The fit gives $\chi_{\mathrm{aa}}(\mathrm{D})$ to be $114(2) \mathrm{kHz}$ for the stronger series and $-115(1) \mathrm{kHz}$ for the weaker series. Hence, they are identical within the error limit. The average angle $\theta$ can be found from the relation:

$$
\begin{equation*}
\chi_{a a}=\frac{\chi_{x x}}{2}\left\langle 3 \operatorname{Cos}^{2} \theta-1\right\rangle \tag{4}
\end{equation*}
$$

By using equation 4 , the $\theta$ value is calculated to be $24.8^{\circ}$ for the stronger series and $24.2^{\circ}$ for the weaker state. A very similar value of $\theta$ for the two states of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{HDS}$ indicates that the orientation of $\mathrm{H}_{2} \mathrm{~S}$ is very similar for both the states, which is expected as these states arise due to the internal rotation of ethylene. The value of $\theta$ is very close to the $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \cdot \mathrm{HDS}$ complex, which also possesses a $\pi$-bonded structure. The value is $26^{\circ}$ for $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \cdot \mathrm{HDS}$. No hyperfine transitions have been reported for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{H}_{2} \mathrm{O}$ complex. However, the value of $\theta$ is $34^{\circ}$ for the $\mathrm{C}_{6} \mathrm{H}_{6} \bullet \bullet \mathrm{HOD}$ complex.

## III.C.3. Internal rotation and the splitting

As mentioned in the previous section, each of the transition is split into four for the parent isotopologue. This splitting essentially indicates the presence of large amplitude motions in the complex. The fact that we have been able to fit each of this series independently using the semi-rigid rotor Hamiltonian indicates that the transitions occur among the individual tunnelling states and not across them. This is not surprising as all of the observed transitions are $a$ dipole and none of the internal motions involving $\mathrm{C}_{2} \mathrm{H}_{4}$ or $\mathrm{H}_{2} \mathrm{~S}$ reverse the $a$ dipole component in the complex. This limits the determination of the tunnelling splitting directly from the spectrum. However, the difference between the rotational constants of the individual tunnelling states could indirectly be related to the tunnelling splitting. Splitting in $(\mathrm{B}+\mathrm{C}) / 2$ for all the isotopologues are listed in Table III.18. The dependence of the splitting pattern on the isotopic substitution provides important clue about the mechanism of internal motions in the complex.

TableIII.18. Experimental splitting in $(B+C) / 2$ observed for $C_{2} H_{4} \cdots H_{2}$ S isotopologues

|  | $1-2(\mathrm{MHz})^{a}$ | $\mathrm{~L}-\mathrm{U}(\mathrm{MHz})^{b}$ |
| :---: | :---: | :---: |
| $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ | 0.1215 | 1.6483 |
| $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \bullet \mathrm{H}_{2}{ }^{34} \mathrm{~S}$ | 0.1155 | 1.3363 |
| $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{HDS}$ | 0.0390 | - |
| $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{D}_{2} \mathrm{~S}$ | 0.0330 | 3.1033 |
| $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ | 0.0160 | 0.3723 |
| $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdots \mathrm{HDS}^{2}$ | 0.003 | - |
| $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdot \mathrm{D}_{2} \mathrm{~S}$ | 0.002 | 2.0528 |
| ${ }^{13} \mathrm{CCH}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ | $0.1161^{c}$ | $1.4938^{c}$ |

[^5]Let us consider the smaller splitting (L1-L2/U1-U2) first. This splitting decreases by a very small magnitude (only $5 \%$ ) in $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2}{ }^{34} \mathrm{~S}$. The small reduction in the splitting is indicative of the fact that the sulphur atom undergoes minimal movement during the motion which causes this splitting. The splitting decreases by three times in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{HDS}$. In general the single deuterium substitution always happens at the bonded hydrogen as the zero point energy effect makes this isomer more stable than the other where a non-bonded hydrogen is deuterated. The smaller splitting decreases by only $15 \%$ in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\circ} \mathrm{D}_{2} \mathrm{~S}$ compared to $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{HDS}$. Thus, replacing the non-bonded hydrogen does not affect the smaller splitting in $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$. This indicates that the hydrogen of $\mathrm{H}_{2} \mathrm{~S}$ which is bonded to the ethylene $\pi$ cloud is involved in the dynamics, whereas the nonbonded hydrogen has very little contribution to the dynamics. A drastic decrease of seven times in the smaller splitting was observed in $\mathrm{C}_{2} \mathrm{D}_{4} \cdot \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$. Thus, the four hydrogens of ethylene play a significant role in the dynamics causing the splitting. Hence, the motion is a coupled motion which involves both the monomer units. The
smaller splitting shows a decrease of five times in $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{HDS}$ compared to $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$. As we go from $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdot \mathrm{HDS}$ to $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{D}_{2}$ S, the magnitude of the splitting is affected very little. The decrease is only $\sim 33 \%$, much less compared to the effect observed after the bonded deuterium substitution. These facts when put together indicate that the dynamics causing the smaller splitting involves the motion of ethylene along with the movement of the S-H bond. The mechanism by which ethylene undergoes internal rotation could be one of these three: 1. rotation of ethylene about $\mathrm{C}-\mathrm{C}$ bond axis (rotation about its $a$ principal axis) 2. in -plane rotation of ethylene (rotation about its $c$ principal axis) and 3. end-over-end rotation of ethylene (rotation of ethylene about its $b$ principal axis). The first motion does not interchange the two carbons whereas the last two motions would involve the interchange of two equivalent carbon atoms in the complex. Hence, the splitting pattern for ${ }^{13} \mathrm{CCH}_{4} \cdots{ }_{2} \mathrm{~S}$ can tell us if the motion involves the interchange of the two carbon atoms or not. If any mechanism interchanges the two carbon atoms we would expect the smaller splitting to vanish for singly substituted ${ }^{13} \mathrm{C}$ isotopologue. Observation of all the four states in case of ${ }^{13} \mathrm{CCH}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ clearly tells us that the rotation of ethylene about the C-C bond axis is the pathway for the motion causing the smaller splitting. However, as we note from Table III.18., there is a very minute change in the smaller splitting ( $\sim 5 \%$ reduction) upon the ${ }^{13} \mathrm{C}$ substitution. This small change may be the result of the coupling of the radial co-ordinate to the ethylene rotation about the $\mathrm{C}-\mathrm{C}$ bond axis.

Like the smaller splitting, the larger splitting also shows little dependence on sulphur substitution. Vanishing of this splitting in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{HDS}$ indicates that it arises because of some internal rotation/tunnelling which interchanges the equivalent hydrogens of $\mathrm{H}_{2} \mathrm{~S}$. The splitting increases by two times as we go from $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ to $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$. This increase in the magnitude indicates that the splitting arises because of some nearly free rotation of the hydrogen sulphide moiety. A similar situation was observed in case of $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \cdot \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{6} \mathrm{H}_{6} \bullet \cdots \mathrm{D}_{2} \mathrm{O}$. Splitting in $\mathrm{C}_{6} \mathrm{H}_{6} \bullet \bullet \mathrm{D}_{2} \mathrm{O}$ increases twice compared to $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \mathrm{H}_{2} \mathrm{O}$. If this motion is solely because of the $\mathrm{H}_{2} \mathrm{~S}$ moiety, the larger splitting in $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ should be same as that of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$. It is intriguing to see that the larger splitting also decreased almost by four times, as we go from $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ to $\mathrm{C}_{2} \mathrm{D}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. Thus, we conclude that the larger splitting has contribution from the ethylene hydrogens
as well. Even in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\circ} \mathrm{H}_{2} \mathrm{O}$, the motion which interchanges the equivalent hydrogens of $\mathrm{H}_{2} \mathrm{O}$ had some degree of coupling with the ethylene hydrogens. In case of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{O}$, this dependence on the ethylene hydrogens was manifested via the complex dependence of the splitting magnitude on the ethylene hydrogen substitutions. Coming back to $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$, the larger splitting vanishes in $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdots \mathrm{HDS}$ as can be expected. For the $\mathrm{C}_{2} \mathrm{D}_{4}$ complexes, substituting $\mathrm{H}_{2} \mathrm{~S}$ with $\mathrm{D}_{2} \mathrm{~S}$ causes a further increase in the larger splitting like $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S} / \mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$ complexes. The magnitude of the increase is more pronounced in case of $\mathrm{C}_{2} \mathrm{D}_{4}$ complexes. The splitting increases by six times when we go from $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ to $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{D}_{2} \mathrm{~S}$. Thus, the magnitude of the increase is much exaggerated compared to $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S} / \mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{D}_{2} \mathrm{~S}$. The exact reason for this is beyond the scope of this study. The larger splitting remains almost unaffected ( $\sim 10 \%$ ) as we substitute the ${ }^{12} \mathrm{C}$ by ${ }^{13} \mathrm{C}$ as can be seen from the Table III.18. This indicates that the motion of $\mathrm{H}_{2} \mathrm{~S}$ is coupled to the movement of ethylene hydrogens but there is a minimum involvement of the carbon atoms of $\mathrm{C}_{2} \mathrm{H}_{4}$. From these observations, it can be concluded that the larger splitting involves the interchange of two equivalent hydrogens of $\mathrm{H}_{2} \mathrm{~S}$ and the motion is coupled to the movement of ethylene hydrogens.

## III.C. 4 Ab initio calculations

All the calculations were performed using Gaussian $98^{27}$ or Gaussian $03^{28}$ suite of programme. Calculations were done at different levels of theory to determine the optimized geometries, binding energies, vibrational frequencies of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{H}_{2} \mathrm{~S}$ which are discussed in the following subsections. The binding energies were corrected for BSSE and the zero point energy effects wherever possible. Details of the BSSE correction are described in chapter II. In addition to that, potential energy curves were calculated for different internal motions of $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$ to know the barrier heights. The curves were calculated at MP2(full)/aug-cc-pVDZ and MP2(full)/aug-cc-pVTZ level. For the potential energy surface calculations, BSSE corrections were done at each point of the curve using the previously mentioned method. To find out the adequacy of the level of calculations, potential energy curve for the rotation of ethylene about the $\mathrm{C}-\mathrm{C}$ bond axis (the $a$ principal axis of $\mathrm{C}_{2} \mathrm{H}_{4}$ monomer), has been calculated at $\operatorname{CCSD}(\mathrm{T})$ /aug-cc-pVTZ and was compared to the barrier height at MP2(full)/aug-cc-pVTZ level. The barrier
height for this motion changes by $69 \mathrm{~cm}^{-1}$ between the MP2(full) and $\operatorname{CCSD}(\mathrm{T})$ level. The barrier height is $344 \mathrm{~cm}^{-1}$ at $\operatorname{CCSD}(\mathrm{T}) /$ aug-cc-pVTZ level and $413 \mathrm{~cm}^{-1}$ at MP2(full)/aug-cc-pVTZ level. Further, the position of the minima and the maxima of the curve is same at both the level of calculations. However, performing the $\operatorname{CCSD}(\mathrm{T})$ calculation along with the counterpoise calculations turned out to be really timeconsuming and were not done for all other motions. Hence, all the potential energy curves reported here, were calculated at MP2(full) level.

## III.C.4.a. Optimized geometries and the binding energies

At the very first step of the geometry optimization, the monomers were optimized at the same level of theory. The optimized geometries of the monomers were used in the input specifications during the geometry optimization of the complex structure. Different initial geometries were chosen but given a chance to relax, the geometries converged to a minimum having $\mathrm{S}-\mathrm{H} \cdots \bullet \pi$ interaction. The optimised geometry at MP2(full)/aug-ccpVTZ level is shown in Figure III.5. The geometry optimisations have been performed at both BSSE corrected and the uncorrected surfaces for most of the basis sets. Frequency calculations were done to ensure that the obtained stationary points were true minima. The binding energies of the $\pi$-bonded complex at different basis sets are shown in Table III.19. and Table III.20. In general, one would expect that a better basis sets will lead to smaller Basis set superposition error. However, from Table III. 19 and Table III.20, one can see that the magnitude of BSSE does not show a consistent decrease as the basis set size increases. It is rather oscillating. This behaviour has been previously observed in literature. ${ }^{29,30}$ The complex is bound at all level of calculations except the counter-poise uncorrected optimization at MP2(full)/6-311++G** level. It is worth noting that the optimization of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ on the counterpoise corrected surface at MP2(full)/6$311++G^{* *}$ level yields a bound geometry. The optimized structural parameters of the $\pi$ bonded geometry of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{H}_{2} \mathrm{~S}$ have been listed in the appendix at the end of this chapter. The geometry of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ obtained via the optimization on the counter-poise corrected surface is different than the one obtained on the counterpoise uncorrected surface. This shift in the minimum position on the curve is mainly caused by the fact that the BSSE increases as the two fragments get closer to each other because the basis set
extension increases at a smaller distance. Thus, the minimum in the energy is shifted to a higher intermolecular distance upon the optimization on the BSSE corrected surface. Consequently, all of the optimized parameters would also change. Further, the shape of the interaction potential may also change. It has been pointed out in literature that the magnitude of the interaction energy obtained after the optimization on the uncorrected surface followed by counterpoise correction is always less then the interaction energy obtained via the optimization on the counterpoise corrected surface. ${ }^{31}$ The same has been observed for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\bullet} \mathrm{H}_{2}$ S complex for all basis sets employed at MP2(full) level.


Figure III.5. Optimized geometry of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} S$ at MP2(full)/ang-cc-pVTZ level of theory. The optimized structure has $C_{1}$ symmetry. The principal axes system of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ is shown.

Apart from the $\mathrm{S}-\mathrm{H} \cdot \cdots \pi$ bonded structure shown in Figure III.5., few other stationary points could be located. Another minimum having C-H $\bullet \cdot \mathrm{S}$ interaction could be located and the geometry is shown in Figure III.A. 1 as Structure F in the appendix at
the end of this chapter. Some more geometries were optimized as transition state or saddle point of order two. Their geometries, interaction energies and the vibrational frequencies are listed in the appendix at the end of this chapter.

Table III.19. Binding energies (in $\mathrm{cm}^{-1}$ ) of the optimized geometries of the $\pi$ bonded complex of $C_{2} H_{4} \cdots \cdots H_{2}$ S using different basis sets at MP2 (full) level. All the reported binding energies have been corrected for BSSE and ZPE effect. The optimizations have been done at counterpoise uncorrected surface.

| Basis set | $6-31 \mathrm{G}^{*}$ | $6-311++\mathrm{G}^{* *}$ | $6-311++\mathrm{G}(3 \mathrm{df}, 2 \mathrm{p})$ | $6-311++\mathrm{G}(3 \mathrm{df}, \mathrm{pd})$ | $6-311++\mathrm{G}(3 \mathrm{df}, 3 \mathrm{pd})$ | aug-cc-pVDZ | aug-cc-pVTZ | aug-cc-PVQZ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\Delta \mathrm{E}$ | -31 | 60 | -262 | -239 | -221 | -197 | -220 | $-214^{a}$ |
| BSSE | 325 | 443 | 206 | 214 | 284 | 438 | 425 | 150 |

${ }^{a}$ The ZPE correction at this level has been done by adding the zero point energy of the complex calculated at MP2(full)/aug-cc-pVTZ level

Table III.20. Binding energies (in $\mathrm{cm}^{-1}$ ) of the optimized geometries of the $\pi$ bonded complex of $C_{2} H_{4} \cdots \cdots H_{2}$ S using different basis sets at MP2(full) level. All the reported binding energies have been corrected for BSSE and ZPE effect. The optimizations have been done at counterpoise corrected surface.

| Basis set | $6-31 \mathrm{G}^{*}$ | $6-311++\mathrm{G}^{* *}$ | $6-311++\mathrm{G}(3 \mathrm{df}, 2 \mathrm{p})$ | $6-311++\mathrm{G}(3 \mathrm{df}, \mathrm{pd})$ | $6-311++\mathrm{G}(3 \mathrm{df}, 3 \mathrm{pd})$ | aug-cc-pVDZ | aug-cc-pVTZ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\Delta \mathrm{E}$ | -99 | -176 | -320 | -306 | -558 | -316 | -367 |
| BSSE | 256 | 321 | 165 | 189 | 236 | 361 | 347 |

## III.C.4.b. AIM calculations

AIM $^{32}$ calculations have been performed for the S-H $\cdots \bullet \pi$ bonded structure of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ to locate the bond critical points (BCP) between the atoms and the bond paths connecting them. These calculations have been performed using the MP2(full)/aug-cc-pVTZ and MP2(full)/6-311++G** wave functions. The critical points and the bond paths are shown in Figure III.6. At MP2(full)/aug-cc-pVTZ level, the bond critical point connects the hydrogen of $\mathrm{H}_{2} \mathrm{~S}$ to the carbon atom of ethylene instead of the center of $\pi$ bond. At MP2(full)/6-311++G** level, the bond critical point has been found between the hydrogen and the center of $\pi$ bond of ethylene. The electron density ( $\rho$ ) and the Laplacian of the electron density at the bond critical point are shown along with the figures. These values are well within the range for hydrogen bonds as was suggested by Popelier. ${ }^{33}$


Figure III.6. The bond critical points and the bond paths for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ calculated using A. $6-311++G^{* *}$ basis set B. aug-cc-pVTZ basis set

## III.C.4.c. Potential energy curves, barrier heights and the dynamics

From the experimental spectrum, it was clear that two large amplitude motions led to observable splitting. In order to identify these motions, it was decided to calculate the barriers for several possible internal motions within the complex. For the potential energy surface scan, a $\mathrm{C}_{s}$ symmetric structure having $\mathrm{S}-\mathrm{H} \cdot \cdots \cdot \pi$ interaction was chosen as the reference geometry. The geometry is shown in Figure III.9. The geometry was chosen
such that the plane of $\mathrm{H}_{2} \mathrm{~S}$ bisects the $\mathrm{C}-\mathrm{C}$ bond of ethylene. The structural parameters of the monomers were frozen at their optimized values obtained at the same level of theory. The intermolecular separation, $R$, is defined as the distance between the sulphur and the mid point of C-C bond. For the MP2(full)/aug-cc-pVDZ calculations, R is fixed at a value obtained from the optimized geometry of the complex at this basis set. R was fixed at $4.192 \AA$ for all the potential energy scans at MP2(full)/aug-cc-pVDZ level. For the MP2(full)/aug-cc-pVTZ level calculations, R was varied from 3.5 to $14 \AA$. The minimum of the interaction energy was located at $\mathrm{R}=4.0 \AA$. The potential energy curve obtained by varying R at MP2(full)/aug-cc-pVTZ level is shown in Figure III.8. Having these sets of parameters fixed, potential energy curves were calculated for different motions of $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$. The approximate location of the principal axes system of the two monomers is shown in Figure III.7.


Figure III.7. The principal axes system of $\mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{H}_{4}$ monomer


Figure III.8. Variation of energy along the stretching co-ordinate for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex

$\alpha$
Figure III.9. The reference geometry ( $\alpha=0^{\circ}, \beta=0^{\circ}, \gamma=0^{\circ}, \tau=90^{\circ}, \delta=0^{\circ}$ ) of $C_{2} H_{4} \bullet \bullet H_{2} S$ complex chosen for the potential energy scans. The structural parameters varied during the scans are shown in the figure.

## Potential energy curve for the rotation of $\mathrm{C}_{2} \mathrm{H}_{4}$ about $\mathrm{C}-\mathrm{C}$ axis (It's a principal axis) in $\mathrm{C}_{2} \mathrm{H}_{4}-\mathrm{H}_{2} \mathrm{~S}$



Figure III.10. Variation of potential energy due to the rotation of $\mathrm{C}_{2} \mathrm{H}_{4}$ about its ' $a$ ' principal axis ( $C-C$ bond axis) in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} S$ complex.

Potential energy curve for the rotation of $\mathrm{C}_{2} \mathrm{H}_{4}$ about its $a$ axis i.e. along the $\alpha$ co-ordinate is shown in Figure III.10. The vale of $\alpha$ at the reference geometry is $0^{\circ}$ (the S-H bond is perpendicular to the plane of the ethylene monomer). The barrier for this motion lies at $\alpha$ $=90^{\circ}$, where the $\mathrm{S}-\mathrm{H}$ bond is in the plane of ethylene $\mathrm{C}_{2} \mathrm{H}_{4}$ monomer. The potential energy barrier for this rotation is $413 \mathrm{~cm}^{-1}$ with aug-cc-pVTZ basis set whereas it is 362 $\mathrm{cm}^{-1}$ with aug-cc-pVDZ basis set.

Variation of energy along the $\beta$ co-ordinate i.e. the rotation of $\mathrm{C}_{2} \mathrm{H}_{4}$ about its $b$ axis in the complex is shown in Figure III.11. The angle $\beta$ is $0^{\circ}$ for the reference geometry. The barrier for this motion lies at $\beta=90^{\circ}$. Using aug-cc-pVDZ basis set, the barrier for this motion was found to be $675 \mathrm{~cm}^{-1}$. The calculated barrier is much higher at aug-cc-pVTZ level and it is $1443 \mathrm{~cm}^{-1}$.


Figure III.11. Variation of potential energy due to the rotation of $C_{2} H_{4}$ about its ' $b$ ' principal axis in $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex.

Figure III.12. shows the variation of energy along the $\tau$ co-ordinate i.e. the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about the hydrogen bond. The barrier calculated for this motion was found to be $\sim 10 \mathrm{~cm}^{-1}$ using both aug-cc-pvDZ and aug-cc-pVTZ basis sets. The value of $\tau$ in the reference geometry is $90^{\circ}$. The barrier lies at $\tau=0^{\circ}$ which corresponds to a configuration where the non-bonded hydrogen of $\mathrm{H}_{2} \mathrm{~S}$ is lying along the $\mathrm{C}-\mathrm{C}$ bond axis.

Figure III.13. shows the variation of energy along the $\delta$ co-ordinate i.e. the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetric axis (b principal axis of the $\mathrm{H}_{2} \mathrm{~S}$ monomer). The value of $\delta$ is $0^{\circ}$ for the reference geometry. The barrier for this motion lies at $\delta=90^{\circ}$ and corresponds to a geometry where the sulphur is facing the ethylene $\pi$ cloud. Calculation using aug-cc-pVDZ basis set yields a barrier of $404 \mathrm{~cm}^{-1}$ whereas the calculation using aug-cc-pVTZ basis set gives a barrier of $422 \mathrm{~cm}^{-1}$.

Figure III.14. shows the variation of energy along the $\gamma$ co-ordinate i.e. the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $c$ principal axis. This motion faces two barriers. The smaller barrier is for a doubly hydrogen bonded geometry $\left(\gamma=50^{\circ}\right)$ and the larger barrier is for the S-down (S atom facing the $\pi$-cloud of ethylene) configuration i.e $\gamma=270^{\circ}$. The smaller barrier is $148 \mathrm{~cm}^{-1}$ at aug- cc-pVDZ basis set and $155 \mathrm{~cm}^{-1}$ at aug-cc-pVTZ basis set. The larger barrier is $448 \mathrm{~cm}^{-1}$ at aug-cc-pVDZ and $469 \mathrm{~cm}^{-1}$ aug-cc-pVTZ.

## Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about the 'hydrogen-bond' in $\mathrm{C}_{2} \mathrm{H}_{4}-\mathrm{H}_{2} \mathrm{~S}$



Figure III.12. Variation of potential energy due to the rotation of $H_{2} \mathrm{~S}$ about the hydrogen bond in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ complex.

Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about $\mathrm{C}_{2}$ symmetric axis in $\mathrm{C}_{2} \mathrm{H}_{4}-\mathrm{H}_{2} \mathrm{~S}$


Figure III.13. Variation of potential energy due to the rotation of $H_{2} S$ about its $C_{2}$ symmetric ('b' principal axis) axis in $C_{2} H_{4} \bullet \bullet H_{2} S$ complex.

A comparison of the barrier heights for all the motions discussed above sheds some light on the dynamics observed in the $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex. An inspection of the barrier heights makes it clear that the barrier for the end-over-end rotation of $\mathrm{C}_{2} \mathrm{H}_{4}$ moiety (rotation of $\mathrm{C}_{2} \mathrm{H}_{4}$ about its $b$ principal axis) is too high and can be excluded from any further consideration. The in-plane rotation of ethylene can be best thought of as the rotation of the $\mathrm{H}_{2} \mathrm{~S}$ about the hydrogen-bond as the reduced mass for the former would be too high. An extremely low value for this motion makes it highly probable to be present in the complex. However, the present experimental data do not show any evidence in support of this particular motion. The reason may be the splitting is too large to detect in our spectrometer range or the higher internal rotation levels may not be populated enough in the expansion. Thus, all the evidences points to a mechanism indicate mechanism by which the ethylene unit rotates about it's $a$ principal axis.

Figure III.14. Variation of potential energy due to the rotation of $H_{2} S$ about its ' $c$ ' principal axis in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2}$ S complex.

Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its c principal axis in $\mathrm{C}_{2} \mathrm{H}_{4}-\mathrm{H}_{2} \mathrm{~S}$ complex


Let us consider the larger splitting. From the experimental data, it is clear that the larger splitting arises from the interchange of two equivalent hydrogens of $\mathrm{H}_{2} \mathrm{~S}$. The first mechanism that comes in mind is the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetry axis. The barrier for this motion is reasonable and the magnitude is comparable to the barrier height of the ethylene rotation about its $\mathrm{C}-\mathrm{C}$ bond axis. The other mechanism which may cause the splitting is the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $c$ principal axis coupled with the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about the hydrogen bond. The second motion was believed to play a role in case of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{O}$ complex. In case of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{O}$, there was an indirect evidence of this motion from the Stark effect measurements. First of all, the Stark effect measurements for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{O}$ revealed a very low value for $\mu_{\mathrm{c}}$ as the component of the dipole moment in the $c$ axis was averaged out by the rotation of $\mathrm{H}_{2} \mathrm{O}$ about the 'hydrogen bond'. Further, a higher value of the dipole moment for the symmetric tunneling states of
$\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{O}$ suggested the presence of a pathway which maximises the $a$ dipole component at the top of the barrier. This indicated towards a 'doubly hydrogen bonded' transition state and the pathway for the motion being the rotation of $\mathrm{H}_{2} \mathrm{O}$ about its $c$ principal axis. However, this conclusion was not very certain as the experimental difference in the $a$ dipole moment of the two states were marginal in comparison to the experimental uncertainties. With this knowledge, let us have a look at the ab initio barrier heights for these motions in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ complex. From the potential energy surface calculations it can be seen that a $360^{\circ}$ rotation about the $c$ principal axis is not likely as the barrier for placing the sulphur towards the $\pi$ cloud of ethylene is really high. However, a $90^{\circ}$ rotation about this axis is still favourable as it passes through a doubly H bonded structure. The barrier for this motion is 2-3 times less than the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetry axis and is likelier to happen. Though the Stark effect measurement is not possible in our instrument, the pulse dependence of the L and U states can give some clue regarding the dipole moment of the two states which arise from the $\mathrm{H}_{2} \mathrm{~S}$ internal rotation. The optimum microwave pulses for these states are same. Hence, one can say that these states arise from the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetry axis. However, from the experimental dataset, it is difficult to draw a definite conclusion about the mechanism as all we have is the rotational constant differences of the two states. These differences in the rotational constants depend upon the barrier heights of the motions, the reduced mass of the motions causing the splitting and the anharmonicity of the respective potentials. Further, all these motions which cause the splitting involve both $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$ subunits and are actually coupled. Hence, these one-dimensional $a b$ initio calculations serve as only a qualitative guidance to decipher the dynamics.

In $\mathrm{Ne} \cdot \cdots \cdot \mathrm{C}_{2} \mathrm{H}_{4},{ }^{18}$ it was observed that there is some degree of coupling between the radial motion and the rotation of ethylene about $\mathrm{C}-\mathrm{C}$ bond axis. To have some idea of the degree of coupling of these intermolecular motions with the radial co-ordinate in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\circ} \mathrm{H}_{2} \mathrm{~S}$, the intermolecular distances were varied from 3.5-4.5 $\AA$, at a step of $0.1 \AA$, keeping a fixed value for the $\alpha, \beta, \gamma$ and $\delta$ co-ordinate. These calculations are repeated for several values of each of the angle co-ordinates. All the calculations were performed at MP2(full)/aug-cc-pVTZ level. The barriers along the minimum energy path and the changes in the radial co-ordinates are listed in Table III.21.

Table III.21. Barrier for different internal motions of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \cdots \mathrm{H}_{2}$ S obtained by optimizing $R$ (intermolecular separation) at each of the angle. All the calculations have been performed at MP2(full)/aug-cc-pVTZ level.

| Motions | Barriers <br> $\left(\mathrm{cm}^{-1}\right)$ | Change in R along the <br> minimum energy path <br> $(\AA)$ |
| :--- | :---: | :---: |
| Rotation of ethylene about $\mathrm{C}-\mathrm{C}$ <br> bond axis | 361 | 0.2 |
| End-over-end rotation of ethylene | 476 | 1.0 |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about the $\mathrm{C}_{2}$ <br> symmetry axis | 424 | 0.2 |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $c$ principal <br> axis | $468,155^{a}$ | - |

Thus, the barrier for the rotation of ethylene about C-C bond axis (about the a principal axis of the ethylene monomer) decreases by $52 \mathrm{~cm}^{-1}$ as we vary the intermolecular distance. The intermolecular distance changes by $0.2 \AA$ during this motion. This supports the observation that while the ethylene rotates about its $\mathrm{C}-\mathrm{C}$ bond axis, the intermolecular distance changes and as a consequence, there is a change in the S-H bond length ( $\pi$ bonded S-H group) as well. The barrier for the end-over-end rotation of ethylene decreases by three times at a cost of $1 \AA$ movement along the radial co-ordinate. Such a large degree of change in the radial co-ordinate in order to adapt the minimum energy path makes this motion utterly impossible to happen. The rotation of $\mathrm{H}_{2} \mathrm{~S}$ about the $\mathrm{C}_{2}$ symmetry axis requires a change of $0.2 \AA$ along the minimum energy path. The intermolecular distance does not show any significant change if the $\mathrm{H}_{2} \mathrm{~S}$ is rotated by $90^{\circ}$ about its $c$ principal axis from the reference geometry. However a $360^{\circ}$ rotation about this axis shows a strange oscillation in R, though the barrier to bring the sulphur closer to ethylene $\pi$ cloud remains the same. Though, the shape of the potential energy curve is still the same, the minimum energy path is no longer smooth. The intermolecular distance decreases to its minimum value of $3.5 \AA$ at $170^{\circ}$. The rotation of $\mathrm{H}_{2} \mathrm{~S}$ about the
hydrogen bond axis is unlikely to have any dependence on R and is not calculated for that reason.

## III.C.4.d. Low frequency vibrations of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$

Vibrational frequency calculations have been done at all levels of theory to find the nature of the stationary points. The frequencies of the intermolecular modes for $\mathrm{S}-\mathrm{H} \cdot \cdots \pi$ bonded structure of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ calculated at MP2(full)/aug-cc-pVTZ level are

Table III.22. Low frequency modes for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ calculated at MP2(full)/aug-cc-pVTZ level. The calculations were done on both counterpoise corrected and the uncorrected geometries.

| Intermolecular motions | Vibrational <br> frequencies <br> $\left(\mathrm{cm}^{-1}\right)$ <br> Counterpoise <br> uncorrected | Vibrational <br> frequencies <br> $\left(\mathrm{cm}^{-1}\right)$ |
| :--- | :---: | :---: |
| Counterpoise <br> corrected |  |  |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about hydrogen bond <br> coupled with the rotation of ethylene <br> about its $b$ principal axis | 39 | 25 |
| Rotation of ethylene about its b <br> principal axis coupled with the <br> rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $b$ principal <br> axis | 50 | 33 |
| Rotation of ethylene about the C-C <br> bond axis coupled with the rotation of <br> $\mathrm{H}_{2} \mathrm{~S}$ about its $c$ principal axis | 78 | 46 |
| Intermolecular stretching | 89 | 69 |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $c$ principal <br> axis coupled with the rotation of <br> ethylene about its $a$ principal axis | 176 | 123 |
| sweeping of the bonded hydrogen of <br> $\mathrm{H}_{2} \mathrm{~S}$ over the $\pi$ cloud of ethylene <br> coupled with the rotation of ethylene <br> about its $b$ principal axis | 279 | 211 |

shown in Table III.22. A glance at Table III. 22 makes one realise that the barriers calculated for all the motions are quite high comparable to the zero point energies along the normal modes except the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about the hydrogen bond. Thus, all the motions which break the 'hydrogen-bond' are hindered. Further, it is worth noting that all the vibrational frequencies have some contribution from both $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$ monomers. There is not a single normal mode vibration where the motion is localized on one of the monomer. Thus, it is to be expected that the intermolecular motions which give rise to the splitting will have contributions from both the monomers. Further, the presence of six low frequency modes, especially the frequencies of the lowest four modes are quite close and the coupling of one normal mode to the other is also possible. However, a more accurate description of the mechanism of the motion which causes the splitting is beyond the scope of this study.

In order to have more insights over the mechanism of motions, InfraredMicrowave double resonance studies of the four tunnelling states have been performed by Prof. Brooks H. Pate's group at the University of Virginia. ${ }^{34}$ The experiments were performed at both $\mathrm{C}-\mathrm{H}$ and S-H stretch regions. Different band origins for the four tunnelling states (L1, L2, U1 and U2) have been observed in these regions. The S-H frequency shifts for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\circ} \mathrm{H}_{2} \mathrm{~S}$ calculated at different levels of theory are listed in the appendix at the end of this chapter. Experimentally, a shift of $\sim-2.5 \mathrm{~cm}^{-1}$ has been observed for the asymmetric stretch whereas the symmetric stretch shows a shift of $\sim-6$ $\mathrm{cm}^{-1}$. These studies indicate that the motion which causes larger splitting in the rotational spectrum undergoes a change in the barrier upon excitation of the symmetric/asymmetric stretch of $\mathrm{H}_{2} \mathrm{~S}$ in the complex. For both symmetric and asymmetric stretches of $\mathrm{H}_{2} \mathrm{~S}$, the 1-2 pairs showed the same band-origin which essentially means that these tunnelling states do not arise due to any internal rotation/tunnelling motions involving $\mathrm{H}_{2} \mathrm{~S}$. In addition to this, two fundamental $\mathrm{C}-\mathrm{H}$ stretch vibrations of ethylene monomer have been observed at $2987 \mathrm{~cm}^{-1}$ and $3103 \mathrm{~cm}^{-1}$. Interestingly, the vibrational displacement vectors of the higher frequency band of the ethylene C-H stretch changes its sign while ethylene rotates about its C-C bond axis and hence, the vibrational transitions connect the 1 and 2 states. Thus, a shift of $0.1 \mathrm{~cm}^{-1}$ in the band origin was measured for the higher frequency tunnelling pair (U1-U2). Hence, these studies provide indirect evidence that the smaller
splitting involves the motion of ethylene whereas the larger splitting involves the motion of $\mathrm{H}_{2} \mathrm{~S}$ subunit in the complex and corroborate the microwave finding

## III.C.5. Molecular Symmetry Group analysis and the relative Intensity pattern:

From Figure III.1., it is clear that the intensities of four lines differ. The intensities are proportional to the spin statistical weights of the corresponding levels. Molecular symmetry group analyses have been done to obtain the nuclear spin statistical weights of the rotational-torsional levels. For the analysis, the equilibrium geometry of the complex was assumed to be of $\mathrm{C}_{s}$ symmetry. The geometry is such that the plane of hydrogen sulphide moiety is passing through the C-C bond of ethylene. It is to be noted that the assumed orientation of the non-bonded hydrogen of $\mathrm{H}_{2} \mathrm{~S}$ does not alter the results obtained through this analysis. Further, the barrier for the rotation about the hydrogen bond is so low that locating this hydrogen in the equilibrium geometry is impossible from the present set of experimental data. The molecular symmetry group analysis was performed for different motions of ethylene which exchanges different pairs of equivalent hydrogens in the complex.

Considering the rotation of ethylene about its $a$ axis, the feasible motions which can lead to the observed splitting patterns are 1 . Rotation of $\mathrm{C}_{2} \mathrm{H}_{4}$ about $\mathrm{C}-\mathrm{C}$ bond axis 2 . Internal rotation of $\mathrm{H}_{2} \mathrm{~S}$ which interchanges its equivalent hydrogens 3. Both 1 and 2 together. Hence, the molecular symmetry group consists of eight feasible operations: E, $(13)(24),(56),(13)(24)(56), \mathrm{E}^{*},(13)(24)^{*},(56)^{*},(13)\left(24(56)^{*}\right.$. This group is isomorphic with $\mathrm{D}_{2 h}$ point group and is named $\mathrm{G}_{8}$. The $\mathrm{G}_{8}$ character table is shown in Table III.23. Effect of each of these operations on the equilibrium geometry of the complex is shown in Figure III.15. The conformations resulting from the inversion operation are shown on the right hand side of the Figure III.15. A careful examination of the figure reveals that the rotation of the complex by $180^{\circ}$ about its $c$ principal axis transforms each of the configurations on the right to one of those in the left. Hence, the numbers of non-superimposable distinguishable minima reduce to four for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$. Thus, the rotation-torsion wave function is expected to have four-fold degeneracy and
explains the four line splitting pattern observed in the spectrum. The characters of the reducible representation generated by the rotation-torsion wave function of the four distinct configurations can be found out easily. These are shown in Table III.24. The operations (13)(24), (56), E*, (13)(24)(56), (56)*, (13)(24)(56)* transform each configuration into another and thus have zero character. Only operations those contribute

Table III.23.Gs character table

| $\mathrm{G}_{8}$ | E | $(13)(24)$ | $(56)$ | $(13)(24)(56)$ | $\mathrm{E}^{*}$ | $(13)(24)^{*}$ | $(56)^{*}$ | $(13)(24)(56)^{*}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{~A}_{1}{ }^{\prime}$ | 1 | 1 | 1 | 1 | 1 | 1 | 1 | 1 |
| $\mathrm{~A}_{1}{ }^{\prime \prime}$ | 1 | 1 | 1 | 1 | -1 | -1 | -1 | -1 |
| $\mathrm{~A}_{2}{ }^{\prime}$ | 1 | 1 | -1 | -1 | 1 | 1 | -1 | -1 |
| $\mathrm{~A}_{2}{ }^{\prime \prime}$ | 1 | 1 | -1 | -1 | -1 | -1 | 1 | 1 |
| $\mathrm{~B}_{1}{ }^{\prime}$ | 1 | -1 | -1 | 1 | 1 | -1 | -1 | 1 |
| $\mathrm{~B}_{1}{ }^{\prime \prime}$ | 1 | -1 | -1 | 1 | -1 | 1 | 1 | -1 |
| $\mathrm{~B}_{2}{ }^{\prime}$ | 1 | -1 | 1 | -1 | 1 | -1 | 1 | -1 |
| $\mathrm{~B}_{2}{ }^{\prime \prime}$ | 1 | -1 | 1 | -1 | -1 | 1 | -1 | 1 |

Table III.24. The reducible representation generated by the rotation-torsion wave functions of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$

|  | $\mathbf{E}$ | $\mathbf{( 1 3 ) ( 2 4 )}$ | $\mathbf{( 5 6 )}$ | $\mathbf{( 1 3 ) ( 2 4 ) ( 5 6 )}$ | $\mathbf{E}^{*}$ | $\mathbf{( 1 3 ) ( 2 4 ) *}$ | $\mathbf{( 5 6 )}^{*}$ | $\mathbf{( 1 3 ) ( 2 4 ) ( 5 6 ) *}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\Gamma_{\mathbf{A}^{\prime}}$ | 4 | 0 | 0 | 0 | 0 | 4 | 0 | 0 |
| $\Gamma_{\mathrm{A}^{\prime \prime}}$ | 4 | 0 | 0 | 0 | 0 | -4 | 0 | 0 |

Figure III.15. Effect of each PI operation (considering the rotation of ethylene about the C-C bond axis) on $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2}$ S complex. The equilibrium geometry was assumed to have $C_{s}$ symmetry. The configurations linked by arrows are convertible to one another by a rotation of the complex about its c principal axis.


to the character are E and (13)(24)*. In case of $\left(\mathrm{H}_{2} \mathrm{O}\right)_{2}$, it was pointed out by Dyke ${ }^{37}$ that for a prolate slightly asymmetric top, the rotational wave function transforms like $\mathrm{A}^{\prime}$ for $\mathrm{J}_{\text {even }}$ and $\mathrm{A}^{\prime \prime}$ for $\mathrm{J}_{\text {odd }}$ for $\mathrm{K}=0$. Thus, for $\mathrm{K} \neq 0$, the upper half of the K doublet transforms like $\mathrm{A}^{\prime}$ for $\mathrm{J}_{\text {even }}$ and $\mathrm{A}^{\prime \prime}$ for $\mathrm{J}_{\text {odd. }}$. For $\mathrm{K} \neq 0$, the lower part of the K doublet transforms like $A^{\prime \prime}$ for $\mathrm{J}_{\text {even }}$ and $\mathrm{A}^{\prime}$ for $\mathrm{J}_{\text {odd }} . \mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\bullet} \mathrm{H}_{2} \mathrm{~S}$ is a nearly prolate asymmetric top with $\kappa=-$ 0.9912 and these conclusions are valid for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ as well. Thus the energy level of $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$ in the ground torsional state and with $\mathrm{J}=0$ will split into the following sublevels:

$$
\begin{equation*}
\Gamma_{\mathrm{A}^{\prime}}=\mathrm{A}_{1}^{\prime}+\mathrm{A}_{2}^{\prime}+\mathrm{B}_{1}^{\prime \prime}+\mathrm{B}_{2}^{\prime \prime} \tag{5}
\end{equation*}
$$

Similarly the energy level of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ in the ground torsional state and with $\mathrm{J}=1(\mathrm{~K}=0)$ will split into following sub-levels:

$$
\begin{equation*}
\Gamma_{\mathrm{A}}{ }^{\prime \prime}=\mathrm{A}_{1}^{\prime \prime}+\mathrm{A}_{2}{ }^{\prime \prime}+\mathrm{B}_{1}{ }^{\prime}+\mathrm{B}_{2}^{\prime} \tag{6}
\end{equation*}
$$

The total wave function for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ is antisymmetric for odd permutation of the hydrogens and symmetric for the even permutation for the hydrogens. The effect of the inversion operation on the symmetry of the total wave function can be either of these. Thus from the character table one can find out the symmetry of the total wave function to be either $\mathrm{A}_{2}{ }^{\prime}$ or $\mathrm{A}_{2}{ }^{\prime \prime}$. The character of the reducible representation ( $\Gamma_{\mathrm{NS}}$ ) formed by the nuclear spin functions of six hydrogen atoms can be found out using the formula

$$
\begin{equation*}
\chi_{p}=\prod_{i}\left(2 I_{i}+1\right) \tag{7}
\end{equation*}
$$

and are shown in Table III. 25 .

Table III.25. The characters of the reducible representation formed by the nuclear spin functions of the six hydrogen atoms of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$.

|  | E | $(13)(24)$ | $(56)$ | $(13)(24)(56)$ | $\mathrm{E}^{*}$ | $(13)(24)^{*}$ | $(56)^{*}$ | $(13)(24)(56)^{*}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\Gamma_{\mathrm{NS}}$ | 64 | 16 | 32 | 8 | 64 | 16 | 32 | 8 |
|  |  |  |  |  |  |  |  |  |

The symmetry of the nuclear spin functions and their degeneracy can be found by reducing $\Gamma_{\mathrm{NS}}$

$$
\begin{equation*}
\Gamma_{\mathrm{NS}}=30 \mathrm{~A}_{1}^{\prime}+10 \mathrm{~A}_{2}^{\prime}+18 \mathrm{~B}_{1^{\prime}}+6 \mathrm{~B}_{2}^{\prime} \tag{8}
\end{equation*}
$$

The statistical weight for the rotation-torsion state is given by the number of nuclear spin functions that can combine with that particular state such that the total wave function has symmetry $\mathrm{A}_{2}{ }^{\prime}$ or $\mathrm{A}_{2}{ }^{\prime \prime}$. The result for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ is shown in Table III. 26 .

The allowed rotational-torsional states and their spin statistical weights could also be calculated in a simpler way by the formula given below:

$$
\begin{equation*}
\Gamma_{r v E}{ }^{S W}(P)=2 \prod\left(2 I_{\alpha}+1\right)(-1)^{\left.\left(2 I_{\alpha}\right)\left(n_{\alpha}-1\right)\right)} \tag{9}
\end{equation*}
$$

Here the product contains one factor for each set of $\mathrm{n}_{\alpha}$ nuclei having spin $\mathrm{I}_{\alpha}$, permuted by the permutation operation $P$. The characters in the $\Gamma_{\text {rve }}{ }^{\text {SW }}$ are zero for all the permutation operations in the MS group. The reducible representation obtained by this formula can be reduced to get the allowed rotational-torsional states and the co-efficients give us the spin statistical weights which is quite straightforward. Considering the rotation of ethylene about C-C axis, the weights for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{D}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{D}_{4} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{D}_{4} \cdots{ }^{\circ} \mathrm{D}_{2} \mathrm{~S}$ have been calculated using this formula. The weights are listed in Table III. 27.

The calculated weights compare reasonably well with the intensity ratios obtained from the experiment. For $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$, the calculated weight for the $\mathrm{A}_{1}{ }^{\prime}$ state is one-third of the weight of $\mathrm{A}_{2}{ }^{\prime}$ state. Similar is the case with $\mathrm{B}_{2}{ }^{\prime \prime}$ and $\mathrm{B}_{1}{ }^{\prime \prime}$ states. In case of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{D}_{2} \mathrm{~S}$, the calculated weights show a ratio of $2: 1$, the trend being reverse. The experimental intensity ratios of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\bullet} \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$ are plotted in Figure III. 16 . and Figure III.17. Experiments show reversal of intensity pattern for the lower and upper states for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{D}_{2} \mathrm{~S}$ as expected from the statistical weights. Total intensity ratio of the lower and upper doublet is 2.2:1 (compared to the calculated ratio of 3:1) for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ and 1:1.5(compared to the calculated ratio of 1:2) for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{D}_{2} \mathrm{~S}$. It should be noted that experimental intensity ratios are not accurate match to the statistical weights due to the variation of sensitivity of the spectrometer over the frequency range.

Intensity pattern and ratios comparable to $3: 1$ and 1:2 for the $\mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{D}_{2} \mathrm{~S}$ isotopologues agree with the fact that the larger splitting is due to internal rotation of $\mathrm{H}_{2} \mathrm{~S}$, which interchanges the two equivalent hydrogens. The experimental intensity ratios of the 1-2 doublet is close to 3:5 for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{D}_{2} \mathrm{~S}$ as is expected from the calculated statistical weights. The spectra for $\mathrm{C}_{2} \mathrm{D}_{4} \cdots{ }^{\circ} \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \cdots \mathrm{D}_{2} \mathrm{~S}$ are shown in Figure III.18. and III.19. For $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{D}_{4} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$, the lower and upper sets show the reversal of the intensity pattern as was observed for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{D}_{2}$ S. For the smaller splitting, L1-L2/U1-U2 show almost same intensity. This is expected as the calculated statistical weights for these states have the ratio of 5:4.

Table III.26. Symmetry of the rotational-torsional states, symmetry of nuclear spin function and the symmetry of the total wave function along with the calculated statistical weights of the levels.

| Rotational- <br> torsional sublevel <br> symmetry | Nuclear spin function <br> symmetry | Total wave <br> function <br> symmetry | Spin statistical <br> weights |
| :---: | :---: | :---: | :---: |
| $\mathrm{A}_{1}{ }^{\prime}$ | $\mathrm{A}_{2}{ }^{\prime}$ | $\mathrm{A}_{2}{ }^{\prime}$ | 10 |
| $\mathrm{~A}_{2}{ }^{\prime}$ | $\mathrm{A}_{1}{ }^{\prime}$ | $\mathrm{A}_{2}{ }^{\prime}$ | 30 |
| $\mathrm{~B}_{1}{ }^{\prime \prime}$ | $\mathrm{B}_{2}{ }^{\prime}$ | $\mathrm{A}_{2}{ }^{\prime}$ | 18 |
| $\mathrm{~B}_{2}{ }^{\prime \prime}$ | $\mathrm{B}_{1}{ }^{\prime}$ | $\mathrm{A}_{2}{ }^{\prime}$ | 6 |
| $\mathrm{~A}_{1}{ }^{\prime \prime}$ | $\mathrm{A}_{2}{ }^{\prime}$ | $\mathrm{A}_{2}{ }^{\prime \prime}$ | 10 |
| $\mathrm{~A}_{2}{ }^{\prime}$ | $\mathrm{A}_{1}{ }^{\prime}$ | $\mathrm{A}_{2}{ }^{\prime}$ | 30 |
| $\mathrm{~B}_{1}{ }^{\prime}$ | $\mathrm{B}_{2}{ }^{\prime}$ | $\mathrm{A}_{2}{ }^{\prime}$ | 18 |
| $\mathrm{~B}_{2}{ }^{\prime}$ | $\mathrm{B}_{1}{ }^{\prime}$ | $\mathrm{A}_{2}{ }^{\prime}$ | 6 |

Table III.27. Level symmetry of the rotational-torsioanl states and the spin statistical weights for the isotopes of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2}$ S.

| Level symmetry | $\mathrm{C}_{2} \mathrm{H}_{4}-\mathrm{D}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{D}_{4}-\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{D}_{4}-\mathrm{D}_{2} \mathrm{~S}$ |
| :---: | :---: | :---: | :---: |
| $\mathrm{~A}_{1}{ }^{\prime}$ | 60 | 45 | 270 |
| $\mathrm{~A}_{2}{ }^{\prime}$ | 30 | 135 | 135 |
| $\mathrm{~B}_{1}{ }^{\prime}$ | 36 | 36 | 216 |
| $\mathrm{~B}_{2}{ }^{\prime}$ | 18 | 108 | 108 |
| $\mathrm{~A}_{1}{ }^{\prime}$ | 60 | 45 | 270 |
| $\mathrm{~A}_{2}{ }^{\prime}$ | 30 | 135 | 135 |
| $\mathrm{~B}_{1}{ }^{\prime}$ | 36 | 36 | 216 |
| $\mathrm{~B}_{2}{ }^{\prime}$ | 18 | 108 | 108 |

Figure III.16. Stick diagram showing the correlation of the calculated statistical weights with the experimental intensities for $J=1 \rightarrow 2\left(K_{a}=0\right)$ transitions for $C_{2} H_{4} \cdots H_{2} S$


Figure III.17. Stick diagram showing the correlation of the calculated statistical weights with the experimental intensities for $J=1 \rightarrow 2\left(K_{a}=0\right)$ transitions for $C_{2} H_{4} \cdots D_{2} S$


Figure III.18. $J=2_{02} \rightarrow 3_{03}$ transitions for $C_{2} D_{4} \cdots{ }^{\bullet} H_{2} S$. From the intensity scale it is evident that the lower state doublets are almost thrice as intense as the upper state doublets.


Figure III.19. $J=3_{03} \rightarrow 4_{04}$ transitions of $C_{2} D_{4} \bullet \bullet D_{2} S$. From the intensity scale it is evident that the upper state doublets are almost twice as intense as the lower state doublets.
a) Lower state (L1/L2)
b) Upper state (U1/L2)


Of course there is enough evidence from the experiments to conclude that the dynamics of ethylene motion involves its rotation about C-C bond axis. However, independent analyses were performed considering the end-over-end rotation of ethylene and the in plane rotation of ethylene. Considering the in-plane rotation of ethylene, the feasible operations are: E, (14)(23)(78),(56), (14)(23)(56)(78), E*, (14)(23)(78)*, (56)* and $(14)(23)(56)(78)^{*}$. All the operations are shown in Figure III.20. A careful examination of Figure III.20. reveals that none of the structure is superimposable on one another. Hence, the rotational-torsional wave functions will be eight fold degenerate. Considering the end-over-end rotation of ethylene monomer, the feasible operations are: $\mathrm{E},(13)(24)(56),(56),(13)(24)(56)(78), \mathrm{E}^{*},(13)(24)(56)^{*},(56)^{*},(13)(24)(56)(78)^{*}$ and here, in this case also, the number of distinguishable minima are eight. None of the motions can transform one configuration to other. Thus, in both of these cases, the rotational-torsional states will be eight fold degenerate. Hence, the obtained statistical weights are same as were obtained for the rotation of ethylene about the $\mathrm{C}-\mathrm{C}$ bond axis. Hence, the calculated weights cannot distinguish these three motions of ethylene of course. However, the total number of observed states in the spectrum is four, whereas any other rotation of ethylene except the rotation of ethylene about the $\mathrm{C}-\mathrm{C}$ bond axis does not reproduce the observed four line pattern in the spectrum making our conclusions even more definite.

## III. D. Is $\mathrm{C}_{2} \mathbf{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ hydrogen bonded?

The weakly bound $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ complex has a structure very similar to the other hydrides such as $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{HF}, \mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{HCl}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{O}$ complexes. However, one would wonder if this complex is to be called 'hydrogen-bonded'. The smaller frequency shift of $2.5 \mathrm{~cm}^{-1}$ observed in Infrared-Microwave Double resonance experiments can strengthen this doubt. However, a crude estimate of the position of the hydrogen from the present study showed that the average structure of the complex has the hydrogen closer to the ethylene $\pi$-cloud, which is an obvious indication of it to be 'hydrogenbonded'. The AIM calculations reported in section III.C.4.b shows the complex to be 'hydrogen bonded' as it follows the criterion given by Popelier for the electron density $(\rho)$ at the BCP and the Laplacian of the electron density at the BCP $\left(\nabla^{2} \rho\right)$. Further, the

Figure III.20. Effect of each PI operation (considering the in-plane rotation of ethylene) on $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{H}_{2} \mathrm{~S}$ complex. The equilibrium geometry was assumed to have Cs symmetry. None of the configuration is convertible to another by rotation.



E

(56)



E*


$(56)^{*}$

$(14)(23)(78)$


$(14)(23)(56)(78)$


$(14)(23)(78)^{*}$


(14)(23(56)(78)*
calculated zero point energies of all the large amplitude vibrations are significantly lower than the barrier heights calculated for these motions, which is a necessary and sufficient criterion to call this complex as hydrogen-bonded. A more in-depth discussion on this criterion is given in chapter VI. Further, the nature of the large amplitude motion and the splitting in the spectrum can shed some light on the strength of the interaction. Thus, larger is the splitting, floppier is the potential. Here, $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ seems to be residing in the border of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{Ar}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{H}_{2} \mathrm{O}$. The former complex is not 'hydrogen-bonded' and falls among the more general class of van der Waals complexes, whereas the later is 'hydrogen-bonded (proved by the FTMW experiments and the details are included in chapter VI). A stick diagram of the splitting patterns observed for these complexes is shown in Figure III.21. A splitting of 6 MHz in $(\mathrm{B}+\mathrm{C}) / 2$ has been observed in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{Ar}$ complex which arises because of the internal rotation of $\mathrm{C}_{2} \mathrm{H}_{4}$ about its $\mathrm{C}-\mathrm{C}$ bond axis in the complex. On the other hand, $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{O}$ has a splitting less than 1 MHz in $(\mathrm{B}+\mathrm{C}) / 2$, which arises because of the internal rotation of $\mathrm{H}_{2} \mathrm{O}$ moiety in the complex. The internal rotation of the ethylene moiety is quenched in the $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \cdot \mathrm{H}_{2} \mathrm{O}$ complex which is a strong indication of the strength of the 'hydrogen-bonding' present in it. In case of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, we have both $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$ exerting internal rotation with respect to each other. It is more interesting to look at the splitting magnitude. The rotation of $\mathrm{C}_{2} \mathrm{H}_{4}$ about its $\mathrm{C}-\mathrm{C}$ bond axis gives rise to a splitting of few hundred kHz which was 6 MHz in $\mathrm{Ar} \cdots{ }^{2} \mathrm{C}_{2} \mathrm{H}_{4}$ and whereas the interchange of the equivalent hydrogens of $\mathrm{H}_{2} \mathrm{~S}$ in the complex gives rise to the larger splitting which is almost 2 MHz in $(\mathrm{B}+\mathrm{C}) / 2$ compared to the 1 MHz splitting observed in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{O}$ Thus, $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ can be called as a bridge between the 'hydrogen bonding' and the other more general van der Waals interaction.


Figure III.21. Stick diagram of $J=1 \rightarrow 2, K=0$ transition frequencies for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{Ar}$, $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \cdots \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{O}$. The transitions frequencies have been divided by $2(\mathrm{~J}+1)$ in order to plot with the same scale.

## III.E. Conclusions

Rotational spectra of weakly bound complex $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$ and its isotopologues have been observed. In this complex, $\mathrm{H}_{2} \mathrm{~S}$ has been found to act as hydrogen bond donor to the $\pi$ system of ethylene. The spectrum reveals the complex to be a nearly prolate asymmetric top with $\kappa=-0.9912$. Each of the transitions for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \cdots \mathrm{H}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{D}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{3} \mathrm{H}_{2}{ }^{34} \mathrm{~S}$,
$\mathrm{C}_{2} \mathrm{D}_{4} \bullet \cdots \mathrm{H}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{D}_{2} \mathrm{~S}$ and ${ }^{13} \mathrm{CCH}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ is split into four whereas $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{HDS}$ and $\mathrm{C}_{2} \mathrm{D}_{4} \cdots \mathrm{HDS}$ shows only doubling of each transition. The smaller splitting is 0.14 MHz and the higher splitting is 1.67 MHz in $(\mathrm{B}+\mathrm{C}) / 2$ for the parent isotopologue. Each series has been fitted separately using Watson's S-reduction Hamiltonian. The splitting pattern of the parent and all the isotopologues indicate that the smaller splitting arises due to the rotation of ethylene about its C-C bond axis along with the movement of S-H bond whereas the larger motion arises due to the interchange of equivalent hydrogens of $\mathrm{H}_{2} \mathrm{~S}$ in the complex. These studies also indicate that both the motions evidenced by the microwave spectroscopy have contributions from both ethylene and $\mathrm{H}_{2} \mathrm{~S}$ subunits. Molecular symmetry group analysis has been performed for this complex and it shows a good agreement with the experimental intensity pattern. Intensity pattern and ratios comparable to $3: 1$ and $1: 2$ for L-U doublets of the $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdots \mathrm{D}_{2} \mathrm{~S}$ isotopologues agree to the fact that the larger splitting arises because of the internal rotation of $\mathrm{H}_{2} \mathrm{~S}$. The intensity ratios of the 1-2 doublets is close to $6: 10$ for the parent isotopologue and agrees to the spin statistical weights calculated from the analysis. The $\pi$ bonded structure for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ has been optimized at various levels of theory and the interaction energy has been reported. The binding energy of the $\pi$ bonded structure is $214 \mathrm{~cm}^{-1}$ at MP2(full)/aug-cc-pVQZ level with counterpoise correction. Potential energy curves for different motions of $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$ in the complex have been calculated to know the relative barrier heights. These barrier heights support the fact the rotation of $\mathrm{C}_{2} \mathrm{H}_{4}$ about its C-C bond axis is the likeliest to cause the smaller splitting whereas the larger splitting may be arising from the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetric axis or the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $c$ principal axis coupled with the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about the hydrogen bond. The calculated barrier heights would indicate the later motion to be more preferable. However, the pulse dependence of the states arising due to the internal rotation of $\mathrm{H}_{2} \mathrm{~S}$ indicates that the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about $\mathrm{C}_{2}$ symmetry axis is the one which causes the splitting. These studies indicate that the potential energy surface of the $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$ complex is significantly floppier than $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \cdot \mathrm{H}_{2} \mathrm{O}$ to allow the internal rotation of both the subunits in the complex.

## III.F. References

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## Appendix

Table III.A.1. Unassigned transitions dependent on both $\mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{H}_{2} \mathrm{~S}$. The optimum pulse is reported wherever is tested.

| Transitions | Component1 | Component2 | Carrier gas | MW pulse duration ( $\mu \mathrm{s}$ ) |
| :---: | :---: | :---: | :---: | :---: |
| 8632.5 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar | 0.5 |
| 8618.571 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar | 0.5 |
| 8615.69 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar | 0.5 |
| 8429.543 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar | 0.5 |
| 8421.452 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar | 0.5 |
| 8322.58 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar | 0.5 |
| 7986.97 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar | 0.5 |
| 11396.405 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar | 0.5 |
| 11397.5959 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11417.4705 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11418.68 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11421.5268 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11421.6316 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11422.7348 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11425.5998 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11426.7916 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11431.3215 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11533.6227 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11533.6 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11537.8537 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |
| 11537.836 | $\mathrm{H}_{2} \mathrm{~S}$ | $\mathrm{C}_{2} \mathrm{H}_{4}$ | Ar |  |

Table III.A.2. Structural parameters for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \cdots \mathrm{H}_{2} \mathrm{~S}$ optimized at MP2(full) level using different basis sets on the counterpoise uncorrected surface. The bond lengths are given in $\AA \AA$ s and the angles and the dihedrals are given in degrees.

|  | Structural parameters | 6-31G* | 6-311++G** | $\begin{gathered} 6- \\ 311++\mathrm{G}(3 \mathrm{df}, 2 \mathrm{p}) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: |
|  | C1-C2 | 1.336 | 1.339 | 1.331 |
|  | C1-H3 | 1.084 | 1.085 | 1.079 |
|  | C1-S8 | 4.103 | 4.071 | 4.027 |
|  | S8-H7 | 1.341 | 1.334 | 1.335 |
|  | S8-H9 | 1.339 | 1.335 | 1.332 |
|  | $\angle \mathrm{H} 3-\mathrm{C} 1-\mathrm{C} 2$ | 121.7 | 121.4 | 121.4 |
|  | $\angle \mathrm{H} 4-\mathrm{C} 1-\mathrm{C} 2$ | 121.7 | 121.5 | 121.4 |
|  | $\angle \mathrm{H} 5-\mathrm{C} 2-\mathrm{C} 1$ | 121.7 | 121.4 | 121.5 |
|  | $\angle \mathrm{H} 6-\mathrm{C} 2-\mathrm{C} 1$ | 121.7 | 121.5 | 121.4 |
| H3 | $\angle$ S8-C1-C2 | 80.6 | 80.7 | 78.6 |
|  | $\angle \mathrm{H} 7-\mathrm{S} 8-\mathrm{C} 2$ | 9.8 | 11.7 | 10.3 |
|  | $\angle \mathrm{H} 9-\mathrm{S8}-\mathrm{H} 7$ | 93.6 | 92.3 | 92.3 |
|  | D(H4-C1-C2-H3) | -179.5 | -179.7 | -179.9 |
|  | D(H5-C2-C1-H4) | -179.5 | -179.7 | -179.9 |
|  | D(H6-C2-C1-H5) | 179.5 | 179.7 | 179.8 |
|  | D(S8-C1-C2-H6) | -97.4 | -81.9 | -91.8 |
|  | D(H7-S8-C2-C1) | -16.6 | -35.3 | -12.9 |
|  | D(H9-S8-H7-C2) | 106.3 | 125.0 | 93.3 |

Table III.A.3. Structural parameters for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ optimized at MP2(full) level using different basis sets on the counterpoise uncorrected surface. The bond lengths are given in $\AA \mathrm{s}$ and the angles and the dihedrals are in degrees.

| Structural parameters | $\begin{gathered} 6- \\ 311++\mathrm{G}(3 \mathrm{dff}, \mathrm{pd}) \end{gathered}$ | $\begin{gathered} 6- \\ 311++\mathrm{G}(3 \mathrm{df}, 3 \mathrm{pd}) \end{gathered}$ | aug-cc-pVDZ | aug-cc-pVTZ | aug-cc-pVQZ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| C1-C2 | 1.330 | 1.331 | 1.350 | 1.330 | 1.328 |
| C1-H3 | 1.082 | 1.080 | 1.092 | 1.078 | 1.078 |
| C1-S8 | 4.022 | 3.980 | 3.983 | 3.902 | 3.975 |
| S8-H7 | 1.334 | 1.333 | 1.351 | 1.335 | 1.335 |
| S8-H9 | 1.332 | 1.330 | 1.348 | 1.333 | $1 . .332$ |
| $\angle \mathrm{H} 3-\mathrm{C} 1-\mathrm{C} 2$ | 121.4 | 121.4 | 121.3 | 121.3 | 121.4 |
| $\angle \mathrm{H} 4-\mathrm{C} 1-\mathrm{C} 2$ | 121.4 | 121.4 | 121.3 | 121.3 | 121.4 |
| $\angle \mathrm{H} 5-\mathrm{C} 2-\mathrm{Cl} 1$ | 121.4 | 121.4 | 121.3 | 121.3 | 121.4 |
| $\angle \mathrm{H} 6-\mathrm{C} 2-\mathrm{Cl} 1$ | 121.4 | 121.4 | 121.3 | 121.3 | 121.4 |
| $\angle$ S8-C1-C2 | 80.3 | 80.3 | 79.9 | 80.0 | 79.4 |
| $\angle \mathrm{H} 7$-S8-C2 | 10.3 | 9.8 | 10.3 | 10.0 | 10.7 |
| $\angle \mathrm{H} 9-\mathrm{S8}-\mathrm{H} 7$ | 92.5 | 92.3 | 92.3 | 92.1 | 92.3 |
| D(H4-C1-C2-H3) | -179.9 | -179.9 | -179.8 | 180.0 | -180.0 |
| D(H5-C2-C1-H4) | -179.9 | -179.9 | -179.8 | 180.0 | -180.0 |
| D(H6-C2-C1-H5) | 179.9 | 179.889 | 179.8 | 180.0 | 180.0 |
| D(S8-C1-C2-H6) | -93.5 | -92.7 | 93.8 | 91.8 | -93. |
| D(H7-S8-C2-C1) | -16.4 | -11.5 | -16.3 | -6.7 | -17.2 |
| D(H9-S8-H7-C2) | 106.6 | 100.9 | 104.4 | 96.6 | 108.3 |

Table III.A.4. Structural parameters for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ optimized at MP2(full) level using different basis sets on the counterpoise corrected surface. The bond lengths are given in $\AA$ s and the angles and the dihedrals are given in degrees.

| Structural parameters | 6-31G* | 6-311++G** | $\begin{gathered} 6- \\ 311++\mathrm{G}(3 \mathrm{df}, 2 \mathrm{p}) \end{gathered}$ | $\begin{gathered} 6- \\ 311++\mathrm{G}(3 \mathrm{df}, \mathrm{pd}) \end{gathered}$ | $\begin{gathered} \hline 6- \\ 311++\mathrm{G}(3 \mathrm{df}, 3 \\ \mathrm{pd}) \end{gathered}$ | aug-cc-pVDZ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| C1-C2 | 1.336 | 1.339 | 1.331 | 1.330 | 1.331 | 1.349 |
| C1-H3 | 1.085 | 1.085 | 1.080 | 1.082 | 1.082 | 1.092 |
| C1-S8 | 4.298 | 4.295 | 4.089 | 4.142 | 4.143 | 4.149 |
| S8-H7 | 1.340 | 1.334 | 1.334 | 1.334 | 1.333 | 1.350 |
| S8-H9 | 1.339 | 1.333 | 1.332 | 1.331 | 1.330 | 1.348 |
| $\angle \mathrm{H} 3-\mathrm{C} 1-\mathrm{C} 2$ | 121.7 | 121.4 | 121.4 | 121.4 | 121.4 | 121.3 |
| $\angle \mathrm{H} 4-\mathrm{C} 1-\mathrm{C} 2$ | 121.7 | 121.4 | 121.4 | 121.4 | 121.4 | 121.4 |
| $\angle \mathrm{H} 5-\mathrm{C} 2-\mathrm{C} 1$ | 121.7 | 121.4 | 121.4 | 121.4 | 121.4 | 121.4 |
| $\angle \mathrm{H} 6-\mathrm{C} 2-\mathrm{Cl}$ | 121.7 | 121.4 | 121.4 | 121.4 | 121.4 | 121.3 |
| $\angle \mathrm{S} 8-\mathrm{C} 1-\mathrm{C} 2$ | 81.0 | 80.5 | 83.9 | 83.4 | 78.3 | 79.8 |
| $\angle \mathrm{H} 7-\mathrm{S} 8-\mathrm{C} 2$ | 9.5 | 10.8 | 14.5 | 13.4 | 10.2 | 11.5 |
| $\angle \mathrm{H} 9-\mathrm{S} 8-\mathrm{H} 7$ | 93.5 | 92.2 | 92.4 | 92.6 | 92.3 | 92.7 |
| D(H4-C1-C2-H3) | -179.6 | -179.6 | -179.6 | -179.8 | -179.9 | -179.8 |
| D(H5-C2-C1-H4) | -179.6 | -179.6 | 180.0 | -179.9 | -179.8 | -179.8 |
| D(H6-C2-C1-H5) | 179.6 | 179.7 | -179.6 | 180.0 | 179.6 | 179.8 |
| D(S8-C1-C2-H6) | -97.5 | -95.6 | -99.5 | -98.3 | -92.1 | -97.5 |
| D(H7-S8-C2-C1) | -19.1 | -18.4 | -44.8 | -40.1 | -12.6 | -30.8 |
| D(H9-S8-H7-C2) | 109.2 | 119.2 | 124.1 | 123.1 | 96.5 | 120.5 |

Table III.A.5. Rotational constants for $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \bullet \mathrm{H}_{2} \mathrm{~S}$ calculated at MP2(full) level using different basis sets

| Rotational constants (MHz) | 6-31G* | $\begin{gathered} 6- \\ 311++\mathrm{G}^{* *} \end{gathered}$ | $6 \text { 6- }$ $311++\mathrm{G}(3 \mathrm{df},$ <br> 2p) | $\begin{gathered} 6- \\ 311++G(3 \mathrm{df}, \mathrm{pd}) \end{gathered}$ | 6- $311++\mathrm{G}(3 \mathrm{df},$ <br> 3pd) | aug-cc- <br> pVDZ | aug-cc- <br> pVTZ | aug-cc- <br> pVQZ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\overline{\mathrm{A}(\mathrm{CP}}$ <br> uncorrected ) | 22952 | 22984 | 23152 | 23125 | 23136 | 22551 | 23175 | 23229 |
| $\begin{gathered} \mathrm{B}(\mathrm{CP} \\ \text { uncorrected } \\ ) \end{gathered}$ | 1986 | 2014 | 2087 | 2070 | 2114 | 2114 | 2203 | 2129 |
| $\begin{gathered} \mathrm{C}(\mathrm{CP} \\ \text { uncorrected } \\ ) \end{gathered}$ | 1898 | 1923 | 1991 | 1977 | 2016 | 2017 | 2098 | 2031 |
| $\mathrm{A}(\mathrm{CP}$ <br> corrected) | 22973 | 22915 | 23029 | 23257 | 23171 | 22610 | 23205 | - |
| $\begin{gathered} \mathrm{B}(\mathrm{CP} \\ \text { corrected }) \end{gathered}$ | 1809 | 1817 | 2018 | 1976 | 1976 | 1950 | 2029 | - |
| $\overline{\mathrm{C}(\mathrm{CP}}$ <br> corrected) | 1736 | 1743 | 1904 | 1890 | 1890 | 1864 | 1939 | - |

Figure III.A.1. Several optimised geometries of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ are shown from A-H. Their interaction energies and the nature of the minima are quoted.


B


Transition state at MP2(full)/6-311++G**, Minima at MP2(full) /aug-cc-pVTZ level. The stabilisation energy is $-372 \mathrm{~cm}^{-1}$ (with the counterpoise correction) at MP2(full)/aug-cc-pVTZ . With the zero pint correction at MP2(full)/aug-cc-pVTZ the binding energy becomes $-44 \mathrm{~cm}^{-1}$


C
Saddle point of order 2, optimized at MP2(full)/aug-cc-pVTZ level. The interaction energy is $-425 \mathrm{~cm}^{-1}$ (with the counterpoise correction) at this level of theory. The interaction energy is $-258 \mathrm{~cm}^{-1}$ after the zero point correction.


D


Saddle point of order 2, optimized at MP2(full)/aug-cc-pVTZ level. The interaction energy is $-426 \mathrm{~cm}^{-1}$ (with the counterpoise correction) at this level of theory. The interaction energy is $-299 \mathrm{~cm}^{-1}$ after the zero point correction.


E


Saddle point of order 2, optimized at MP2(full)/aug-cc-pVTZ level. The interaction energy is $-434 \mathrm{~cm}^{-1}$ (with the counterpoise correction) at this level of theory. The interaction energy is $-302 \mathrm{~cm}^{-1}$ after the zero point correction.



F
Minima, optimized at MP2(full)/aug-cc-pVTZ level. The binding energy is $-529 \mathrm{~cm}^{-1}$ (with the counterpoise correction) at this level of theory. The interaction energy is $-287 \mathrm{~cm}^{-1}$ after the zero point correction.

Transition state, optimized at MP2(full)/aug-cc-pVTZ level . The binding energy is $-414 \mathrm{~cm}^{-1}$ (with the counterpoise correction) at this level of theory. The interaction energy is -217 $\mathrm{cm}^{-1}$ after the zero point correction.


## H

Structure H, Saddle point of order 2, optimized at MP2(full)/aug-ccpVTZ level. The binding energy is $-420 \mathrm{~cm}^{-1}$ (without counterpoise correction) at this level of theory.

Table III.A.6. The frequencies of the intra-molecular modes of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots{ }^{\circ} \mathrm{H}_{2} \mathrm{~S}$ calculated at MP2(full)/aug-cc-pVTZ level on the counterpoise corrected surface is listed below.

| Vibrational frequencies $\left(\mathrm{cm}^{-1}\right)$ |
| :--- |
| $813,949,986,1040,1230,1246,1385,1484,1687$, |
| $2757,2793,3177,3209,3249,3282$ |

Table III.A.7. S-H frequency shifts (in $\mathrm{cm}^{-1}$ ) for $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ calculated at MP2 (full) level on the counterpoise corrected surface using different basis sets:

|  | $6-$ <br> $31 G^{*}$ | $6-$ <br> $311++G^{* *}$ | $6-$ <br> $311++G(3 d f, 2 p)$ | $6-$ <br> $311++G(3 d f, p d)$ | aug- | aug- |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |
| symmetric <br> stretch | -6 | -9 | -21 | -21 | -21 | -28 |
| Asymmetric <br> stretch | -4 | -7 | -8 | -9 | -9 | -7 |

Table III.A.8. S-H frequency shifts (in $\mathrm{cm}^{-1}$ ) for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ calculated at MP2 (full) level on the counterpoise uncorrected surface using different basis sets:

|  | $6-$ <br> $31 \mathrm{G}^{*}$ | $6-$ <br> $311++\mathrm{G}^{* *}$ | $6-$ <br> $311++\mathrm{G}(3 \mathrm{df}, 2 \mathrm{p})$ | $6-$ <br> $311++\mathrm{G}(3 \mathrm{df}, \mathrm{pd})$ | $6-$ <br> $311++\mathrm{G}(3 \mathrm{df}, 3 \mathrm{pd})$ | aug- <br> cc- <br> pVDZ | aug- <br> cc- <br> pVTZ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Symmetric <br> stretch | -10 | -12 | -30 | -25 | -24 | -29 | -34 |
| Asymmetric <br> stretch | -9 | -10 | -11 | -11 | -9 | -11 | -11 |

Table III.A.9. Vibrational frequencies (in $\mathrm{cm}^{-1}$ ) of structures A-G at MP2 (full) level. The frequencies for the structure $A$ has been calculated using $6-311++G$ (3df,pd) basis set. The frequencies of the rest of the structures have been calculated using aug-cc-pVTZ basis set.

| Structure A | Structure <br> B | Structure <br> C | Structure <br> D | Structure <br> E | Structure <br> F | Structure G | Structure H |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| -33 | 57 | -154 | -159 | -152 | 15 | -129 | -144 |
| 33 | 70 | -3 | -101 | -81 | 56 | 13 | -25 |
| 58 | 97 | 28 | 21 | 14 | 62 | 57 | 45 |
| 73 | 166 | 63 | 25 | 34 | 92 | 73 | 71 |
| 115 | 183 | 71 | 70 | 68 | 106 | 73 | 77 |
| 256 | 260 | 180 | 166 | 160 | 160 | 182 | 179 |
| 832 | 845 | 815 | 818 | 811 | 817 | 816 | 815 |
| 965 | 987 | 947 | 935 | 946 | 950 | 949 | 949 |
| 991 | 1017 | 981 | 983 | 980 | 982 | 979 | 981 |
| 1077 | 1074 | 1067 | 1064 | 1064 | 1053 | 1065 | 1067 |
| 1228 | 1219 | 1205 | 1202 | 1208 | 1213 | 1209 | 1206 |
| 1247 | 1252 | 1246 | 1246 | 1243 | 1247 | 1247 | 1246 |
| 1383 | 1372 | 1384 | 1384 | 1384 | 1386 | 1384 | 1384 |
| 1479 | 1496 | 1485 | 1483 | 1484 | 1485 | 1484 | 1485 |
| 1682 | 1666 | 1687 | 1687 | 1687 | 1687 | 1686 | 1688 |
| 2781 | 2769 | 2786 | 2785 | 2789 | 2782 | 2786 | 2786 |
| 2816 | 2786 | 2798 | 2795 | 2800 | 2800 | 2799 | 2799 |
| 3167 | 3117 | 3174 | 3173 | 3175 | 3176 | 3174 | 3173 |
| 3183 | 3147 | 3205 | 3206 | 3207 | 3207 | 3206 | 3205 |
| 3262 | 3182 | 3249 | 3249 | 3248 | 3248 | 3248 | 3247 |
| 3287 | 3213 | 3280 | 3280 | 3280 | 3279 | 3280 | 3278 |

Table III.A.10. Intermolecular harmonic vibrational frequencies of $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \bullet \cdot \mathrm{D}_{2} \mathrm{~S}$ complex calculated at MP2(full)/aug-cc-pVTZ level of theory

| Intermolecular motions | Vibrational frequencies ( $\mathrm{cm}^{-1}$ ) |
| :---: | :---: |
| Rotation of $\mathrm{D}_{2} \mathrm{~S}$ about hydrogen bond couples with the rotation of ethylene about its 'c' principal axis | 29 |
| Rotation of $\mathrm{D}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetric axis coupled with the rotation of ethylene about its ' $b$ ' principal axis | 49 |
| Rotation of $\mathrm{D}_{2} \mathrm{~S}$ about its ' $c$ ' principal axis coupled with the rotation of ethylene about its $\mathrm{C}-\mathrm{C}$ bond axis. | 74 |
| Intermolecular stretching | 88 |
| Rotation of $\mathrm{D}_{2} \mathrm{~S}$ about its ' c ' principal axis coupled with the rotation of ethylene about its ' $a$ ' principal axis | 133 |
| Sweeping of the bonded deuterium of $D_{2} S$ over the $\pi$ cloud of ethylene coupled with the rotation of ethylene about its ' $b$ ' principal axis. | 200 |

Table III.A.11. Intermolecular harmonic vibrational frequencies of $\mathrm{C}_{2} \mathrm{D}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex calculated at MP2(full)/aug-cc-pVTZ level of theory

| Intermolecular motions | Vibrational frequencies ( $\mathrm{cm}^{-1}$ ) |
| :---: | :---: |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about hydrogen bond coupled with the rotation of $\mathrm{C}_{2} \mathrm{D}_{4}$ about its 'c' principal axis | 37 |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetric axis coupled with the rotation of $\mathrm{C}_{2} \mathrm{D}_{4}$ about its 'b' principal axis | 44 |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its ' $c$ ' principal axis coupled with the rotation of $\mathrm{C}_{2} \mathrm{D}_{4}$ about its $\mathrm{C}-\mathrm{C}$ bond axis. | 57 |
| Intermolecular stretching | 86 |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its 'c' principal axis coupled with the rotation of $\mathrm{C}_{2} \mathrm{D}_{4}$ about its 'a' principal axis | 172 |
| sweeping of the bonded deuterium of $\mathrm{H}_{2} \mathrm{~S}$ over the $\pi$ cloud of $\mathrm{C}_{2} \mathrm{D}_{4}$ coupled with the rotation of $\mathrm{C}_{2} \mathrm{D}_{4}$ about its ' $b$ ' principal axis. | 279 |

Table III.A.12. Intermolecular harmonic vibrational frequencies of $\mathrm{C}_{2} \mathrm{D}_{4} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$ complex calculated at MP2(full)/aug-cc-pVTZ level of theory.

| Intermolecular motions | Vibrational frequencies $\left(\mathrm{cm}^{-1}\right)$ |
| :--- | :---: |
| Rotation of $\mathrm{D}_{2} \mathrm{~S}$ about hydrogen bond <br> coupled with the rotation of $\mathrm{C}_{2} \mathrm{D}_{4}$ about <br> its 'c' principal axis | 28 |
| Rotation of $\mathrm{D}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetric <br> axis coupled with the rotation of $\mathrm{C}_{2} \mathrm{D}_{4}$ <br> about its 'b' principal axis |  |
| Rotation of $\mathrm{D}_{2} \mathrm{~S}$ about its ' c ' principal <br> axis coupled with the rotation of $\mathrm{C}_{2} \mathrm{D}_{4}$ <br> about its $\mathrm{C}-\mathrm{C}$ bond axis. | 43 |
| Intermolecular stretching | 55 |
| Rotation of $\mathrm{D}_{2} \mathrm{~S}$ about its ' c ' principal <br> axis coupled with the rotation of $\mathrm{C}_{2} \mathrm{D}_{4}$ <br> about its ' a ' principal axis | 84 |
| Sweeping of the bonded deuterium of <br> $\mathrm{D}_{2} S$ over the $\pi$ cloud of $\mathrm{C}_{2} \mathrm{D}_{4}$ coupled | 126 |
| with the rotation of $\mathrm{C}_{2} \mathrm{D}_{4}$ about its ' $b$ ' |  |
| principal axis. |  |

Figure III.A.2. AIM calculation of Structure F shows bond critical points and the ring critical points connecting the hydrogens of ethylene to the sulphur. The electron density $(\rho)$ at $\mathrm{BCP}(1)=0.006 \mathrm{au}$. The electron density at $\mathrm{BCP}(2)=0.006$ au. The Laplacian of the electron density at $\mathrm{BCP}(1)$ is 0.020 au . The Laplacian of the electron density at $\operatorname{BCP}(2)$ is 0.020 au for both the critical points and these are well within the range for Propelier's criterion of hydrogen bonding.


## Chapter IV

## Rotational Spectra and Structure of phenylacetylene $\ldots \mathrm{H}_{2} \mathrm{O}$

## IV.A. Introduction

Since the invention of modern Balle-Flygare spectrometer, microwave spectroscopy has revolutionised the study of numerous van der Waals complexes. The isolated condition provided by the molecular beam is a unique way to testify the advancement of the modern day ab initio theory. The ultimate goal of such studies is to develop an understanding of the interaction potentials of atoms and molecules interacting with each other and to relate it to more complex condensed phase where the three-body and manybody interactions begin to play their role.

Interaction of a water molecule with an aromatic ring is of interest as it could act as a model for the study of hydrophobic interaction. Several 1:1 complexes of water and aromatic ring have been characterised by microwave spectroscopy e.g benzene $\cdot \cdots{ }^{\text {water }}{ }^{1-2}$, phenol $\bullet \bullet$ water $^{3-4}$, aniline $\cdot \bullet$ water $^{5}$, benzonitrile $\cdot \bullet$ water $^{6-8}$. With benzene, water acts as a hydrogen bond donor. In phenol $\cdot \bullet$ water, water acts as a hydrogen bond acceptor. With aniline, water forms $\mathrm{O}-\mathrm{H} \cdot \cdots \mathrm{N}$ hydrogen bond whereas in benzonitrile $\cdot \bullet$ water, water is lying almost in the plane of phenyl ring forming $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{O}$ and $\mathrm{O}-\mathrm{H} \cdot \cdots \cdot \mathrm{N}$ hydrogen bonds. Thus even with this limited set of examples, one can have a glimpse of the variety of structures, when the substituent in the phenyl ring is changed. Further, a question of fundamental importance is that can we predict the orientation of the monomers with respect to each other beforehand when there are multiple sites capable of accepting or donating electrons present in the molecule? In this regard, Legon and Millen had derived a set of empirical rules to predict the geometry of hydrogen bonded systems $\mathrm{B} \cdots \cdot \mathrm{HX}$, where B has either $\pi$ electrons or a non-bonding pair or both. ${ }^{9}$ These rules are derived from a large set of experimental data obtained from microwave spectroscopic studies and are based on the electrostatic interaction between the two interacting partners. The basic principle is that the hydrogen atom will seek the most electron rich region of $B$ and this electron rich region is either along the axis of the lone pair or along the $\pi$ bonding electron pair. The first part of the rule says that if B has lone pair, then the axis of the HX molecule always coincides with that of the lone pair. The second part of the rule says that if B has $\pi$ bonding pair, then the axis of the HX molecule intersects the internuclear axis of the atoms forming the $\pi$ bond and is perpendicular to the plane of symmetry of the
$\pi$ bond. The third part of the rule predicts the lone pair to be the nucleophilic site when both $\pi$ and lone pair are present in the molecule. Though, there are examples in the literature where the co-existence of both the isomers have been reported, ${ }^{10}$ most often, the global minimum structure has been found to be the one as predicted by the rule.

In this regard, phenylacetylene is an interesting system having multiple sites which can participate in hydrogen-bond formation e.g phenyl ring $\pi$ cloud and acetylenic $\pi$ cloud as H -bond acceptors and the acetylenic acidic proton as H -bond donor. Experimental data on this kind of system can provide valuable insight to extend our understanding of the geometry and energetics of the weakly bound clusters. Apart from this, phenylacetylene has been found to be crucial intermediate in the formation of polycyclic aromatic hydrocarbons (PAH). ${ }^{11}$ The chemistry of PAH affects both the atmospheric and the interstellar medium. The combustion processes are a source of the PAH and these contribute to the global warming. In the interstellar medium, PAH-like species constitutes $10 \%$ of the cosmic carbon budget. These are the suspected carriers of the UIR (unidentified infrared bands) and DIB (diffuse interstellar bands). Despite of these importances of the PAH, the formation route of its very first building block i.e. phenylacetylene is unknown. Under the low temperature condition of the interstellar medium, phenylacetylene and its complexes could be found and the microwave spectroscopic data on these systems may prove valuable to identify these complexes.

Considering the structural variety shown by these complexes, we could imagine three possible structures shown by phenylacetylene $\cdots$ water $\left(\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}\right)$ system: 1$)$ Water acting as a donor by forming a hydrogen bond with the $\pi$ cloud of phenyl ring (Structure I) 2) the acetylene chromophore of phenylacetylene acting as a hydrogen bond donor to water ( $\mathrm{C}-\mathrm{H} \cdots \mathrm{O}$ )(Structure II) 3) water acting as both hydrogen bond donor and acceptor thus forming $\mathrm{O}-\mathrm{H} \cdots \pi$ ( $\pi$ electron density of acetylene chromophore) and C $\mathrm{H} \cdots \mathrm{O}$ (phenyl C-H bond acting as a donor to the oxygen of water) bonds. (Structure III). These geometries are shown in Figure IV.1. IR-UV double resonance study ${ }^{12}$ of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}$ indicated the third structure to be the probable one. This study identified two bands in the $\mathrm{O}-\mathrm{H}$ stretch region. One corresponds to the bonded $\mathrm{O}-\mathrm{H}$ stretch and the other corresponds to the free O-H stretch. Moreover, the Fermi resonance in the acetylenic stretch region disappeared in the complex which indicated that the
acetylenic $\pi$ cloud is involved in the complexation. Recently a theoretical study has been reported where high level ab initio calculations at $\operatorname{CCSD}(\mathrm{T}) /$ aug-cc-pVDZ level indicated that Structure III is energetically most favoured structure. ${ }^{13}$ The binding energies are -6.5 $\mathrm{kJ} / \mathrm{mol}$, $-6.2 \mathrm{~kJ} / \mathrm{mol}$ and $-7.1 \mathrm{~kJ} / \mathrm{mol}$ for Structure I, Structure II and Structure III respectively which supports the IR-UV experiments. However the structural assignments from these studies are indirect and are not definitive. Hence it was decided to carry out the microwave spectroscopic studies of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}$ complex for the definitive assignment of the gas-phase structure of this complex. The ab initio derived rotational constants have been obtained from the authors of reference 12 in a personal communication and are reported in Table IV.1. From Table IV.1, one can immediately recognize that the rotational constants for these structures are significantly different to be assigned unambiguously by means of rotational spectroscopy.

Figure IV.1. The three possible geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}$ complex


Table IV. 1. Ab initio derived rotational constants (obtained from the authors of reference 12) for the three geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}$ at MP2/aug-cc-pVDZ level. These constants are significantly different to characterise the geometries without any ambiguity by means of Fourier Transform Microwave Spectroscopy.

| Rotational <br> constants | Structure I | Structure II | Structure III |
| :--- | :--- | :--- | :--- |
| A (MHz) | 2083 | 5518 | 2678 |
| B (MHz) | 1132 | 506 | 998 |
| C (MHz) | 995 | 464 | 729 |

## IV.B. Experimental details

All the spectra were collected with the PNFTMW spectrometer described in Chapter II. Helium was used as the carrier gas. The reason for choosing helium as the carrier gas is explained in the next section. Helium was bubbled at a flow rate of 20 SCCM through phenylacetylene and at a flow rate of 1 SCCM through water and both the samples were mixed with a bath of Helium ( 200 SCCM ) at a four-way junction and the mixture was carried to the nozzle. The mixture was expanded from a back pressure of 0.8-0.85 bar. The pulse dependence experiments revealed that a microwave pulse of $1.0 \mu \mathrm{~s}$ duration could produce the highest signal intensity for the $a$-dipole transitions. A pulse of $0.5 \mu \mathrm{~s}$ was optimum for the $b$-dipole transitions. Phenylacetylene ( $98 \%$ ) and Phenylacetylene-D $\left(\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD}, 99\right.$ atom \% D) were obtained from Aldrich and were used without any further purification. Isotopically enriched samples were used for $\mathrm{H}_{2}{ }^{18} \mathrm{O}\left(97\right.$ atom $\%{ }^{18} \mathrm{O}$, Isotech). The spectrum for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \cdot \mathrm{HOD}$ was obtained by mixing $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{D}_{2} \mathrm{O}(99.96$ atom $\%$ D, Aldrich) in 50:50 proportion.

## IV. C. Search and assignments

The initial prediction for the complex was based on the ab initio rotational constants reported in Table IV. 1 The search region was chosen in such a way that all the possible structures of the complex would have some of their transitions in that region. Argon was chosen as the carrier gas for the initial search of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}$ complex. The carrier gas (argon) was flown at a rate of 150 SCCM. Argon was needed to flow through phenylacetylene and water in order to carry them to the nozzle. Argon was flown at a rate of 15 SCCM and 5 SCCM through phenylacetylene and water respectively. The mixture was expanded at a backing pressure of 0.5 bar. A microwave pulse of $0.5 \mu \mathrm{~s}$ duration was used to polarize the sample. Around 1500-2000 gas pulses were averaged. A total of 20 FIDs were collected for each gas pulse. A total of 256 points were sampled during the data acquisition. The scanning was started at 9200.4 MHz . A downward search was performed upto 7178.0 MHz and many transitions were observed. However, most of the transitions which were found, turned out to be from Ar•••phenylacetylene complex. These transitions were new and were not reported earlier. ${ }^{14}$ The newly found transitions for Ar $\cdots$ phenylacetylene are listed in the appendix at the end of this chapter. Only one weak line was found at 8143.0807 MHz , which was not a part of this series. Presence of only one line in this region was quite surprising considering the length of the search. As a result of this unsuccessful search in argon, the conditions were needed to be rechecked. The dependence of the signal at 8143.0807 MHz was tested and it was found to depend on both phenylacetylene and water. In fact, this line was very close to the predicted $4_{04} \rightarrow 5_{05}$ transition of the Structure III. The predicted transition was at 8126.0 MHz . This weak line was tested using helium as the carrier gas. Under these conditions, the signal intensity improved considerably and in fact, this line was observed as a doublet with one more transition at 8142.2742 MHz . Further experiments were carried out under these conditions using helium as the carrier gas. The reason for this sensitivity enhancement could be the inability of helium to form complexes with phenylacetylene which increases the relative concentration of phenylacetylene monomer in the cavity so that it can form complex with $\mathrm{H}_{2} \mathrm{O}$. Assuming the above mentioned line as the $4_{04} \rightarrow 5_{05}$ transition, the search was done for $5_{05} \rightarrow 6_{06}$ transition. The search was started at 9758.0 MHz and one more doublet was located at 9597.8176 MHz and $9598.8931 \mathrm{MHz}, \sim 1.45$

GHz above the other transition. This difference is very close to the differences between the $\mathrm{K}_{a}=0 a$-dipole transitions as was predicted using the $a b$ initio rotational constants for the Structure III. Thus, the observed transitions were very close to the prediction for the Structure III. Rest of the transitions could be located relatively easily. All of the transitions were observed as a doublet. Figure IV. 2 shows the doublets corresponding to the $4_{04} \rightarrow 5_{05}$ transition. The transitions were fitted using Watson's A reduction Hamiltonian. ${ }^{15}$ Both the series were fitted independently. After having the assignments for the $a$-dipole transitions, search was performed for the $b$-dipole transitions and could be observed easily. The $b$-dipole transitions were stronger than the $a$-dipole transitions. The $b$-dipole transitions were also observed as doublets. The optimum pulse for the $a$ dipole transitions was $1.0 \mu \mathrm{~s}$ whereas for the $b$-dipole transition, it was $0.5 \mu \mathrm{~s}$. The list of the transitions and the fitted parameters for the parent isotopologue are shown in Table IV. 2 and Table IV.7. respectively. As the rigid rotational constants predicted by the $a b$ initio was close to the experimentally observed geometry, the spectra for all the isotopologues were predicted and located based on this geometry. All the transitions for the isotopologues are listed in Table IV. 3 -Table IV.6. All the isotopologues, except $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{HOD}$, show doubling of the transition frequencies. The fitted parameters for the isotopologues are listed in Table IV.8. No hyperfine structure could be resolved for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{HOD}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{D}_{2} \mathrm{O}$. The search for the ${ }^{13} \mathrm{C}$ isotopologues were not attempted as the signal intensity for the parent isotopologue was not high enough to see them in natural abundance.


Figure IV.2. The $4_{04} \rightarrow 5_{05}$ transitions of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \mathrm{H}_{2} \mathrm{O}$. Search using Helium showed doubling of the transition frequencies. Each of the transitions is split further due to the Doppler effect. The intensity of one transition is almost one-third of the other one. The signals were averaged for 1000 gas pulses. Thirteen FIDs were collected for each gas pulse. A total of 512 points were sampled for each FID.

Table IV.2. Experimentally observed rotational transitions and their assignments for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{H}_{2} \mathrm{O}$ complex

| Transitions ${ }^{\text {a }}$ | Strong /MHz | Residue(kHz) | Weak/MHz | Residue(kHz) |
| :---: | :---: | :---: | :---: | :---: |
| $4_{14} 5_{15}$ | - | - | 7313.3681 | -0.3 |
| $3_{12}-4_{13}$ | 7377.2239 | -0.8 | 7377.1167 | -1.5 |
| $3_{03}-4_{14}$ | 7469.9099 | -3.1 | - | - |
| $4_{14}-5_{15}$ | 7871.0364 | -0.2 | 7870.0680 | 0.2 |
| $4{ }_{04} 5_{05}$ | 8143.0807 | 1.0 | 8142.2742 | 0.8 |
| $4_{23}-5_{24}$ | 8575.9471 | 5.3 | 8575.4126 | 1.2 |
| $4_{04}-5_{15}$ | 8699.4556 | 2.5 | 8698.9750 | 2.2 |
| $1_{10}-2_{21}$ | 8747.9047 | -2.8 | 8750.8803 | -0.1 |
| $5_{15} 6_{06}$ | 9041.4890 | -1.8 | 9041.1213 | 1.2 |
| $1_{11}-2_{20}$ | 9042.5188 | -1.1 | 9044.6475 | 0.2 |
| $4_{22}-5_{23}$ | 9072.0932 | 0.3 | 9071.8680 | -0.6 |
| $4_{13}-5_{14}$ | 9153.4035 | -0.1 | 9153.2243 | 0.8 |
| $5_{15}-6_{16}$ | 9391.9782 | -2.6 | 9390.7862 | 1.1 |
| $6_{25} 7^{7} 16$ | 9574.4927 | 1.4 | 9572.3070 | -0.1 |
| $5_{05}-6_{06}$ | 9598.8931 | -0.3 | 9597.8176 | -1.9 |
| $5_{05}-6_{16}$ | 9948.3535 | -0.8 | 9947.4832 | -1.3 |
| $2{ }_{11}-3_{22}$ | 10211.3150 | 5.9 | 10214.0197 | -0.2 |
| $5_{24} \mathbf{6}_{25}$ | 10239.0055 | -2.9 | - | - |
| $5_{33}-6_{34}$ | 10477.6610 | -0.0 | - | - |
| $6_{16}-7_{07}$ | 10687.3803 | 0.2 | 10685.8271 | 1.6 |
| $5_{14} 6_{15}$ | 10874.3312 | -0.2 | 10874.0427 | 1.0 |
| $6_{16} 7_{17}$ | 10895.7674 | 1.6 | 10894.3327 | -0.4 |
| $5_{23}{ }^{-624}$ | 11004.1483 | -1.8 | - | - |
| $6_{06} 7_{07}$ | 11036.8388 | -2.2 | 11035.9982 | -5.6 |
| $6_{06} 7_{17}$ | 11245.2288 | 2.1 | 11243.9982 | 0.1 |
| $6_{25} 7^{76}$ | 11875.5196 | -0.5 | 11874.6923 | -0.7 |
| $7{ }_{17}-8_{08}$ | 12266.3368 | 1.9 | 12264.5854 | -1.5 |
| $7{ }_{17}-8_{18}$ | 12385.8729 | -1.3 | - | - |
| $7{ }_{07}-8_{08}$ | - | - | 12473.0986 | 4.0 |

[^6]Table IV.3. Experimentally observed rotational transitions and their assignments for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{O}$ complex

| Transitions $^{a}$ | Strong/(MHz) | Residue(kHz) | Weak/(MHz) | Residue(kHz) |
| :---: | ---: | ---: | ---: | ---: |
| $2_{02}-3_{03}$ | 4879.8129 | -1.9 | 4879.8129 | 0.4 |
| $3_{13}-4_{14}$ | 6103.4511 | -3.7 | 6103.4997 | 2.1 |
| $3_{03}-4_{04}$ | 6402.7017 | 7.3 | - | - |
| $4_{14}-5_{05}$ | 6989.9181 | 2.5 | 6990.0177 | -3.8 |
| $3_{03}-4_{14}$ | 7275.0634 | 2.5 | 7274.9904 | -4.2 |
| $4_{14} 5_{15}$ | 7592.6171 | -0.1 | 7592.6758 | 2.0 |
| $4_{04}-5_{05}$ | 7862.2781 | -4.0 | 7862.3142 | 2.6 |
| $4_{04}-5_{15}$ | 8464.9861 | 2.4 |  | - |
| $5_{15}-6_{06}$ | 8673.9217 | -5.0 | 8674.0249 | - |
| $4_{13}-5_{14}$ | 8779.0901 | -1.2 | 8779.0213 | -4.1 |
| $5_{15}-6_{16}$ | 9064.2232 | -1.2 | 9064.2950 | -0.8 |
| $5_{05}-6_{06}$ | 9276.6291 | 0.8 | 9276.6831 | -1.3 |
| $5_{05-}-6_{16}$ | 9666.9220 | -4.0 | 9666.9474 | 1.7 |
| $5_{24}-6_{25}$ | 9843.5036 | 6.3 |  | -1.3 |
| $2_{11}-3_{22}$ | 9997.9802 | -0.2 | 9997.9608 | - |
| $6_{16}-7_{07}$ | 10279.9605 | 0.9 | 10280.0727 | 0.0 |
| $5_{14-}-6_{15}$ | 10442.6530 | -4.4 | 10442.5923 | 5.9 |
| $5_{23}-6_{24}$ | 10517.8896 | 0.9 | 10517.8104 | 4.5 |
| $6_{16}-7_{17}$ | 10520.0474 | -0.1 | 10520.1344 | -0.5 |
| $6_{06}-7_{07}$ | 10670.2610 | 3.7 | 10670.3336 | -1.4 |
| $6_{25}-7_{26}$ | 10910.3453 | 0.1 | 10910.4061 | -0.5 |
| $7_{17}-8_{08}$ | 11423.8391 | -2.9 | - | 2.9 |
| $7_{17}-8_{18}$ | 11820.8681 | 3.1 | 11820.9801 | - |
| $6_{15}-7_{16}$ | 11962.9115 | -1.5 | 11963.0191 | -2.6 |
| $7_{07}-8_{08}$ | 12045.4611 | 0.9 | 12045.4026 | 0.7 |
| $7_{07}-8_{18}$ | 12060.9550 | 2.0 | 12061.0535 | -2.3 |
| $6_{06}-7_{17}$ | 12202.9978 | -3.1 | 12203.0850 | 1.8 |

${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime} К c^{\prime} \rightleftharpoons J^{\prime}{ }_{K а}{ }^{\prime}{ }^{\prime}{ }^{\prime}$

Table IV.4. Experimentally observed rotational transitions and their assignments for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{HOD}$ complex

| Transitions $^{a}$ | Frequency(MHz) | Residue(kHz) |
| :---: | ---: | ---: |
| $1_{01}-2_{02}$ | 3376.0999 | -3.1 |
| $2_{02}-3_{03}$ | 4998.5991 | 0.9 |
| $3_{13}-4_{04}$ | 5383.1567 | 3.6 |
| $2_{02}-3_{13}$ | 6167.9561 | -7.3 |
| $3_{13}-4_{14}$ | 6244.0877 | 2.8 |
| $3_{03}-4_{04}$ | 6552.5189 | 0.5 |
| $4_{14}-5_{05}$ | 7178.5777 | -1.7 |
| $3_{12}-4_{13}$ | 7259.4733 | -3.6 |
| $4_{14}-5_{15}$ | 7765.4392 | 0.9 |
| $4_{04}-5_{05}$ | 8039.5094 | -1.8 |
| $4_{04}-5_{15}$ | 8626.3761 | 6.0 |
| $1_{10}-2_{21}$ | 8740.6683 | -2.7 |
| $5_{15}-6_{06}$ | 8893.5292 | -5.5 |
| $4_{22}-5_{23}$ | 8914.9734 | -3.8 |
| $4_{13}-5_{14}$ | 9011.2874 | 0.3 |
| $5_{15}-6_{16}$ | 9268.0845 | 4.4 |
| $5_{05}-6_{06}$ | 9480.4020 | 8.5 |
| $5_{05}-6_{16}$ | 9854.9380 | -1.0 |
| $5_{24}-6_{25}$ | 10088.5637 | -3.2 |
| $2_{11}-3_{22}$ | 10185.6857 | -4.8 |
| $6_{16}-7_{07}$ | 10527.0795 | -0.0 |
| $5_{14}-6_{15}$ | 10712.0944 | -1.6 |
| $6_{16}-7_{17}$ | 10754.0969 | -0.6 |
| $5_{23}-6_{24}$ | 10813.6711 | 1.1 |
| $6_{06}-7_{07}$ | 10901.6439 | 0.9 |
| $2_{12}-3_{21}$ | 11088.2486 | 10.0 |
| $6_{06}-7_{17}$ | 11128.6413 | -1.7 |
| $3_{12}-4_{23}$ | 11499.2399 | -2.7 |
| $7_{17}-8_{08}$ | 12094.3226 | -3.1 |
| $6_{15}-7_{16}$ | 12346.2835 | 4.6 |
|  |  |  |

${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{\prime}{ }^{\wedge}{ }^{\wedge} J_{K a}^{\prime}{ }^{\prime}{ }^{\prime}{ }^{\prime}$
$\square$

Table IV.5. Experimentally observed rotational transitions and their assignments for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \cdots \mathrm{H}_{2} \mathrm{O}$ complex

| Transitions $^{a}$ | Strong/MHz | Residue $(\mathrm{kHz})$ | Weak/MHz | Residue(kHz) |
| :---: | ---: | ---: | ---: | ---: |
| $3_{13}-4_{14}$ | 6197.1539 | -0.6 | - | - |
| $3_{03}--_{04}$ | 6500.7486 | 1.9 | 6500.1811 | -4.2 |
| $4_{14}-5_{05}$ | 7173.1047 | -0.8 | 7171.8512 | 1.5 |
| $5_{24}-6_{15}$ | 7188.8364 | -0.0 | - | - |
| $3_{03}-4_{14}$ | 7296.2949 | 0.6 | - | - |
| $4_{14}-5_{15}$ | 7704.5633 | 0.8 | 7703.6020 | -2.6 |
| $4_{04}-5_{05}$ | 7968.6556 | 2.5 | 7967.8513 | -0.2 |
| $4_{04}-5_{15}$ | 8500.1102 | 0.0 | 8499.6057 | -0.8 |
| $5_{15}-6_{06}$ | 8860.7195 | 2.3 | 8859.3511 | 0.1 |
| $4_{13}-5_{14}$ | 8965.9070 | -2.9 | 8965.7311 | 0.2 |
| $5_{15}-6_{16}$ | 9192.6244 | -0.6 | 9191.4411 | -0.0 |
| $5_{05}-6_{06}$ | 9392.1737 | -0.5 | 9391.1077 | 1.8 |
| $5_{05}-6_{16}$ | 9724.0808 | -1.2 | 9723.1923 | -3.8 |
| $6_{16}-7_{07}$ | 10467.0288 | 0.1 | 10465.4972 | -4.9 |
| $5_{14}-6_{15}$ | 10649.2319 | 2.0 | 10648.9449 | 2.3 |
| $6_{06}-7_{07}$ | 10798.9321 | -4.4 | 10797.5874 | -4.8 |
| $6_{06}-7_{17}$ | 10995.7069 | -1.6 | 10994.4706 | 0.5 |
| $7_{17}-8_{08}$ | 12009.3631 | -1.9 | 12007.6409 | 1.3 |
| $7_{07}-8_{08}$ | 12206.1385 | 1.4 | 12204.5192 | 1.8 |
| $7_{07}-8_{18}$ | 12318.3659 | 3.5 | 12316.8098 | 7.9 |

${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{\prime}{ }^{\wedge}{ }^{\wedge} J_{K a}^{\prime}{ }^{\prime}{ }^{\prime}{ }^{\prime}$

Table IV.6. Experimentally observed rotational transitions and their assignments for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2}{ }^{18} \mathrm{O}$ complex

| Transitions $^{a}$ | Frequency | Residue | Frequency | Residue |
| :---: | :---: | :---: | :---: | :---: |
| $4_{14}-5_{15}$ | - | - | 7587.6948 | -0.4 |
| $5_{15}-6_{06}$ | - | - | 8688.1026 | 1.0 |
| $4_{13}-5_{14}$ | 8805.1067 | 2.3 | 8805.3708 | 0.1 |
| $5_{15}-6_{16}$ | 9054.7981 | -2.4 | 9055.9917 | 4.0 |
| $5_{05}-6_{06}$ | - | - | 9264.0632 | -1.4 |
| $5_{05}-6_{16}$ | 9631.0682 | -3.9 | - | - |
| $6_{16}-7_{07}$ | - | - | 10284.8832 | -2.2 |
|  | 10467.1563 | -1.6 | - | - |
| $6_{06}-7_{17}$ | - | - | 10652.7705 | 0.3 |
| $6_{06}-7_{07}$ | 10874.6966 | 5.1 | 10875.9179 | -0.9 |

${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{\prime} c^{\prime}{ }^{\sim} J_{K a}^{\prime}{ }^{\prime} c^{\prime}$

Table IV.7. Fitted rotational constants and the distortion constants for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}$ complex. The inertial defect $\Delta$ is defined as $\Delta=I_{c}-I_{a}-I_{b}$

| Parameters | Strong | Weak |
| :---: | :---: | :---: |
| A | $2672.092(3)$ | $2673.135(3)$ |
| B | $996.3581(8)$ | $996.3929(9)$ |
| C | $731.7055(4)$ | $731.5733(4)$ |
| $\Delta_{\mathrm{J}}(\mathrm{kHz})$ | $0.366(6)$ | $0.392(8)$ |
| $\Delta_{\mathrm{IK}}(\mathrm{kHz})$ | $-0.58(2)$ | $-0.69(2)$ |
| $\Delta_{\mathrm{k}}(\mathrm{kHz})$ | $5.1(6)$ | $6.9(5)$ |
| $\delta_{\mathrm{J}}(\mathrm{kHz})$ | $0.077(3)$ | $0.091(4)$ |
| $\delta_{\mathrm{k}}(\mathrm{kHz})$ | $1.1(1)$ | $1.5(1)$ |
| $\left.\Delta_{(\mathrm{amu}} \AA^{2}\right)$ | -5.67 | -5.46 |
| $\mathrm{SD}(\mathrm{kHz})$ | 2.2 | 1.7 |
| $\#^{a}$ | 27 | 24 |

${ }^{a}$ Total number of fitted transitions

Table IV.8. Fitted rotational constants and the distortion constants for the isotopologues. The inertial defect $\Delta$ is defined as $\Delta=I_{c}-I_{a}-I_{b}$

| Parameters | $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{D}_{2} \mathrm{O}$ |  | $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \cdots \mathrm{H}_{2} \mathrm{O}$ |  | $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2}{ }^{18} \mathrm{O}^{a}$ |  | $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{HOD}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Strong | Weak | Strong | Weak | - | - |  |
| A (MHz) | 2625.266(7) | 2625.044(6) | 2602.00(2) | 2602.99(3) | 2616.32(1) | 2615.382(3) | 2672.744(4) |
| B (MHz) | 951.432(2) | 951.414(2) | 976.61(2) | 976.645(4) | 956.6621(6) | 956.6468(4) | 979.0377(1) |
| $\mathrm{C}(\mathrm{MHz})$ | 707.623(8) | 707.636(8) | 716.020(8) | 715.891(1) | 705.8523(6) | 705.9508(1) | 722.5126(7) |
| $\Delta_{\mathrm{J}}(\mathrm{kHzz})$ | 0.39(1) | 0.40(1) | 0.9(1) | 0.9 | 0.366 | 0.392 | 0.38(1) |
| $\Delta_{\text {JK }}(\mathrm{kHz})$ | 0.17(1) | -0.6(1) | -4.4(4) | -4.4 | -0.58 | -0.69 | -0.7(1) |
| $\Delta_{\mathrm{k}}(\mathrm{kHz})$ | 4.4(1) | 4.8(1) | -130(4) | 130 | 5.1 | 6.9 | 5.4(8) |
| $\delta_{\mathrm{J}}(\mathrm{kHz})$ | 0.056(5) | 0.070(6) | 0.34(5) | 0.34 | 0.077 | 0.091 | 0.092(5) |
| $\delta_{\mathrm{K}}(\mathrm{kHz})$ | 2.7(1) | 1.1(2) | 6(3) | 6 | 1.1 | 1.5 | 1.5(2) |
| $\Delta\left(\mathrm{amu} \AA^{2}\right)$ | -9.49 | -9.53 | -5.89 | -5.67 | -5.65 | -5.63 | -5.81 |
| $\mathrm{SD}(\mathrm{kHz})$ | 3.1 | 2.6 | 1.9 | 3.1 | 2.2 | 1.8 | 3.9 |
| $\#^{b}$ | 27 | 23 | 20 | 17 | 5 | 8 | 30 |

${ }^{a}$ Intensities of the rotational transitions observed were not clear enough to distinguish the stronger and weaker state ${ }^{b}$ Total number of fitted transitions

## IV.D. Structure of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \cdot \mathrm{H}_{\mathbf{2}} \mathrm{O}$ complex

A comparison of Table IV. 1 and Table IV. 7 immediately shows that the experimentally obtained rotational constants are very close to that of Structure III and supports the conclusions drawn on the structure of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots{ }^{\circ} \mathrm{H}_{2} \mathrm{O}$ by Patwari and co-workers. The experimentally observed geometry has been re-optimized at MP2/aug-cc-pVDZ level starting from a $\mathrm{C}_{2 v}$ symmetric structure of phenylacetylene monomer and the frequencies have been recalculated. The re-calculated structure at MP2/aug-cc-pVDZ level has the $A$ rotational constant even closer to the experiment. The complex has also been optimized at MP2 level using 6-311++G** and aug-cc-pVTZ besis sets. All these calculations have been performed by the G03 suite of programme. ${ }^{16}$ The equilibrium rotational constants calculated for the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}$ complex calculated using different basis sets is listed in Table IV.9. The rotational constants determined from the experiments unequivocally confirm the structure to be the one where the $\mathrm{H}_{2} \mathrm{O}$ is in the plane of phenylacetylene monomer forming $\mathrm{O}-\mathrm{H} \cdot \cdots \pi$ and $\mathrm{C}-\mathrm{H} \cdots \mathrm{O}$ hydrogen bonds.

Table IV.9. The equilibrium rotational constants and the equilibrium inertial defects for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{H}_{2} \mathrm{O}$ complex at MP2 level using different basis sets. The last column lists the experimentally obtained constants for the stronger series. The aug-cc-pVDZ constants are in excellent agreement to the experimental ones.

| Parameters | $6-311++\mathrm{G}^{* *}$ | aug-cc-pVDZ | aug-cc-pVTZ | Experiment |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| A (MHz) | 2664.3392 | 2672.7410 | 2741.0248 | $2672.092(3)$ |
| $\mathrm{B}(\mathrm{MHz})$ | 1010.8831 | 998.8403 | 1007.6348 | $996.3581(8)$ |
| $\mathrm{C}(\mathrm{MHz})$ | 734.7249 | 729.3653 | 743.1090 | $731.7055(4)$ |
| $\Delta\left(\mathrm{amu} \AA^{2}\right)$ | -1.8 | -2.2 | -5.8 | -5.7 |

From Table IV.7. and Table IV.8, it is clear that the experimental inertial defects for all the isotopologues are significantly small and do not change much with the substitutions, which obviously indicates that the structure is effectively planar with all the heavy atoms lying in the same plane. The inertial defects do not change at all by the ${ }^{18} \mathrm{O}$ substitution which clearly tells that the oxygen atom is lying in the $a b$ inertial plane of the complex.

However, the location of the two hydrogen atoms of $\mathrm{H}_{2} \mathrm{O}$ may not be very precise especially the non-bonded hydrogen which may shuttle in and out of the plane without facing any appreciable barrier. The change in the inertial defect between the planar and non-planar structure, which differs just in the position of the non-bonded hydrogen atom, is quite small. Thus, the inertial defect for the $a b$ initio geometry optimized at MP2(full)/aug-ccpVDZ level is $-2.47 \mathrm{amu} \AA^{2}$, whereas a planar structure where the hydrogen atom is in the plane gives a value of $0.00 \mathrm{amu} \AA^{2}$. This difference can easily be outweighed by the vibrational effects especially where an atom as light as hydrogen is involved. However, from Table IV.8., it is to be noted that substitution of the bonded hydrogen of $\mathrm{H}_{2} \mathrm{O}$ moiety produces little change in the inertial defect whereas the substitution of the other hydrogen which is away from the acetylene group increases the inertial defect by almost two times. This can lead one to think that, in the vibrationally averaged structure, the other hydrogen which is away from the acetylene moiety is off the $a b$ inertial plane. However, the $a b$ initio optimized rigid non-planar geometry (where the non-bonded hydrogen is located outside the plane) optimized at MP2/aug-cc-pVDZ level shows a change of only 0.4 amu $\AA^{2}$ while going from $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O} /$ $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{HOD}$ to $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{D}_{2} \mathrm{O}$. Thus, the rigid structure does not reflect these changes in the inertial defects. The ground state rotational constants in the harmonic approximation have been calculated at MP2 level using 6-311++G** basis set and the aug-cc-pVDZ basis set for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \cdot \mathrm{H}_{2} \mathrm{O}, \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{HOD}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{O}$ and are listed in Table IV.10. The experimentally observed changes in the inertial defects for these isotopes are reproduced satisfactorily by the calculated effective rotational constants within the harmonic approximation. The inertial defect gets almost doubled when one goes from $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \cdot \mathrm{HOD}$ to $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{O}$ as shown by these calculated vibrationally averaged rotational constants. The agreement is in fact excellent at both level of theory. Hence, this increase in inertial defect in case of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{O}$ is because of the presence of an out of plane vibration which samples different geometry in case of the $\mathrm{H}_{2} \mathrm{O} / \mathrm{HOD}$ and $\mathrm{D}_{2} \mathrm{O}$ complexes. This motion is best described as flipping of the hydrogen below and above the heavy atom structure. A closer look at the vibrational frequencies of the complex calculated at MP2/aug-cc-pVDZ level shows one mode where the motion is like the flipping of this non-bonded hydrogen
of $\mathrm{H}_{2} \mathrm{O}$. The vibrational frequency is $120 \mathrm{~cm}^{-1}$. It is not easy to conclude about the planarity or non-planarity of the other hydrogen in the equilibrium structure as the barrier for this motion can be sufficiently low to sample all the available dihedral angles as it is discussed later.

A direct structural analysis of the complex is possible by the Kraitchman Substitution analysis of the experimental rotational constants of the parent complex and the singly substituted isotopologues. The labelling of the atoms in the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \cdot \mathrm{H}_{2} \mathrm{O}$ complex along with the approximate location of the principal axes is shown in Figure IV.3. The small vale of inertial defect suggests the complex to be nearly planar and it was assumed to be so during the analysis. Hence, the $c$ co-ordinates of all the atoms have been assumed to be zero. The distances of the substituted atoms from the center of mass can be determined by using the following sets of equations:

$$
\begin{align*}
& |a|=\sqrt{\left[\frac{\Delta I_{b}}{\mu}\left(1+\frac{\Delta I_{a}}{\left(I_{a}-I_{b}\right)}\right)\right]}  \tag{1}\\
& |b|=\sqrt{\left[\frac{\Delta I_{c}}{\mu}\left(1+\frac{\Delta I_{b}}{\left(I_{b}-I_{c}\right)}\right)\right]} \tag{2}
\end{align*}
$$

The substitution co-ordinates for all the atoms are shown in Table IV.11. The limitation of the substitution analysis is apparent from the imaginary $b$ co-ordinate for the eleventh hydrogen atom. This atom is very close to the $a$ principal axis of the complex, as can be seen in Figure IV.3., which results in this imaginary co-ordinate.

Table IV. 10 Effective ground state rotational constants and the inertial defects calculated within the harmonic approximation at MP2 level using different basis sets.

| Parameters/Basis set | $\mathrm{C}_{8} \mathrm{H}_{6} \cdots \mathrm{H}_{2} \mathrm{O}$ | $\mathrm{C}_{8} \mathrm{H}_{6} \cdots \mathrm{HOD}$ | $\mathrm{C}_{8} \mathrm{H}_{6} \cdots \mathrm{D}_{2} \mathrm{O}$ | $\mathrm{C}_{8} \mathrm{H}_{6} \cdots \mathrm{H}_{2}{ }^{18} \mathrm{O}$ | $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \cdots \mathrm{H}_{2} \mathrm{O}$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| A (MHz)/6-311++G** | 2664.3390 | 2660.2312 | 2616.7368 | - | - |
| B (MHz)/6-311++G** | 1010.8846 | 992.7268 | 964.4386 | - | - |
| C (MHz)/6-311++G** | 734.7236 | 724.7770 | 707.5089 | - | - |
| $\Delta\left(\mathrm{amu} \AA^{2}\right) / 6-311++\mathrm{G}^{* *}$ | -1.77 | -1.76 | -2.84 |  |  |
| A (MHz)/aug-cc-pVDZ | 2672.7409 | 2668.3402 | 2622.8509 | 2614.5156 | 2603.8157 |
| B (MHz)/aug-cc-pVDZ | 998.8413 | 981.6689 | 955.6103 | 959.8943 | 978.0893 |
| C (MHz)/aug-cc-pVDZ | 729.3644 | 719.8491 | 703.9310 | 704.2225 | 713.1774 |
| $\Delta\left(\mathrm{amu} \mathrm{A}{ }^{2}\right) /$ aug-cc-pVDZ | -2.14 | -2.15 | -3.60 | -2.15 | -2.16 |

Figure IV.3. Labeling of the atoms used in the structural analysis for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$ complex. The approximate location of the principal axes is shown in the figure. The $c$ principal axis is perpendicular to the plane of the paper.


Table IV.11. Kraitchman substitution co-ordinates $\left(r_{s}\right)$ for the substituted atoms of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$ complex. The coordinates are in given in $\AA$.

|  | $\|\mathrm{a}\|$ | $\|\mathrm{b}\|$ | $\|\mathrm{c}\|$ |
| :--- | :--- | :--- | :--- |
| $\mathrm{O}_{15}$ | 3.24 | 1.49 | 0.0 |
| $\mathrm{H}_{16}$ | 3.00 | 0.23 i | 0.0 |
| $\mathrm{H}_{17}$ | 3.85 | 1.89 | 0.0 |
| $\mathrm{H}_{9}$ | 3.18 | 2.30 | 0.0 |

The five independent set of rotational constants for the five isotopes can be used to derive an approximate position of water with respect to the phenylacetylene monomer. The internal co-ordinates were fitted directly to the moments of inertia to obtain a $\mathrm{r}_{0}$ structure for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{H}_{2} \mathrm{O}$ complex. The non-linear least square fitting routine $\mathrm{STRFIT}^{17}$ was used for this purpose. A few numbers of constraints were used during the fitting. The first assumption is that the monomer geometries are unchanged due to the complexation. The $\mathrm{r}_{0}$ geometry of phenylacetylene monomer ${ }^{18}$ and $\mathrm{H}_{2} \mathrm{O}^{19}$ were used in the fitting.

Keeping these constraints, the parameters which were fitted are $\mathrm{r}\left(\mathrm{O}_{15} \mathrm{C}_{7}\right), \angle \mathrm{O}_{15} \mathrm{C}_{7} \mathrm{C}_{8}$, $\mathrm{D}\left(\mathrm{O}_{15} \mathrm{C}_{7} \mathrm{C}_{8} \mathrm{C}_{3}\right)$, $\mathrm{A}\left(\mathrm{H}_{16} \mathrm{O}_{15} \mathrm{C}_{7}\right)$ and $\mathrm{D}\left(\mathrm{H}_{16} \mathrm{O}_{15} \mathrm{C}_{7} \mathrm{C}_{3}\right)$. Keeping the dihedral angle $\mathrm{D}\left(\mathrm{H}_{17} \mathrm{O}_{15} \mathrm{H}_{16} \mathrm{C}_{3}\right)$ fixed at the ab initio optimized value of $117.1^{\circ}$ (as the MP2/aug-ccpVDZ rotational constants are very close to the experiments, this value was taken from the aug-cc-pVDZ optimized geometry) produced a very high standard deviation of 134 $\mathrm{amu} \AA^{2}$. Keeping this dihedral angle in the range of $90^{\circ}-100^{\circ}$ produced the minimum standard deviation. Further, the standard deviation didn't vary much over this range of angle. The minimum standard deviation was obtained by keeping the dihedral angle $\mathrm{D}\left(\mathrm{H}_{12} \mathrm{O}_{10} \mathrm{H}_{11} \mathrm{C}_{4}\right)$ at $99^{\circ}$. The fitted parameters and their deviations are shown in Table IV. 12 for this fitting. It is clear from Table IV.12. that the structural parameters relating to the lighter H atoms show a higher deviation than the ones which involve only the heavy atoms. A better standard deviation needs more heavy atom substitutions which is beyond the scope of this investigation.

Table IV.12.Fitted structural parameters for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ complex. The errors in the fitted value are shown in the parentheses.

| Parameters | Fitted value |
| :--- | :---: |
| $\mathrm{r}\left(\mathrm{O}_{15} \mathrm{C}_{7}\right)(\AA)$ | $3.423(4)$ |
| $\angle \mathrm{O}_{15} \mathrm{C}_{7} \mathrm{C}_{8}$ (degree) | $80.4(1)$ |
| $\mathrm{D}\left(\mathrm{O}_{15} \mathrm{C}_{7} \mathrm{C}_{8} \mathrm{C}_{3}\right)$ (degree) | $-11.1(6)$ |
| $\mathrm{A}\left(\mathrm{H}_{16} \mathrm{O}_{15} \mathrm{C}_{7}\right)($ degree $)$ | $25(3)$ |
| $\mathrm{D}\left(\mathrm{H}_{16} \mathrm{O}_{15} \mathrm{C}_{7} \mathrm{C}_{3}\right)$ (degree) | $226(12)$ |

Table IV. 13 shows some of the derived internal parameters of the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots{ }^{\circ} \mathrm{H}_{2} \mathrm{O}$ complex from the fitting. These parameters were not fitted directly but these are dependent on the fitted parameters in Table IV.12. The parameters listed in Table IV. 13 characterise the hydrogen bonds formed between phenylacetylene and $\mathrm{H}_{2} \mathrm{O}$.

Table IV.13: Derived H-bond structural parameters for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \mathrm{H}_{2} \mathrm{O}$ complex

| $\pi$ (acetylene) $\bullet \bullet \bullet \mathrm{H}(\AA)$ | 2.477 |
| :--- | :--- |
| $\mathrm{H}_{11} \bullet \bullet \bullet \mathrm{O}_{15}(\AA)$ | 2.544 |
| $\angle \mathrm{O}_{15}-\mathrm{H}_{16} \bullet \bullet \bullet \pi$ (degree) | 154.9 |
| $\angle \mathrm{C}_{3} \mathrm{H}_{11} \mathrm{O}_{15}$ (degree) | 145.6 |
| $\mathrm{D}\left(\mathrm{H}_{16} \mathrm{O}_{15} \mathrm{H}_{11} \mathrm{C}_{3}\right)$ (degree) | 45.8 |

Table IV.14. The cartesian co-ordinates ( $A$ ) of the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ complex in the abc principal axes system of the complex derived from the fitting of the $r_{0}$ structure to the experimentally derived moments of inertia of all the isotopologues.

| Atoms | $a$ | $b$ | c |
| :---: | :---: | :---: | :---: |
| $\mathrm{C}_{1}$ | 0.091 | -0.516 | 0.045 |
| $\mathrm{C}_{2}$ | 1.261 | 1.253 | 0.120 |
| $\mathrm{C}_{3}$ | 0.136 | 0.136 | 0.136 |
| $\mathrm{C}_{4}$ | 2.490 | 0.594 | 0.156 |
| $\mathrm{C}_{5}$ | 1.368 | 1.368 | 1.368 |
| $\mathrm{C}_{6}$ | 2.546 | 0.027 | 2.547 |
| $\mathrm{C}_{7}$ | -1.184 | -1.195 | 0.082 |
| $\mathrm{C}_{8}$ | -2.248 | -1.763 | 0.113 |
| $\mathrm{H}_{9}$ | -3.179 | -2.259 | 0.140 |
| $\mathrm{H}_{10}$ | 1.215 | 2.325 | 0.219 |
| $\mathrm{H}_{11}$ | -0.773 | 1.433 | 0.302 |
| $\mathrm{H}_{12}$ | 3.401 | 1.163 | 0.284 |
| $\mathrm{H}_{13}$ | 1.409 | 2.600 | 0.238 |
| $\mathrm{H}_{14}$ | 3.499 | 0.055 | 3.499 |
| $\mathrm{O}_{15}$ | -3.278 | 1.502 | -0.144 |
| $\mathrm{H}_{16}$ | -2.990 | 0.642 | 0.186 |
| $\mathrm{H}_{17}$ | -3.666 | 1.318 | -1.008 |

Table IV.15. The equilibrium cartesian co-ordinates ( $\AA$ ) of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ complex in the abc principal axes system calculated at MP2/aug-cc-pVDZ level

| Atoms | $a$ | $b$ | $c$ |
| :---: | :---: | :---: | :---: |
| $\mathrm{C}_{1}$ | 0.055 | 0.502 | -0.015 |
| $\mathrm{C}_{2}$ | 1.235 | 1.281 | 0.054 |
| $\mathrm{C}_{3}$ | 0.142 | -0.910 | -0.071 |
| $\mathrm{C}_{4}$ | 2.490 | 0.650 | 0.066 |
| $\mathrm{C}_{5}$ | 1.404 | -1.527 | -0.060 |
| $\mathrm{C}_{6}$ | 2.579 | -0.754 | 0.008 |
| $\mathrm{C}_{7}$ | -1.227 | 1.160 | -0.033 |
| $\mathrm{C}_{8}$ | -2.317 | 1.748 | -0.054 |
| $\mathrm{H}_{9}$ | -3.253 | 2.276 | -0.084 |
| $\mathrm{H}_{10}$ | 1.158 | 2.371 | 0.097 |
| $\mathrm{H}_{11}$ | -0.774 | -1.505 | -0.121 |
| $\mathrm{H}_{12}$ | 3.399 | 1.256 | 0.119 |
| $\mathrm{H}_{13}$ | 1.470 | -2.618 | -0.105 |
| $\mathrm{H}_{14}$ | 3.558 | -1.241 | 0.016 |
| $\mathrm{O}_{15}$ | -3.205 | -1.508 | 0.025 |
| $\mathrm{H}_{16}$ | -2.976 | -0.565 | 0.043 |
| $\mathrm{H}_{17}$ | -3.652 | -1.655 | 0.870 |

Table IV. 14 shows the $\mathrm{r}_{0}$ cartesian co-ordinates of the complex and these are in reasonable agreement with the substitution co-ordinates derived by the Kraitchman substitution analysis. Table IV. 15 shows the equilibrium co-ordinates for the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{H}_{2} \mathrm{O}$ complex calculated at MP2/aug-cc-pVDZ level. The substitution coordinates, $\mathrm{r}_{0}$ co-ordinates and the equilibrium co-ordinates calculated by ab initio indicate that the co-ordinates for the oxygen atom and the H atoms numbered nine and sixteen ( Figure IV.3) (terminal H atom of the acetylenic group of the phenylacetylene) are quite close for each of these structures whereas the co-ordinates for the non-bonded hydrogen (H atom numbered 17 in Figure IV.11) atom of water moiety differ a lot. This is not surprising considering the large amplitude motions which may affect this hydrogen which is discussed in the next section.

From Table IV.13, it is apparent that the distance of the ortho hydrogen of phenyl ring to the $\mathrm{H}_{2} \mathrm{O}$ oxygen is $2.544 \AA$, which is less than the sum of van der Waals radii of H and O . This distance, in fact, is in close agreement to the predicted value, which has been calculated based on the radii suggested by Arunan and co-workers for H and different
acceptor atoms involved in strong, medium and weak H-bonding interaction. ${ }^{20-21}$ The distance of the ortho hydrogen to the oxygen can be calculated as $\mathrm{R}_{\mathrm{H}}(\mathrm{C}-\mathrm{H})+\mathrm{R}_{\mathrm{H}}(\mathrm{O})=$ $(1.07+1.40) \AA=2.47 \AA$. This value is quite close to the tabulated value in Table IV.13. Hence, there is a strong evidence of a secondary interaction present in the complex. This conclusion is further justified when one looks at the hydrogen bond angles. In literature, this kind of deviation from linearity has been found to be caused by the presence of a secondary interaction. ${ }^{22}$ The $\angle \mathrm{O}-\mathrm{H} \cdot \cdots \cdot \pi$ hydrogen bond angles made by various hydrogen bond donors to the acetylene $\pi$ cloud is quoted in Table IV.16. Thus, all of them are linear whereas the $\angle \mathrm{O}-\mathrm{H} \cdot \cdots \pi$ in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$ is far from linearity as can be seen from Table IV.13. It is further interesting to note that these fitting derived bond distance of the oxygen atom to the ortho hydrogen of the phenyl ring in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ is $2.48 \AA$, which is very close to that of benzonitrile $\bullet \cdot \mathrm{H}_{2} \mathrm{O} .{ }^{8}$ Moreover, the angle of the oxygen atom to the ortho C-H group is also very similar in both the complexes. This angle is close to $144^{\circ}$ for both these complexes. It is noted that the distance of the hydrogen from the $\pi$ center of acetylene group in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}$ is also in close agreement to the calculated distance based on the H -bond radii. The calculated distance is $\mathrm{R}_{\mathrm{H}}(\mathrm{O}-\mathrm{H})+\mathrm{R}_{\mathrm{H}}\left(\mathrm{C}^{\mathrm{c}}\right)=0.89+1.55=2.44 \AA$ which is close to derived value listed in Table IV.13.

Table IV.16. $B-H \bullet \bullet X$ angles in degrees for $B-H \bullet \bullet H C C H$ complexes

| B (donor atom) | A |
| :--- | :--- |
| F | $180^{\circ 23}$ |
| Cl | $180^{\circ 24}$ |
| Br | $180^{\circ} 25$ |
| O | $179^{\circ 26}$ |

## IV.E. AIM calculations

AIM $^{27}$ calculations were performed to locate the bond critical points in the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ complex. The bond critical points, bond paths and the ring critical points are shown in Figure IV.4. Two bond-critical points have been located. The BCP1 is connecting the water $\mathrm{O}-\mathrm{H}$ to the mid point of the acetylenic $\pi$ clound whereas the BCP 2 is connecting the ortho $\mathrm{C}-\mathrm{H}$ group to the water oxygen. Apart from the phenyl ring critical point, one more ring critical point has been located which signifies a ring closure due to the formation of $\mathrm{O}-\mathrm{H} \cdots \cdots \pi$ and $\mathrm{C}-\mathrm{H} \cdots \mathrm{O}$ bonds. The electron densities $(\rho)$ and the Laplacian $\left(\nabla^{2} \rho\right)$ at the BCP1 and the BCP2 are shown in Table IV.17. These values are well within the range as was suggested by Koch and Popelier. ${ }^{28}$ The $\rho$ value at BCP should lie within the range $[0.002,0.035]$ au and the Laplacian of the electron density at BCP should lie within the range $[0.024,0.139]$ au as was suggested in reference 28.

Figure IV.4. The bond critical points and the ring critical points of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{H}_{2} \mathrm{O}$ complex located by AIM theoretical calculations.


Table IV.17. Electron densities ( $\rho$ ) and Laplacian of the electron densities ( $\nabla^{2} \rho$ ) at BCP1 and BCP2 calculated by AIM theory.

| Interaction | $\rho(\mathrm{BCP})$ | $\mathrm{L}(\rho)$ |
| :--- | :--- | :--- |
| $\mathrm{O}-\mathrm{H} \cdot \bullet \cdot \pi$ | 0.013 | 0.036 |
| $\mathrm{C}-\mathrm{H} \cdot \cdots \cdot \mathrm{O}$ | 0.011 | 0.032 |

Thus, the results from the AIM theoretical calculations support the presence of a secondary $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{O}$ interaction. Hence, we conclude that this deviation in the $\angle \mathrm{O}-\mathrm{H} \cdot \cdots \pi$ bond angle from linearity in case of the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ complex has been caused by the presence of the additional $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{O}$ interaction. Moreover, the $\rho$ value at BCP1 and BCP2 indicates that $\mathrm{O}-\mathrm{H} \cdot \cdots \pi \pi$ and $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{O}$ are almost equally strong.

## IV.F. Internal rotation of the $\mathrm{H}_{2} \mathrm{O}$ moiety

All the isotopologues except the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \mathrm{HOD}$ show a doubling of the transition frequencies which is because of the large amplitude motion of the $\mathrm{H}_{2} \mathrm{O}$ moiety. The water subunit can undergo three kinds of internal motions in the complex (as shown in Figure IV.5):1. an internal rotation of the non-bonded hydrogen (the rotation about the $\alpha$ co-ordinate) as was observed in case of $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \cdots \mathrm{H}_{2} \mathrm{O}^{1-2}$ 2. flipping of the non-bonded hydrogen of the water moiety in and out of the plane (inversion kind of motion) 3. the interchange of the equivalent hydrogens of $\mathrm{H}_{2} \mathrm{O}$ about its $\mathrm{C}_{2}$ axis (rotation about the angle $\theta$ ). It is to be noted that none of these motions changes the $a$ and $b$-dipole in the complex. Hence, it is expected that any of these motions would give rise to a semi- rigid rotor spectrum for the $a$-dipole and the $b$-dipole transitions, which can be fitted without the inclusion of any additional tunnelling splitting term in the Hamiltonain. In fact, as mentioned, both the series could be fitted independently. Hence, we cannot measure the tunnelling splitting directly from the spectra. The quenching of the observed splitting in case of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{HOD}$ complex confirms that this splitting arises because of the internal rotation of the $\mathrm{H}_{2} \mathrm{O}$ about its $\mathrm{C}_{2}$ symmetry axis. The rotational constant
differences for the isotopologues are reported in Table IV.18. From Table IV.18., it is evident that as we go from $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}$ to $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{D}_{2} \mathrm{O}$, the magnitude of the splitting decreases by one order of magnitude. This tells us that the internal rotation of $\mathrm{H}_{2} \mathrm{O}$ in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{O}$ is a hindered in nature. This is expected as this motion involves the breaking of both the hydrogen bonds. On the other hand, the splitting shows little variation with the substitution of the hydrogen on the phenyl ring or with the oxygen atom substitution.

Figure IV.5. The co-ordinates describing the internal rotation of $\mathrm{H}_{2} \mathrm{O}$ moiety in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ complex.


Table IV.18: Experimentally derived differences in the rotational constants for both the stronger and the weaker series for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and its isotopologues.

|  | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{H}_{2} \mathrm{O}$ | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{H}_{2}{ }^{18} \mathrm{O}$ | $\mathrm{C}_{8} \mathrm{H}_{5} \mathrm{D}-\mathrm{H}_{2} \mathrm{O}$ | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{D}_{2} \mathrm{O}$ |
| :--- | :--- | :--- | :--- | :--- |
| $\|\Delta \mathrm{A}\|(\mathrm{MHz})$ | 1.043 | 0.938 | 0.99 | 0.222 |
| $\|\Delta \mathrm{~B}\|(\mathrm{MHz})$ | 0.348 | 0.0153 | 0.035 | 0.018 |
| $\|\Delta \mathrm{C}\|(\mathrm{MHz})$ | 0.1322 | 0.099 | 0.129 | 0.013 |

A potential energy curve has been calculated for the rotation of $\mathrm{H}_{2} \mathrm{O}$ about the $\mathrm{C}_{2}$ symmetry axis at MP2/aug-cc-pVDZ level and is shown in Figure IV.6. The potential energy barrier is $1186 \mathrm{~cm}^{-1}$ at this level of theory, which is significantly high to cause a hindered potential for this rotation. From the frequency calculations, one mode has been identified at $415 \mathrm{~cm}^{-1}\left(\mathrm{ZPE}=208 \mathrm{~cm}^{-1}\right)$ corresponding to the rotation of $\mathrm{H}_{2} \mathrm{O}$ about its $\mathrm{C}_{2}$ symmetry axis. Thus, the barrier height is almost six times higher than the ZPE along this co-ordinate. This is not surprising as a rotation of the $\mathrm{H}_{2} \mathrm{O}$ moiety in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \cdot \mathrm{H}_{2} \mathrm{O}$ would lead to the breaking of both the hydrogen-bonds.

Figure IV.6. Potential energy curve for the rotation of the $\mathrm{H}_{2} \mathrm{O}$ about the $\theta$ coordinate.


Potential energy curves have also been calculated for the complete rotation of $\mathrm{H}_{2} \mathrm{O}$ about the $\alpha$ co-ordinate. The curve is shown in Figure IV.7. This motion faces two barriers; one is for a configuration where the non-bonded hydrogen is in the $a b$ inertial plane of the complex but away from the phenylacetylene moiety and the other is the non-bonded hydrogen is in the plane but facing the phenylacetylene moiety. The barrier for the
former configuration is $70 \mathrm{~cm}^{-1}$, whereas the barrier faced by the later configuration is $315 \mathrm{~cm}^{-1}$. In the later configuration the ring hydrogen and the non-bonded hydrogen both come very close to each other and because of that the barrier increases. This indicated that a flipping inversion motion of the non-bonded hydrogen is more likely than a complete rotation of the hydrogen by $360^{\circ}$. However, experimentally we do not have any direct evidence for this motion, though we have some indirect evidence from the inertial defects. This motion, if present, would reverse the $c$-dipole moment of the complex and the splitting in the $c$-dipole transitions can differ by several MHz depending on the effective barrier height. It may be noted that the rigid ab initio geometry prediction for the dipole moment of the complex at MP2/aug-cc-pVDZ level gives $\left|\boldsymbol{\mu}_{\boldsymbol{a}}\right|=0.7154$ Debye, $\left|\mu_{b}\right|=0.9484$ Debye and $\left|\mu_{c}\right|=1.3515$ Debye. This shows that the $c$-dipole transition is the strongest. However, we do not have assignments for the $c$-dipole transitions for this complex. This could be because that the $c$-dipole moment is averaged out because of a complete rotation of the non-bonded hydrogen about the hydrogen bond. The other reason could be that the inversion motion of the non-bonded hydrogen produce very large splitting and as a result, the transitions can fall beyond the searched range.


Figure IV.7. Potential energy curve for the rotation of the $\mathrm{H}_{2} \mathrm{O}$ about the $\alpha$-co-ordinate.

Considering the structural similarity with the benzonitrile $\cdot \bullet \cdot \mathrm{H}_{2} \mathrm{O}^{6-8}$ complex, let us compare the splitting pattern of these complexes. The splitting in the observed rotational constants for benzonitrile $\bullet \bullet \mathrm{H}_{2} \mathrm{O}$ is less than what has been observed for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{H}_{2} \mathrm{O}$ complex. The change in the rotational constants of the two states for benzonitrile $\bullet \bullet \mathrm{H}_{2} \mathrm{O}$ are $|\Delta \mathrm{A}|=0.14 \mathrm{MHz},|\Delta \mathrm{B}|=0.023 \mathrm{MHz}$ and $|\Delta \mathrm{C}|=0.004 \mathrm{MHz}$. However, this is in contrast to the higher value of barrier height calculated here for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{H}_{2} \mathrm{O}$ complex. On the other hand, the barrier for the rotation of $\mathrm{H}_{2} \mathrm{O}$ about the $\mathrm{C}_{2}$ symmetric axis in benzonitrile $\cdots \cdot \mathrm{H}_{2} \mathrm{O}$ is significantly less than the calculated barrier height for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ complex. A barrier height of $\sim 284 \mathrm{~cm}^{-1}$ has been reported for benzonitrile $\cdots \cdot \mathrm{H}_{2} \mathrm{O}$ complex. ${ }^{8}$ This discrepancy in the barrier height may arise as the rotation of $\mathrm{H}_{2} \mathrm{O}$ about the $\mathrm{C}_{2}$ axis in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ is not a onedimensional problem and the reduced mass involved in the motion causing the splitting may be higher. The motion may involve the relation of other structural parameters which may change the barrier height. In benzonitrile $\bullet \bullet \mathrm{H}_{2} \mathrm{O}$, a previous study by Dreizler and co-workers yielded a barrier of $467 \mathrm{~cm}^{-1}$ for this $\mathrm{C}_{2}$ rotation of $\mathrm{H}_{2} \mathrm{O} .{ }^{29}$ Their model did not take the structural relaxations into account. However a flexible model calculation by taking into consideration of the relaxation of N-O distance and the $\mathrm{C}-\mathrm{N}-\mathrm{O}$ angle yielded a barrier height of $287 \mathrm{~cm}^{-1}$. Thus, the relaxation of the structural parameters may be needed to achieve a reasonable barrier height for these strongly hydrogen-bonded systems.

## IV.G. Conclusions

Rotational spectra of five isotopologues of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ complex have been measured and assigned. The spectra revealed a nearly planar structure where the $\mathrm{H}_{2} \mathrm{O}$ is donating its hydrogen to acetylenic $\pi$ cloud forming $\mathrm{O}-\mathrm{H} \cdot \bullet \cdot \pi$ bond whereas the ortho C H group is involved in a secondary interaction with the $\mathrm{H}_{2} \mathrm{O}$ oxygen. The rotational constants are in close agreement to the $a b$ initio derived rotational constants and unequivocally confirm the planar structure. The experimentally derived distance of the hydrogen atom of $\mathrm{H}_{2} \mathrm{O}$ from the center of the acetylenic $\pi$ cloud is $\sim 2.5 \AA$ whereas the distance of the $\mathrm{H}_{2} \mathrm{O}$ oxygen from the ortho hydrogen of the phenyl ring is also $\sim 2.5 \AA$,
which is within the limit of a $\mathrm{C}-\mathrm{H} \cdots \mathrm{O}$ interaction. The presence of this secondary interaction causes a large deviation of the $\mathrm{O}-\mathrm{H} \cdots \cdot \pi$ angle from linearity. The rotational spectrum exhibits a splitting of the transitions due to the interchange of the two equivalent hydrogens of the $\mathrm{H}_{2} \mathrm{O}$ subunit which is more likely due to the rotation of $\mathrm{H}_{2} \mathrm{O}$ about its $\mathrm{C}_{2}$ symmetry axis. The decrease of the splitting in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \cdot \mathrm{D}_{2} \mathrm{O}$ by one order of magnitude indicates that the motion faces an appreciable barrier due to the breaking of $\mathrm{O}-\mathrm{H} \cdot \cdots \pi$ and $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{O}$ hydrogen bonds.

## IV.H. References

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that enables the programme to remove one line from the fitting at a time and compare the rms deviation with the full fitting. The feature aids in identifying a wrong assignment.
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## Appendix

Table IV.A. 1. Newly observed transitions of $\mathrm{Ar} \cdots{ }^{\circ} \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH}$ complex during the search for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$ complex

| Transitions | Frequencies/MHz |
| :--- | :--- |
| $2_{11}-3_{22}$ | 6150.7655 |
| $3_{13}-4_{04}$ | 6159.1832 |
| $3_{13}-4_{14}$ | 7144.3570 |
| $3_{31}-4_{32}$ | 7150.5070 |
| $3_{12}-4_{13}$ | 7446.5318 |
| $3_{21}-4_{22}$ | 7582.1946 |
| $4_{32}-5_{23}$ | 8001.6611 |
| $4_{23}-5_{14}$ | 8288.3467 |
| $4_{13}-5_{14}$ | 8584.3707 |
| $4_{13}-5_{24}$ | 8696.6241 |
| $3_{21}-4_{32}$ | 8959.1046 |

Table IV.A.2. Structural parameters of experimentally observed structure of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{H}_{2} \mathrm{O}$ complex calculated at MP2/aug-cc-pVTZ level of theory

| Parameters | Values | Parameters | Values | Parameters | Values |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathrm{R}(1,2)$ | 1.403 | $\mathrm{R}(4,12)$ | 1.082 | $\mathrm{R}(15,16)$ | 0.966 |
| $\mathrm{R} \mathrm{(1,3)}$ | 1.403 | $\mathrm{R}(2,10)$ | 1.082 | $\mathrm{R}(15,17)$ | 0.962 |
| $\mathrm{R} \mathrm{(3,5)}$ | 1.392 | $\mathrm{R}(1,7)$ | 1.428 | $\mathrm{~A}(2,1,3)$ | 119.8 |
| $\mathrm{R} \mathrm{(2,4)}$ | 1.391 | $\mathrm{R} \mathrm{(3,11)}$ | 1.082 | $\mathrm{~A}(2,1,7)$ | 119.6 |
| $\mathrm{R} \mathrm{(5,6)}$ | 1.394 | $\mathrm{R} \mathrm{(5,13)}$ | 1.082 | $\mathrm{~A}(3,1,7)$ | 120.6 |
| $\mathrm{R} \mathrm{(4,6)}$ | 1.395 | $\mathrm{R}(7,8)$ | 1.220 | $\mathrm{~A}(1,2,4)$ | 120.0 |
| $\mathrm{R} \mathrm{(6,14)}$ | 1.082 | $\mathrm{R} \mathrm{(8,9)}$ | 1.063 | $\mathrm{~A} \mathrm{(1,2,10)}$ | 119.3 |

Table IV.A.2. continued..

| Parameters | Values | Parameters | Values | Parameters | Values |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathrm{A}(4,2,10)$ | 120.7 | $\mathrm{~A}(5,6,14)$ | 120.1 | $\mathrm{D}(3,1,2,4)$ | 0.1 |
| $\mathrm{~A}(1,3,5)$ | 119.7 | $\mathrm{~A}(1,7,16)$ | 108.2 | $\mathrm{D}(3,1,2,10)$ | 180.0 |
| $\mathrm{~A}(1,3,11)$ | 119.5 | $\mathrm{~A}(9,8,16)$ | 121.0 | $\mathrm{D}(7,1,2,4)$ | -179.7 |
| $\mathrm{~A}(5,3,11)$ | 120.9 | $\mathrm{~A}(3,11,15)$ | 143.1 | $\mathrm{D}(7,1,2,10)$ | 0.2 |
| $\mathrm{~A}(2,4,6)$ | 120.2 | $\mathrm{~A}(11,15,16)$ | 73.9 | $\mathrm{D}(2,1,3,5)$ | -0.1 |
| $\mathrm{~A}(2,4,12)$ | 119.7 | $\mathrm{~A}(11,15,17)$ | 120.0 | $\mathrm{D}(2,1,3,11)$ | 179.5 |
| $\mathrm{~A}(6,4,12)$ | 120.1 | $\mathrm{~A}(16,15,17)$ | 104.3 | $\mathrm{D}(7,1,3,5)$ | 179.7 |
| $\mathrm{~A}(3,5,6)$ | 120.5 | $\mathrm{~A}(7,16,15)$ | 150.8 | $\mathrm{D}(7,1,3,11)$ | -0.7 |
| $\mathrm{~A}(6,5,13)$ | 120.0 | $\mathrm{~A}(7,8,9)$ | 179.0 | $\mathrm{D}(2,1,7,16)$ | -167.1 |
| $\mathrm{~A}(4,6,5)$ | 119.8 | $\mathrm{~A}(1,7,8)$ | 179.1 | $\mathrm{D}(3,1,7,16)$ | 13.2 |
| $\mathrm{~A}(4,6,14)$ | 120.1 | $\mathrm{~A}(8,16,15)$ | 172.3 | $\mathrm{D}(1,2,4,6)$ | -0.0 |
| $\mathrm{D}(1,2,4,12)$ | 180.0 | $\mathrm{D}(10,2,4,6)$ | -179.9 | $\mathrm{D}(10,2,4,12)$ | 0.1 |
| $\mathrm{D}(1,3,5,6)$ | 0.0 | $\mathrm{D}(1,3,5,13)$ | -180.0 | $\mathrm{D}(11,3,5,6)$ | -179.6 |
| $\mathrm{D}(11,3,5,13)$ | 0.5 | $\mathrm{D}(1,3,11,15)$ | -22.6 | $\mathrm{D}(5,3,11,15)$ | 157.0 |
| $\mathrm{D}(2,4,6,5)$ | -0.0 | $\mathrm{D}(2,4,6,14)$ | 180.0 | $\mathrm{D}(12,4,6,5)$ | 180.0 |
| $\mathrm{D}(12,4,6,14)$ | -0.0 | $\mathrm{D}(3,5,6,4)$ | 0.0 | $\mathrm{D}(3,5,6,14)$ | -180.0 |
| $\mathrm{D}(13,5,6,4)$ | -180.0 | $\mathrm{D}(13,5,6,14)$ | 0.0 | $\mathrm{D}(1,7,16,15)$ | -15.0 |
| $\mathrm{D}(9,8,15,11)$ | 169.6 | $\mathrm{D}(9,8,15,17)$ | -73.5 | $\mathrm{D}(3,11,15,16)$ | 20.3 |
| $\mathrm{D}(3,11,15,17)$ | -77.2 | $\mathrm{D}(11,15,16,7)$ | 2.4 | $\mathrm{D}(17,15,16,7)$ | 120.1 |

Figure IV.A.3. Numbering of atoms for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ which has been used to designate the structural parameters in Table IV.A.1.


Table IV.A.4. Calculated distortion constants for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ complex under the harmonic approximation at MP2/aug-cc-pVDZ level of theory.

|  | $\mathrm{C}_{8} \mathrm{H}_{6} \cdots \mathrm{H}_{2} \mathrm{O}$ | $\mathrm{C}_{8} \mathrm{H}_{6} \cdots \mathrm{HOD}$ | $\mathrm{C}_{8} \mathrm{H}_{6} \cdots \mathrm{D}_{2} \mathrm{O}$ | $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{D} \cdots \mathrm{H}_{2} \mathrm{O}$ | $\mathrm{C}_{8} \mathrm{H}_{6} \cdots \mathrm{H}_{2}{ }^{18} \mathrm{O}-$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |
| $\Delta_{\mathrm{J}}(\mathrm{kHz})$ | 0.208 | 0.198 | 0.185 | 0.191 | 0.209 |
| $\Delta_{\mathrm{JK}}(\mathrm{kHz})$ | -0.411 | -0.324 | -0.239 | -0.390 | -0.347 |
|  |  |  |  |  |  |
| $\Delta_{\mathrm{k}}(\mathrm{kHz})$ | 0.335 | 3.328 | 3.245 | 3.333 | 3.364 |
|  |  |  |  |  |  |
| $\delta_{\mathrm{J}}(\mathrm{kHz})$ | 0.065 | 0.062 | 0.055 | 0.062 | 0.066 |
|  |  |  |  |  |  |
| $\delta_{\mathrm{K}}(\mathrm{kHz})$ | 0.445 | 0.446 | 0.436 | 0.410 | 0.466 |

Table IV.A.5. Vibrational frequencies for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$ complex calculated under the harmonic approximation at MP2/aug-cc-pVDZ level of theory.

| Frequencies $\left(\mathrm{cm}^{-1}\right)$ |
| :--- |
| $30,75,112,120,130,159,208,317,399,415,460,471,497$, |
| $548,614,621,643,743,761,848,906,934,965,996,1041,1093$, |
| $1166,1193,1213,1317,1429,1479,1493,1602,1627,1631$, |
| $2095,3202,3212,3219,3227,3232,3474,3745,3900$ |

## Chapter V

## Rotational Spectra and Structure of phenylacetylene.ooH2S

## V.A. Introduction

Microwave spectroscopic studies of the complexes involving the first row and second row hydrides with aromatic ring are of interest as it provides the basis to understand the nature of the physical forces that dominate their interaction energy. How different/similar is the structure and dynamics when we compare the interactions of the first row and second row hydrides with the $\pi$ cloud? With ethylene, $\mathrm{HF},{ }^{1} \mathrm{HCl},{ }^{2,3} \mathrm{H}_{2} \mathrm{O},{ }^{4,5} \mathrm{H}_{2} \mathrm{~S}^{6}$ all of them form $\pi$-bonded structure. Same is the case with benzene. $\mathrm{C}_{6} \mathrm{H}_{6} \cdot \cdots \cdot \mathrm{H}_{2} \mathrm{O},{ }^{7,8}$ $\mathrm{C}_{6} \mathrm{H}_{6} \cdot \cdots \mathrm{H}_{2} \mathrm{~S},{ }^{9} \mathrm{C}_{6} \mathrm{H}_{6} \cdots \cdot \mathrm{HCl}^{10}$ and $\mathrm{C}_{6} \mathrm{H}_{6} \cdots \cdot \mathrm{HF}^{12}$ all of them have $\pi$ hydrogen bonded geometry. However, the nature of binding exhibited by the first and second row hydrides can change significantly when the substituent on the benzene ring changes and there are multiple possibilities. The global minimum for fluorobenzene $\cdot \bullet \mathrm{H}_{2} \mathrm{O}^{13,14}$ has a cyclic structure having $\mathrm{O}-\mathrm{H} \cdot \cdots \mathrm{F}$ and $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{O}$ interaction whereas the fluorobenzene $\cdot \cdots \cdot \mathrm{HCl}^{15}$ has $\pi$ hydrogen bond. Theoretical and experimental studies of furan with the first row and the second row hydrides have been reported in literature. These studies in fact pose challenge to the Legon-Millen rules. ${ }^{16}$ The third among these rules proposed by Legon and Millen says that if there is $\pi$-pair and a non-bonding pair, the hydrogen bond donor always goes to the non-bonding pair. However, recent infrared studies of furan with HCl detected both the $\sigma$ bonded (bonded to the oxygen lone pair) and the $\pi$ bonded (bonded to the furan $\pi$ electron density) complexes in a molecular beam under the same condition. ${ }^{17}$ One recent theoretical study of the complexes of furan with the first and second row hydrides has proposed that in case of the first row hydrides, the $\sigma$ type complex is more stable than the $\pi$ type complex, whereas in case of the second row hydrides, the $\pi$-type complexes are more stable than the $\sigma$ type complexes. ${ }^{18}$ A multifunctional molecule like phenylacetylene would be more challenging in this aspect to provide a definitive guideline for the prediction of the most stable structure of its complexes with the first row and the second row hydrides. Thus, a large set of experimental data are essential in this regard. We have already seen that phenylacetylene forms a planar complex with $\mathrm{H}_{2} \mathrm{O}$ where the water molecule is donating one of its hydrogen to the acetylenic $\pi$ cloud and the ortho hydrogen of the phenyl ring is involved in a secondary interaction with the oxygen atom of $\mathrm{H}_{2} \mathrm{O} .{ }^{19}$ Interestingly, recent studies ${ }^{20}$ show that the complexes of
phenylacetylene with $\mathrm{NH}_{3}, \mathrm{CH}_{3} \mathrm{NH}_{2}, \mathrm{CH}_{3} \mathrm{OH}$ exhibit structural diversity when the hydrogen bond donor is changed. Keeping this in mind, we wanted to explore the geometry of phenylacetylene $\cdots \mathrm{H}_{2} \mathrm{~S}\left(\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{~S}\right)$ complex. Like $\mathrm{H}_{2} \mathrm{O}$ complex of phenylacetylene in chapter IV, hydrogen sulphide could interact with phenylacetylene in three different ways: $1 . \mathrm{H}_{2} \mathrm{~S}$ can act as a donor to the $\pi$ cloud of the phenyl group similar to what was observed in case of benzene $\cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ complex. 2. The acetylenic C-H group of phenylacetylene can donate its hydrogen to the S atom forming a $\mathrm{C}-\mathrm{H} \cdot \bullet \cdot \mathrm{S}$ hydrogen bond. 3. $\mathrm{H}_{2} \mathrm{~S}$ can donate one of its hydrogen to the actylenic $\pi$ cloud forming $\mathrm{S}-\mathrm{H} \bullet \bullet \pi$ bond while the phenyl ring donates its ortho hydrogen to sulphur atom making a C$\mathrm{H} \cdot \cdots \mathrm{S}$ hydrogen bond and thus, forming a structure very similar to the corresponding water complex. Microwave spectroscopic studies on the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex and its isotopologues are reported in this chapter along with the $a b$ initio and AIM theoretical studies on the possible geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex.

## V.B. Experimental

The spectrum was collected using the PNFTMW Spectrometer described in Chapter II. Helium was used as the carrier gas. The carrier gas was bubbled at a flow rate of 20 SCCM through the sample of phenylacetylene placed in a container at ambient condition. The flow rate of $\mathrm{H}_{2} \mathrm{~S}$ was $\sim 1 \mathrm{SCCM}$. The samples were mixed with a bath of Helium ( 200 SCCM) at a four-way junction and the mixture was carried to the nozzle. The mixture was expanded using a stagnation pressure of 0.8-0.9 bar through the nozzle. Initially, a microwave pulse of $1.0 \mu \mathrm{~s}$ was used for the search. However, after having few transitions located, the conditions were re-optimized and a microwave pulse of $0.5 \mu \mathrm{~s}$ produced the best result. The signals seen for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$ were stronger than those of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$. The optimum pulse for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O} a$-dipole transitions was $1.0 \mu \mathrm{~s}$ whereas the $b$-dipole transitions needed $0.5 \mu \mathrm{~s}$. The component dependence of the signals was tested and no transition could be observed in absence of either phenylacetylene or $\mathrm{H}_{2} \mathrm{~S}$. The rest of the spectrum was obtained under these optimized conditions. Phenylacetylene (98\%) and Phenylacetylene-D ( $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD}, 99$ atom\% D) were obtained from Aldrich and was used without any further purification. $\mathrm{D}_{2} \mathrm{~S}$ was
produced by passing $\sim 1 \mathrm{SCCM}$ of $\mathrm{H}_{2} \mathrm{~S}$ through the sample of $\mathrm{D}_{2} \mathrm{O}$ (99.96 atom\% D, Aldrich). HDS was produced by passing $\mathrm{H}_{2} \mathrm{~S}$ through a $50: 50$ mixture of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{D}_{2} \mathrm{O}$. The signals for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2}{ }^{34}$ S were observed in natural abundance.

## V.C. Rotational spectra

The search for the parent complex was guided by the ab initio calculations which are discussed in detail in the later sections. The calculations revealed that a geometry where $\mathrm{H}_{2} \mathrm{~S}$ is sitting on top of the phenylacetylene plane is the most stable one. The principal axes system for the global minimum obtained at MP2/aug-cc-pVDZ level is shown in Figure V.1. Both $a$ and $b$-dipole transitions are expected to be present. The $a b$ initio derived dipole moments at MP2/aug-cc-pVDZ level of the complex are $\left|\mu_{\mathrm{a}}\right|=1.5379 \mathrm{D}$, $\left|\mu_{\mathbf{b}}\right|=-0.8290 \mathrm{D}$ and $\left|\mu_{\mathbf{c}}\right|=0.0017 \mathrm{D}$. Search was started for $4_{14} \rightarrow 5_{15}, 4_{14} \rightarrow 5_{05}, 4_{04} \rightarrow 5_{15}$ and $4_{04} \rightarrow 5_{05}$ quartet at $\sim 8250.0 \mathrm{MHz}$. The transitions $4_{14} \rightarrow 5_{15}, 4_{14} \rightarrow 5_{05}, 4_{04} \rightarrow 5_{15}$ and $4_{04} \rightarrow 5_{05}$ are closely spaced and their frequency increases in this order. As the prediction showed, the difference between the two $\mathrm{K}_{\mathrm{a}}=0$ ( $a$ and $b$-dipole transitions) transitions is 9 kHz whereas the two $\mathrm{K}_{\mathrm{a}}=1$ lines (' $a$ ' and ' $b$ ' dipole) are also separated by 9 kHz . The difference between the $4_{14} \rightarrow 5_{05}$ and $4_{04} \rightarrow 5_{15}$ transitions is 110 kHz . These differences are found to decrease as we go to the higher $J$ and at a certain $J$ they appear at a single frequency. As we go to lower J, these transitions become widely separated from each other gradually. These transitions are referred as $\mathrm{K}_{\mathrm{a}}=0 / 1$ quartet in the text. The pattern was similar in case of $4_{13} \rightarrow 5_{24}, 4_{13} \rightarrow 5_{14}, 4_{23} \rightarrow 5_{24}$ and $4_{23} \rightarrow 5_{14}$ transitions and they are referred as $K_{a}=1 / 2$ quartet. The $K_{a}=2 / 3$ quartet also showed the same behaviour. The assignment of the transitions was facilitated by the fact that all these predicted $\mathrm{K}_{\mathrm{a}}=0 / 1$, $\mathrm{K}_{\mathrm{a}}=1 / 2, \mathrm{~K}_{\mathrm{a}}=2 / 3$ quartet transitions of successive J are separated by $\sim 1.56 \mathrm{GHz}$ from their corresponding lines at higher J . The difference is a constant number as one approaches the higher J . As we go to the lower J , the spacing between the individual transitions of the $\mathrm{K}_{\mathrm{a}}=0 / 1, \mathrm{~K}_{\mathrm{a}}=1 / 2, \mathrm{~K}_{\mathrm{a}}=2 / 3$ quartet increases and hence, they cannot be located as easily as the higher J transitions. Thus search for $4_{14} \rightarrow 5_{15}, 4_{14} \rightarrow 5_{05}, 4_{04} \rightarrow 5_{15}$ and $4_{04} \rightarrow 5_{15}$ transitions yielded several transitions dependent on phenylacetylene and $\mathrm{H}_{2} \mathrm{~S}$. Several other transitions could be located at around $\sim 1.4 \mathrm{GHz}$ above these lines. The corresponding transitions could be located for subsequent higher J also. However,
the higher J transitions could not be fitted as $\mathrm{K}_{\mathrm{a}}=0 / 1$ quartet. Eventually, they could be fitted as $\mathrm{K}_{\mathrm{a}}=2 / 3$ transitions. Both $a$ and $b$-dipole transitions could be assigned. Moreover, the application of Ritz combination principle also aided a lot in the assignment. Thus, the sum of two appropriately chosen $a$-dipole transitions are equal to the sum of two correspondingly chosen $b$-dipole transition e.g. the frequencies of $4_{04} \rightarrow 5_{05}$ and $4_{14} \rightarrow 5_{15}$ transitions is equal to the sum of the frequencies of $4_{04} \rightarrow 5_{15}$ and $4_{14} \rightarrow 5_{05}$ transitions. Identification of such Ritz quartet aided a lot in the assignment.

Each of the observed transitions was split into two sets arising from some internal rotation of $\mathrm{H}_{2} \mathrm{~S}$ discussed later. These two sets were fitted into two independent series using Watson's A reduction semi-rigid rotor Hamiltonian. It was an interesting aspect of the spectrum that as we go towards higher J , the tunnelling splitting increases whereas the $\mathrm{K}_{\mathrm{a}}=0 / 1$ quartet, $\mathrm{K}_{\mathrm{a}}=1 / 2$ quartet and $\mathrm{K}_{\mathrm{a}}=2 / 3$ quartet splitting decreases. The $6_{25} \rightarrow 7_{34}$, $6_{34} \rightarrow 7_{25}$ transitions for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \mathrm{H}_{2} \mathrm{~S}$ are shown in Figure V.2. List of the transitions and their assignments for the parent isotopologues are shown in Table V.1. It is to be noted that the residues for some of the transitions e.g the $5_{24} \rightarrow 6_{15}$ and $5_{14} \rightarrow 6_{25}$ transitions in Table V. 1 are more than the experimental uncertainties. This is caused due to the overlapping of the transitions. Unlike the case of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$, the first searched transition was quite far from the prediction. The assigned spectrum had the $4_{04} \rightarrow 5_{15}$, $4_{04} \rightarrow 5_{05}, 4_{14} \rightarrow 5_{15}, 4_{14} \rightarrow 5_{05}$ quartet $\sim 496 \mathrm{MHz}$ below the predicted line. This difference was used as a guide to predict the spectra of the isotopologues from the ab initio predicted geometry. The transitions for the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \cdot \mathrm{H}_{2}{ }^{34} \mathrm{~S}$ could be located immediately in this way. However for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{HDS}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$ isotopologues, locating the initial transition involved a search of $30-40 \mathrm{MHz}$. The fitted transitions for all other isotopes along with their residues are listed in Table V.2-Table V.4. The spectrum for the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ isotopologue was observed as a doublet whereas the spectra for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{HDS}, \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$ didn't show any splitting in the spectra. The weaker series could not be seen for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2}{ }^{34}$ S isotopologues as the intensities of the signals were really low to be seen in natural abundance. No hyperfine transition could be resolved for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{HDS}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$. The fitted parameters for all the isotopes are shown in Table V.5.


Figure V.1: The principal axes system for the global minimum of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complex at MP2/aug-cc-pVDZ level. The numbering of the atoms is shown in the figure.


Figure V.2: The $6_{24} \rightarrow 7_{35}$ and $\sigma_{35} \rightarrow 7_{24}$ transitions of $\mathrm{C}_{6} H_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex. The signal was averaged for 5000 shots. A total of thirteen FIDS were collected for a single gas pulse. For each FID, 512 pints were digitized at a sampling speed of 5 MHz

Table V.1. Assigned transitions and their residues for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{H}_{2} \mathrm{~S}$ complex. Wherever the residues are larger than the experimental uncertainties, it has been caused by the overlapping of the transitions.

| Transitions ${ }^{a}$ | Strong /MHz | Residue(kHz) | Weak/MHz | Residue(kHz) |
| :---: | :---: | :---: | :---: | :---: |
| $1_{11}-2_{12}$ | 3330.6570 | -2.5 | 3330.3838 | -14.1 |
| $1_{01}-2_{02}$ | 3394.2861 | -5.7 | 3394.2861 | 16.8 |
| $1_{01}-2_{12}$ | 3403.0740 | 5.9 | 3403.0740 | -34.3 |
| $1_{10}-2_{11}$ | 4134.4356 | 3.2 | 4133.9944 | 7.1 |
| $2_{12}-3_{13}$ | 4826.0996 | -3.0 | 4825.8517 | -10.0 |
| $202-303$ | 4834.2325 | 0.4 | 4834.0623 | 13.3 |
| $2{ }_{02}-3_{13}$ | 4834.8812 | 2.3 | 4834.7182 | 17.5 |
| $3_{03}-4_{14}$ | 6294.6155 | -36.0 | 6294.3036 | -39.4 |
| $3_{03}-4_{04}$ | 6294.6155 | 1.1 | 6294.3036 | -2.1 |
| $3_{13}-4_{14}$ | 6294.0008 | -3.9 | 6293.6881 | -3.3 |
| $3_{13}-4_{04}$ | 6294.0008 | 33.2 | 6293.6881 | 34.0 |
| $3_{22}-4_{13}$ | 7146.0437 | -0.9 | 7145.6726 | -8.3 |
| $3_{22}-4_{23}$ | 7150.5410 | -0.1 | 7150.2385 | 6.2 |
| $3_{12}-4_{13}$ | 7189.1079 | -1.3 | 7189.1419 | -0.8 |
| $3_{12}-4_{23}$ | 7193.6091 | 3.4 | 7193.7070 | 13.0 |
| $4_{14}-5_{05}$ | 7758.5565 | 2.6 | 7758.1466 | 2.0 |
| $4_{14} 5_{15}$ | 7758.5565 | 0.9 | 7758.1466 | 0.3 |
| $4_{04}-5_{05}$ | 7758.5907 | -0.3 | 7758.1806 | -1.1 |
| $4_{04} 5_{15}$ | 7758.5907 | -2.1 | 7758.1806 | -2.9 |
| $4_{23}-5_{14}$ | 8629.9980 | -2.9 | 8629.7196 | -8.7 |
| $4_{23}-5_{24}$ | 8630.3302 | -4.3 | 8630.0615 | -3.9 |
| $4_{13}-5_{14}$ | 8634.4986 | -0.7 | 8634.2870 | 7.3 |
| $4_{13}-5_{24}$ | 8634.8289 | -2.1 | 8634.6278 | 11.0 |
| $5_{15}-6_{06}$ | 9222.8401 | 11.1 | 9222.3321 | 2.6 |
| $5_{15}-6_{16}$ | 9222.8401 | 11.8 | 9222.3321 | 2.6 |
| $5_{05}-6_{06}$ | 9222.8401 | 2.9 | 9222.3321 | 0.9 |
| $5_{05}-6_{16}$ | 9222.8401 | 2.9 | 9222.3321 | 0.9 |
| $5_{24}-6_{15}$ | 10095.8254 | 19.4 | 10095.4734 | 15.7 |
| $5_{24} 6_{25}$ | 10095.8254 | 0.1 | 10095.4737 | -3.7 |
| $5_{14}-6_{15}$ | 10096.1380 | -1.5 | 10095.7960 | 0.8 |
| $5_{14}-6_{25}$ | 10096.1380 | -20.8 | 10095.7960 | -18.5 |
| $6_{16} 7_{07}$ | 10687.0715 | 0.2 | 10686.4657 | 0.9 |
| $6_{16} 7_{17}$ | 10687.0715 | 0.2 | 10686.4657 | 0.9 |
| $6_{06}-7_{07}$ | 10687.0715 | 0.1 | 10686.4657 | 1.0 |
| $6_{06}-7_{17}$ | 10687.0715 | 0.1 | 10686.4657 | 1.0 |
| $5_{23}-6_{24}$ | - | - | 10980.3515 | 37.8 |
| $5_{23}-6_{34}$ | - | - | 10981.9682 | -37.3 |
| $6_{25}-7{ }_{16}$ | 11559.8396 | -0.7 | 11559.3903 | -3.9 |
| $6_{25}-7{ }_{26}$ | 11559.8396 | -1.6 | 11559.3903 | -4.7 |



Table V.1. (continued)

| Transitions | Strong / MHz | Residue(kHz) | Weak/MHz | Residue(kHz) |
| :---: | :---: | :---: | :---: | :---: |
| $6_{15}-7_{16}$ | 11559.8593 | -0.3 | 11559.4102 | -3.3 |
| $6_{15}-7_{26}$ | 11559.8593 | -11.8 | 11559.4102 | -4.2 |
| $7_{17}-8_{08}$ | 12151.2572 | -2.0 | 12150.5539 | 0.9 |
| $7_{17}-8_{18}$ | 12151.2572 | -2.0 | 12150.5539 | 0.9 |
| $7_{07}-8_{08}$ | 12151.2572 | -2.0 | 12150.5539 | 0.9 |
| $7_{07}-8_{18}$ | 12151.2572 | -2.0 | 12150.5539 | 0.9 |
| $726-817$ | 13023.7752 | -0.1 | 13023.2284 | -1.0 |
| $726-827$ | 13023.7752 | -0.1 | 13023.2284 | -1.1 |
| $7_{16}-8_{27}$ | 13023.7752 | -1.0 | 13023.2284 | -1.9 |
| $7_{16}-8_{17}$ | 13023.7752 | -1.0 | 13023.2284 | -1.9 |
| $8_{18}-9_{19}$ | 13615.3910 | -1.2 | 13614.5864 | 0.9 |
| $88_{18}-9_{19}$ | 13615.3910 | -1.2 | 13614.5864 | 0.9 |
| $808-909$ | 13615.3910 | -1.2 | 13614.5864 | 0.9 |
| $88_{08}-9_{19}$ | 13615.3910 | -1.2 | 13614.5864 | 0.9 |
| $735-826$ | 13896.5838 | 8.1 | 13896.3068 | -9.9 |
| $735-836$ | 13896.5838 | 2.0 | 13896.3068 | -3.8 |
| $725-826$ | 13896.6909 | -0.5 | 13896.1932 | -5.9 |
| $725-836$ | 13896.6909 | -6.6 | 13896.1932 | 0.2 |
| $8{ }_{27}-9_{18}$ | 14487.6882 | 3.2 | 14487.0388 | 0.1 |
| $88_{27}-9_{28}$ | 14487.6882 | 3.2 | 14487.0388 | 0.1 |
| $8_{17}-9_{18}$ | 14487.6882 | 3.1 | 14487.0388 | 0.1 |
| $8_{17}-9_{28}$ | 14487.6882 | 3.1 | 14487.0388 | 0.1 |
| $9_{19}-10_{010}$ | 15079.4650 | 2.6 | 15078.5561 | 1.9 |
| $9_{19}-10_{110}$ | 15079.4650 | 2.6 | 15078.5561 | 1.9 |
| $9_{09}-10_{010}$ | 15079.4650 | 2.6 | 15078.5561 | 1.9 |
| $9_{09}-10_{110}$ | 15079.4650 | 2.6 | 15078.5561 | 1.9 |
| $88_{36}-9_{27}$ | 15359.8840 | -4.9 | 15359.4152 | 12.6 |
| $836-937$ | 15359.8840 | -5.2 | 15359.4152 | 12.4 |
| $88_{26}-9_{27}$ | 15359.9028 | 7.7 | 15359.4152 | 6.6 |
| $826-937$ | 15359.9028 | 7.4 | 15359.4152 | 6.3 |
| $9_{28}-10_{19}$ | 15951.5486 | -4.9 | 15950.8013 | 2.4 |
| $9_{28}-10_{29}$ | 15951.5486 | -5.2 | 15950.8013 | 2.4 |
| $9_{18}-10_{19}$ | 15951.5486 | 7.7 | 15950.8013 | 2.4 |
| $9_{18}-10_{29}$ | 15951.5486 | 7.5 | 15950.8013 | 2.4 |
| $10_{110}-11_{011}$ | 16543.4613 | -1.1 | 16542.4487 | -2.9 |
| $10_{110}-11_{111}$ | 16543.4613 | -1.1 | 16542.4487 | -2.9 |
| $10_{010}-11_{011}$ | 16543.4613 | -1.1 | 16542.4487 | -2.9 |
| $10_{010}-11_{111}$ | 16543.4613 | -1.1 | 16542.4487 | -2.9 |
| $9_{37}-10_{28}$ | - | - | 16822.6772 | 2.2 |

$\qquad$
Table V. 1 (continued)

| Transitions | Strong $/ \mathrm{MHz}$ | Residue $(\mathrm{kHz})$ | Weak/MHz | Residue(kHz) |
| :--- | :--- | ---: | ---: | ---: |
| $9_{37}-10_{38}$ |  |  | 16822.6772 | 2.2 |
| $9_{27}-10_{28}$ |  |  | 16822.6772 | 2.4 |
| $92_{27}-10_{38}$ |  |  | 16822.6772 | 2.4 |
| $10_{29}-11_{110}$ | 17415.3425 | -1.2 | 17414.4931 | 0.9 |
| $10_{29}-11_{210}$ | 17415.3425 | -1.2 | 17414.4931 | 0.9 |
| $10_{19}-11_{110}$ | 17415.3425 | -1.2 | 17414.4931 | 0.9 |
| $10_{19}-11_{210}$ | 17415.3425 | -1.2 | 17414.4931 | 0.9 |
| $10_{38}-11_{29}$ | 18286.6487 | -1.8 | 18285.9485 | -5.6 |
| $10_{38}-11_{39}$ | 18286.6487 | -1.8 | 18285.9485 | -5.6 |
| $10_{28}-11_{29}$ | 18286.6487 | -1.8 | 18285.9485 | -5.6 |
| $10_{28}-11_{39}$ | 18286.6487 | -1.8 | 18285.9485 | -5.6 |

Table V. 2: Assigned transitions and the residues for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \cdots \mathrm{H}_{2} \mathrm{~S}$ complex. Wherever the residues are larger than the experimental uncertainties, it has been caused by the overlapping of the transitions.

| Transitions $^{a}$ | Strong $/ \mathrm{MHz}$ | Residue $(\mathrm{kHz})$ | Weak/MHz | Residue(kHz) |
| :--- | ---: | ---: | ---: | ---: |
| $3_{13}-4_{04}$ | 6132.9536 | 0.2 | 6132.5457 | -3.5 |
| $3_{13}-4_{14}$ | 6132.9536 | -1.5 | 6132.5457 | -5.7 |
| $3_{03}-4_{04}$ | 6132.9536 | -3.4 | 6132.6118 | -2.2 |
| $3_{03}-4_{14}$ | 6132.9536 | -5.1 | 6132.6118 | -4.3 |
| $3_{12}-4_{13}$ | 7000.2284 | -3.2 | - | - |
| $3_{12}-4_{23}$ | 7000.6363 | 0.6 | 7000.6119 | -1.2 |
| $4_{14}-5_{05}$ | 7558.1959 | 2.5 | 7557.7416 | 0.2 |
| $4_{14}-5_{15}$ | 7558.1959 | 2.4 | 7557.7416 | 0.1 |
| $4_{04}-5_{05}$ | 7558.1959 | 0.8 | 7557.7416 | -2.0 |
| $4_{04}-5_{15}$ | 7558.1959 | 0.7 | 7557.7416 | -2.0 |
| $4_{23}-5_{14}$ | 8420.8239 | -3.6 | 8420.5017 | -4.5 |
| $4_{23}-5_{24}$ | 8420.8480 | 5.1 | 8420.5261 | 1.1 |
| $4_{13}-5_{14}$ | 8421.2264 | -5.1 | 8420.9558 | 5.7 |
| $4_{13}-5_{24}$ | 8421.2461 | -0.9 | 8420.9802 | 11.3 |
| $5_{15}-6_{06}$ | 8983.4333 | 1.6 | 8982.8768 | 2.3 |
| $5_{15}-6_{16}$ | 8983.4333 | 1.6 | 8982.8768 | 2.3 |
| $5_{05}-6_{06}$ | 8983.4333 | 1.2 | 8982.8768 | 2.2 |
| $5_{05}-6_{16}$ | 8983.4333 | 1.2 | 8982.8768 | 2.2 |

${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime} К c^{\prime} \star J^{\prime}{ }_{K a}{ }^{К} c^{\prime}$

Table V. 2 (continued)

| Transitions | Strong /MHz | Residue(kHz) | Weak/MHz | Residue(kHz) |
| :---: | :---: | :---: | :---: | :---: |
| $5_{24}-6_{15}$ | 9846.0275 | -2.8 | 9845.6173 | -3.6 |
| $5_{24}-6_{25}$ | 9846.0275 | -3.3 | 9845.6173 | -4.3 |
| $5_{14}-6_{15}$ | 9846.0466 | 0.9 | 9845.6369 | -2.7 |
| $5_{14}-6_{25}$ | 9846.0466 | 0.4 | 9845.6369 | -3.5 |
| $6_{16}-7_{07}$ | 10408.6348 | 4.4 | 10407.9706 | 2.8 |
| $6_{16}-7_{17}$ | 10408.6348 | 4.4 | 10407.9706 | 2.8 |
| $6_{06}-7_{17}$ | 10408.6348 | 4.4 | 10407.9706 | 2.8 |
| $6_{06}-7{ }_{07}$ | 10408.6348 | 4.4 | 10407.9706 | 2.8 |
| $5_{33}-6_{24}$ | 10708.0656 | 0.7 | 10707.7491 | 0.7 |
| $5_{33}-6_{34}$ | 10708.1484 | 6.7 | 10707.8421 | 3.4 |
| $5_{23}-6_{24}$ | 10709.6656 | -6.6 | - | - |
| $5_{33}-6_{24}$ | 10709.7632 | 14.3 | - | - |
| $6_{25}-7_{16}$ | 11271.0518 | -1.8 | 11270.5394 | 0.6 |
| $6_{25}-7{ }_{26}$ | 11271.0518 | -1.8 | 11270.5394 | 0.6 |
| $6_{15}-7_{16}$ | 11271.0518 | -2.4 | 11270.5394 | -0.2 |
| $6_{15}-7{ }_{26}$ | 11271.0518 | -2.1 | 11270.5394 | -0.2 |
| $7_{17}-8_{08}$ | 11833.7820 | -0.6 | 11833.0156 | 1.1 |
| $7_{17}-8_{18}$ | 11833.7820 | -0.6 | 11833.0156 | 1.1 |
| $7_{07}-8_{08}$ | 11833.7820 | -0.6 | 11833.0156 | 1.1 |
| $7{ }_{07}-8_{18}$ | 11833.7820 | -0.6 | 11833.0156 | 1.1 |
| $6_{24}-7{ }_{25}$ | 12133.3465 | 5.3 |  | - |
| $6_{24}-735$ | 12133.3465 | 2.1 |  | - |
| $726-817$ | 12696.0340 | -1.9 | 12695.4163 | 2.1 |
| $726-827$ | 12696.0340 | -1.9 | 12695.4163 | 2.1 |
| $7{ }_{16}-8_{17}$ | 12696.0340 | -1.9 | 12695.4163 | 2.1 |
| $7{ }_{16}-8_{27}$ | 12696.0340 | -1.9 | 12695.4163 | 2.1 |
| $8_{18}-9_{09}$ | 13258.8829 | 1.3 | 13258.0098 | 1.9 |
| $8_{18}-9_{19}$ | 13258.8829 | 1.3 | 13258.0098 | 1.9 |
| $88_{08}-9_{09}$ | 13258.8829 | 1.3 | 13258.0098 | 1.9 |
| $808-9{ }_{19}$ | 13258.8829 | 1.3 | 13258.0098 | 1.9 |
| $735-826$ | 13557.8903 | -0.9 | 13557.4193 | 1.4 |
| $735-836$ | 13557.8903 | -1.0 | 13557.4193 | 1.2 |
| $725-826$ | 13557.8903 | -4.0 | 13557.4193 | -2.8 |
| $725-836$ | 13557.8903 | -4.1 | 13557.4193 | -3.0 |
| $88_{27}-9_{18}$ | 14120.9665 | 0.4 | 14120.2340 | -3.2 |
| $8{ }_{27}-9_{28}$ | 14120.9665 | 0.4 | 14120.2340 | -3.2 |
| $8_{17}{ }^{-9} 9$ | 14120.9665 | 0.4 | 14120.2340 | -3.2 |
| $8_{17}-9_{28}$ | 14120.9665 | 0.4 | 14120.2340 | -3.2 |

Table V.2. (continued)

| Transitions | Strong $/ \mathrm{MHz}$ | Residue $(\mathrm{kHz})$ | Weak $/ \mathrm{MHz}$ | Residue $(\mathrm{kHz})$ |
| :---: | ---: | ---: | ---: | ---: |
| $9_{19}-10_{010}$ | 14683.9173 | -3.6 | 14682.9381 | -3.4 |
| $9_{19}-10_{110}$ | 14683.9173 | -3.6 | 14682.9381 | -3.4 |
| $9_{09}-10_{010}$ | 14683.9173 | -3.6 | 14682.9381 | -3.4 |
| $9_{09}-10_{110}$ | 14683.9173 | -3.6 | 14682.9381 | -3.4 |
| $9_{28}-10_{19}$ | 15545.8325 | -1.1 | 15544.9931 | -4.1 |
| $9_{28}-10_{29}$ | 15545.8325 | -1.1 | 15544.9931 | -4.1 |
| $9_{18}-10_{19}$ | 15545.8325 | -1.1 | 15544.9931 | -4.1 |
| $9_{18}-10_{29}$ | 15545.8325 | -1.1 | 15544.9931 | -4.1 |
| $8_{26}-9_{37}$ | - | - | 14981.9130 | 0.4 |
| $8_{26}-9_{27}$ | - | - | 14981.9130 | 0.4 |
| $8_{36}-9_{27}$ | - | - | 14981.9130 | 0.6 |
| $10_{29}-11_{110}$ | 16970.6336 | 3.5 | 16969.6903 | 4.4 |
| $10_{29}-11_{210}$ | 16970.6336 | 3.5 | 16969.6903 | 4.4 |
| $10_{19}-11_{110}$ | 16970.6336 | 3.5 | 16969.6903 | 4.4 |
| $10_{19}-11_{210}$ | 16970.6336 | 3.5 | 16969.6903 | 4.4 |

Table V.3. Assigned transitions and their residues for $C_{8} H_{6} \bullet \cdots H D S$ and $C_{8} H_{6} \bullet \bullet D_{2} S$ complex. Wherever the residues are larger than the experimental uncertainties, it has been caused by the overlapping of the transitions.

| Transitions $^{a}$ | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{HDS} / \mathrm{MHz}$ | Residue $(\mathrm{kHz})$ | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{D}_{2} \mathrm{~S} / \mathrm{MHz}$ | Residue $(\mathrm{kHz})$ |
| :--- | ---: | ---: | ---: | ---: |
| $3_{13}-4_{14}$ | 6263.5945 | -3.3 | 6240.6051 | 1.2 |
| $3_{03}-4_{04}$ | 6265.9610 | -7.5 | 6242.8564 | -4.1 |
| $3_{22}-4_{23}$ | 7096.8414 | 4.1 |  |  |
| $3_{12}-4_{13}$ | 7181.9152 |  |  |  |
| $4_{14}-5_{05}$ | 7721.7415 | 24.8 |  |  |
| $4_{14}-5_{15}$ | 7721.7415 | 0.2 | 7693.2040 | 1.5 |
| $4_{04}-5_{05}$ | 7721.9853 | 11.4 | 7693.4285 | -0.6 |
| $4_{04}-5_{15}$ | 7721.9853 | -23.5 |  |  |
| $4_{23}-5_{24}$ | 8586.7664 | -2.9 | 8556.4779 | 1.1 |
| $4_{13}-5_{14}$ | 8602.4610 | -4.3 | 8571.4366 | -2.9 |
| $5_{15}-6_{06}$ | 9178.9895 | 1.1 | 9144.9460 | 1.8 |
| $5_{15}-6_{16}$ | 9178.9895 | -1.0 | 9144.9460 | -0.1 |
| $5_{05}-6_{06}$ | 9179.0154 | 2.4 | 9144.9710 | 4.4 |
| $5_{05}-6_{16}$ | 9179.0154 | 0.3 | 9144.9710 | 2.5 |
| $4_{32}-5_{33}$ | 9363.3094 | 0.5 | 9333.5629 | 0.2 |

${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{K с}{ }^{\circ} \sim J^{\prime}{ }_{K a}{ }^{K}{ }^{\prime}$

Table V. 3 (continued)

| Transitions $^{a}$ | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{HDS} / \mathrm{MHz}$ | Residue $(\mathrm{kHz})$ | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{D}_{2} \mathrm{~S} / \mathrm{MHz}$ | Residue $(\mathrm{kHz})$ |
| :--- | :--- | :---: | :---: | :---: |
| $4_{22}-5_{23}$ |  |  | 9542.7290 | 2.6 |
| $5_{24}-6_{25}$ | 10049.1701 | -2.7 | 10013.1371 | -2.9 |
| $5_{14}-6_{15}$ | 10051.2775 | -0.9 | 10015.1044 | -1.5 |
| $6_{16}-7_{07}$ | 10636.1307 | 1.9 | 10596.5849 | 0.2 |
| $6_{16}-7_{17}$ | 10636.1307 | 1.7 | 10596.5849 | 0.0 |
| $6_{06}-7_{07}$ | 10636.1307 | -0.3 | 10596.5849 | -1.7 |
| $6_{06}-7_{17}$ | 10636.1307 | -0.4 | 10596.5849 | -1.8 |
| $6_{25}-7_{26}$ |  |  | 10918.7636 | -2.1 |
| $6_{15}-7_{16}$ | 11506.5363 | 4.0 | 11464.9734 | 3.4 |
| $5_{32}-6_{33}$ |  |  | 11465.1848 | -4.1 |
| $7_{17}-8_{08}$ | 12093.2228 | 0.1 | 11937.6056 | -0.3 |
| $7_{17}-8_{18}$ | 12093.2228 | 0.1 | 12048.1803 | 0.3 |
| $7_{07}-8_{08}$ | 12093.2228 | -0.1 | 12048.1803 | 0.3 |
| $7_{07}-8_{18}$ | 12093.2228 | -0.1 | 12048.1803 | 0.2 |
| $6_{34}-7_{35}$ | 12375.8242 | -3.6 | 12048.1803 | 0.2 |
| $6_{24}-7_{25}$ | 12385.8202 | -0.9 | 12332.4554 | -0.4 |
| $7_{26}-8_{27}$ |  |  | 12341.8041 | 3.6 |
| $7_{16}-8_{17}$ |  |  | 12916.2533 | -0.9 |
| $8_{18}-9_{09}$ | 13550.2681 | 12916.2780 | 1.8 |  |
| $8_{18}-9_{19}$ | 13550.2681 | 1.2 | 13499.7265 | -0.0 |
| $8_{08}-9_{09}$ | 13550.2681 | 1.2 | 13499.7265 | -0.0 |
| $8_{08}-9_{19}$ | 13550.2681 | 1.2 | 13499.7265 | -0.0 |
| $7_{35}-8_{36}$ | 13834.4193 | 1.2 | 13499.7265 | -0.0 |
| $7_{25}-8_{26}$ | 13835.8118 | -0.4 | 13785.3921 | -7.7 |
| $8_{27}-9_{28}$ | 14420.0432 | 4.5 | 13786.6718 | 5.4 |
| $8_{17}-9_{18}$ | 14420.0432 | 0.6 |  |  |
| $9_{19}-10_{010}$ | 15007.2519 | -1.8 | 14367.5100 | 1.0 |
| $9_{19}-10_{110}$ | 15007.2519 | -1.1 | 14951.2144 | -1.5 |
| $9_{09}-10_{010}$ | 15007.2519 | 14951.2144 | -1.5 |  |
| $9_{09}-10_{110}$ | 15007.2519 | 14951.2144 | -1.5 |  |
| $10_{110}-11_{011}$ |  |  | 14951.2144 | -1.5 |
| $10_{110}-11_{111}$ |  |  | 16402.6414 | 0.9 |
| $10_{010}-11_{011}$ | $10_{010}-11_{111}$ |  |  | 16402.6414 |
|  |  |  | 0.9 |  |

Table V. 4. Assigned transitions and their assignments for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2}{ }^{34}$ S complex. Wherever the residues are larger than the experimental uncertainties, it has been caused by the overlapping of the transitions.

| Transitions $^{a}$ | Frequencies $(\mathrm{MHz})$ | Residue $(\mathrm{kHz})$ |
| :--- | ---: | :---: |
| $3_{03}-4_{14}$ | 6158.2051 | -5.6 |
| $4_{14}-5_{05}$ | 7588.0484 | -3.5 |
| $4_{14}-5_{15}$ | 7588.0484 | -18.7 |
| $5_{15}-6_{06}$ | 9019.2999 | 0.5 |
| $5_{15}-6_{16}$ | 9019.2999 | -0.5 |
| $5_{05}-6_{06}$ | 9019.3195 | 5.0 |
| $6_{05}-6_{16}$ | 9019.3195 | 3.9 |
| $6_{16}-7_{07}$ | 10450.4388 | -3.0 |
| $6_{16}-7_{17}$ | 10450.4388 | -3.0 |
| $6_{06}-7_{07}$ | 10450.4388 | -4.0 |
| $6_{06}-7_{17}$ | 10450.4388 | -4.1 |
| $7_{17}-8_{08}$ | 11881.5351 | -2.6 |
| $7_{17}-8_{18}$ | 11881.5351 | -2.6 |
| $7_{07}-8_{08}$ | 11881.5351 | -2.7 |
| $7_{07}-8_{18}$ | 11881.5351 | -2.7 |
| $8_{18}-9_{09}$ | 13312.5842 | 2.9 |
| $8_{18}-9_{19}$ | 13312.5842 | 2.9 |
| $8_{08}-9_{09}$ | 13312.5842 | 2.9 |
| $8_{08}-9_{19}$ | 13312.5842 | 2.9 |

${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{\prime}{ }^{\prime} \sim J^{\prime}{ }_{K a}{ }^{\prime}{ }^{\prime}{ }^{\prime}$

TableV.5: Fitted parameters for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complex and their isotopologues.

|  | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{H}_{2} \mathrm{~S}$ |  | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{D}_{2} \mathrm{~S}$ | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{HDS}$ | $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{D}-\mathrm{H}_{2} \mathrm{~S}$ |  | $\mathrm{C}_{8} \mathrm{H}_{6}-\mathrm{H}_{2}{ }^{34} \mathrm{~S}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Strong | Weak |  |  | Strong | Weak |  |
| A (MHz) | 1206.551(7) | 1206.732(7) | 1219.193(4) | 1224..093(7) | 1159.94(2) | 1160.18(2) | 1203.4(1) |
| B (MHz) | 1134.152(6) | 1134.056(6) | 1108.204(4) | 1111.107(7) | 1129.11(1) | 1128.93(2) | 1097.6(1) |
| $\mathrm{C}(\mathrm{MHz})$ | 732.192(6) | 732.141(8) | 725.914(3) | 728.6674(5) | 716.020(8) | 712.6391(7) | 715.6518(7) |
| $\Delta_{\mathrm{J}}(\mathrm{kHz})$ | 1.6(5) | 4.2(4) | 3.1(1) | 3.7(2) | 3(1) | -2(1) | $1.6{ }^{\text {c }}$ |
| $\Delta_{\text {Jk }}(\mathrm{kHz})$ | 23(1) | 17(1) | 1.9(2) | 5.4(6) | -4(3) | 0.6(4) | $23^{\text {c }}$ |
| $\Delta_{\mathrm{k}}(\mathrm{kHz})$ | -27.0(3) | -32(1) | 7.6(4) | 12.3(7) | 11(1) | 20(1) | $-27.0^{\text {c }}$ |
| $\delta_{\text {J }}(\mathrm{kHz})$ | 0.7(2) | 2.0(2) | 1.41(5) | 1.72(9) | 1.6(6) | -0.9(7) | $0.7{ }^{\text {c }}$ |
| $\delta_{\mathrm{K}}(\mathrm{kHz})$ | 13.1(2) | 14.4(3) | 3.41(9) | 2.8(2) | 2.1(4) | -0.6(4) | $13.1{ }^{\text {c }}$ |
| $\mathrm{P}_{\mathrm{cc}}{ }^{a}$ | 87.12 | 87.08 | 87.18 | 87.07 | 87.08 | 87.05 | 87.11 |
| $\mathrm{SD}(\mathrm{kHz})$ | 6.8 | 10.6 | 2.3 | 5.9 | 3.2 | 3.2 | 7.5 |
| $\#^{b}$ | 83 | 91 | 46 | 41 | 71 | 66 | 21 |

a. The planar moment of inertia defined as $P_{c c}=\frac{1}{2}\left(-I_{c}+I_{a}+I_{b}\right) b$. The number of fitted transitions $c$. These parameters were fixed at a value obtained from the fitting of the stronger series of the parent complex.

## V.D. Structure from the rotational spectra

The fitted rotational constants are consistent with a structure where the $\mathrm{H}_{2} \mathrm{~S}$ subunit is located over the phenylacetylene plane. A direct comparison of the experimentally derived structure with all the ab initio optimized geometries clearly discards all other geometries which is shown later. Let us now turn towards the experimental results. The ' $A$ ' rotational constant of the parent isotopologues is affected the least on substitution of ${ }^{32} \mathrm{~S}$ by ${ }^{34} \mathrm{~S}$. From Table V.5, The change in the $A$ rotational constant is only 3 MHz , whereas the changes in $B$ and $C$ rotational constants are 37 MHz and 17 MHz respectively. Thus, the S atom is close to the $a$ principal axis of the complex. A comparison of the rotational constants of the complex with the monomer rotational constants can provide important information about the orientation of the two monomers with respect to each other. Dreizler and co-workers ${ }^{21}$ have determined very accurate values for the rotational constants of phenylacetylene monomer from a large set of isotopic data. The rotational constants of the phenylacetylene monomer are $A=5680.32$ (0.06) MHz, $B=1529.7409$ (2) MHz and $C=1204.9562$ (2) MHz whereas the constants for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD}$ monomer are $A=5680.51$ (6) MHz, $B=1450.2356$ (3) MHz and $C=$ 1155.0722 (2) MHz. A comparison of the rotational constants of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \cdot \bullet \mathrm{H}_{2} \mathrm{~S}$ complexes with the monomer rotational constants reveal that the $A$ rotational constant of these complexes are very close the $C$ rotational constant of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD}$ respectively. Hence, $\mathrm{H}_{2} \mathrm{~S}$ is located very close to the $c$ principal axis of the phenylacetylene monomer which is perpendicular to the phenylacetylene plane. Further, the planar moment of inertia $P_{b b}$ for the phanylacetylene momomer is $88.9 \mathrm{amu} \AA^{2}$. This value is very close to the $P_{c c}$ values for the parent complex and the isotopologues as reported in Table V.5. This indicates that $\mathrm{H}_{2} \mathrm{~S}$ is lying in the $a c$ inertial plane (symmetry plane) of the monomer, which is the $a b$ inertial plane for the complex. Thus, the complex has effective $\mathrm{C}_{\mathrm{s}}$ symmetry in the ground vibrational state.

From Figure V.1, it can be realised that the predicted geometry from the calculation has the S atom closer to the $b$ principal axis of the complex. However the discussion on the previous paragraph clearly indicates that S atom is located closer to the $a$ principal axis of the complex. The predicted values of the rotational constants for the
$\mathrm{H}_{2}{ }^{32} \mathrm{~S}$ and $\mathrm{H}_{2}{ }^{34} \mathrm{~S}$ isotopologues from the ab initio geometry are $A=1279 \mathrm{MHz}, B=1176$ $\mathrm{MHz}, C=782 \mathrm{MHz}$ and $A=1228 \mathrm{MHz}, B=1175 \mathrm{MHz}$ and $C=765 \mathrm{MHz}$ respectively. These values clearly show that S atom is closer to the $b$ principal axis of the ab initio geometry. Thus, there is a switching of the $a$ and $b$ principal axes between the $a b$ initio structure and the experimentally observed structure which is explained later in this chapter.

The distance of the substituted atom from the center of mass of the complex can be found from the following Kraitchman relations:

$$
\begin{align*}
& \left.\left.|a|=\sqrt{\left[\frac{\Delta P_{a}}{\mu}\left(1+\frac{\Delta P_{b}}{I_{a}-I_{b}}\right)\left(1+\frac{\Delta P_{c}}{\left(I_{a}-I_{c}\right.}\right)\right.}\right)\right]  \tag{1}\\
& |c|=\sqrt{\left.\left[\frac{\Delta P_{c}}{\mu}\left(1+\frac{\Delta P_{a}}{\left(I_{c}-I_{a}\right.}\right)\right)\left(1+\frac{\Delta P_{b}}{\left(I_{c}-I_{b}\right.}\right)\right]}  \tag{2}\\
& |b|=\sqrt{\left[\frac{\Delta P_{b}}{\mu}\left(1+\frac{\Delta P_{c}}{I_{b}-I_{c}}\right)\left(1+\frac{\Delta P_{a}}{\left(I_{b}-I_{a}\right.}\right)\right]} \tag{3}
\end{align*}
$$

The substitution co-ordinates for the S atom and the terminal H atom of the acetylenic group of the phenylacetylene monomer are shown in Table V.6. The ab initio values for these co-ordinates are also shown in Table V. 6 for comparison. The co-ordinates of the sulphur atom were derived from the rotational constants of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2}{ }^{34} \mathrm{~S}$ complexes whereas the co-ordinates for the terminal hydrogen atom of the acetylenic group of phenylacetylene were derived from the rotational constants of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2} \mathrm{~S} / \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complexes. From the comparison of the substitution co-ordinates and the $a b$ initio co-ordinates of the S atom and the H 14 atom, it is clear that the $a$ and $b$ axes system have interchanged. The substitution co-ordinates for the two hydrogen atoms of $\mathrm{H}_{2} \mathrm{~S}$ can also be derived from the rotational constants of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{H}_{2} \mathrm{~S} / \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{HDS} / \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{D}_{2} \mathrm{~S}$ isotopologues. However, the positions of these hydrogen atoms are far from being unambiguous. The substitution analysis based on the rotational constants of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S} / \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{HDS}$ complexes produce unreasonable values for the position of the hydrogen atoms. The
substitution co-ordinates give $|a|$ to be $3.39 \AA$ whereas the $|b|$ and the $|c|$ co-ordinates of this hydrogen turn out to be imaginary. The substitution analysis based on the rotational constants of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{HDS} / \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{D}_{2} \mathrm{~S}$ complexes produced the $|a|,|b|$ and $|c|$ co-ordinates of the other hydrogen to be $1.02 \AA, 1.26 \AA$ and $0.34 \AA$ respectively. Though, we know only the absolute numbers from this analysis, any combinations of signs of these co-ordinates would not produce a reasonable $\mathrm{S}-\mathrm{H}$ bond length as we expect for $\mathrm{H}_{2} \mathrm{~S}$.

Table V.6: The experimentally derived Kraitchman substitution co-ordinates for the sulphur atom and the terminal hydrogen atom of the phenylacetylene monomer are reported along with the ab initio (MP2/aug-cc-pVDZ) derived cartesian co-ordinates for these atoms in the parentheses.

| Atoms | $\|a\|(\AA)$ | $\|b\|(\AA)$ | $\|c\|(\AA)$ |
| :---: | :---: | :---: | :---: |
| S | $2.69(0.413)$ | $0.93(2.624)$ | $0.21(-0.004)$ |
| H 14 | $0.87(4.146)$ | $4.11(-1.402)$ | $\mathrm{i}(0.0)$ |

Also, the substitution co-ordinates for the $\mathrm{H}_{2} \mathrm{~S}$ hydrogens values are very far from the $a b$ initio derived co-ordinates for these atoms. The ab initio (geometry optimized at MP2/aug-cc-pVDZ level) derived $a, b$ and $c$ co-ordinate for H15 and H17 are $1.391 \AA$, $1.691 \AA, 0.000 \AA$ and $-0.550 \AA, 1.674 \AA, 0.001 \AA$ respectively. This discrepancy in the position of the two hydrogens of $\mathrm{H}_{2} \mathrm{~S}$ may be caused by the large amplitude motions which hinder the determination of the vibrationally averaged positions of these two hydrogens. The only conclusion we can draw is that the $\mathrm{H}_{2} \mathrm{~S}$ hydrogens are lying more or less in the $a b$ inertial plane (symmetry plane) of the complex. The c.m.-c.m. (distance between the center of mass of both the monomers in the complex) separation can be calculated following the assumption that both the hydrogens of $\mathrm{H}_{2} \mathrm{~S}$ are symmetrically bound to the phenylacetylene monomer. Further, we assume that the whole $\mathrm{H}_{2} \mathrm{~S}$ sub-unit is lying in the $a b$ inertial plane of phenylacetylene. This lets us use the parallel axis theorem which gives the following sets of equations:

$$
\begin{equation*}
I_{b}(\text { complex })=I_{a}(\text { phac })+I_{a}\left(H_{2} S\right)+\mu R^{2} \tag{4}
\end{equation*}
$$

$I_{c}($ complex $)=I_{b}($ phac $)+I_{c}\left(H_{2} S\right)+\mu R^{2}$
Here, $\mu$ is the reduced mass of the complex and R is the c.m.-c.m. separation. R has been calculated to be $3.73 \AA$ and $3.75 \AA$ from equations 4 and 5 . In the $a b$ initio optimized geometry, the distance of the S atom from the center of mass of the phenylacetylene monomer is $3.57 \AA$. As mentioned previously, the S approaches the ring along a direction which is very close to the $c$ principal axis of the phenylacetylene monomer. This certainly indicates that $S$ is away from the phenylacetylene ring center and is shifted towards the acetylenic group. This is analogous to the structure of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{Ar}^{22,23}$ and benzonitrile $\cdot \bullet \mathrm{Ar}^{24}$ where the noble gas atom is away from the center of the $\pi$ cloud towards the substituent. In case of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{Ar}$ complex, the argom atom is shifted by $0.280 \AA$ from the center of the phenyl ring whereas in case of benzonitrile $\cdot \cdot \cdot A r$, the shift is $0.247 \AA$. These results can provide important clues about the nature of interaction. e.g. for the complex fluorobenzene•••Ar, Ar atom is shifted towards the F atom by $0.297 \AA$ from the ring center whereas the experimental shift of the Cl atom in flourobenzene $\cdot \bullet \mathrm{HCl}$ is $0.162 \AA$ towards the para C atom of the ring. The reason was attributed to the fact that in case of fluorobenzene•••Ar, the dispersion interactions dominate whereas in case of flurobenzene $\bullet \bullet \mathrm{HCl}$, the interaction is mainly electrostatic in nature. ${ }^{10}$ However, the exact location of the sulphur atom along the ' $b$ ' co-ordinate could not be determined in case of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. The distance between the S atom and H14 can be found out from the determined substitution co-ordinates if we know the sign of the numbers. The ab initio optimized geometry was used as a guidance to know the signs keeping the switching of the $a$ and $b$ principal axis in mind. From the substitution co-ordinates, the distance of the S atom from H 14 comes to be $4.79 \AA$. This distance is much smaller than the $a b$ initio optimized distance of $5.490 \AA$. This may be an indication that the experimentally observed geometry of the complex has the S atom shifted from the phenylacetylene center of mass towards the acetylene group. The present sets of experimental data do not allow locating the S atom above the ring with more precision.

The rotational constants for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}, \quad \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \cdot \mathrm{HDS}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{D}_{2} \mathrm{~S}$ complexes, reported in Table V.5, show an interesting trend. The $A$ rotational constants of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{HDS}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$ complexes are higher
than that of the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{~S}$ complex. A rigid geometry predicts a decrease of 9 MHz and 18 MHz in the $A$ rotational constant for the HDS and $\mathrm{D}_{2} \mathrm{~S}$ isotopologues compared to the parent isotopologues respectively. Experimentally, the $B$ and $C$ rotational constants show the usual trend of decrease as we go from $\mathrm{H}_{2} \mathrm{~S}$ to HDS to $\mathrm{D}_{2} \mathrm{~S}$ isotopologue. Moreover, if we compare the HDS and $\mathrm{D}_{2} \mathrm{~S}$ isotopologues in Table V.5, all the rotational constants show a decrease, though only by 5 MHz in $A$ and 3 MHz for both $B$ and $C$. The decrease in the $B$ and $C$ rotational constants is 23 MHz and 3 MHz while going from $\mathrm{H}_{2} \mathrm{~S}$ to HDS isotopologues. The increase in the $A$ rotational constant of the deuterated isotopologue compared to the parent ones could be the result of different dynamically averaged structure for the HDS and $\mathrm{D}_{2} \mathrm{~S}$ isotopmers compared to the $\mathrm{H}_{2} \mathrm{~S}$ isotopologue. A similar kind of increase in the rotational constants have been observed for anisole $\cdot \bullet \mathrm{H}_{2} \mathrm{O}{ }^{25}$ complex. It was attributed to the different conformational preference for the anisole $\cdots \mathrm{H}_{2} \mathrm{O}$ and anisole $\cdots \mathrm{D}_{2} \mathrm{O}$. For $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$, this increase in the A rotational constant may result from a sliding motion of $\mathrm{H}_{2} \mathrm{~S}$ over the $\pi$ cloud of the ring. The deuteration will increase the total mass and hence would sample small range of distances. This kind of sliding motion is present in $\mathrm{Ar} \cdot \bullet \cdot \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH}$ complex which hindered the determination of the accurate location of argon over the ring. However, if the translation of $\mathrm{H}_{2} \mathrm{~S}$ is the candidate, we should have observed a similar effect for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \cdot \mathrm{H}_{2}{ }^{34} \mathrm{~S}$ as well. But that is not the case here as is evident from the rotational constants of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2}{ }^{34} \mathrm{~S}$. The $A$ rotational constant for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2}{ }^{34} \mathrm{~S}$ shows a decrease of 3 MHz compared to the parent isotopologues which is further an indication that this change in $b$ co-ordinate is not the result of the translation of $\mathrm{H}_{2} \mathrm{~S}$ over the phenylacetylene $\pi$ cloud. The likely motion is the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its own $c$ principal axis. The averaged $b$ co-ordinate (in the principal axes system of the complex) of the two hydrogens can shrink on deuteration which may produce this increase in the $A$ rotational constant. This is further possible that the hydrogen atoms of $\mathrm{H}_{2} \mathrm{~S}$ are closer to $a$ axis than any other axis (as the S atom is closer to the $a$ principal axis of the complex which is experimentally verified). Thus the increase in mass is overweighed by the decrease in the effective distance as the atoms are closer to the axis. If it is a translation of the $\mathrm{H}_{2} \mathrm{~S}$ over the $\pi$ cloud, the change in the rotational
constant would show a similar trend while going from the $\mathrm{H}_{2}{ }^{32} \mathrm{~S}$ to the $\mathrm{H}_{2}{ }^{34} \mathrm{~S}$ isotopologue.

## V.E. Splitting in the spectra

As was mentioned, the parent isotopologue and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \cdot \bullet \mathrm{H}_{2} \mathrm{~S}$ complex show the doubling of the lines in the spectra. However, the $\mathrm{D}_{2} \mathrm{~S}$ and HDS complexes do not show any splitting in the spectra. The absence of the splitting in case of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{HDS}$ isotopologue indicates that the doubling is caused by the interchange of equivalent hydrogens of $\mathrm{H}_{2} \mathrm{~S}$. Further, the quenching of the motion in case of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{D}_{2} \mathrm{~S}$ isotopologue indicates that the motion is a hindered one. Interchange of the equivalent hydrogens of $\mathrm{H}_{2} \mathrm{~S}$ would happen if the $\mathrm{H}_{2} \mathrm{~S}$ moiety rotates about its $\mathrm{C}_{2}$ symmetric axis. No other motion i.e. the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its own $a$ or $c$ principal axis will lead to the interchange of the equivalent hydrogens of $\mathrm{H}_{2} \mathrm{~S}$. The barrier for the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetry axis has been calculated and is reported in the next section.

## V.F. $A b$ initio calculations

Three different geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \bullet \mathrm{H}_{2} \mathrm{~S}$ complex were optimized at MP2/aug-ccpVDZ level using the Gaussian 03 suite of programme. ${ }^{26}$ The monomer geometries were optimized at the same level of theory and the structural parameters from these calculations are supplied as the input during the geometry optimization of the complex. The frequencies were calculated to ensure that the optimized geometries were true minima. The vibrational frequencies of the complex are listed in the appendix at the end of this chapter. All these structures turned out to be true minima. The binding energies were calculated using supermolecular approach ${ }^{27}$ and they were corrected for the BSSE using counterpoise method. ${ }^{28}$ Zero point energy corrections on the binding energies were done for all these complexes. The optimized geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ are shown in Figure V.3. Optimization was performed by starting from an initial geometry by placing $\mathrm{H}_{2} \mathrm{~S}$ on the top of the acetylenic $\pi$ cloud. However the optimization led to the Structure B. The binding energies are reported in Table V.7. Ab initio calculations show the Structure $\mathrm{B}\left(\mathrm{H}_{2} \mathrm{~S}\right.$ is on the top of the phenyl ring) to be the global minimum as can be
seen from Table V.7. The energy differences with other geometries are significantly high. The geometry where the acetylenic C-H group is donating its hydrogen to the S atom is lying $600 \mathrm{~cm}^{-1}(\sim 1.7 \mathrm{kcal} / \mathrm{mol})$ above the experimentally observed geometry whereas the cyclic structure as was observed in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$ complex is lying 311 $\mathrm{cm}^{-1}(0.9 \mathrm{kcal} / \mathrm{mol})$ above this. The rotational constants for all the geometries are listed in Table V. 8 and are compared with the experimentally derived ones (for the stronger series). From the Table V.8, it is clear that Structure B is the experimentally observed structure. However, the experimentally derived constants are smaller than the ab initio derived values. The difference is $40-50 \mathrm{MHz}$ which means that the vibrationally averaged geometry is different from the one obtained by ab initio methods but of course the determined constants indicate the Structure B with no ambiguity. The optimized structural parameters obtained for all the geometries at MP2/aug-cc-pVDZ level of theory are listed in the appendix at the end of this chapter.

Figure V.3. The optimized geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{H}_{2} \mathrm{~S}$ at MP2/aug-cc-pVDZ level


Table V.7. Binding energies (in $\mathrm{cm}^{-1}$ ) of different geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2} \mathrm{~S}$ complex calculated at MP2/aug-cc-pVDZ level of theory. The binding energies have been corrected for BSSE and ZPE.

|  | Binding energy <br> $\left(\mathrm{cm}^{-1}\right)$ |
| :---: | :---: |
| Structure A | -157 |
| Structure B | -857 |
| Structure C | -546 |

Table V.8: Rotational constants of different geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{H}_{2} \mathrm{~S}$ complex calculated at MP2/aug-cc-pVDZ level of theory.

| Rotational <br> constants | Structure A | Structure B | Structure C | Experiment $^{\text {a }}$ |
| :---: | :---: | :---: | :---: | :---: |
| A (MHz) | 5374 | 1279 | 2209 | $1206.551(7)$ |
| B (MHz) | 313 | 1176 | 652 | $1134.152(6)$ |
| C (MHz) | 296 | 782 | 506 | $732.192(6)$ |

${ }^{a}$ Rotational constants for the stronger series is listed.

It has been mentioned previously that experimentally, S atom is closer to the ' $a$ ' principal axis of the complex whereas in the ab initio global minimum ' B ', the S atom is closer to the $b$ principal axis. To understand this, some tests were done by varying the location of one monomer with respect to the other. It is shown that a variation of the perpendicular distance of the $\mathrm{H}_{2} \mathrm{~S}$ unit from the phenylacetylene center of mass by $0.1 \AA$ can produce this switching of the ' $a$ ' and ' $b$ ' principal axis system. Both phenylacetylene and $\mathrm{H}_{2} \mathrm{~S}$ were fixed at their optimized geometry at the same level of theory. The $\mathrm{H}_{2} \mathrm{~S}$ hydrogens were placed symmetrically (both the hydrogens facing the phenylacetylene) on
top of the phenylacetylene ring and the distance of $\mathrm{H}_{2} \mathrm{~S}$ from the center of mass of phenylacetylene were varied in steps of $0.2 \AA$. The minimum of the interaction energy was found in a configuration where S is located at $3.7 \AA$ from the center of mass of the phenylacetylene monomer. The principal axes system for this geometry is shown in the structure labelled as II in Figure V.4. The distance between the center of mass of phenylacetylene to the S is $3.6 \AA$ for I in Figure V.4, whereas it is $3.8 \AA$ for III in Figure V.4. It is very clear from Figure that the ' $a$ ' and ' $b$ ' principal axis shows a switching when the distance of the $S$ from the center of mass of phenylacetylene is increased. Thus, S is located close to the ' $b$ ' principal axis in I whereas it is located very close to the ' $a$ ' principal axis in II.

Figure V.4. Switching of the ' $a$ ' and 'b' principal axes of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex caused by the increase of the distance of $\mathrm{H}_{2} \mathrm{~S}$ from the phenylacetylene center of mass is shown in the figure. Here $X, Y$ and $Z$ are equivalent to the ' $a$ ', ' $b$ ' and ' $c$ ' principal axes system.


The potential energy scans at MP2/aug-cc-pVDZ level were done for the sliding motion of $\mathrm{H}_{2} \mathrm{~S}$ over the phenylacetylene ring to find out the flatness of the potential energy curve along this co-ordinate. Keeping this perpendicular distance fixed, $\mathrm{H}_{2} \mathrm{~S}$ was moved over the ring. The co-ordinate is defined as $\Delta R \|$, the parallel displacement of the S atom from the center of mass of the phenylacetylene monomer. $\Delta \mathrm{R} \|=0$ when the S atom is right on top of the phenylacetylene center of mass. A '+' ve value of $\Delta \mathrm{R} \|$ indicates the displacement of the $\mathrm{H}_{2} \mathrm{~S}$ from the center of mass of the phenylacetylene towards the acetylene group whereas a '-'ve value for $\Delta R_{\|}$indicates that the $S$ atom is shifted from the phenylacetylene center of mass towards the phenyl ring center. The generated potential energy curve is shown in Figure V.5. The minimum of the energy is located at a position where the S is shifted by $0.4 \AA$ from the center of mass of the phenylacetylene monomer towards the acetylene group. From the frequency calculation at MP2/aug-cc-pVDZ level, the zero point energy corresponding to this vibration is 15 $\mathrm{cm}^{-1}$. This magnitude of zero point energy would mean that $\mathrm{H}_{2} \mathrm{~S}$ would slide a distance of $\sim+0.8 \AA$ over the phenylacetylene ring. Thus, $\mathrm{H}_{2} \mathrm{~S}$ is likely to be shifted from the phenylacetylene center of mass towards the acetylene group which may be the reason that the distance of the S from H 14 is less as was deduced by the experiment.

The barrier for the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetry axis was calculated staring from the optimized geometry of the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complex. The generated potential energy curve is shown in Figure V.6. The calculated barrier for this motion is $403 \mathrm{~cm}^{-1}$. The normal mode frequency which corresponds to this mode has been identified from the $a b$ initio calculations at MP2/aug-cc-pVDZ level. The zero point energy along this mode is $63 \mathrm{~cm}^{-1}$ which is almost seven times less than the barrier height for this rotation. This indicates that the motion is a hindered one and supports the quenching of the splitting in case of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$ complex. The barrier for the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetry axis is much higher than what has been observed for $\mathrm{C}_{6} \mathrm{H}_{6} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex. For $\mathrm{C}_{6} \mathrm{H}_{6} \bullet \cdots \mathrm{H}_{2} \mathrm{~S}$, the barrier for this rotation is $\sim 3.5 \mathrm{~cm}^{-1}$. This is because in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the $\mathrm{H}_{2} \mathrm{~S}$ hydrogens are closer to C 1 and the rotation of the $\mathrm{H}_{2} \mathrm{~S}$ hydrogens take the hydrogens away from the $\pi$ electron backbone which is not the case with $\mathrm{C}_{6} \mathrm{H}_{6} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complex.

Does this displacement of the $\mathrm{H}_{2} \mathrm{~S}$ towards the acetylenic group indicate an interaction of the $\mathrm{H}_{2} \mathrm{~S}$ hydrogen with the acetylenic $\pi$ cloud? An optimization of the $\pi$ bonded geometry of $\mathrm{HCCH} \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ at the same level of theory shows that the distance of the bonded hydrogen from the acetylene $\pi$ bond is $2.574 \AA$ which is much smaller than the distance of $\mathrm{H}_{2} \mathrm{~S}$ hydrogen from the acetylenic $\pi$ cloud in the optimized geometry of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex. The distance of the hydrogen closer to the acetylenic $\pi$ cloud is $3.102 \AA$ from the center of the triple bond. However, a bending of the acetylene group towards the $\mathrm{H}_{2} \mathrm{~S}$ has been observed in the ab initio optimized geometry. Thus, in the complex, the dihedral angles $\mathrm{D}\left(\mathrm{C}_{1} \mathrm{C}_{2} \mathrm{C}_{5} \mathrm{C}_{6}\right)=-0.2^{\circ}\left(0^{\circ}\right.$ in the monomer $), \mathrm{D}\left(\mathrm{C}_{12} \mathrm{C}_{1} \mathrm{C}_{2} \mathrm{C}_{5}\right)=$ $-177.2^{\circ}\left(180^{\circ}\right.$ in the monomer) and the angle $\mathrm{A}\left(\mathrm{C}_{12} \mathrm{C}_{1} \mathrm{C}_{6}\right)=177.7^{\circ}\left(180^{\circ}\right.$ in the monomer). A similar kind of bending from the planarity was observed in case of the $a b$ initio calculations of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{Ar}^{23}$ complex as well. However, the accuracy of the experiments does not allow this observation to be verified. Thus, the assumption that the monomer geometries are unchanged due to the complexation is valid within the accuracy limit of the experiment.


Figure V.5: The potential energy curve for the sliding motion of $H_{2} \mathrm{~S}$ over the phenylacetylene plane.


Figure V.6: The potential energy curve for the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $C_{2}$ symmetric axis in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \circ \mathrm{H}_{2} \mathrm{~S}$ complex

The $\mathrm{H}_{2} \mathrm{~S}$ monomer frequencies are compared to the frequencies of intramolecular $\mathrm{H}_{2} \mathrm{~S}$ modes in the complex calculated at MP2/aug-cc-pVDZ theory and are shown in Table V.9.

Table V.9. Frequencies of the symmetric and asymmetric stretches of $H_{2} \mathrm{~S}$ monomer in different optimized geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex. The frequencies of $\mathrm{H}_{2} \mathrm{~S}$ monomer are also listed in the table.

| Modes | $\mathrm{H}_{2} \mathrm{~S}$ | Structure A | Structure B | Structure C |
| :---: | :---: | :---: | :---: | :---: |
| Symmetric <br> stretch | $2764 \mathrm{~cm}^{-1}$ | $2749 \mathrm{~cm}^{-1}$ | $2733 \mathrm{~cm}^{-1}$ | $2724 \mathrm{~cm}^{-1}$ |
| Asymmetric <br> stretch | $2790 \mathrm{~cm}^{-1}$ | $2774 \mathrm{~cm}^{-1}$ | $2755 \mathrm{~cm}^{-1}$ | $2767 \mathrm{~cm}^{-1}$ |

From Table V.9, all the optimized geometries show red shifts of the S-H stretch frequencies. The structure A also shows red shift even if $\mathrm{H}_{2} \mathrm{~S}$ acts as a 'hydrogen-bond' acceptor in the complex. In Structure A, the shift is $\sim-15 \mathrm{~cm}^{-1}$ for the symmetric stretch and $\sim-16 \mathrm{~cm}^{-1}$ for the asymmetric stretch, considerably smaller than the other hydrogen-
bonded geometries. The $\pi$-bonded (phenyl $\pi$ cloud, Structure B) geometry shows a shift of $\sim-33 \mathrm{~cm}^{-1}$ and $\sim-35 \mathrm{~cm}^{-1}$ for the symmetric and asymmetric stretch respectively. The cyclic structure shows a red shift of $\sim 40 \mathrm{~cm}^{-1}$ and $\sim 23 \mathrm{~cm}^{-1}$ respectively for the symmetric and symmetric stretches. Thus, the theoretical calculations indicate a considerable red shift of the S-H stretches (harmonic frequencies) for the $\pi$-hydrogen bonded complex of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$. For a comparison, the frequency shift for the $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$ complex calculated at MP2(full)/aug-cc-pVDZ level is $-29 \mathrm{~cm}^{-1}$ and $-11 \mathrm{~cm}^{-1}$ for the symmetric and asymmetric stretches respectively (though the experimentally observed shift is much smaller as was described in chapter III), whereas the frequency shift for $\mathrm{HCCH} \cdot \cdots \cdot \mathrm{H}_{2} \mathrm{~S}(\pi$ bonded complex) calculated at the same level of theory i.e. MP2/aug-cc-pVDZ level of theory is $-24 \mathrm{~cm}^{-1}$ and $-19 \mathrm{~cm}^{-1}$ for the symmetric and the asymmetric stretch respectively.

## V.G. AIM calculations

Atoms in molecules ${ }^{29}$ theoretical calculations have been done for all the optimized geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$. All the wave functions have been calculated at MP2/aug-cc-pVDZ level of theory. The calculated critical points for these geometries are shown in Figure V.7. In case of Structure A, a bond critical point along the bond path connecting the S atom to the acetylenic $\mathrm{C}-\mathrm{H}$ group has been located and it corresponds to the $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{S}$ interaction. For Structure B , a bond critical point has been located along the bond path which connects the H atom of $\mathrm{H}_{2} \mathrm{~S}$ to the phenyl ring carbon bearing the substituent. The calculations do not show any other bond critical point connecting this hydrogen to any other carbon of the phenyl ring. However, one more ring critical point apart from the one corresponding to the phenyl ring (Structure B in Figure V.7) has been located. This indicates that this H atom interacts with at least one of the other carbon atoms of the phenyl ring so that a ring structure is formed, which gives rise to the ring critical point. Surprisingly, no bond critical point connecting the other hydrogen (closer to the acetylenic $\pi$ bond in Structure B) to any atom of phenylacetylene monomer could be located for this geometry at this level of calculation. Thus, the AIM calculations do not indicate any interaction of the H atom and the acetylene $\pi$ cloud of the
phenylacetylene monomer in Structure B. The Structure C is characterised by the presence of the S-H $\cdot \bullet \pi$ and C-H••S interaction. The electron density $(\rho)$ at the bond critical points and the Laplacians of the electron density at the critical point are listed in Table V.10. In general, the stronger the 'hydrogen bond', more is the electron density at the critical point corresponding to that hydrogen bond. A look at the Table V. 10 makes one realise that there is not much difference in terms of the electron densities at HBCP (hydrogen bond critical point) for these three optimized geometries. The electron densities $(\rho)$ and the Laplacian of the electron densities $(\rho)$ are well within the range for hydrogen bonds as suggested by Popelier for all the complexes. ${ }^{30}$. Based on the analysis of C-H••O interaction, Koch and Popelier suggested that the $\rho$ value at BCP should lie within the range $[0.002,0.035]$ au and the Laplacian of the electron density at BCP should lie within the range $[0.024,0.139]$ au for 'hydrogen bonds'.

Figure V.7. The bond critical points, ring critical points, cage critical points and the bond paths located for the three optimized geometries of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{H}_{2} \mathrm{~S}$ at MP2/aug-cc-pVDZ level of theory.


Table V.10. The electron density ( $\rho$ ) and the Laplacian of the electron density $\left(\nabla^{2}(\rho)\right)$ of Structure A, Structure B and Structure C calculated by AIM theoretical calculations.

|  | $\rho(\mathrm{a} . \mathrm{u})$ | $\nabla^{2}(\rho)$ |
| :---: | :---: | :---: |
| Structure A $(\mathrm{C}-\mathrm{H} \cdots \mathrm{S})$ | 0.010 | 0.025 |
| Structure B $(\mathrm{S}-\mathrm{H} \cdots \mathrm{C})$ | 0.008 | 0.025 |
| Structure C, S-H $\cdots \pi$ | 0.012 | 0.027 |
| Structure C, C-H $\cdots \mathrm{S}$ | 0.008 | 0.020 |

## V.H. Discussion

From the above studies, it is clear that $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{H}_{2}$ S possesses a geometry where $\mathrm{H}_{2} \mathrm{~S}$ is located over the $\pi$ cloud of phenylacetylene. This geometry is similar to what was observed for fluorobenzene $\cdots \mathrm{HCl}$, though here $\mathrm{H}_{2} \mathrm{~S}$ is shifted towards the acetylenic group. On the contrary, the complex $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdots \mathrm{H}_{2} \mathrm{O}$ has a cyclic structure where $\mathrm{H}_{2} \mathrm{O}$ donates its hydrogen to the acetylenic $\pi$ cloud forming a $\mathrm{O}-\mathrm{H} \bullet \bullet \pi$ bond and the ortho C H group of phenyl ring forms a $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{O}$ bond with $\mathrm{H}_{2} \mathrm{O}$. The geometry for $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ is similar to what was observed for fluorobenzene $\cdot \bullet \mathrm{H}_{2} \mathrm{O}$. The structure of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complex can be compared to those of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{CH}_{3} \mathrm{OH}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{CH}_{3} \mathrm{NH}_{2}$ complexes. ${ }^{20} \quad \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{CH}_{3} \mathrm{OH}$ forms a $\pi$ bonded structure where $\mathrm{CH}_{3} \mathrm{OH}$ donates the O-H hydrogen to the phenyl $\pi$ cloud. In case of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdot \cdots \mathrm{CH}_{3} \mathrm{NH}_{2}$, the N - H group donates its hydrogen to the $\pi$ cloud of phenyl ring whereas in $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{NH}_{3}$, the terminal $\mathrm{C}-\mathrm{H}$ bond of the acetylene group donates its hydrogen to $\mathrm{NH}_{3}$ forming a $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{N}$ hydrogen bond. In reference no. 20 , the authors have called it as 'methyl group -induced hydrogen bond switching'. The SAPT-DFT interaction energy decomposition analysis done by these authors show that the electrostatics play a major role in stabilizing the observed complexes of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{NH}_{3}$ whereas for $\mathrm{CH}_{3} \mathrm{OH}$ and $\mathrm{CH}_{3} \mathrm{NH}_{2}$, the major component of the interaction energy is the dispersion energy. The reason for the increased contribution of the dispersion has been attributed to the increased polarisability of the $\mathrm{O}-\mathrm{H}$ and $\mathrm{N}-\mathrm{H}$ group in $\mathrm{CH}_{3} \mathrm{OH}$ and $\mathrm{CH}_{3} \mathrm{NH}_{2}$ due to the electron donating ability of the methyl group.

Thus comparing these results, it is not hard to understand the preference of $\mathrm{H}_{2} \mathrm{~S}$ to go to the top of the phenylacetylene plane whereas $\mathrm{H}_{2} \mathrm{O}$ prefers to be in the plane. The increased polarisability of $\mathrm{H}_{2} \mathrm{~S}$ must be the reason which leads to increased dispersion energy component. This in fact goes in line with the notion that that the complexes of second row hydrides are mainly dominated by the dispersion whereas in case of first row hydrides, the main component of the interaction energy is electrostatic. ${ }^{31}$ Further, in case of the $\mathrm{H}_{2} \mathrm{~S}$ complex, it seem that the secondary $\mathrm{C}-\mathrm{H} \bullet \bullet \mathrm{S}$ interaction is not stabilizing enough to hold the cyclic structure and hence, the $\pi$ bonded structure is the most favourable in terms of energetics.

## V.I. Conclusions

Rotational spectra of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ and its isotopologues $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \bullet \mathrm{D}_{2} \mathrm{~S}$, $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{HDS}, \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2}{ }^{34} \mathrm{~S}, \mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCD} \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ have been obtained. The spectra confirm a structure where $\mathrm{H}_{2} \mathrm{~S}$ is located over the phenylacetylene plane. The observed structure is the global minimum found by the ab initio calculations at MP2/aug-cc-pVDZ level. The c.m-c.m (c.m of $\mathrm{H}_{2} \mathrm{~S}$ to $\mathrm{c} . \mathrm{m}$. of phenylacetylene) distance has been determined to be $\sim 3.74 \AA$. From the spectra it is clear that $\mathrm{H}_{2} \mathrm{~S}$ is shifted from the phenyl ring center towards the acetylenic group. The spectra of $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{H}_{2}{ }^{34} \mathrm{~S}$ indicate that the S is very close to the phenylacetylene $c$ principal axis. The spectra for the parent and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ show a doubling whereas those for the $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \cdots \mathrm{HDS}$ and $\mathrm{C}_{6} \mathrm{H}_{5} \mathrm{CCH} \bullet \mathrm{D}_{2} \mathrm{~S}$ show no doubling of the transitions. This splitting is caused by the rotation of $\mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetry axis in the complex. The barrier for this rotation is $403 \mathrm{~cm}^{-1}$ as has been indicated by the calculation at MP2/aug-cc-pVDZ level of theory. The $a b$ initio calculation also indicates that the potential energy curve for the sliding motion of $\mathrm{H}_{2} \mathrm{~S}$ over the phenylacetylene ring is quite flat and this motion samples an appreciably large distance of $0.8 \AA$. The ab initio calculation considering a symmetric structure indicates that the minimum in the interaction energy occurs when $\mathrm{H}_{2} \mathrm{~S}$ is located at a distance of $0.4 \AA$ from the phenylacetylene center of mass towards the acetylenic group.

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## Appendix

Table V.A. 1 Structural parameters for the $\mathrm{H}_{2} \mathrm{~S}$ monomer optimized at MP2/aug-cc-pVDZ level of theory. The distances are reported in $\AA$ and the angles are reported in degrees.

| Parameters | Values |
| :---: | :---: |
| S-H | 1.350 |
| $\angle \mathrm{H}-\mathrm{S}-\mathrm{H}$ | $92.4^{\circ}$ |

Table V.A.2. Structural parameters for the phenylacetylene monomer optimized at MP2/aug-cc-pVDZ level of theory. The distances are reported in $\AA$ and the angles are reported in degrees.

| Parameters | Values | Parameters | Values | Parameters | Values |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{R}(1,2)$ | $1.416 \AA$ | $\mathrm{~A}(5,2,8)$ | 120.7 | $\mathrm{D}(3,1,2,5)$ | 0.0 |
| $\mathrm{R}(1,12)$ | 1.439 | $\mathrm{~A}(1,3,4)$ | 120.0 | $\mathrm{D}(3,1,2,8)$ | 180.0 |
| $\mathrm{R}(2,5)$ | 1.404 | $\mathrm{~A}(1,3.7)$ | 119.3 | $\mathrm{D}(12,1,2,5)$ | 180.0 |
| $\mathrm{R}(2,8)$ | 1.094 | $\mathrm{~A}(4,3,7)$ | 120.7 | $\mathrm{D}(12,1,2,8)$ | 0.0 |
| $\mathrm{R}(4,6)$ | 1.408 | $\mathrm{~A}(3,4,6)$ | 120.3 | $\mathrm{D}(2,1,3,4)$ | 0.0 |
| $\mathrm{R}(4,10)$ | 1.094 | $\mathrm{~A}(3,4,10)$ | 119.6 | $\mathrm{D}(2,1,3,7)$ | 180.0 |
| $\mathrm{R}(6,11)$ | 1.094 | $\mathrm{~A}(6,4,10)$ | 120.0 | $\mathrm{D}(12,1,3,4)$ | 180.0 |
| $\mathrm{R}(12,13)$ | 1.237 | $\mathrm{~A}(2,5,6)$ | 120.3 | $\mathrm{D}(12,1,3,7)$ | 0.0 |
| $\mathrm{R}(13,14)$ | 1.074 | $\mathrm{~A}(2,5,9)$ | 119.6 | $\mathrm{D}(3,1,2,5)$ | 0.0 |
| $\mathrm{~A}(2,1,3)$ | 119.5 | $\mathrm{~A}(6,5,9)$ | 120.0 | $\mathrm{D}(3,1,2,8)$ | 180.0 |
| $\mathrm{~A}(2,1,12)$ | 120.3 | $\mathrm{~A}(4,6,5)$ | 119.7 | $\mathrm{D}(12,1,2,5)$ | 180.0 |
| $\mathrm{~A}(1,2,5)$ | 120.0 | $\mathrm{~A}(4,6,11)$ | 120.1 | $\mathrm{D}(12,1,2,8)$ | 0.0 |
| $\mathrm{~A}(1,2,8)$ | 119.3 | $\mathrm{~A}(5,6,11)$ | 120.1 | $\mathrm{D}(2,1,3,4)$ | 0.0 |

Table V.A.2. continued

| Parameters | Values |
| :---: | :---: |
| $\mathrm{D}(1,2,5,6)$ | 0.0 |
| $\mathrm{D}(1,2,5,9)$ | 180.0 |
| $\mathrm{D}(8,2,5,6)$ | 180.0 |
| $\mathrm{D}(8,2,5,9)$ | 0.0 |
| $\mathrm{D}(1,3,4,6)$ | 0.0 |
| $\mathrm{D}(1,3,4,10)$ | 180.0 |
| $\mathrm{D}(7,3,4,6)$ | 180.0 |
| $\mathrm{D}(7,3,4,10)$ | 0.0 |
| $\mathrm{D}(3,4,6,5)$ | 0.0 |
| $\mathrm{D}(3,4,6,11)$ | 180.0 |
| $\mathrm{D}(10,4,6,5)$ | 180.0 |
| $\mathrm{D}(10,4,6,11)$ | 0.0 |
| $\mathrm{D}(2,5,6,4)$ | 0.0 |
| $\mathrm{D}(2,5,6,11)$ | 180.0 |
| $\mathrm{D}(9,5,6,4)$ | 180.0 |
| $\mathrm{D}(9,5,6,11)$ | 0.0 |



Table V. A. 3. Ab initio derived structural parameters for the global minimum of the phenylacetylene- $\mathrm{H}_{2} \mathrm{~S}$ complex at MP2/aug-cc-pVDZ level of theory. The distances are in $\AA \mathrm{s}$ and the angles and dihedrals are in degrees.

| Structure B |  | Structure C |  | Structure A |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Parameter | Values | Parameter | Values | Parameter | Values |
| $\mathrm{R}(1,2)$ | 1.409 | $\mathrm{R}(2,1)$ | 1.408 | $\mathrm{R}(1,2)$ | 1.408 |
| $\mathrm{R}(2,3)$ | 1.405 | $\mathrm{R}(3,2)$ | 1.404 | $\mathrm{R}(2,3)$ | 1.405 |
| $\mathrm{R}(3,4)$ | 1.416 | $\mathrm{R}(4,3)$ | 1.416 | $\mathrm{R}(3,4)$ | 1.416 |
| $\mathrm{R}(4,5)$ | 1.416 | $\mathrm{R}(5,4)$ | 1.417 | $\mathrm{R}(5,4)$ | 1.416 |
| $\mathrm{R}(5,6)$ | 1.404 | $\mathrm{R}(6,5)$ | 1.405 | $\mathrm{R}(6,5)$ | 1.405 |
| $\mathrm{R}(4,7)$ | 1.439 | $\mathrm{R}(7,4)$ | 1.441 | $\mathrm{R}(7,4)$ | 1.439 |
| $\mathrm{R}(7,8)$ | 1.237 | $\mathrm{R}(8,7)$ | 1.238 | $\mathrm{R}(8,7)$ | 1.238 |
| $\mathrm{R}(4,9)$ | 3.601 | $\mathrm{R}(9,8)$ | 3.896 | $\mathrm{R}(9,8)$ | 3.819 |
| $\mathrm{R}(3,10)$ | 1.094 | $\mathrm{R}(10,3)$ | 1.094 | $\mathrm{R}(10,8)$ | 1.078 |
| $\mathrm{R}(5,11)$ | 1.094 | $\mathrm{R}(11,5)$ | 1.094 | $\mathrm{R}(11,3)$ | 1.094 |
| $\mathrm{R}(6,12)$ | 1.094 | $\mathrm{R}(12,6)$ | 1.094 | $\mathrm{R}(12,5)$ | 1.094 |
| $\mathrm{R}(2,13)$ | 1.094 | $\mathrm{R}(13,2)$ | 1.094 | $\mathrm{R}(13,2)$ | 1.094 |
| $\mathrm{R}(1,14)$ | 1.094 | $\mathrm{R}(1,14)$ | 1.094 | $\mathrm{R}(14,6)$ | 1.094 |
| $\mathrm{R}(8,15)$ | 1.074 | $\mathrm{R}(8,15)$ | 1.075 | $\mathrm{R}(15,1)$ | 1.094 |
| $\mathrm{R}(9,16)$ | 1.351 | $\mathrm{R}(9,16)$ | 1.353 | $\mathrm{R}(16,9)$ | 1.350 |
| $\mathrm{R}(9,17)$ | 1.353 | $\mathrm{R}(9,17)$ | 1.350 | $\mathrm{R}(17,9)$ | 1.350 |
| $\mathrm{~A}(3,2,1)$ | 120.3 | $\mathrm{~A}(3,2,1)$ | 120.3 | $\mathrm{~A}(3,2,1)$ | 120.3 |
| $\mathrm{~A}(4,3,2)$ | 119.9 | $\mathrm{~A}(4,3,2)$ | 119.9 | $\mathrm{~A}(4,3,2)$ | 120.1 |
| $\mathrm{~A}(5,4,3)$ | 119.7 | $\mathrm{~A}(5,4,3)$ | 119.8 | $\mathrm{~A}(5,4,3)$ | 119.4 |
| $\mathrm{~A}(6,5,4)$ | 119.9 | $\mathrm{~A}(6,5,4)$ | 119.7 | $\mathrm{~A}(6,5,4)$ | 120.1 |
| $\mathrm{~A}(7,4,5)$ | 120.1 | $\mathrm{~A}(7,4,5)$ | 120.5 | $\mathrm{~A}(7,4,3)$ | 120.3 |
| $\mathrm{~A}(8,7,4)$ | 177.6 | $\mathrm{~A}(8,7,4)$ | 178.9 | $\mathrm{~A}(8,7,4)$ | 179.9 |
| $\mathrm{~A}(9,4,5)$ | 85.6 | $\mathrm{~A}(9,8,7)$ | 82.1 | $\mathrm{~A}(9,8,7)$ | 1.408 |

Table V. A. 3. continued

| Structure B |  | Structure C |  | Structure A |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Parameters | Values | Parameters | Values | Parameters | Values |
| A(10,3,4) | 119.3 | A(10,3,4) | 119.3 | A(10,8,9) | 1.4 |
| A(11,5,4) | 119.3 | A(11,5,4) | 119.6 | A(10,3,4) | 119.2 |
| A(12,6,5) | 119.7 | A(12,6,5) | 119.5 | A(11,5,4) | 119.2 |
| A(13,2,3) | 119.7 | A(13,2,3) | 119.6 | A(12,2,3) | 119.6 |
| A(14,1,2) | 120.1 | A(14,1,2) | 120.1 | A(13,6,5) | 119.6 |
| A(15,8,7) | 178.3 | A(15,8,7) | 179.6 | A(14,1,2) | 120.1 |
| A(16,9,4) | 46.2 | A(16,9,8) | 5.28 | A(15,9,8) | 94.8 |
| A(17,9,4) | 45.5 | A(17,9,8) | 97.3 | A(16,9,8) | 94.5 |
| $\mathrm{D}(4,3,2,1)$ | 0.2 | $\mathrm{D}(4,3,2,1)$ | -0.0 | $\mathrm{D}(4,3,2,1)$ | 0.0 |
| $\mathrm{D}(5,4,3,2)$ | -0.9 | $\mathrm{D}(5,4,3,2)$ | -0.1 | $\mathrm{D}(5,4,3,2)$ | 0.0 |
| $\mathrm{D}(6,5,4,3)$ | 0.9 | $\mathrm{D}(6,5,4,3)$ | 0.1 | $\mathrm{D}(6,5,4,3)$ | -0.0 |
| $\mathrm{D}(7,4,5,6)$ | -177.2 | D(7,4,5,6) | -179.8 | $\mathrm{D}(7,4,3,2)$ | 180.0 |
| $\mathrm{D}(8,7,4,5)$ | 87.7 | D(8,7,4,5) | 168.5 | $\mathrm{D}(8,7,4,3)$ | -57.3 |
| $\mathrm{D}(9,4,5,6)$ | -81.0 | $\mathrm{D}(9,8,74)$ | -173.8 | $\mathrm{D}(9,8,7,4)$ | -123.9 |
| $\mathrm{D}(10,3,4,5)$ | -179.8 | $\mathrm{D}(10,3,4,5)$ | 180.0 | $\mathrm{D}(10,8,9,7)$ | 178.8 |
| $\mathrm{D}(11,5,4,3)$ | 179.8 | $\mathrm{D}(11,5,4,3)$ | 180.0 | $\mathrm{D}(11,3,4,5)$ | -180.0 |
| $\mathrm{D}(12,6,5,4)$ | 179.2 | D(12,6,5,4) | 179.8 | $\mathrm{D}(12,5,4,3)$ | 180.0 |
| $\mathrm{D}(13,2,3,4)$ | -179.2 | $\mathrm{D}(13,2,3,4)$ | 180.0 | $\mathrm{D}(13,2,3,4)$ | -180.0 |
| $\mathrm{D}(14,1,2,3)$ | -179.5 | $\mathrm{D}(14,1,2,3)$ | -179.9 | $\mathrm{D}(14,6,5,4)$ | 180.0 |
| $\mathrm{D}(15,8,7,4)$ | -178.5 | $\mathrm{D}(15,8,7,4)$ | -27.8 | $\mathrm{D}(15,1,2,3)$ | 180.0 |
| $\mathrm{D}(16,9,4,5)$ | -120.0 | $\mathrm{D}(16,9,8,7)$ | -58.6 | $\mathrm{D}(16,9,8,7)$ | -45.2 |
| $\mathrm{D}(17,9,4,5)$ | 60.4 | $\mathrm{D}(17,9,8,7)$ | -85.8 | $\mathrm{D}(17,9,8,7)$ | 47.7 |



Figure V. A. 1. Numbering of the atoms in Structure A, Structure B and Structure C used in Table V.A. 2 and V. A. 3. These are shown for reference.

Table V. A. 4. Vibrational frequencies of the three minima named Structure A, Structure B and Structure C calculated at MP2/aug-cc-pvDZ level of theory.

| Structure B | Structure C | Structure A |
| :---: | :---: | :---: |
| Frequencies ( $\mathrm{cm}^{-1}$ ) | Frequencies ( $\mathrm{cm}^{-1}$ ) | Frequencies ( $\mathrm{cm}^{-1}$ ) |
| 29 | 19 | 7 |
| 57 | 53 | 24 |
| 88 | 77 | 28 |
| 126 | 84 | 67 |
| 141 | 101 | 125 |
| 145 | 126 | 128 |
| 168 | 151 | 169 |
| 173 | 295 | 172 |
| 323 | 315 | 331 |
| 395 | 398 | 397 |
| 460 | 460 | 462 |
| 496 | 474 | 500 |
| 498 | 493 | 514 |
| 561 | 549 | 615 |
| 610 | 608 | 638 |
| 614 | 616 | 687 |
| 652 | 644 | 733 |
| 747 | 742 | 741 |
| 762 | 761 | 763 |
| 841 | 846 | 838 |
| 899 | 901 | 889 |
| 953 | 934 | 931 |
| 954 | 958 | 941 |
| 996 | 996 | 996 |

Table V. A. 4. continued

| Structure B | Structure C | Structure A |
| :---: | :---: | :---: |
| Frequencies ( $\mathrm{cm}^{-1}$ ) | Frequencies ( $\mathrm{cm}^{-1}$ ) | Frequencies ( $\mathrm{cm}^{-1}$ ) |
| 1038 | 1040 | 1039 |
| 1087 | 1091 | 1086 |
| 1166 | 1166 | 1165 |
| 1183 | 1189 | 1183 |
| 1185 | 1193 | 1193 |
| 1216 | 1213 | 1215 |
| 1306 | 1312 | 1305 |
| 1431 | 1428 | 1427 |
| 1482 | 1478 | 1478 |
| 1489 | 1492 | 1491 |
| 1600 | 1602 | 1602 |
| 1629 | 1630 | 1631 |
| 2102 | 2097 | 2097 |
| 2733 | 2724 | 2749 |
| 2755 | 2767 | 2774 |
| 3204 | 3203 | 3201 |
| 3212 | 3211 | 3209 |
| 3220 | 3219 | 3218 |
| 3227 | 3226 | 3225 |
| 3234 | 3232 | 3232 |
| 3479 | 3474 | 3429 |

## Chapter VI

# The Hydrogen Bond: a Molecular Beam Microwave Spectroscopist's view 

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## VI.A. Introduction

There has been a continuous debate about what a hydrogen bond is and how it is different from the more general 'van der Waals interaction', though both are nearly a century old concepts. Considering the importance of this debate, IUPAC has recently formed a task group to come up with a modern definition of hydrogen bonding. ${ }^{1}$ Nevertheless, the importance of "hydrogen bonding" is well-recognized in chemistry and biology. ${ }^{2-7}$ It is known for long that $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ from the same group have remarkably different properties under ambient conditions. Due to this, it was traditionally thought that $\mathrm{H}_{2} \mathrm{O}$ forms hydrogen bonds and $\mathrm{H}_{2} \mathrm{~S}$ does not. ${ }^{7}$ However, the modern view is that both molecules have very different 'hydrogen bonding' capabilities. ${ }^{2-6}$ In any case, this difference is often rationalized due to the less electronegativity of sulphur compared to that of oxygen which makes the former a poor hydrogen bond donor/acceptor. ${ }^{8}$ Thus, under ambient temperature and pressure $\mathrm{H}_{2} \mathrm{O}$ is a liquid and $\mathrm{H}_{2} \mathrm{~S}$ is a gas. The crystal structures of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ also exhibit remarkable differences. In ice, each of the $\mathrm{H}_{2} \mathrm{O}$ molecules is coordinated to four others in a tetrahedral arrangement. On the other hand, under ambient pressure $\mathrm{H}_{2} \mathrm{~S}$ has been found to crystallize (freezing point $-60^{\circ} \mathrm{C}$ ) in a close-packed fashion where each hydrogen sulphide molecule is in contact with twelve equidistant neighbors. ${ }^{7}$ This disorder in the crystal structure of $\mathrm{H}_{2} \mathrm{~S}$ is attributed to the isotropic nature of the interaction among the neighbours, which are essentially spherical. Does it mean that $\mathrm{H}_{2} \mathrm{~S}$ can never participate in 'hydrogen bond' formation?

Our knowledge of 'hydrogen bonding' has been evolving over the last century and we now know that a wide and versatile range of chemical entities are capable of forming hydrogen bonds. Thus, in a hydrogen bond, which is typically denoted by X$\mathrm{H} \cdot \bullet \mathrm{Y}, \mathrm{X}$ and Y were initially observed to be only the most electronegative elements, N , O or F. ${ }^{7}$ However, Pimentel and McClellan in their authoritative book on The Hydrogen bond chose not to put any restriction on X or Y . ${ }^{2}$ According to them, if there is evidence that an H atom is simultaneously bonded to X and Y then there is hydrogen bond. Their conviction proved right and there have been numerous examples of hydrogen bonding beyond what was initially believed and X could be any element with an electronegativity larger than that of H , including $\mathrm{S} .{ }^{5}$ Moreover Y could be a lone pair, $\pi$ pair, unpaired electron, sigma bonding electrons, hydride ions etc. and the list is expanding. ${ }^{9-12}$ It has
been shown recently that the carbon atom of methane can act as a hydrogen-bond acceptor. ${ }^{13}$

In the literature, there are well accepted criteria which are widely used to characterize hydrogen bonds. ${ }^{2-7}$ These criteria, though helpful in many cases, are not without ambiguities. First and foremost was the belief that hydrogen bonding was purely electrostatic. ${ }^{7,14}$ Now it is well recognized that 'the electrostatic picture' is incomplete. ${ }^{15,16}$ Compton scattering ${ }^{17}$ and NMR $^{18}$ experiments in the last decade have given unambiguous evidence for a partial covalent nature in hydrogen bonding. The next most important criterion was the red shift of the X-H stretching frequency on hydrogen bond formation. ${ }^{2}$ It is a well established signature of 'hydrogen-bond' formation that holds true in most cases. However, recently, it has been observed that there are 'hydrogen bonds' which cause a blue shift in the X-H stretching frequencies. ${ }^{19}$ Moreover, Joseph and Jemmis have shown that it is possible to have systems with no shift of the XH stretch frequencies upon hydrogen-bond formation. ${ }^{20}$ Another popular and stringent criterion has been that the distance between the X and Y atoms should be less than the sum of their van der Waals' radii. ${ }^{21}$ It has been relaxed to some extent now and the distance between H and Y atoms is compared to the sum of their van der Waals radii. The stringent criterion has been strongly criticized by many as too limiting most of the times ${ }^{3-5,22-26}$ and the relaxed criterion is criticized as too generous on individual cases such as 1,2 -diols. ${ }^{26}$ Recently, a hydrogen bond radius has been proposed as an alternative to van der Waals radius for the atoms typically found to be involved in hydrogen bonding. ${ }^{22-25}$ However, one aspect about hydrogen bonding that is widely accepted is the directionality, i.e. $\mathrm{X}-\mathrm{H} \bullet \bullet \bullet \mathrm{Y}$ is found to be linear in most cases. Though, secondary interactions in a system could force $\mathrm{X}-\mathrm{H} \bullet \bullet \bullet \mathrm{Y}$ away from linearity, ${ }^{27}$ it is the directionality in hydrogen bonding resulting in an anisotropic intermolecular potential that contrasts it from the more general 'van der Waals forces' expected to be isotropic. There have been suggestions about energy cutoffs for hydrogen bonds and these are at best suggestive and subjective and at worst arbitrary.

Recently, Koch and Popelier have proposed a set of eight criteria to detect and characterize hydrogen bonds. ${ }^{28}$ These criteria are based on Bader's Atoms In Molecules (AIM) theory. ${ }^{29}$ According to Bader himself, presence of a bond critical point connecting
the H from the donor group XH to the acceptor Y is sufficient to conclude about the presence of a hydrogen bond. In the original contribution of Koch and Popelier, these criteria were used to predict if $\mathrm{C}-\mathrm{H} \bullet \bullet \bullet \mathrm{O}$ contacts in some van der Waals complexes and anti-AIDS drug AZT could be classified as 'hydrogen bonded' based on detailed analysis of the charge density. These have gained popularity owing to the platform it provides to differentiate 'hydrogen bonding' from other closed shell interactions through the characterization of the properties of the bond critical point found between hydrogen and the acceptor atom. It should be remembered that these criteria are based on the analysis of rigid equilibrium geometry. While the application of these criteria for crystal structures is less ambiguous, it is not clear if the conclusions reached through this analysis will hold good when one considers the non-rigid/dynamic structure of the weakly bound van der Waals complexes.

Let us now turn our attention to $\mathrm{H}_{2} \mathrm{~S}$ again. Dynamics indeed decide the fate of $\mathrm{H}_{2} \mathrm{~S}$ and there are evidences in the literature that the structural behavior of $\mathrm{H}_{2} \mathrm{~S}$ changes on further cooling and compression. ${ }^{30-32}$ The structure becomes gradually ordered with the signature of hydrogen bond formation. As pointed out by Nelmes, Hamel and coworkers, it is interesting to note that $\mathrm{H}_{2} \mathrm{~S}$ is the only hydride which shows this behavior on compression. ${ }^{31}$ Further, they concluded that $\mathrm{H}_{2} \mathrm{~S}$ can be a good model system where we can tune the hydrogen bond strength from "absent or very weak to structurally significant". On the other hand, gas phase studies like scattering and spectroscopic studies in supersonic beam are complementary to these studies in the condensed phase. These studies provide a direct or indirect estimate of the strength of the 'hydrogen bonding' interaction in smaller dimers and trimers in isolated condition. A recent scattering experiment of Aquilanti et al. on the complexes of rare gas with $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ showed that for $\mathrm{H}_{2} \mathrm{O}$ complexes, there is a progressive shift in the 'glory' pattern towards higher velocities as one moves from He to Xe . The Authors concluded that this was an indication of the increase in binding strength more than what would be predicted by a van der Waals' model, which according to them, is based on polarizabilities of the interacting partners. ${ }^{33}$ This was attributed to an onset of hydrogen bonding ( $\mathrm{O}-\mathrm{H} \bullet \bullet \bullet \mathrm{Rg}$ ) and it was further supported by the $a b$ initio calculations. Unlike these complexes of $\mathrm{H}_{2} \mathrm{O}$ with rare gas atoms, in case of the $\mathrm{Rg} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complexes, the increase in binding strength could be
explained by the polarizabilities of $\mathrm{H}_{2} \mathrm{~S}$ and those of rare gas atoms and the effect due to the permanent dipole moment of $\mathrm{H}_{2} \mathrm{~S}$. ${ }^{34}$ Thus, it was concluded that the nature of interaction becomes spherical with "no measurable anisotropic effect" when the binding partner changes from $\mathrm{H}_{2} \mathrm{O}$ to $\mathrm{H}_{2} \mathrm{~S}$. It was concluded further that there was no signature of hydrogen bonding in case of $\mathrm{H}_{2} \mathrm{~S}$ complexes with rare gas atoms. It should be pointed out here that an interaction involving permanent electric dipole moment of $\mathrm{H}_{2} \mathrm{~S}$ can not lead to an isotropic potential. The difference between the $\mathrm{Rg} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Rg} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ interaction has its origin elsewhere and that is the main focus of this work

The situation may also be different when one considers a stronger acceptor rather than the rare gas atoms. Thus, there are examples of the 'hydrogen bonded' geometry of $\mathrm{H}_{2} \mathrm{~S}$ complexes characterized by microwave experiments in the supersonic beam e.g. $\mathrm{C}_{6} \mathrm{H}_{6} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}^{35}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. ${ }^{36}$ The ground state structures obtained from the experiments showed that these $\mathrm{H}_{2} \mathrm{~S}$ complexes are 'hydrogen bonded' similar to their $\mathrm{H}_{2} \mathrm{O}$ counterparts. ${ }^{37,38}$ Moreover, the $\mathrm{H}_{2} \mathrm{~S}$ dimer has an equilibrium geometry which is hydrogen bonded ${ }^{39}$ similar to that of $\mathrm{H}_{2} \mathrm{O}$ dimer ${ }^{40}$. These observations do not change the fact that $\mathrm{H}_{2} \mathrm{O}$ is a liquid and $\mathrm{H}_{2} \mathrm{~S}$ is a gas at ambient conditions. In a supersonic molecular beam, there is an extensive cooling of the translational, rotational and vibrational degrees of freedom. This facilitates the formation of these complexes which are weakly bound. However, even at these conditions large amplitude motions of the $\mathrm{H}_{2} \mathrm{~S} / \mathrm{H}_{2} \mathrm{O}$ within these complexes lead to observable splitting in the microwave spectrum of all these complexes. Are these interactions, then, different from the $\mathrm{Rg}-\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ interactions? As it has been shown in this thesis and elsewhere, ${ }^{13,29}$ the equilibrium structures of $\mathrm{Ar} \bullet \bullet \mathrm{H}_{2} \mathrm{O}, \mathrm{Ar} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ would all be hydrogen bonded according to the AIM theoretical criteria given for $\mathrm{C}-\mathrm{H} \cdot \bullet \cdot \mathrm{O}$ contacts by Koch and Popelier. ${ }^{28}$

What happens when one considers the dynamical structure i.e. the effect of the large amplitude motions in these complexes? In a supersonic expansion, the zero-point energy is the main contributor to the dynamics of the system. Hence, the question asked is what criterion one should look for, to call a system 'hydrogen-bonded', while considering the zero-point energy averaged structure. The important point to be reemphasized here is that the 'zero point dynamics' can not be restricted even at zero

Kelvin. The proposed answer is that the potential barriers of different motions which take the bonded hydrogen away from the acceptor moiety should be significantly above the zero-point energy along that co-ordinate. It should be emphasized here that this barrier is not related to the dissociation energy of the complex under consideration. These large amplitude motions have periodic potentials along vibrational coordinates that do not lead to dissociation. This can be made clear by looking at the schematic drawn in Figure VI.1. Typically, both $\mathrm{X}-\mathrm{H} \bullet \bullet \bullet \mathrm{Y}$ and $\mathrm{Y} \bullet \bullet \bullet \mathrm{X}-\mathrm{H}$ could be below the dissociation limit corresponding to $\mathrm{XH}+\mathrm{Y}$ along the stretching co-ordinate. If it is not bound in this stretching co-ordinate, the complex does not exist. Even when the complex is bound along the stretching co-ordinate, the large amplitude motion of the HY unit within the complex can take the hydrogen away from the acceptor moiety in a vibrationally averaged structure. In such a situation, the structure clearly will not be hydrogen bonded. This large amplitude motion of $\mathrm{X} \cdots \mathrm{HY}$ is described as bending or internal rotation or free rotation depending on the barrier.

Here in this part of the thesis, we analyze the effect of zero-point energy on the equilibrium structures of four complexes e.g. $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}, \mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ to test their characterization as 'hydrogen bonded' complexes. These are chosen as typical examples where the presence of a hydrogen bond is a matter of debate. The potential energy barriers for the rotation of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ about their principal axes are calculated for all the complexes. The barriers were calculated using ab initio theory and were compared to the zero point energies along these co-ordinates. A comparison like this is useful to have an estimate of the relative strength of the interaction and it can provide important insight when one asks "is the 'hydrogen bonding', if it exists at all, strong enough to be experimentally detected and measured?"


Figure VI.1. Schematics showing the effect of zero-point motion on the equilibrium structure of a hydrogen-bonded complex. Case I. If the barrier for the large amplitude motion is high enough compared to the zero-point energy, the dynamically averaged structure will be able to hold the 'hydrogen-bonded' configuration. Case II. When the zero-point energy along the co-ordinate is lying far above the barrier, the 'zero-point' motion becomes a 'nearly free rotation' and 'dynamic' structure will not execute any orientational preference characteristic of a 'hydrogen bond'.

## VI.B. Computational methodology

All the four complexes were fully optimized at MP2(full)/aug-cc-pVTZ level of theory using Gaussian 03 suite of programme. ${ }^{41}$ Harmonic frequency calculations were done at the same level of theory to determine the zero-point energy along the intermolecular modes. Further, the absence of any imaginary frequency ensured that the optimized geometries were true minima. However, these intermolecular frequencies are expected to be anharmonic. To check how the anharmonicity affects the frequencies of these modes, we have performed both harmonic and anharmonic frequency calculations for $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complex at a lower level of theory i.e. MP2(full)/aug-cc-pVDZ level. The differences in the frequency values from the harmonic and anharmonic calculations have been found to be in the range of $2-40 \mathrm{~cm}^{-1}$. These numbers indicate that the conclusions drawn in this chapter are not going to alter as we would see later. The AIM theoretical
calculations have been performed using AIM 2000 software for the optimized geometries at this level of theory ${ }^{42}$

Having the fully optimized geometries for all the complexes, it was decided to explore the anisotropic nature of the potential energy hyper surfaces by varying the $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ orientation in the complexes. For the one dimensional potential energy surface calculations for different orientations of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$, we chose more symmetric structures ( $C_{2 v}$ for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ and $C_{s}$ for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ ) as the starting points so that the number of parameters which are to be taken care of during the scans get reduced. Both hydrogen atoms are placed symmetrically between two Ar atoms for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the starting geometry was chosen such that the $\mathrm{O}-\mathrm{H} \cdot \bullet \bullet \pi$ and $\mathrm{S}-\mathrm{H} \cdot \bullet \bullet \pi$ angles were $180^{\circ}$. These constraints on the symmetry of the starting geometry were convenient and were also reasonable as they still represent the main features of the experimentally observed structure. The rotational spectroscopic studies on $\mathrm{Ar}_{2} \cdot \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ indicated a vibrationally averaged ground state structure having $C_{2 v}$ symmetry. ${ }^{43-45}$ The positions of the hydrogen atoms could not be determined form the spectra as it was affected by the large amplitude motion. However, the change in the rotational constants (change in the ' $B$ ' rotational constant of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and change in the ' $A$ ' rotational constant in case of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ ) upon isotopic substitution indicated that both the hydrogen atoms are almost at the same distance from the center of mass. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the analysis of the experimental data showed that both $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ are situated on top of the $\pi$ cloud of ethylene and only one of the hydrogen is pointing towards the $\pi$ cloud ${ }^{38,36}$ Further, for $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{O}$, it was also concluded that in the vibrationally averaged geometry, the plane of $\mathrm{H}_{2} \mathrm{O}$ molecule is bisecting the $\mathrm{C}=\mathrm{C}$ bond of $\mathrm{C}_{2} \mathrm{H}_{4}{ }^{46}$ Furthermore, It should be pointed out that the barrier heights are not expected to be changed drastically by the assumption of the reference geometry being symmetric in case of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{X}$ systems as the difference of energy in the symmetric and the asymmetric structure is only marginal. Thus, in case of $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$, this difference is only $30 \mathrm{~cm}^{-1}$ whereas in case of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, this difference is $44 \mathrm{~cm}^{-1}$. For all the four complexes single point scans have been performed by fixing the monomer geometry as was obtained from the monomer
optimization at the same level of theory. Counterpoise corrections were done at each point to correct for the basis set superposition error (BSSE). ${ }^{47}$ The principal axes of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ are shown in Figure VI.2. The structural parameters which were varied during the calculations are shown in Figure VI.3. For $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, R is defined as the distance of $\mathrm{O} / \mathrm{S}$ to the mid-point of $\mathrm{Ar} \bullet \bullet \bullet \mathrm{Ar}$ bond. The $\mathrm{Ar}-\mathrm{Ar}$ distance was fixed at the value obtained from the optimized geometry of the corresponding complexes. The rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about its ' $c$ ' principal axis is described by the variation of angle $\theta$. Similarly, the variation in $\phi$ and $\tau$ describe the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about it's ' $a$ ' and ' $b$ ' ( $C_{2}$ symmetry axis) axes. Initially, for $\mathrm{Ar}_{2} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{O}, \mathrm{R}$ was varied from $2.5 \AA$ to $4.0 \AA$ in steps of $0.1 \AA$ whereas for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, it was varied from


Figure VI.2. Principal axes system of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$
$3.1 \AA$ to $3.8 \AA$ with the same step size keeping all other parameters to be fixed. The minimum of the interaction energy was found to be at $3.4 \AA$ for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, it was found to be at $3.8 \AA$. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, R is defined as the distance of the oxygen/sulphur from the center of $\pi$ bond in ethylene. For these complexes, the minima of the interaction energy along R lie at $3.4 \AA$ and $4.0 \AA$ respectively for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. At this fixed value of R , each of $\theta, \phi$ and


Figure VI.3. Structural parameters of the complexes which were varied to generate the potential energy surfaces. $A$. For $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the starting reference geometry was a doubly hydrogen bonded $C_{2 v}$ symmetric structure. B. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O} / \mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the reference geometry was a singly hydrogen bonded one having $C_{s}$ symmetry. The rotation of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ along $\phi, \tau$ and $\theta$ co-ordinate define the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ along its own $a, b$ and $c$ principal axes.
$\tau$ were varied in steps of $10^{\circ}$ to generate the one-dimensional potential curves. The barrier heights along different co-ordinates are reported by taking the lowest point as the reference point along that curve. All the curves, except the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about its ' $c$ ' principal axis in $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$, are symmetric about $180^{\circ}$ which is obvious considering the symmetry of the reference systems.

## VI.C. Results and Discussions

## VI.C.1. Optimized geometries and the AIM parameters

Figure VI. 4 shows the optimized geometries of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complexes at MP2 (full)/aug-cc-pVTZ level of theory. For $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$, these two minima were obtained by imposing the $C_{s}$ symmetry constraints. Unstrained geometry optimization
also converged to $C_{s}$ symmetry for both the structures of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$. For $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, both of the converged minima had $C_{1}$ symmetry as shown in Figure VI.4. For both the complexes, Structure I is more stable than Structure II. The energy differences between the minima are $23 \mathrm{~cm}^{-1}$ and $25 \mathrm{~cm}^{-1}$ respectively for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. BSSE correction increases this difference to $27 \mathrm{~cm}^{-1}$ in case of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and to $34 \mathrm{~cm}^{-1}$ for $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. Single point calculations at $\operatorname{CCSD}(\mathrm{T}) /$ aug-cc-pVDZ level were performed for the Structures I and II , in case of both $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ followed by the counterpoise correction. These calculations show the difference to be only $8 \mathrm{~cm}^{-1}$ for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$, Structure I is still being the lower energy structure. The energy difference is $12 \mathrm{~cm}^{-1}$ for the two optimized configurations of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ at $\mathrm{CCSD}(\mathrm{T}) /$ aug-cc-pVDZ level and the ordering of the energy is the same as the MP2 level. Thus, the differences of the energy between the Structure I and Structure II at $\operatorname{CCSD}(\mathrm{T})$ and MP2 level are close enough and hence, the level of calculation employed here is adequate for the purpose. Fully optimized geometries of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ are shown in Figure VI.5. These geometries correspond to $\mathrm{O} / \mathrm{S}-\mathrm{H} \bullet \bullet \bullet \pi$ interactions. Both the geometries have $C_{1}$ symmetry. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$, the $\angle \mathrm{O}-\mathrm{H} \bullet \bullet \bullet$ is $\sim 169^{\circ}$. For the optimized geometry of $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex, the $\mathrm{S}-\mathrm{H} \bullet \bullet \bullet \pi$ bond is more linear, the angle being $\sim 178^{\circ}$. The intermolecular frequencies calculated for these optimized geometries were used to have the estimate of the zero point energy along a particular co-ordinate. Bond critical points and the bond paths between the hydrogen of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ and the $\mathrm{Ar} / \mathrm{C}$ atoms could be located using AIM theoretical calculations. For both $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the bond critical points have been found connecting the hydrogen to the ethylene carbon instead of the center of $\mathrm{C}=\mathrm{C}$ bond. The electron density and the Laplacian of the electron density at the BCP for the hydrogen-bonds are given in Table I. It can be seen that for all the complexes, both the parameters are well within the range suggested for ' $\mathrm{C}-\mathrm{H} \bullet \bullet \bullet \mathrm{O}$ hydrogen-bonds' by Koch and Popelier. ${ }^{28}$ Raghavendra and Arunan have recently shown that $\mathrm{Ar} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complexes


Figure VI.4. Fully optimized geometries of $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complexes at MP2(full)/aug-cc-pVTZ level of theory. Distances between the atoms are shown in $\AA$ A.


Figure VI.5. Fully optimized geometries of a) $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{O}$ and b) $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ complexes at MP2(full)/aug-cc-pVTZ level. Selected bond distances $(\AA)$ are shown in the figures.

Table VI.1. Electron density at Hydrogen Bond Critical Point (HBCP), $\rho$, and Laplacian (L) of the electron density at HBCP calculated by AIM. *

| Complex | $\rho$ | L |
| :--- | :---: | :---: |
|  | $(\mathrm{au})$ | $(\mathrm{au})$ |
| $\mathrm{Ar}_{2} \cdots \mathrm{H}_{2} \mathrm{O}$ | 0.008 | 0.032 |
| $\mathrm{Ar}_{2} \cdots \mathrm{H}_{2} \mathrm{~S}$ | 0.007 | 0.026 |
| $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{O}$ | 0.021 | 0.031 |
| $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ | 0.017 | 0.023 |

*All these values are well within the range of hydrogen-bonds as suggested by Koch and Popelier for C$H \cdots O$ contacts. The $\rho$ value at BCP should lie within the range [0.002, 0.035] au and the Laplacian of the electron density at BCP should lie within the range [0.024, 0.139] au. ${ }^{28}$
obey most of the criteria given by Koch and Popelier for $\mathrm{C}-\mathrm{H} \cdot \bullet \mathrm{O}$ contacts to be classified as hydrogen bonded, including the necessary and sufficient condition. ${ }^{13}$ These are conclusions based on the static equilibrium structures. We now turn our attention to the dynamic structures.

## VI.C.2. Features of the one dimensional potentials

## VI.C.2.a. $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2}{ }^{\bullet \bullet} \mathrm{H}_{2} \mathrm{~S}$

Figure VI. 6 shows the potential energy curves for the variation of angle $\theta$ (rotation about $c$ axis of $\mathrm{H}_{2} \mathrm{X}$ ) in $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. The nature of the curve is very shallow. The minimum on the curve corresponds to $30^{\circ}$ for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $40^{\circ}$ for $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ respectively. This corresponds to the geometry where both the hydrogen atoms are pointing toward the $\mathrm{Ar} \cdot \bullet \bullet$ Ar moiety in an unsymmetrical fashion. This rotation has to pass over an energy barrier of $46 \mathrm{~cm}^{-1}$ for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $64 \mathrm{~cm}^{-1}$ for $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ corresponding to a geometry where $\mathrm{O} / \mathrm{S}$ is pointing towards the $\mathrm{Ar} \bullet \bullet \bullet \mathrm{Ar}$ bond $\left(\theta=180^{\circ}\right)$.

Another maximum was observed with a smaller barrier, for both $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \cdot \bullet \mathrm{H}_{2} \mathrm{~S}$, when both the hydrogen atoms are placed symmetrically between two argon atoms (the reference geometry for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{X}$ systems). This barrier is very small being $5 \mathrm{~cm}^{-1}$ for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $7 \mathrm{~cm}^{-1}$ for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. At $\theta=70^{\circ}$, one hump was observed for $\mathrm{Ar}_{2} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ corresponding to a geometry where one of the hydrogen is interacting with one of the argon atoms and the other hydrogen atom is away from the $\mathrm{Ar} \bullet \bullet \cdot \mathrm{Ar}$ moiety. Similar characteristic was observed for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ at $\theta=90^{\circ}$. A fully relaxed optimization of this geometry indeed converged to Structure I, which is more stable than the one where both the hydrogen atoms are facing the $\mathrm{Ar} \bullet \bullet \cdot \mathrm{Ar}$ moiety, though the difference is very small.

Figure VI.6. Potential energy curves for the rotation of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ about its ' c ' principal axis in $\mathrm{Ar}_{2} \cdots \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \cdots \mathrm{H}_{2} S$ complexes.

Rotation of $\mathrm{H}_{2} \mathrm{X}$ about its ' c ' axls


Variation of energy along the $\tau$ co-ordinate (rotation about the $b$ axis of $\mathrm{H}_{2} \mathrm{X}$ ) is shown in Figure VI.7. For $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$, the lowest point along this co-ordinate lies at $0^{\circ}$
and $180^{\circ}$ where both the hydrogen atoms are pointing towards the $\mathrm{Ar} \cdot \bullet \cdot \mathrm{Ar}$ bond and all the five atoms are in the same plane. An energy barrier of $38 \mathrm{~cm}^{-1}$ separates these minima. This barrier corresponds to $\tau=90^{\circ}$, where the $\mathrm{H}_{2} \mathrm{O}$ molecular plane is perpendicular to the $\mathrm{Ar} \cdots \mathrm{Ar}$ bond. Looking at Figure VI.7, it is immediately obvious that $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ is much floppier along this co-ordinate compared to $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$. Given an extremely floppy nature of the potential, it is not possible to locate the minima for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ along this co-ordinate. However, it's noted that for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the geometry where all the atoms are in the same plane $\left(\tau=0^{\circ}, 180^{\circ}\right)$ does not correspond to the lowest point along this co-ordinate, rather the

Rotation of $\mathrm{H}_{2} \mathrm{X}$ about its ' $b$ ' ( $\mathrm{C}_{2}$ ) axis


Figure VI.7.Variation of potential energy for the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about its $\mathrm{C}_{2}$ symmetry ('b' principal axis) axis in $\mathrm{Ar}_{2} \cdots \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \cdots{ }^{\bullet} \mathrm{S}$ complexes.
lowest point lies at $\sim 35^{\circ}$, just $1 \mathrm{~cm}^{-1}$ below the $\tau=0^{\circ}$ geometry. For $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the energy barrier for this rotation corresponds to $\tau=90^{\circ}$ and the barrier is only $3 \mathrm{~cm}^{-1}$.

Variation of potential energy along the $\phi$ co-ordinate (rotation about $a$ axis) is shown in Figure VI.8. The lowest energy point on the curve corresponds to the geometry
where all the atoms are in the same plane and both the hydrogen atoms are pointing towards the $\mathrm{Ar} \cdot \bullet \mathrm{Ar}$ moiety $\left(\phi=0^{\circ}\right)$. One local minimum could be located for both $\mathrm{Ar}_{2} \cdots \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \cdots \bullet \mathrm{H}_{2} \mathrm{~S}$, respectively at $40 \mathrm{~cm}^{-1}$ and $57 \mathrm{~cm}^{-1}$ above the lowest energy configuration along this co-ordinate. This local minimum corresponds to O-down or Sdown configuration. The maximum on the curve lies at $90^{\circ}$ and $270^{\circ}$ for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $110^{\circ}$ and $250^{\circ}$ for $\mathrm{Ar}_{2} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$.


Figure VI.8: Variation of potential energy for the rotation of $\mathrm{H}_{2} \mathrm{O}_{2} \mathrm{H}_{2} \mathrm{~S}$ about its ' $a$ ' axis in $\mathrm{Ar}_{2} \cdots \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \cdots \mathrm{H}_{2} \mathrm{~S}$ complex.

## VI.C.2.b $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{H}_{2} \mathrm{~S}$

Figure VI. 9 shows the variation of energy along the $\theta$ co-ordinate (rotation about $c$ axis of $\mathrm{H}_{2} \mathrm{X}$ ) for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. For both $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the least energy configuration along this co-ordinate is the one where one of the hydrogen is
pointing towards the $\pi$ system. Rotation of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ along this co-ordinate faces two barrier - one is for a configuration where both the hydrogen atoms are pointing towards the $\pi$ system $\left(\theta=60^{\circ}\right.$ for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{O}, \theta=50^{\circ}$ for $\left.\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}\right)$ and the other is for $\mathrm{O} / \mathrm{S}$ down configuration $\left(\theta=240^{\circ}\right.$ for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}, \theta=230^{\circ}$ for $\left.\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}\right)$. The former causes a destabilization of $426 \mathrm{~cm}^{-1}$ for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $153 \mathrm{~cm}^{-1}$ for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$,

## Rotation of $\mathrm{H}_{2} \mathrm{X}$ about ' c ' axis



Figure VI.9: Potential energy variation for the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about 'c' principal axis in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$.
the later configuration faces a huge barrier of $1195 \mathrm{~cm}^{-1}$ and for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex this barrier is $467 \mathrm{~cm}^{-1}$.

As shown in Figure VI.10, the rotation of $\mathrm{H}_{2} \mathrm{O}$ about its ' $b$ ' principal axis $\left(\mathrm{C}_{2}\right.$ symmetry axis) passes through a barrier of $878 \mathrm{~cm}^{-1}$ corresponding to a structure of $\mathrm{C}_{\mathrm{s}}$
symmetry where the O-lone pair is pointing towards the $\pi$-cloud of ethylene $\left(\tau=90^{\circ}\right)$. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, this barrier is $436 \mathrm{~cm}^{-1}$. The minima along this co-ordinate lies again at the configuration where only one of the hydrogen is pointing towards the $\pi$-system of ethylene ( $\tau=0^{\circ}$ ) for both $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ complex.


Figure VI.10. Potential energy variation for the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about 'b' principal axis in $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \cdots \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \cdot \mathrm{H}_{2} \mathrm{~S}$.

Figure VI. 11 shows the variation of energy along the $\phi$ co-ordinates (rotation about $a$ axis of $\mathrm{H}_{2} \mathrm{X}$ ) for all the complexes. Along this co-ordinate, the minimum of the energy lies at 'singly hydrogen-bonded' $\left(\phi=0^{\circ}\right)$ structure for both $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complexes. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$, the region near the maxima shows a plateau
like structure. Also, the barrier along this path corresponds to the structure where the oxygen lone pair is facing the $\pi$ system of $\mathrm{C}_{2} \mathrm{H}_{4}$ and the barrier is $903 \mathrm{~cm}^{-1}$. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$, this geometry where sulphur lone pair is pointing towards the $\pi$ system ( $\phi=$ $180^{\circ}, C_{2 v}$ ), appears to be a local minima on this one-dimensional surface. The maximum of the energy lies at $\phi=100^{\circ}$ and $260^{\circ}$ and corresponds to a barrier of $447 \mathrm{~cm}^{-1}$ for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$.


Figure VI.11. Potential energy variation for the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about its a principal axis in $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$.

## VI.C.3. Nature of the inter-molecular vibrations

The zero point energies of the motions which are of interest are listed along with the barrier heights in Tables VI.2-VI. 5 for $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{O}, \mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}, \mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and
$\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ respectively. The normal mode vibration corresponding to all these frequencies are dominated by internal rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ monomer within the complex. The normal mode vibrations which relate to the rotation of $\mathrm{H}_{2} \mathrm{O}$ or $\mathrm{H}_{2} \mathrm{~S}$ monomer about its ' $c$ ' principal axis could be readily identified in all the complexes. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$, this motion is partly coupled to the movement of ethylene hydrogen atoms as well, but the contributions of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ hydrogen atoms are more significant. The zero point energies which relate to the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ around its ' $b$ ' principal axis are also listed in the Tables. In case of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the normal mode vibration which corresponds to this motion is such that the displacement of the hydrogen, which is away from the center of $\mathrm{Ar} \bullet \bullet \mathrm{Ar}$ bond is more than the other hydrogen as was seen both in Structure I and Structure II. As we go from $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ to $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the differences in the magnitude of the displacements of two hydrogen atoms decrease. This difference is $1: 10$ for both the structures of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$. This ratio is $1: 3$ and $1: 4$ respectively for Structure I and Structure II of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. For the normal mode vibration which relate to the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ around its ' $a$ ' principal axis, the trend is reverse in all the complexes i.e. the hydrogen which is closer to the $\mathrm{Ar}{ }^{\bullet \bullet \bullet} \mathrm{Ar}$ center moves faster than the other, the ratio of the displacements of two hydrogen atoms being the same as the rotation around ' $b$ '. For $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, these motions are localized on one of the hydrogen atom of $\mathrm{H}_{2} \mathrm{O}$ or $\mathrm{H}_{2} \mathrm{~S}$. Rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about its ' $a$ ' axis in these complexes is more like a free rotation of the non-bonded hydrogen about the hydrogen bond and the rotation about the ' $b$ ' axis is more like a dangling of the bonded hydrogen over the $\pi$ system of ethylene.

## VI.D. Zero-point energies and barrier heights

From the Tables VI.2-VI.5, we can see that for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ system, all the zero-point energies are above or comparable to the barrier heights. For both the optimized geometries of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the zero-point energy for the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about the ' $a$ ' principal axis is either above or comparable to the barrier heights as can be seen from Table VI. 2 and Table VI.3. The situation is also similar for
the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about its ' $c$ ' axis. For the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about its ' $b$ ' principal axis in case of Structure I, the zero-point energy is three times the barrier height for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and twenty five times that of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$. For the structure II, in case of $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{O}$, the zero point energy for this motion (rotation about ' $b$ ') is comparable to the barrier height whereas for $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ the zero point energy is almost ten times higher. Thus, the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about the $C_{2}$ symmetric axis appears to be a freer in nature compared to the other two motions which take the two hydrogen atoms away from the $\mathrm{Ar} \bullet \bullet \mathrm{Ar}$ system. This certainly suggests some orientational preferences, but all these wash away when we consider the zero point energy along the other torsional modes. The zero point energy being above the barrier heights for all these modes clearly suggests that these vibrational motions access all possible configurations, be it the oxygen/sulphur oriented towards $\mathrm{Ar} \cdot \bullet \mathrm{Ar}$ or the hydrogen atoms towards the $\mathrm{Ar} \cdot \bullet \mathrm{Ar}$ moiety . Hence, we conclude that $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complexes are 'non-hydrogen-bonded' complexes, based on these results.

Let us turn our attention towards $\mathrm{C}_{2} \mathrm{H}_{4}$ systems now. The differences in barrier, as we go from $\mathrm{H}_{2} \mathrm{O}$ to $\mathrm{H}_{2} \mathrm{~S}$ systems, are pronounced when the acceptor molecule is ethylene. The hydrogen-bonding capabilities of $\mathrm{Ar}{ }^{\bullet \bullet} \mathrm{Ar}$ system is poor enough to outweigh the relative strength of $\mathrm{H}_{2} \mathrm{O}$ as hydrogen bond donor compared to $\mathrm{H}_{2} \mathrm{~S}$. However, the stronger acceptor i.e. the ethylene $\pi$-cloud can distinguish between a strong hydrogen bond donor and a weaker one confirming that $\mathrm{H}_{2} \mathrm{~S}$ is far poor hydrogen-bond donor than $\mathrm{H}_{2} \mathrm{O}$. For the rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about its ' $a$ ' principal axis which takes both the hydrogen atoms away from the $\pi$ cloud of ethylene, the barrier is one hundred twenty nine times the zero-point energy along this co-ordinate for $\mathrm{H}_{2} \mathrm{O}$ whereas for the $\mathrm{H}_{2} \mathrm{~S}$ complex it is twenty four times. In $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$, for the rotation of $\mathrm{H}_{2} \mathrm{O}$ about its $c$

Table VI.2. Zero point energies (ZPE) and barrier heights for different motions of $\mathrm{Ar}_{2} \cdots \mathrm{H}_{2} \mathrm{O}$ complex

| Nature of vibration | ZPE $\left(\mathrm{cm}^{-1}\right)$ | ZPE $\left(\mathrm{cm}^{-1}\right)$ | Barrier 1 | Barrier 2 |
| :---: | :---: | :---: | :---: | :---: |
|  | Structure I | Structure II | $\left(\mathrm{cm}^{-1}\right)$ | $\left(\mathrm{cm}^{-1}\right)$ |
| Rotation of $\mathrm{H}_{2} \mathrm{O}$ about ' a ' | 55 | 125 | 60 | - |
| Rotation of $\mathrm{H}_{2} \mathrm{O}$ about ' c ' | 68 | 51 | 46 | 5 |
| Rotation of $\mathrm{H}_{2} \mathrm{O}$ about ' b ' | 126 | 41 | 38 |  |

Table VI.3. Zero point energies (ZPE) and barrier heights for different motions of $A r_{2} \cdots H_{2} S$ complex

| Nature of vibration | ZPE $\left(\mathrm{cm}^{-1}\right)$ | ZPE(cm-1) | Barrier1 | Barrier2 |
| :---: | :---: | :---: | :---: | :---: |
|  | Structure I | Structure II | $\left(\mathrm{cm}^{-1}\right)$ | $\left(\mathrm{cm}^{-1}\right)$ |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about ' a ' | 45 | 72 | 72 | - |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about ' c ' | 56 | 43 | 64 | 7 |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about ' $b$ ' | 74 | 32 | 3 | - |

axis i.e. along the $\theta$ co-ordinate, the barrier energy for bringing the oxygen towards the $\pi$ cloud of ethylene is nine times that of the zero-point energy. The energy barrier pertaining to a configuration where both the hydrogen atoms are pointing towards the $\pi$ cloud of ethylene is less but appreciable and it is thrice the zero-point energy along that co-ordinate. Along this co-ordinate, for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the energy required to bring the sulphur towards the $\pi$ cloud of ethylene is five times the zero-point energy. The energy

Table VI.4. Zero point energies (ZPE) and barrier heights for different motions of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{O}$ complex

| Nature of vibration | ZPE $\left(\mathrm{cm}^{-1}\right)$ | Barrier 1 $\left(\mathrm{cm}^{-1}\right)$ | Barrier 2 $\left(\mathrm{cm}^{-1}\right)$ |
| :---: | :---: | :---: | :---: |
| Rotation of $\mathrm{H}_{2} \mathrm{O}$ about ' a ' | 7 | 903 | - |
| Rotation of $\mathrm{H}_{2} \mathrm{O}$ about ' c ' | 128 | 1195 | 426 |
| Rotation of $\mathrm{H}_{2} \mathrm{O}$ about ' b ' | 175 | 878 | - |

barrier to attain a configuration where both the hydrogen atoms of $\mathrm{H}_{2} \mathrm{~S}$ are pointing towards ethylene $\pi$ is twice the zero point energy along this co-ordinate (Barrier 2). The barrier for rotation of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ about its ' $b$ ' axis ( $\tau$ co-ordinate) is five times the zeropoint energy along this co-ordinate for the $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ complex and three times of that for the $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complex. Thus, for both the $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ complexes of ethylene, the 'hydrogen bonded' geometry is more preferred compared to the oxygen/sulphur-bonded geometry. All the motions which bring the oxygen/sulphur towards the $\pi$-cloud face an appreciable barrier to be overcome by the zero point energy. Thus both $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ are 'hydrogen bonded'. However the anisotropy of the potential energy surface is much more pronounced for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ compared to $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, which makes the former 'strong' hydrogen bonded system and the later a 'weak' hydrogen bonded system.

Table VI.5. Zero point energies (ZPE) and barrier heights for different motions of $\mathrm{C}_{2} \mathrm{H}_{4} \cdots \mathrm{H}_{2} \mathrm{~S}$ complex

| Nature of vibration | ZPE $\left(\mathrm{cm}^{-1}\right)$ | Barrier 1 $\left(\mathrm{cm}^{-1}\right)$ | Barrier 2 $\left(\mathrm{cm}^{-1}\right)$ |
| :---: | :---: | :---: | :---: |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about ' a ' | 19 | 447 | - |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about ' $c$ ' | 88 | 465 | 153 |
| Rotation of $\mathrm{H}_{2} \mathrm{~S}$ about 'b' | 140 | 436 | - |

## VI.E. Discussion

The results presented above indicate that even when the equilibrium geometry is 'hydrogen bonded', the zero point dynamics can break the hydrogen bond leading to no specific orientational preference favoring a hydrogen bond. This result makes one wonder if systems like $\mathrm{Ar} \cdot \bullet \mathrm{HF}$ satisfies this criterion to be called 'hydrogen -bonded'. Bader has identified both $\mathrm{Ar} \cdot \cdots \mathrm{HF}$ and $\mathrm{Ne} \cdot \bullet \cdot \mathrm{HF}$ to be a hydrogen-bonded complex. ${ }^{29}$ Both $\mathrm{Ar} \cdot \bullet \mathrm{HF}$ and $\mathrm{Ne} \bullet \bullet \cdot \mathrm{HF}$ have bond critical points between $\mathrm{Ar} / \mathrm{Ne}$ and hydrogen and there is a bond path which connects the hydrogen to the rare gas atom. The topological properties of the bond critical point do follow most of the criteria as was suggested by Koch and Popelier for $\mathrm{C}-\mathrm{H} \cdot \cdots \mathrm{O}$ contacts ${ }^{28}$, including the necessary and sufficient criteria of hydrogen bonding. ${ }^{13}$ A thorough study including both experimental and theoretical results on the potential energy surface for $\mathrm{Ar} \cdot \bullet \cdot \mathrm{HF}$ has been reported earlier ${ }^{48}$. The barrier for the bending coordinate is about $120 \mathrm{~cm}^{-1}$ and the first excited state of this mode is at $52 \mathrm{~cm}^{-1}$, both from the ground level. Hence, in addition to the zero point level, we have the first excited state below the barrier for $\mathrm{Ar} \cdot \bullet \bullet \mathrm{HF}$ and it can be classified as 'hydrogen bonded'. However, for $\mathrm{Ne} \bullet \bullet \bullet \mathrm{HF}$, it was shown by Nesbitt and co-workers that the lowest bound state lies $4-6 \mathrm{~cm}^{-1}$ above the saddle point and clearly it is not hydrogen bonded. ${ }^{49}$ These authors further point out that the internal rotation of HF is virtually free in $\mathrm{He} \cdot \bullet \mathrm{HF}$ and the orientation of HF becomes more directed as we move towards $\mathrm{Ar} \bullet \bullet \cdot \mathrm{HF}$. Thus, the inherent characteristic of hydrogen-bonding i.e. 'directionality' becomes more pronounced as we move from He to Ar in case of the HF complexes with
the rare gases. Thus it is of no surprise that the scattering studies for rare gas $\bullet \bullet \cdot \mathrm{H}_{2} \mathrm{O}$ reveal the 'birth of a hydrogen bond' when the binding partner changes from He to Xe . The reason is that the motions which take the bonded hydrogen away from the acceptor moiety become gradually hindered as we move from He to Xe. However, in the case of $\mathrm{Rg} \cdot \bullet \cdot \mathrm{H}_{2} \mathrm{~S}$ complexes, this must not be the case as experimental evidence for the anisotropy is not found.

It is important at this juncture to point out that the absolute numbers of the barrier heights and zero point energies reported here could vary with the level of calculations. These numbers may reduce, if we perform a relaxed scan of the potential energy surface. As for example, in $\mathrm{Ar}_{2} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{O}$, for rotation of $\mathrm{H}_{2} \mathrm{O}$ around its ' c ' axis, if we optimize the stationary points, the difference between the lowest and the highest point on the curve decreases to $31 \mathrm{~cm}^{-1}$ from $46 \mathrm{~cm}^{-1}$. However, it is clear that a variation of this magnitude would not alter the trends or conclusions observed here. Moreover, the main purpose of this work is not to establish any benchmark, rather to testify a concept which can serve as a guideline for a system to be classified as 'hydrogen-bonded'.

We realize that the procedure described above to characterize a system as hydrogen bonded is too elaborate and some general guidelines could be useful. The torsional frequencies for all these complexes are typically of the order of $50-300 \mathrm{~cm}^{-1}$. Hence, the zero point energies are going to be at the most $200 \mathrm{~cm}^{-1}$ and most often less. It is suggested that for a system to be classified as hydrogen bonded, the barrier along a torsional coordinate that breaks the hydrogen bond be sufficiently above the zero point energy so that there is at least one bound level. Looking at the typical numbers given above, a barrier of $350 \mathrm{~cm}^{-1}\left(1 \mathrm{kcal} \mathrm{mol}^{-1}\right)$ could ensure that an anisotropic orientation could favour a hydrogen bonded geometry. One could reach this conclusion by optimizing only the minimum and saddle point along the torsional coordinate. It should be emphasized again that this barrier is for the large amplitude motion and not related to the binding energy of the complex as a whole.

Clearly, this conclusion could be extended to any temperature and any medium. In a crystal, if the thermal energy along a coordinate that can break the hydrogen bond is larger than the barrier along that coordinate, this orientation will not be stabilized. When the temperature reduces significantly and the pressure increases, this motion becomes
restricted leading to the observation of hydrogen bonded geometry. Thus, though $\mathrm{H}_{2} \mathrm{~S}$ remains a gas at room temperature and has 12 neighbours when it freezes at $-60^{\circ} \mathrm{C}$, at lower temperatures and high pressures, it has a crystal structure exhibiting hydrogen bonding. It is interesting to find that Loveday et al. in their work on crystalline $\mathrm{H}_{2} \mathrm{~S}$ have observed that formation of a hydrogen bond involves 'a change as simple as suppressing free rotation about a single axis. ${ }^{31}$

There have been several attempts to decompose the binding energy of a 'hydrogen bond' to probe which of the physical forces dominate in hydrogen bonding. ${ }^{50-53}$ As pointed out earlier, initially it was expected to be a 'simple electrostatic interaction'. However, it became apparent soon that forces due to electrostatic interaction, induction, dispersion and exchange repulsion all contribute to different extents in various hydrogen bonds and there is evidence for partial covalency as well. It has been pointed out that dispersion plays a dominant role in 'hydrogen bonded' geometries of second row hydrides compared to the first row hydrides, ${ }^{4}$ though dispersion is usually considered as 'van der Waals forces'. While these studies are useful in identifying the forces involved in different hydrogen bonding environments, it is clear that there is no single physical force that can be identified as hydrogen bonding force. Irrespective of the forces that dominate, hydrogen bonding is directional. This directionality can manifest itself to experimental and theoretical observations, if the barriers to vibrational motions that break the hydrogen bond are significantly above the thermal energy available along these coordinates. For some systems, such as $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the barrier is below the zero point energy and clearly this complex is not hydrogen bonded even at zero Kelvin.

Finally, the definition given by Pimentel and McClellan appears to be the most appropriate for a hydrogen bond. According to them, "A hydrogen bond is said to exist when: 1) there is evidence of a bond and 2) there is evidence that this bond specifically involves a hydrogen atom already bonded to another atom". We suggest that one of the evidence for the presence of the hydrogen bond be that at least the zero point energy along any torsional degree of freedom that can break a hydrogen bond be significantly below the barrier energy along that coordinate. Unlike the other evidences proposed in the literature, we submit that the evidence proposed here is absolute.

## VI.F. Conclusions

To conclude, the analysis of the potential energy barriers for different motions of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ in $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ complexes have been done and are compared to the zero-point energy for the respective motion. It is found that for $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the barriers for different motions of $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ are comparable or even lower than the zero point energy along these co-ordinates whereas for $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{O} / \mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$, the barriers are lying well above the zero point energy along the co-ordinates. These results indicate that though, the equilibrium structures of $\mathrm{Ar}_{2} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{Ar}_{2} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ exhibit a 'hydrogen bonded' geometry, the geometry cannot even be stabilized at zero Kelvin. This is evidenced by the large amplitude motions of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ in the microwave spectral studies where the dynamical structure of $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2} \mathrm{~S}$ were almost spherical in the complexes. On the other hand, both $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{O}$ and $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ are 'hydrogen bonded' according to the present analysis. Though the magnitude of the anisotropy in $\mathrm{C}_{2} \mathrm{H}_{4} \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ is less compared to that of the $\mathrm{H}_{2} \mathrm{O}$ complex, $\mathrm{C}_{2} \mathrm{H}_{4} \cdot \bullet \bullet \mathrm{H}_{2} \mathrm{~S}$ emerges to be 'hydrogen bonded' in the present analysis and the interaction is strong enough to be detected at the low temperature of the supersonic expansion. This is indeed the case as has been evidenced by the microwave studies. Such an analysis and verification is essential to shed light on the possible existence/non-existence of a specific hydrogen-bonding interaction. It is not enough to conclude about the existence of hydrogen bonding between a donor and an acceptor from the rigid ab initio geometry optimization and AIM theoretical calculations. It is to be stressed that the anisotropy of the hydrogen-bonding interaction should be strong enough to 'hold' the 'hydrogen bond' at least at the 'zero point level', otherwise it is better to think of it as 'non-existent'. At a given temperature, the thermal energy along a coordinate that can break the hydrogen bond should be below the barrier along that coordinate.

## VI.G. References

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## List of publications

1. "Rotational Spectra and structure of the floppy $\mathrm{C}_{2} \mathrm{H}_{4}-\mathrm{H}_{2} \mathrm{~S}$ complex: bridging hydrogenbonding and van der Waals interaction", M. Goswami, P.K. Mandal, D. J. Ramdass and E. Arunan, Chemical Physics Letters, 393, 2004, 22.
2. "Rotational spectra of weakly bound complexes containing $\mathrm{H}_{2} \mathrm{O} / \mathrm{H}_{2} \mathrm{~S}$ : Hydrogen bonding vs van der Waals interaction", E. Arunan, P.K. Mandal, Mausumi Goswami and B. Raghavendra, Proceedings of Indian National Science Academy, 71 A, 2005, 377.
3. "Pulsed nozzle Fourier transform microwave spectroscopic and ab initio investigations on the weakly bound $\operatorname{Ar}-\left(\mathrm{H}_{2} \mathrm{~S}\right)_{2}$ trimer", Pankaj K. Mandal, Mausumi Goswami and E. Arunan, Journal of Indian Institute of Science, 85, 2006, 5276.
4. "The Hydrogen Bond: A Molecular Beam Microwave Spectroscopist's view with a Universal Appeal" Mausumi Goswami and E. Arunan, Phys. Chem. Chem. Phys. 11, 2009, 8974.
5. "Rotational spectra of $\mathrm{C}_{2} \mathrm{H}_{4}-\mathrm{H}_{2} \mathrm{~S}$ complex and its isotopomers: nature of large amplitude motion in $\mathrm{C}_{2} \mathrm{H}_{4}-\mathrm{H}_{2} \mathrm{~S}$ complex", Mausumi Goswami and E. Arunan (manuscript under preparation).
6. "Rotational Spectra and structure of phenylacetylene $-\mathrm{H}_{2} \mathrm{O}$ complex", Mausumi Goswami and E. Arunan (manuscript under preparation)
7. "Rotational Spectra and structure of phenylacetylene- $\mathrm{H}_{2} \mathrm{~S}$ complex", Mausumi Goswami and E. Arunan (manuscript under preparation)

[^0]:    ${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{\prime} c^{\prime} \sim J^{\prime}{ }_{K a К c}{ }^{\prime}$

[^1]:    ${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{\prime} c^{\prime}{ }^{\sim} J_{K a}^{\prime}{ }^{\prime} c^{\prime}$

[^2]:    ${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{\prime}{ }^{\prime} \not J^{\prime}{ }_{K a}{ }^{\prime}{ }^{\prime}{ }^{\prime}$

[^3]:    ${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime}{ }^{\prime}{ }^{\prime} \sim J^{\prime}{ }_{K a К c}{ }^{\prime}$

[^4]:    ${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime} \mathrm{Kc}^{\prime}-J_{K a}^{\prime}{ }_{K c}{ }^{\prime}$

[^5]:    ${ }^{a}$ The reported values have been calculated using the constants of L1-L2 series.
    ${ }^{b}$ The splitting in $(B+C) / 2$ has been reported as the difference of the line centers of L1-L2 and U1-U2 series. ${ }^{c}$ Calculated by dividing the $2_{02} \rightarrow 3_{03}$ transition frequencies by $2(J+1)$ as the uncertainty in the fitted rotational constants are high compared to other isotopes.

[^6]:    ${ }^{a}$ Transitions are listed as $J^{\prime \prime}{ }_{K a}{ }^{\prime} К c^{\prime} \leadsto J^{\prime}{ }^{\prime}{ }^{\prime}{ }^{\prime} c^{\prime}$

